

Preparation for DM searches with high Q SRF cavities

Fabio Castañeda

University of Padua

Supervisor: Bianca Giaccone

Physics and Sensing, SQMS

08/22/24

Table of Contents

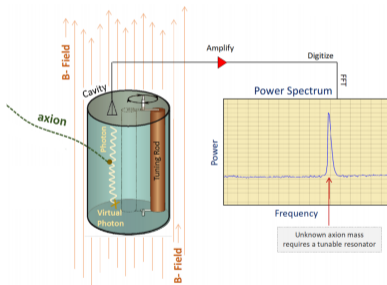
- 1 DM haloscope
- 2 SERAPH
- 3 SHADE
- 4 Next steps

Table of Contents

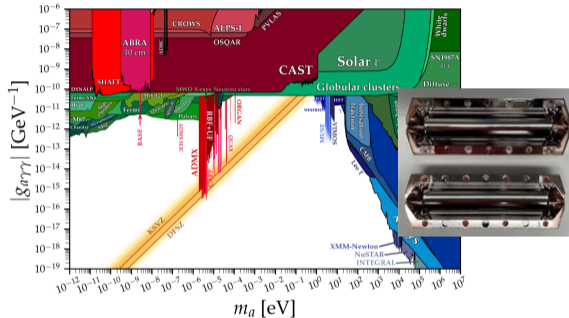
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Dark matter detection

Haloscopes need to be TUNABLE cavities



Credit: C. Boutan



Credit: O'Hare [7]
Credit: QUAX

$$\text{Scan rate: } \frac{df}{dt} \propto Q_L Q_a$$

Experimental requirements

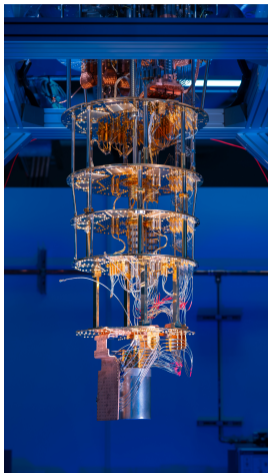
$$P_a = 1.85 \times 10^{-25} \text{ W} \left(\frac{B}{2T} \right)^2 \left(\frac{\rho_a}{0.45 \text{ GeVcm}^{-3}} \right) \left(\frac{f_c}{9.067 \text{ GHz}} \right) \left(\frac{Q_L}{2.01 \times 10^5} \right)^{[1]}$$

- Multi Tesla Magnetic Field (only for Axion)
- High Q factor and tunable cavities
- Cryogenic temperature → Reduce thermal noise
- Low noise amplification

Table of Contents

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- 4 Next steps

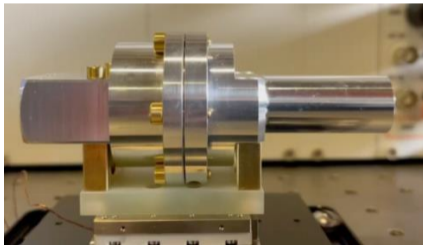
Tunable cavity measurements in dilution refrigerator



Credit: SQMS

Tunability

- in DR (mK): > 250 MHz
- in LHe (2 K): ~ 3 GHz



Credit: R. Cervantes^[4]

Cavity Characterization - Decay measurement

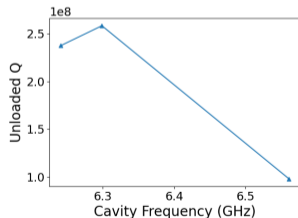
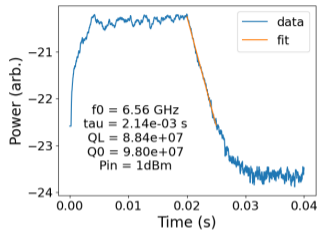
An undriven cavity decays as

$$U = U_0 e^{-\frac{t}{\tau_L}}, \quad \tau_L = \frac{Q_L}{\omega_0}$$

Decay measurements allow to measure the loaded quality Q_L , which relates to the unloaded Q_0 :

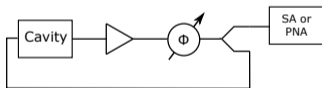
$$\frac{1}{Q_L} = \frac{1}{Q_0} (1 + \beta_i + \beta_t)$$

$$\beta_\alpha = \frac{Q_0}{Q_\alpha} = \frac{P_\alpha}{P_c}$$

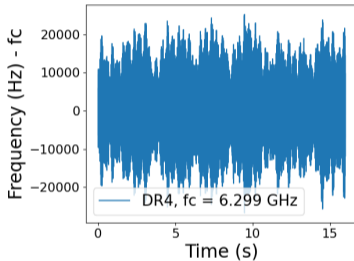


Noise sources

The external environment including the cryogenic system can excite mechanical modes that disturb the resonance



Self Excited Loop, SEL signal read by a Signal Analyzer, SA or a Phase Network Analyzer, PNA



RMS ~ 8 kHz
while $BW = \frac{1}{\tau_L} \sim 500$ Hz

The amplifier chain noise is parametrized as thermal noise

$$P = Gk_b b (T_{sys} + T_{amp})$$

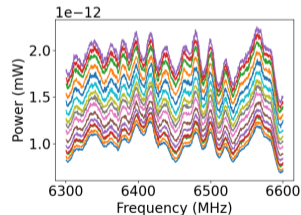
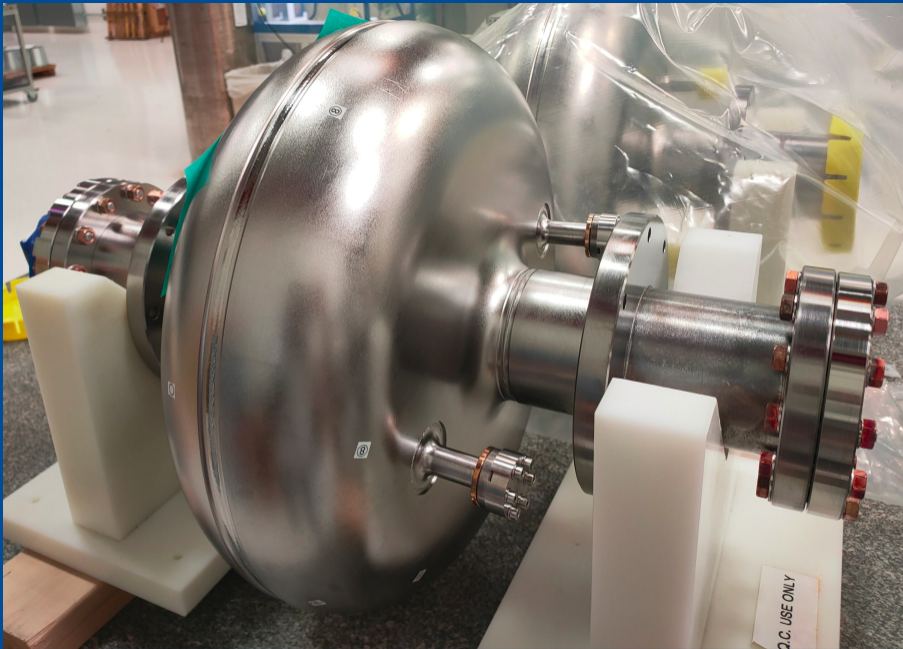


Table of Contents

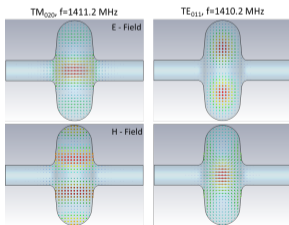
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Heterodyne Detection

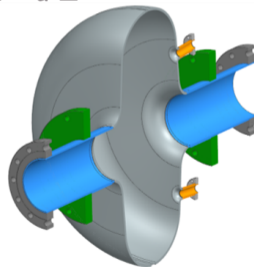
The axion field induces transitions between two well spatially separated but quasi-degenerate cavity modes:

- TM_{020} → pump mode: ω_0
- TE_{011} → signal mode: ω_{sig}



$$\omega_{sig} = \omega_0 \pm m_a$$

Tunable cavity to search a mass range:
 $100 \text{ kHz} \leq m_a \leq 1 \text{ MHz}$

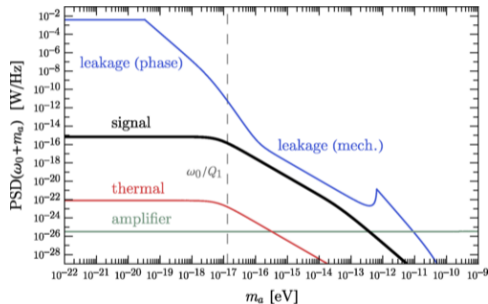


Credits: B. Giaccone et al.^[6]

SNR

$$SNR \sim \frac{\rho_{DM} V}{m_a \omega_1} (g_{a\gamma\gamma} \eta_{10} B_0)^2 \left(\frac{Q_a Q_0 t_e}{T} \right)^{\frac{1}{2}}$$

within certain constraints and at relatively high axion masses **temperature** and **amplifier noise** dominate^[2], while at intermediate masses spurious signal comes from **leakage noise**^[3]



Credits: A. Berlin et al.^[3]

Table of Contents

- 1 DM haloscope
- 2 SERAPH
- 3 SHADE
- 4 Next steps**

Next steps

- finalize the DA of the data collected with SERAPH cavity in DR
- collection of data from a Signal Analyzer to simulate the background thermal noise expected during a DM axion search with SHADE experiment
- understanding and analysis of main noise sources and their impact on the expected data
- development of code to extract a DM limit

$$SNR(g_{a\gamma\gamma}) < 1$$

$$SNR \propto g_{a\gamma\gamma}^2$$

Thank you!



Bibliography I

- [1] D. Alesini, C. Braggio, G. Carugno, N. Crescini, D. D'Agostino, D. Di Gioacchino, R. Di Vora, P. Falferi, S. Gallo, U. Gambardella, C. Gatti, G. Iannone, G. Lamanna, C. Ligi, A. Lombardi, R. Mezzena, A. Ortolan, R. Pengo, N. Pompeo, A. Rettaroli, G. Ruoso, E. Silva, C. C. Speake, L. Taffarello, and S. Tocci.
Galactic axions search with a superconducting resonant cavity.
Phys. Rev. D, 99:101101, May 2019.
- [2] Asher Berlin, Raffaele Tito D'Agnolo, Sebastian A. R. Ellis, Christopher Nantista, Jeffrey Neilson, Philip Schuster, Sami Tantawi, Natalia Toro, and Kevin Zhou.
Axion dark matter detection by superconducting resonant frequency conversion.
Journal of High Energy Physics, 2020(7):88, Jul 2020.
- [3] Asher Berlin, Raffaele Tito D'Agnolo, Sebastian A. R. Ellis, and Kevin Zhou.
Heterodyne broadband detection of axion dark matter.
Phys. Rev. D, 104:L111701, Dec 2021.
- [4] R. Cervantes.
Data, plots and code for constraints on axions, axion-like particles, and dark photons.
<https://agenda.infn.it/event/34455/contributions/202525/attachments/108124/152842/RCervantesPatras2023.pdf>.

Bibliography II

- [5] R. Cervantes, J. Aumentado, C. Braggio, B. Giaccone, D. Frolov, A. Grassellino, R. Harnik, F. Lecocq, O. Melnychuk, R. Pilipenko, S. Posen, and A. Romanenko.
Deepest sensitivity to wavelike dark photon dark matter with superconducting radio frequency cavities.
Phys. Rev. D, 110:043022, Aug 2024.
- [6] Bianca Giaccone, Asher Berlin, Ivan Gonin, Anna Grassellino, Roni Harnik, Yonatan Kahn, Timergali Khabiboulline, Andrei Lunin, Oleksandr Melnychuk, Alexander Netepenko, Roman Pilipenko, Yuriy Pischalnikov, Sam Posen, Oleg Pronitchev, Alex Romanenko, and Vyacheslav Yakovlev.
Design of axion and axion dark matter searches based on ultra high q srf cavities, 2022.
- [7] Ciaran O'Hare.
Seraph: Wavelike dark matter searches with srf cavities.
<https://github.com/cajohare/AxionLimits/tree/master>.
[Github reposition].
- [8] Hasan S Padamsee, J. Knobloch, T. Hays, and Perry B. Wilson.
Rf superconductivity for accelerators.
1998.

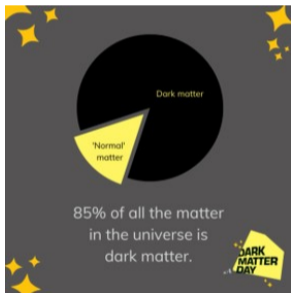
Table of Contents

5 Theoretical Background

6 SRF cavities

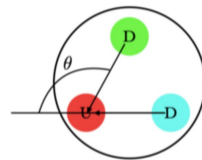
QCD Axion

Dark matter candidate



Solves the strong CP problem

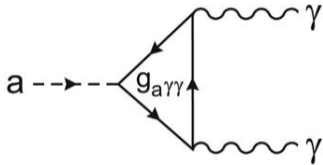
- QCD vacuum parametrized by θ field
- Peccei-Quinn Symmetry, global axial U(1)
- Nambu-Goldstone Boson arising from spontaneous symmetry breaking of PQ field



classical picture of the neutron

Axion detection

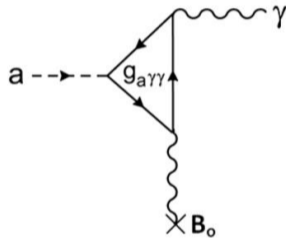
Inverse Primakoff Effect: multiTesla magnetic field



$$\mathcal{L}_{a\gamma\gamma} = g_{a\gamma\gamma} a \vec{E} \cdot \vec{B}$$

$$\tau_{a\gamma\gamma} \approx \left(\frac{1 \times 10^5 \text{ eV}}{m_a} \right)^5$$

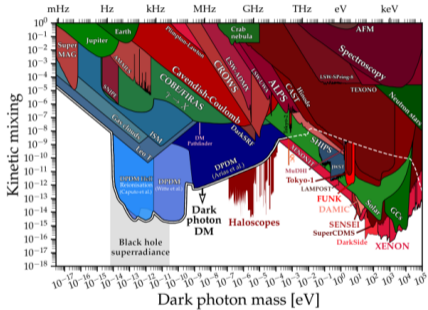
$$\mu\text{eV} \leq m_a \leq \text{meV} \rightarrow \tau_{a\gamma\gamma} \gg \text{age of } U$$



$$\mathcal{L}_{a\gamma\gamma} = g_{a\gamma\gamma} a \vec{E} \cdot \vec{B}_0$$

$$\tau_{a\gamma\gamma} \propto B_0^2$$

Dark Matter Dark Photon (DMDP)



Massive vector boson that interacts through kinetic mixing χ , with the SM photon

- $P_S = \eta \chi^2 m_{DP} \rho_{DM} V_{eff} \frac{\beta}{\beta+1} L(f, f_0, Q_L) \min(Q_L, Q_{DM})$
- $\frac{df}{dt} \sim Q_L Q_{DM} \left(\frac{\eta \chi^2 m_{DP} \rho_{DM} V_{eff} \beta}{SNR T_n (\beta+1)} \right)^2$ [5]

No need for magnetic field

Credit: O'Hare [7]

Table of Contents

5 Theoretical Background

6 SRF cavities

High Q SRF

high Q means higher than $Q_a \sim 10^6$

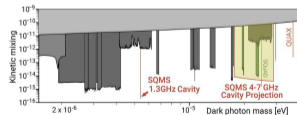
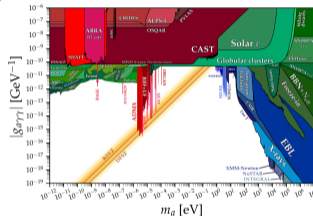
Copper cavities: $Q < 10^5$ limited by anomalous skin effect

SC cavities: ultra high $Q > 10^{10}$ (no external magnetic field)

Trying to detect $< 1 \times 10^{-24}$ W signal over a wide range of frequency

Fermilab and other labs have demonstrated the advantage of high Q SRF cavities for DM detection:

- higher power signal
- faster scan rates possibly by 10^5 (DMDP)
- higher SNR ratios, thus deeper exclusion limits



Credit: Cervantes et al. [5]

Credit: O'Hare [7]

Quality factor^[8]

Characterizes the wall power losses of a cavity and in particular it's related to the power decay time

Joule heating

$$\frac{dP_c}{ds} = \frac{1}{2} R_s |\mathbf{H}|^2$$

Then if one defines the unloaded quality factor

$$Q_0 \equiv \frac{\omega_0 U}{P_c} = \frac{G}{R_s} \quad (1)$$

where

$$U = \frac{\mu_0}{2} \int_V |\mathbf{H}|^2 dv = \frac{\epsilon_0}{2} \int_V |\mathbf{E}|^2 dv$$

$$G = \frac{\omega_0 \mu_0 \int_V |\mathbf{H}|^2 dv}{\int_S |\mathbf{H}|^2 ds} \propto \omega_0 a$$