Cosmic Millicharge Background and Reheating Probes

arXiv:2308.07951 & paper to appear tomorrow



Yu-Dai Tsai

University of California, Irvine (yt444@cornell.edu) \rightarrow Director's Fellow at LANL

Outline

- Intro & Motivations
- Probing "Reheating"

Cosmology

• Experimental Searches:

LANL, DUNE, and more



Theoretical Motivations

Millicharged particle (mCP) is a particle χ with {mass, electric charge} = { $m_{\chi}, \epsilon e$ }

- 1. Is electric charge quantized? To what unit? And why? Long-standing questions:
- Inspired Dirac quantization, Grand Unified Theories (GUTs)
- String theory predicts un-confined fractionally charged particles Wen, <u>Witten</u>, Nucl. Phys. B 261 (1985) 651-677
- Link to string compactification & quantum gravity (Shiu, Soler, Ye, PRL '13)

2. Millicharged dark matter Implications & explain CMB absorption spectrum

 $\epsilon = Q_{\chi}/e$

Motivations: Millicharged Dark Matter (mDM)







- 21 cm CMB absorption spectrum
- EDGES anomaly gives a hint of dark matter property
- Many (upcoming) measurements! Voytek et al, APJL (2014), Singh et al, arXiv: <u>1710.01101</u>





SARAS-3 in North Karnataka, India

Inflation and Reheating



a: scale factor, basically quantifying the size of the Universe t: time

We know very little about reheating. We don't even know what temperature does it reheat to!

Two Kinds of mCP

"Pure" mCP

- Theoretical implication of mCP with a small (irrational) charge without a dark photon
- Implications on GUTs models
- Implications on string compactifications
 Shiu, Soler, Ye, PRL (2013)

Kinetic-mixing mCP

• Compatible with GUTS.



Choose a proper basis: massless dark photon A' decouple from SM

$$\mathcal{L}_{\rm MCP} = i\bar{\chi}(\partial \!\!\!/ - i\epsilon' e B \!\!\!/ + M_{\rm MCP})\chi$$

Cosmic Millicharge Background (CmB) Gan, **Tsai**, <u>2308.07951</u>

"Pure" mCP

- mCP with a small (irrational) charge
 & no dark photon
- Indirect test of GUTs models
- Indirect test of string compactifications Gan, Shiu, Tsai, in progress

$$\mathcal{L}_{\rm MCP} = i\bar{\chi}(\partial - i\epsilon' e\mathcal{B} + M_{\rm MCP})\chi$$

Irreducible Production during Reheating



Cosmic Millicharge: Overproduction During Reheating Gan, Tsai, <u>2308.07951</u>

Irreducible Production during Reheating



mCP can be easily "overproduced", to more than that of the observed amount of dark matter (DM)

$$\Omega_{\rm DM} h^2 \sim 0.12$$

Currently measured DM abundance

$$\Omega \equiv rac{
ho}{
ho_c} +$$

Density is normalized by ρ_c , the critical density for a flat Universe; *h* = 0.674

$$ho_{
m c}=rac{3H^2}{8\pi G}$$

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"Pure" CmB Cosmology: Freeze-in and Freeze-out



"Pure" CmB Cosmology: Freeze-in and Freeze-out



See, e.g., Vogel, Redondo, JCAP (2014), Dvorkin+, PRD (2019)

"Pure" CmB Cosmology: Low-Reheat Temperature

 T_{rh} = 10 MeV



For the freeze-in at low $T_{\rm rh}$, mCP-SM interaction is suppressed exponentially: the coupling has to increase exponentially to compensate it

The freeze-in curve holds the approximate relation: $q_{\chi} \propto \exp\left(\frac{m_{\chi}}{T_{\rm rh}}\right)$

"Pure" CmB from Irreducible Production



- Minimal reheating temperature larger than T_{BBN} (e.g., Hasegawa+, JCAP19; Hannestad, PRD04)
- Our purple bound is covering the SN1987A constraint (gray region from Chang+, JHEP18)

Kinetic-Mixing Cosmic Millicharge Background (CmB)

Kinetic-mixing mCP



$$\mathcal{L} = \mathcal{L}_{\rm SM} - \frac{1}{4} B'_{\mu\nu} B'^{\mu\nu} - \frac{\kappa}{2} B'_{\mu\nu} B^{\mu\nu} + i\bar{\chi}(\partial \!\!\!/ + ie' B' + iM_{\rm MCP})\chi$$

Choose a proper basis: massless dark photon A' decouple from SM

$$q_{\chi} = \frac{\epsilon g_d}{e}$$
$$\mathcal{L}_{\rm MCP} = i\bar{\chi}(\partial - i\epsilon' e B + M_{\rm MCP})\chi$$

Kinetic-mixing mCP



Adshead, Ralegankar, Shelton JCAP (2022)

Kinetic-Mixing CmB Cosmology: N_{eff} Effects from Dark Photon

Freeze-in from the heat bath

• χ thermalizing with dark photon: Require effective transfer of χ entropy to dark radiation A' here

$$\begin{split} \frac{n_{\chi}^{\rm FI} \langle \sigma v \rangle_{\rm dth}}{H} &\sim q_{\chi}^2 \alpha_{\rm em}^2 \alpha_d^2 \left(\frac{m_{\rm pl}}{T}\right)^2 \gg 1.\\ \alpha_d \gg 10^{-4} \end{split}$$

• A quick ΔN_{eff} estimation:

$$\Delta N_{\rm eff} \sim q_\chi^2 \alpha_{\rm em}^2 \frac{m_{\rm pl}}{m_\chi}$$



 Our purple bound is again covering the SN1987A constraint

Kinetic-Mixing CmB Cosmology



$$q_{\chi} \sim 10^{-7} \left(\frac{m_{\chi}}{1 \,\text{GeV}}\right)^{1/2} \left(\frac{\Delta N_{\text{eff}}}{0.3}\right)^{1/2} . \ m_{\chi} \leq T_{\text{rh}}$$
$$q_{\chi} \propto \exp\left(\frac{m_{\chi}}{T_{\text{rh}}}\right) . \ m_{\chi} > T_{\text{rh}}$$

Considering higher reheating temperatures for region to the right of the red curve:

$$\Delta N_{\rm eff} \lesssim g_{A'} \, \frac{4}{7} \left(\frac{g_{*,S}(T \ll T_{\rm QCD})}{g_{*,S}(T \gg T_{\rm QCD})} \right)^{4/3} \simeq 0.1,$$

See Gan, Tsai, 2308.07951 for detailed discussions

Current: $\Delta N_{\rm eff} \leq (0.3)_{\rm Planck}$ Future: $\Delta N_{\rm eff} \leq (0.06)_{\rm CMB-S4}$

Testing Reheat Temperatures in Both Cases





Another Key Objective:

Theoretically, there is a limit on how small g_d can be, for a given q_{χ} χ

א *A'*

"Distinguishability" Condition Gan, Tsai, 2308.07951

• Turning down thermalization between χ – A': $g_d \lesssim (16\pi^2 m_\chi/\mathcal{F}m_{
m pl})^{1/4}$

- Requirement for kinetic mixing: $\epsilon < 1 \Rightarrow g_d > eq_{\chi}, \quad q_{\chi} = \frac{\epsilon g_d}{e}$ Burgess *et al*, JCAP (2008)
- Considering these two inequalities for gd, we can roughly determine that:

$$q_{\chi} \gtrsim rac{1}{lpha_{
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One CANNOT de-theramlize $\chi - A'$ interaction rate to mimic "pure" mCP!

Regions of Interests



- Orange Star: favoring "pure" mCP
- Yellow Star:

testing reheat temperatures

Green Star:

1) testing reheat temperatures with CMB-S4

2) currently favoring kinetic-mixing mCP

Purple Star: favoring kinetic-mixing mCP

(can be reached by direct-detection exps.)

mCP Sensitivity Reach at LANSCE-mQ



- Preliminary: Tsai, Hwang, Schmitz, Citron, Gunthoti, Steenis, Jeong, Moon, Yoo, Liu, to appear on July 10 LSND: Auerbach et al. Measurement of electron - neutrino - electron elastic scattering. Phys. Rev., D63, 2001, hep-ex/0101039
- Magill, Plestid, Pospelov, Tsai, PRL (2019)



Frederick Reines Nobel Prize Laureate @ LANL; Professor at UC Irvine Utilized a nuclear reactor to study free neutrinos

We have an opportunity to explore the millicharge dark sector and unveil deep mysteries of the Universe at LANL

Thank you!

Two Search Methods: Scattering & Scintillation

(A) Electron Scattering

 \sim energy exchange set by detector threshold (> MeV)





e.g. neutrino detector MiniBooNE (<u>arXiv:0806.4201</u>)

$$\sigma_{e\chi} \simeq 2.6 \times 10^{-25} \text{cm}^2 \times \epsilon^2 \times \frac{1 \text{ MeV}}{E_e^{(\text{min})} - m_e}$$

Expressed in recoil energy threshold, $E_e^{(min)}$

(B) Dedicated Scintillation Searches for Millicharge Particles

 \sim eV-level energy exchange





$$\left\langle -\frac{dE}{dx}\right\rangle \propto \epsilon^2.$$

Energy deposition

Accelerator Productions



Two Search Methods: Scattering & Scintillation

(A) Electron Scattering

 \sim energy exchange set by detector threshold (\sim MeV)





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(B) Dedicated Scintillation Searches for Millicharge Particles

 \sim eV-level energy exchange



 $-\frac{dE}{dx}$ $\left< \propto \epsilon^2$.

Energy deposition

e.g., Haas, Hill, Izaguirre, Yavin, 1410.6816 milliQan design, 1607.04669 (MilliQan Collaboration)

Electron Scattering Searches

Electron Scattering ~ energy exchange set by detector threshold (~ MeV)





Expressed in recoil energy threshold, $E_e^{(min)}$

120 GeV NuMI proton beam @ Fermilab



ArgonCube 2x2 (4 modules)

Weber (U of BERN), PAC-2x2-June-2021

400 GeV SPS proton beam @ CERN



DUNE col., JINST 15 (2020)

Two Search Methods: Scattering & Scintillation

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 \sim energy exchange set by detector threshold ($\sim\!MeV)$





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Energy deposition

Dedicated mCP Searches (next 3 years)

1. milliQan (taking data); 2. SUBMET: mCP search at J-PARC; fully approved



5. FerMINI@Fermilab: updating sensitivity projection

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Detector Placement



- Numbers of layers to be determined
- May only need one or two.



There are two possible locations for MCPx at the Lujan Center.

-Location 1: ER-2 area, 35 m from the center of the target

-Location 2: In the flight path 8 area at ER-1, 10 m from the center of the target.

Detector Concept (prototype):

-The scintillator bars (5 cm x 5 cm x 80 cm) are arranged in four layers.

-A photomultiplier tube (PMT) is attached to one end of each bar.

-This detector will be 90 degrees w.r.t. the proton beam.

Lujan Center: Meson Productions



-The π^0 angular distributions produced at the Lujan target, assuming POT= 2.71×10^{21} .

-The total number of π^0 s, N π^0 , scales linearly with Protons on Target (POT), based on the simulations N $\pi^0 = 0.115 \times POT$.

-The momentum distribution peaks between 100 and 120MeV, with a mean momentum of 146MeV.

CCM Collaboration, PRD, Vol. 106, No. 1 (2022) https://arxiv.org/abs/2105.14020

Detector Concept

$\Delta t \sim 20$ nanoseconds (ns)



See arXiv:1607.04669; arXiv:1810.06733

Detector: Some Details of the Nominal Design

- Nominal: 1 m × 1 m (transverse plane) × n (3) m (longitudinal) plastic scintillator array.
- n layers each containing ~ 100 scintillator bars optically coupled to

high-gain photomultiplier (PMT).

 A n-coincidence within a 20 ns time window along longitudinally contiguous bars in each of the layers required to reduce the dark-current noise (the dominant background).



See arXiv:1607.04669; arXiv:1810.06733

Photoelectrons (PE) from Scintillation

• The averaged number of photoelectron (PE) seen by the

detector from single MCP is:

$$N_{PE} \propto \left\langle -\frac{dE}{dx} \right\rangle \times l_{scint}, \ \left\langle -\frac{dE}{dx} \right\rangle \propto \epsilon^2.$$

 $\langle dE/dx\rangle$ is the "mass stopping power" (PDG 2018)

One can use Bethe-Bloch Formula to get a good approximation

• $N_{PE} \sim \epsilon^2 \times 10^6$, $\epsilon \sim 10^{-3}$ roughly gives one PE in one meter plastic scintillation bar



Signature: N-Layers Coincidence

- Based on Poisson distribution, zero event in each bar correspond to
 P₀ = e^{-N_{PE}}, so the probability of seeing triple incident of one or more photoelectron is:
 P = (1 - exp[-N_{PE}])<sup>n_{layers}

 </sup>
- $N_{x,detection} = N_{x,passing detector} \times P$

Dark Current Background @ PMT

- dark-current frequency to be $v_B \sim 50 500$ Hz for estimation (2005.06518) (Hamamatsu R7725 can reach 50 Hz during recent testing)
- For each tri-PMT set (using 500 Hz as a conservative estimation), the background rate for triple incidence is $v_B^3 \Delta t^2 = 5 \times 10^{-8} \text{ Hz}$, for $\Delta t = 20 \text{ ns}$.
- Consider 100 sets as a nominal design.
- The total background rate is $100 \times 5 \times 10^{-8} \sim 5 \times 10^{-6}$ Hz
- ~ 160 background events in one year of trigger-live time
- Fixed-target experiment trigger-live time can be way shorter!
- FerMINI: Kelly, Tsai, PRD (2019), <u>1812.03998</u>
 SUBMET: Kim, Hwang, Yoo, JHEP (2021), 2102.11493

Fixed Target Live Time (LANSCE Beam)

- Width of a single proton bunch: triangular pulse ~ 270 ns wide
- Set acquisition time window = 500 ns
- Live time/year = 500ns x 20Hz x 86400s x 365d ~ 315 seconds
- Dark current background per year ~ 0.002 for 3 layers
- We can afford N = 1 or 2 layers for fixed-target searches: larger signal rate

$$P = (1 - \exp[-N_{\rm PE}])^{n_{\rm layers}}$$

Some Other Ways to Study mCPs



(II) **Cosmic-ray production** and detection in **large neutrino observatories (Super-K)**, **Plestid**, Takhistov, **Tsai** et al, <u>2002.11732</u>, *PRD* 20.





by Chantelauze, Staffi, and Bret

Compilation of Sensitivity Reaches



Compilation of Sensitivity Reaches



mCP Searches vs mDM Searches



<u>Kling</u>, <u>Kuo</u>, <u>Trojanowski</u>, <u>Tsai</u>, NPB (2023), <u>2205.09137</u>

Shows two advantages of accelerator searches

Motivation: Accelerator Searches for mDM



- Here we plot the critical reference cross-section see <u>1905.06348</u> (Emken, Essig, Kouvaris, Sholapurkar)
- Accelerator probes can help close the Millicharged SIDM window!
- Cosmic-ray production & Super-K detection <u>2002.11732</u>

Outlook

1. mCPs are excellent targets to fundamental theories, cosmology, &

dark matter physics

2. Excellent experimental target at

LANL, milliQan, FORMOSA, J-PARC +DUNE, SHIP, CCM.

3. Study dark photons (Tsai, deNiverville, Liu, *PRL* 21, <u>1908.07525</u>)

other dark matter candidates (CCM, PRD 22, 2105.14020)

and milli-magnetic monopoles (Graesser et al., JHEP 22, 2105.05769)

for further cosmology & accelerator searches at LANL

Other Regions of Interests



- **Orange Star:** favoring "pure" mCP
- Yellow Star:

testing reheat temperatures

- Green Star:
 - 1) testing reheat temperatures with CMB-S4
 - 2) currently favoring kinetic-mixing mCP
- **Purple Star:** favoring kinetic-mixing mCP

(can be reached by direct-detection exps.)

mCP Sensitivity Reach





Theoretically, there is a limit on how small g_d can be, for a given q_{χ}

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Objectives: Differentiate Two Types of MCPs

 $\chi \qquad A'$

"Distinguishability" Condition Gan, Tsai, 2308.07951

• Turning down thermalization between χ – A': $g_d \lesssim (16\pi^2 m_\chi/\mathcal{F}m_{
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One CANNOT de-theramlize $\chi - A'$ interaction rate to mimic "pure" mCP!

mCP Productions @ Forward Physics Facility



Foroughi-Abari, Kling, and Tsai, arXiv:2010.07941, PRD 20

MCP production was added to FORESEE by Felix Kling

mCP @ FLArE



A. Scattering a-la DM signal: consider $\chi e \rightarrow \chi e$,

and set electron recoil energy Er within 30 MeV \lesssim Er \lesssim 1 GeV in FLArE

B. Double-hit with softer recoils:

setting Er,min \simeq 2 MeV but with double-hit point back to the target

