

Sensitivity study within and beyond the SM

Pantelis Melas, Dimitris Papoulias



National and Kapodistrian
University of Athens



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Outline

- Introduction to PMNS
- Non-unitary models
- Searches for violation of lepton unitarity
- Probing the weak mixing angle
- χ^2 analysis

Non-unitary models

One more question: Is PMNS unitary?

For the case **existence of a sterile neutrino** \rightarrow the PMNS matrix is non-unitary

The (3+1) model consist 3 original neutrino flavors + 1 sterile neutrino.

The neutrino mixing can be expressed by a **4-generation PMNS matrix**:

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \\ \nu_s \end{pmatrix} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} & U_{e4} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} & U_{\mu4} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} & U_{\tau4} \\ U_{s1} & U_{s2} & U_{s3} & U_{s4} \end{pmatrix} \cdot \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \\ \nu_4 \end{pmatrix}$$

Models like **type-I seesaw (linear or invert)** can accommodate several **new heavy neutral leptons**, leading to **violation of lepton unitarity**.

Non-unitary models

The New PMNS matrix for the type-I seesaw model

- Takes the form: $\mathbf{K} = (\mathbf{N} \ \mathbf{S})$, where \mathbf{N} is a 3×3 matrix, while \mathbf{S} is a $3 \times m$ matrix, with m the number of fermionic singlets that mix with the active neutrinos.
- The small block $\mathbf{S} \sim \mathbf{O}(\epsilon)$ is the seesaw expansion matrix.

A systematic approach to **the (non-unitary) matrix \mathbf{N}** can be derived from the seesaw expansion, as the lower triangular **parameterization**

$$N = \begin{pmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{31} & \alpha_{33} \end{pmatrix} \cdot U^{3 \times 3}, \text{ where } U^{3 \times 3} \text{ is the PMNS}$$

A viable way to study the non-unitarity is by using a combination of neutrino-electron elastic scattering (EvES) and inverse muon decay events.

DUNE Near Detector (ND)

- We are interested for events in the Lar-TPC. We **generated ND samples (on and off axis) using the code:**
`/dune/app/users/pmelas/ND/ND_Production/scripts/ProcessND.py`

- The code for the **parametric reconstruction** that is used is inspired by Chris Marshall

https://github.com/DUNE/ND_CAFMaker/blob/nd-lar-analysis/makeCAF.cxx

- **The parametric reconstruction applies an energy/angle smearing:**

```
double ke = caf.LepE - mmu;
double reco_ke = rando->Gaus( ke, ke*par.LAr_muRes );
caf.Elep_reco = reco_ke + mmu;

double true_tx = 1000.*atan(caf.LepMomX / caf.LepMomZ);
double true_ty = 1000.*atan(caf.LepMomY / caf.LepMomZ);
double evalTsmear = tsmear->Eval(caf.Elep_reco - mmu);
if( evalTsmear < 0. ) evalTsmear = 0.;
double reco_tx = true_tx + rando->Gaus(0., evalTsmear/sqrt(2.));
double reco_ty = true_ty + rando->Gaus(0., evalTsmear/sqrt(2.));
caf.theta_reco = 0.001*sqrt( reco_tx*reco_tx + reco_ty*reco_ty );
```

`tsmear = "0.162 + 3.407*pow(x,-1.) + 3.129*pow(x,-0.5)"`

- **and it also apply some conditions for the misID of π^0 to electrons like: the energy of the photon (from the pion) to be < 50 MeV or the angle between the photons should be less than 0.01 radians for the π^0 to be reconstructed as an electron**
- **The flux files that were used are located here:**

`/cvmfs/dune.osgstorage.org/pnfs/fnal.gov/usr/dune/persistent/stash/Flux/g4lbne/v3r5p4/QGSP_BERT/OptimizedEngineeredNov2017/neutrino/flux/*dk2nu.root`

DUNE Near Detector (ND)

Signal Selection

Elastic Scattering (Inverse muon decay) Criterion

Select events with only one reconstructed electron (muon) in the final state and no other activity (calorimetrically hadronic energy equals zero)

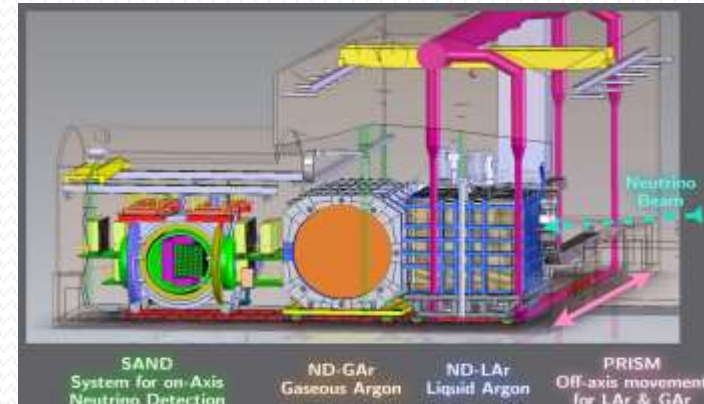
Reduction of the background

Angular Criterion:

Select electrons with **angle < 0.05 rad (angle < 0.01 rad)**, the angle is between the incoming neutrino and the reconstructed electron.

Energy Criterion:

Select electrons with **energy greater than 300MeV (select muons greater than 10GeV)**



ND-LAr

- Same **liquid argon** target as the DUNE FD
- **Modular** design: 35 $1 \times 1 \times 3$ m³ modules with two TPCs per module (50 cm drift)
- Charge: LArPix **pixel readout** for direct-to-3D charge information

χ^2 Analysis

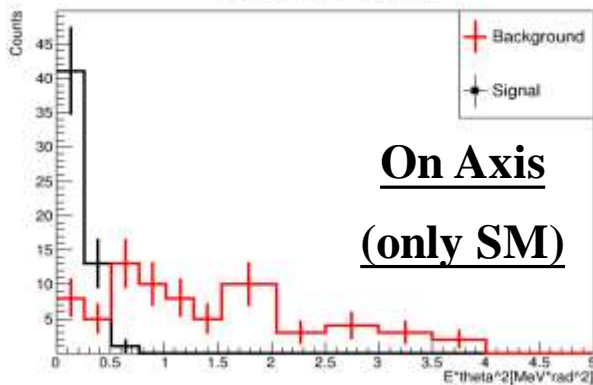
Under non-unitarity, the new EvES cross section can be expressed as

$$\left[\frac{d\sigma_{\nu\ell}}{dT_e} \right]_{\text{NU}} = (2a_{22}^2 - a_{11}^2) \left[\frac{d\sigma_{\nu\ell}}{dT_e} \right]_{\text{SM}} + \mathcal{O}(\varepsilon^4), \quad \nu_\ell = \nu_\mu, \bar{\nu}_\mu \quad \varepsilon \equiv \mathcal{O}(Yv/M)$$

As for the inverse muon decay cross section it takes the following form in the SM

$$\sigma^{(\text{SM})} \approx \frac{G_F^2}{\pi} (2E_\nu m_e - m_\mu^2) \quad \text{where it changes only by a factor of } a_{22}^2 \text{ in the presence of NU}$$

Muon: E*theta^2 (reco)



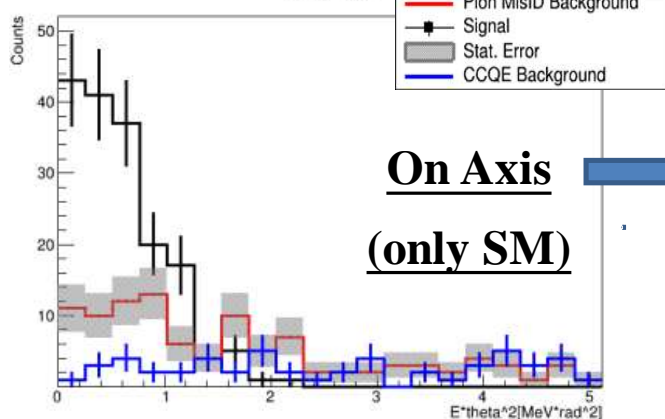
On Axis
(only SM)

DOI: 10.1103/PhysRevD.92.053009

DOI: 10.1103/PhysRevD.109.115007

Thus we can rescale the spectra by a factor a_{22}^2

E*theta^2

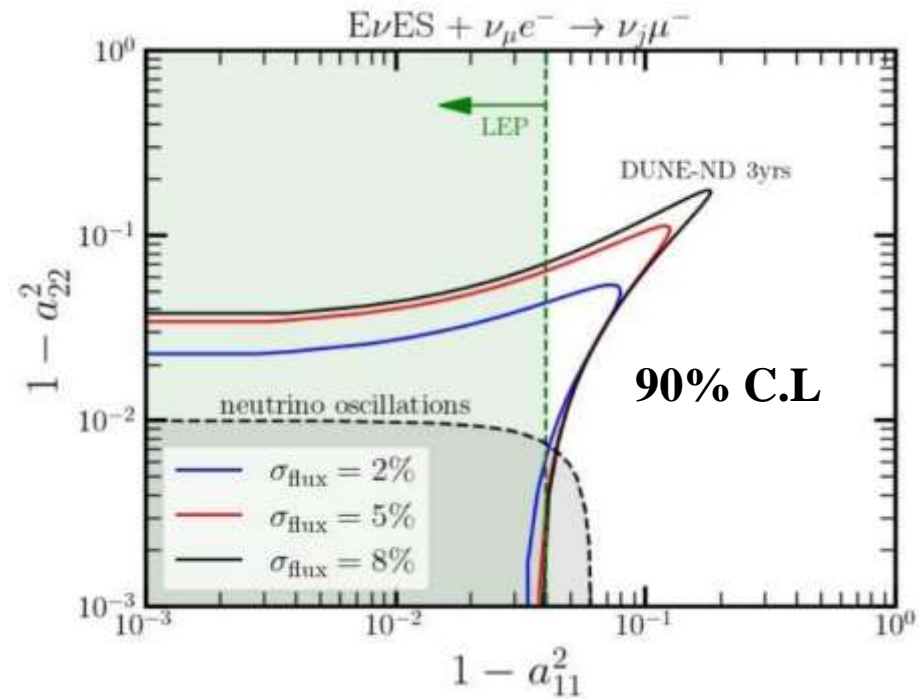
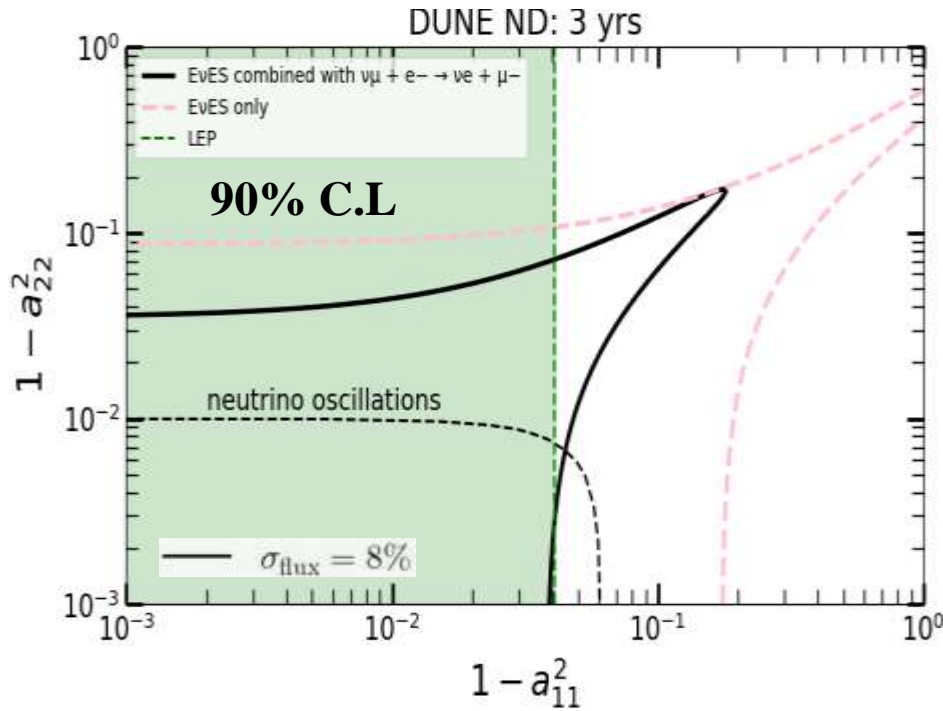


On Axis
(only SM)

Thus we can rescale the EvES spectra by a factor $(2a_{22}^2 - a_{11}^2)$

<https://doi.org/10.3390/particles7030035>

χ^2 Analysis



$$\chi^2 = 2 \sum_{d=1}^{N_d} \sum_{i=1}^{20} \left[N_{\text{exp},d}^i - N_{\text{obs},d}^i + N_{\text{obs},d}^i \log \left(\frac{N_{\text{obs},d}^i}{N_{\text{exp},d}^i} \right) \right] + \left(\frac{\alpha_1}{\sigma_{\alpha_1}} \right)^2 + \left(\frac{\alpha_2}{\sigma_{\alpha_2}} \right)^2$$

Where:

$$N_{\text{obs}} = N_{\text{SM}}(a_{11}, a_{22}) + N_{\text{bkg}}$$

$$N_{\text{exp}} = N_{\text{SM}} \cdot (1 + \alpha_1) + N_{\text{bkg}} \cdot (1 + \alpha_2)$$

- We consider two nuisance parameters α_1 and α_2 (which were minimized) with $\sigma_{\alpha_1}=8\%$ (5%, 2 %) and $\sigma_{\alpha_2} = 10\%$ to account for the normalization uncertainties of the DUNE neutrino flux and background.
- We ignore the non-unitarity effects that are expected to affect the background rate; given the very low statistics of combined with the large assigned uncertainty of $\sigma_{\text{bkg}} = 10\%$, we find this to be a valid assumption.
- The performed statistical analysis proceeds under the assumption that the EvES rate is induced by muon neutrinos only.

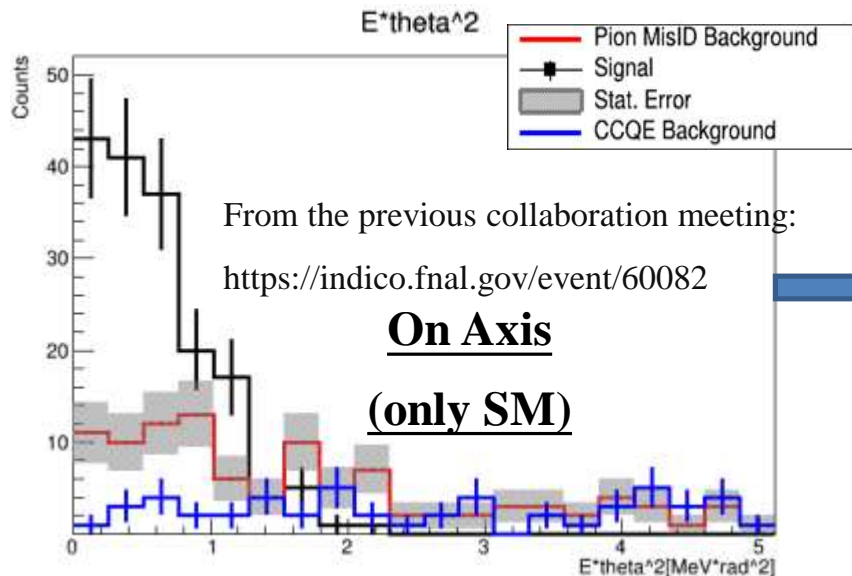
Probing the weak mixing angle

We now turn our attention on estimating the capabilities of DUNE-ND in probing the weak mixing angle within the SM via the exploitation of EvES events.

The EvES cross section for $E_\nu \gg m_e$ can be expressed as

$$\sigma_{\nu_\ell - e^-}(E_\nu) \approx \frac{G_F^2 m_e E_\nu}{2\pi} \left(A + \frac{1}{3} B \right), \text{ where } A = (g_V^{\nu_\ell} + g_A^{\nu_\ell})^2 \text{ and } B = (g_V^{\nu_\ell} - g_A^{\nu_\ell})^2$$

Assuming muon neutrinos, the couplings are $g_V^{\nu_\mu} = -\frac{1}{2} + 2 \sin^2 \theta_W$ and $g_A^{\nu_\mu} = -\frac{1}{2}$



DOI: 10.1103/PhysRevLett.125.051803

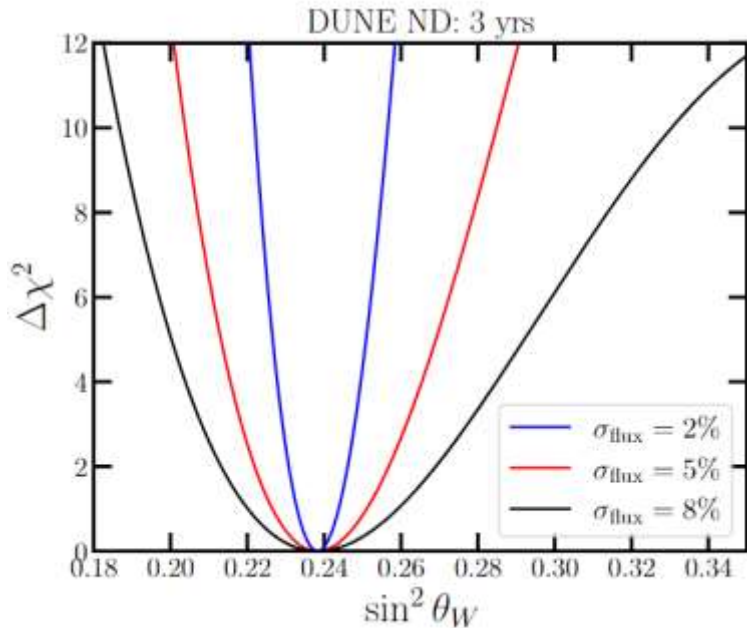
Thus we can rescale the EvES spectra by a factor

$$(A + (1/3)B) / (A' + (1/3)B'),$$

where A, B are allowed to vary with the weak mixing angle, while A', B' are fixed assuming

$$\sin^2 \theta_W = 0.2386$$

χ^2 Analysis



$$\chi^2 = 2 \sum_{i=1}^{20} \left[N_{\text{exp}}^{ijk} - N_{\text{obs}}^{ijk} + N_{\text{obs}}^{ijk} \log \frac{N_{\text{obs}}^{ijk}}{N_{\text{exp}}^{ijk}} \right] + \left(\frac{\alpha_1}{\sigma_{\alpha_1}} \right)^2 + \left(\frac{\alpha_2}{\sigma_{\alpha_2}} \right)^2$$

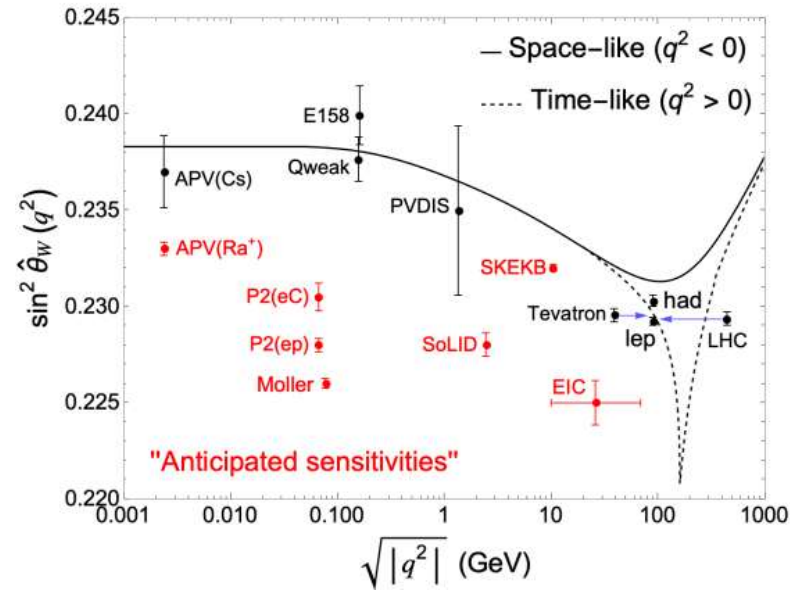
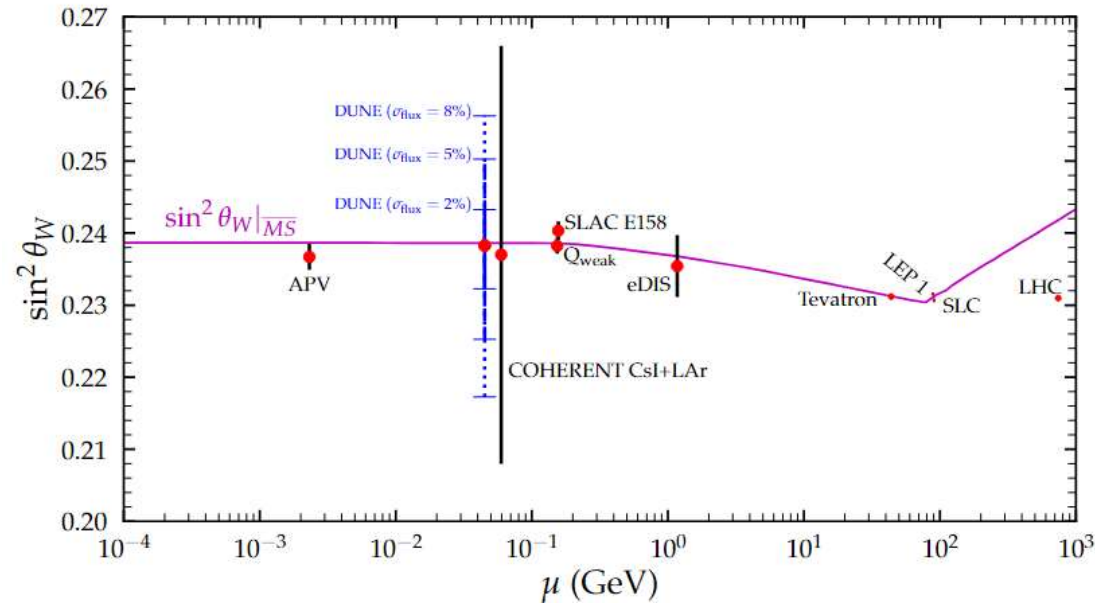
$$N_{\text{obs}} = N_{\text{SM}}(\sin^2\theta_W) + N_{\text{bkg}}$$

$$N_{\text{exp}} = N_{\text{SM}} \cdot (1 + \alpha_1) + N_{\text{bkg}} \cdot (1 + \alpha_2)$$

$$N_{\text{bkg}} = N_{\pi^0}^{\text{missID}} + N_{\text{CCQE}}$$

- We consider two nuisance parameters α_1 and α_2 (which were minimized) with $\sigma_{\alpha_1} = 8\%$ (5%, 2%) and $\sigma_{\alpha_2} = 10\%$ to account for the normalization uncertainties of the DUNE neutrino flux and background.
- We ignore the effects that are expected to affect the CCQE background rate; given the very low statistics of CCQE combined with the large assigned uncertainty of $\sigma_{\text{bkg}} = 10\%$, we find this to be a valid assumption.
- The performed statistical analysis proceeds under the assumption that the EvES rate is induced by muon neutrinos only.

Probing the weak mixing angle



EvES measurements at DUNE-ND can place competitive constraints in the low-energy regime and complementary to existing results from the analysis of COHERENT experiment

The black points are existing experimental data, and the red points are future anticipated sensitivities.

Summary – Publication Plans

- We have explored the utility of elastic neutrino-electron scattering (EvES) events within and beyond the Standard Model (BSM) searches.
- The analysis is based of EvES and relevant background events using parameterized reconstruction techniques.
- We are considering publishing this with the full DUNE-ND event reconstruction

Thank you for your kind attention



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(Project Number: 7036)



BACK-UP

Signal Selection

Inverse muon decay criterion:

Select events with only one reconstructed muon in the final state and no other activity (calorimetrically hadronic energy equals zero)

Removal of DIS interactions with one muon in the final state:

Angular Criterion:

Select muons with **angle** < **0.01 rad** (the angle is between the incoming neutrino and the reconstructed muon)

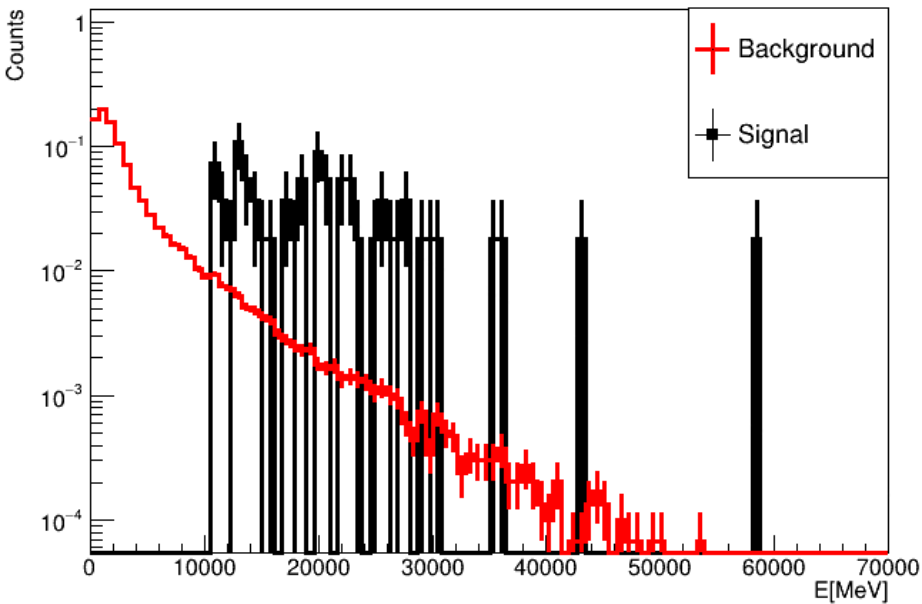
Energy Criterion:

Select electrons with energy greater than 10GeV.

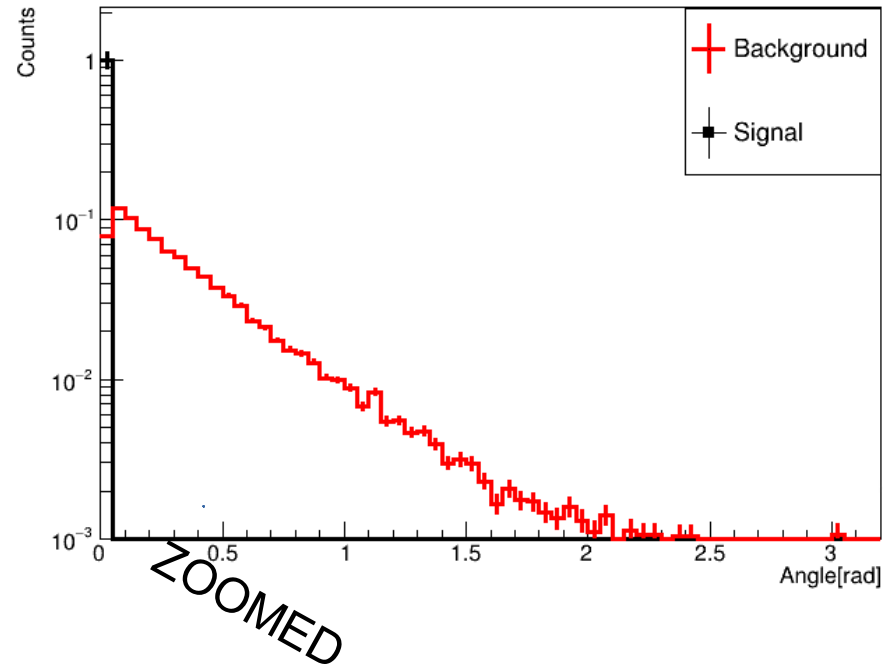
10 ¹⁹ POT	Background			Signal		
	Selection Criteria	Counts	Absolute Efficiency	Relative Efficiency	Counts	Absolute Efficiency
All	3149249			55		
No Baryons/mesons	29602	0.94%	0.94%	55	100,00%	100,00%
No electrons	29555	0.94%	99.84%	55	100,00%	100,00%
Only 1 muon	29555	0.94%	100,00%	55	100,00%	100,00%
Muon energy >10GeV	2680	0.09%	9.07%	55	100,00%	100,00%
Muon angle <0.01 rad	71	0.00226%	2.65%	55	100,00%	100,00%

Muon's Distributions

Muon: Energy (reco)

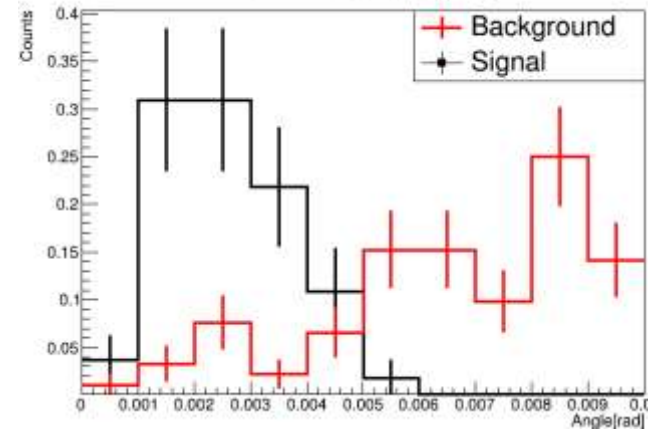


Muons: Theta Angle (reco)



Muon distributions prior to the application
of **angular or energy cuts**

Muon: Theta Angle (reco)



Selection criteria for ν -e elastic scattering events

Elastic Scattering Criterion : We select events with **only 1 reconstructed electron** in the final state and **no other activity (calorimetrically hadronic energy equals zero)**

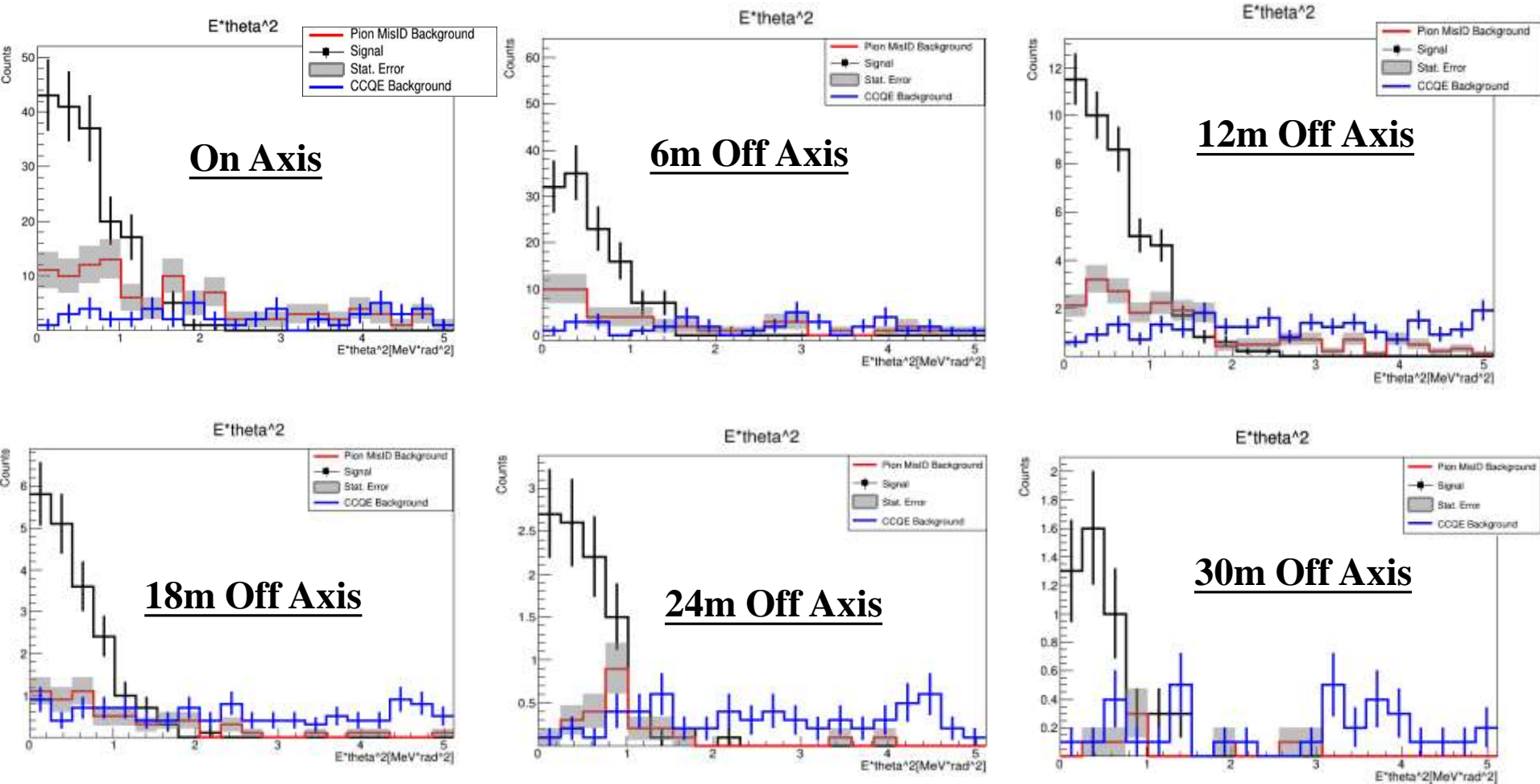
Energy Criterion: We keep final state **reconstructed electrons** with **reconstructed energy greater than 300MeV**.

Angular Criterion: Keep **final state reconstructed electrons** with reconstructed **angle < 0.04 rad** (the angle is between the incoming neutrino and the reconstructed electron)

Best observable for the analysis : Both the **energy** and **angular distributions** of signal background events are very different (see next slides), so one of the **best observables** is **$E \cdot \theta^2$**

Criterion	Signal (Reco)			Background (Reco)		
	# Particles	Relative(%)	Absolute(%)	# Particles	Relative(%)	Absolute(%)
Elastic Scattering	179	-	-	12518	-	-
Energy	179	100.0	100	12515	99.9	99.9
Angular	169	94.4	94.4	303	2.4	2.4

$E\theta^2$ for off-Axis locations for 10^{19} POT

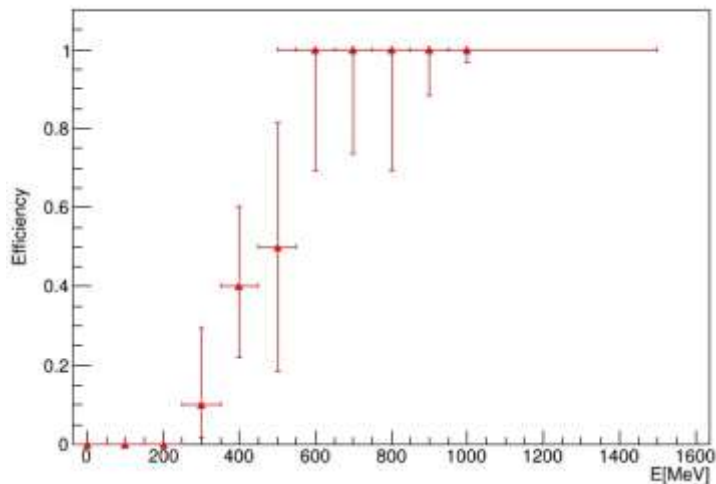


- **Very clear signal-background separation, very low background remaining.**

Differential Signal Selection Efficiency

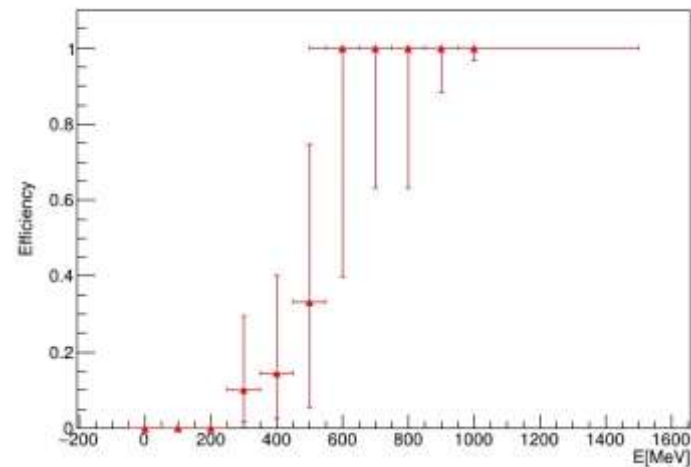
Before the selection criteria

Efficiency



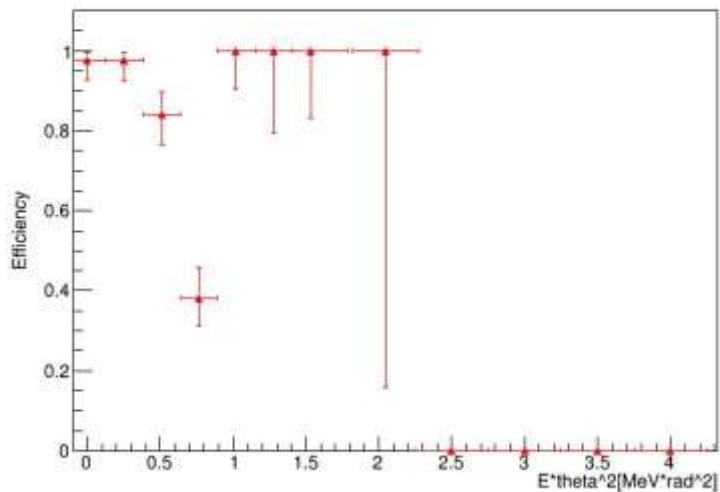
After the selection criteria

Efficiency

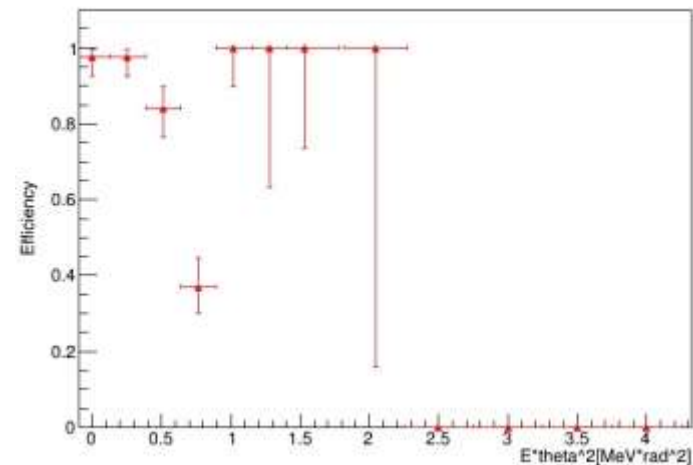


- Due to our parametric reconstruction the electron identification/reconstruction starts from 300 MeV.
- There is a significant efficiency drop in the region close to $E \cdot \theta^2 = 1 \text{ MeV} \cdot \text{rad}^2$, caused by reco electrons with energy lower than 300 MeV

Efficiency



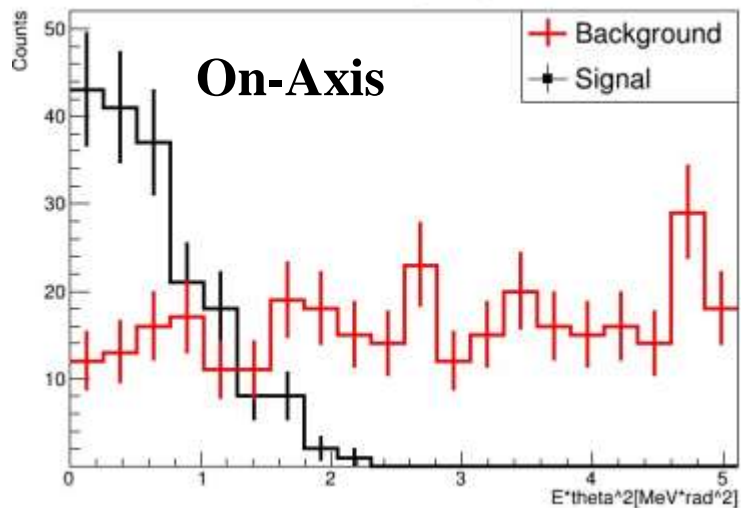
Efficiency



Signal/Background distributions

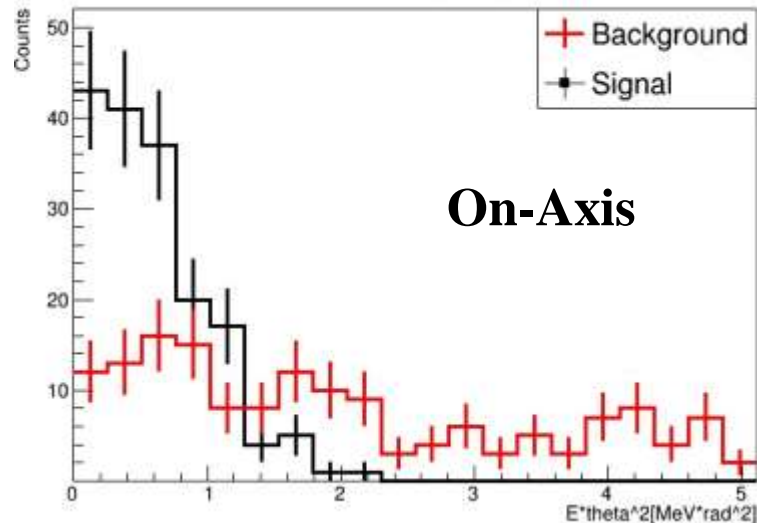
Before the selection criteria

$E^*\theta^2$ (reco)

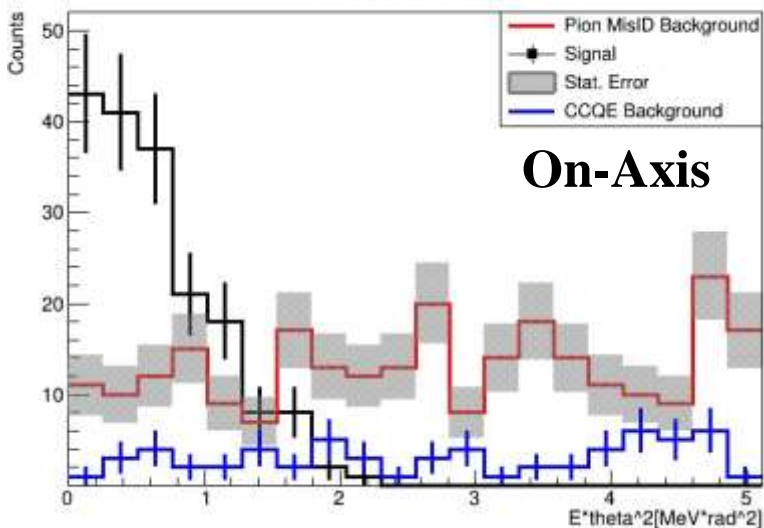


After the selection criteria

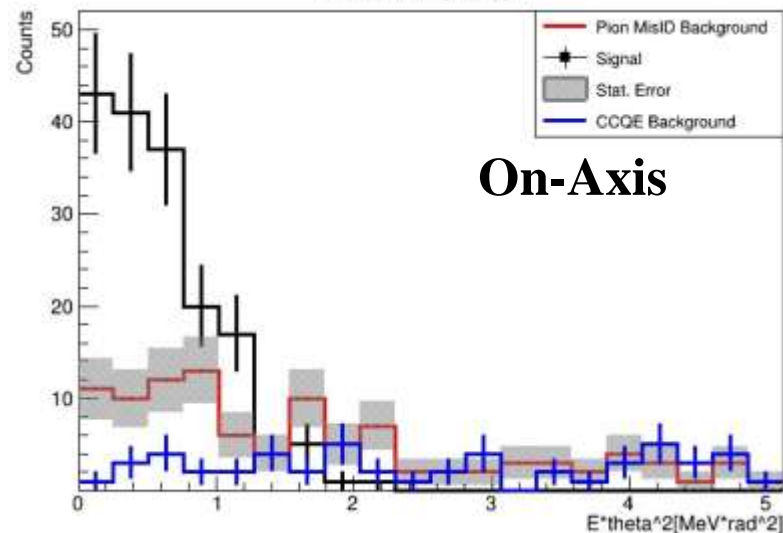
$E^*\theta^2$ (reco)



$E^*\theta^2$ (reco)

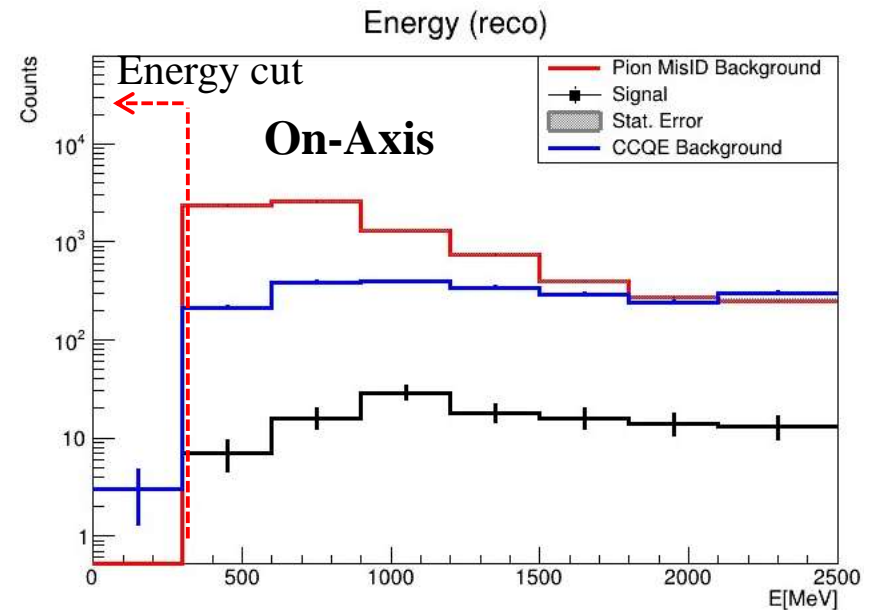
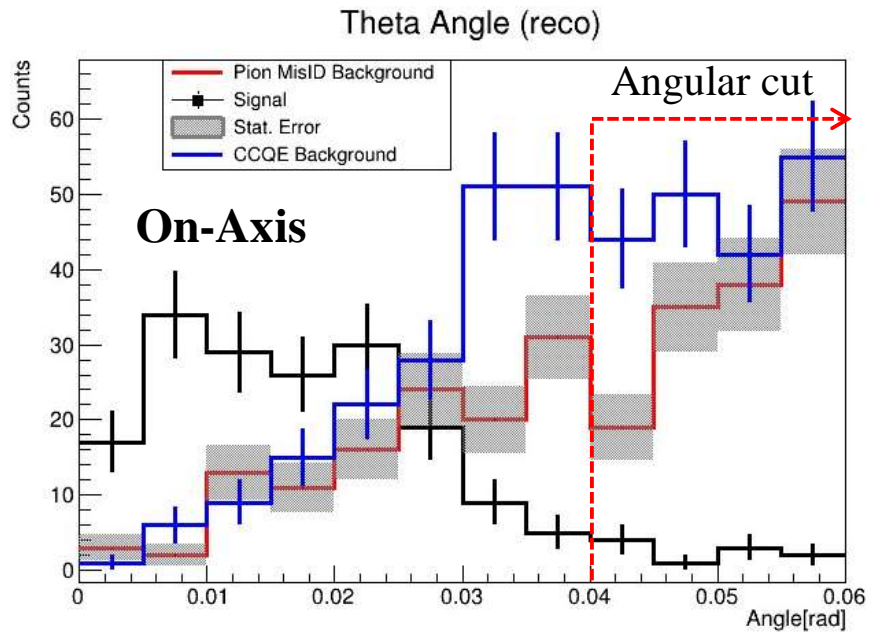


$E^*\theta^2$ (reco)



• The background is significantly reduced with the selection criteria, more so for higher $E\theta^2$

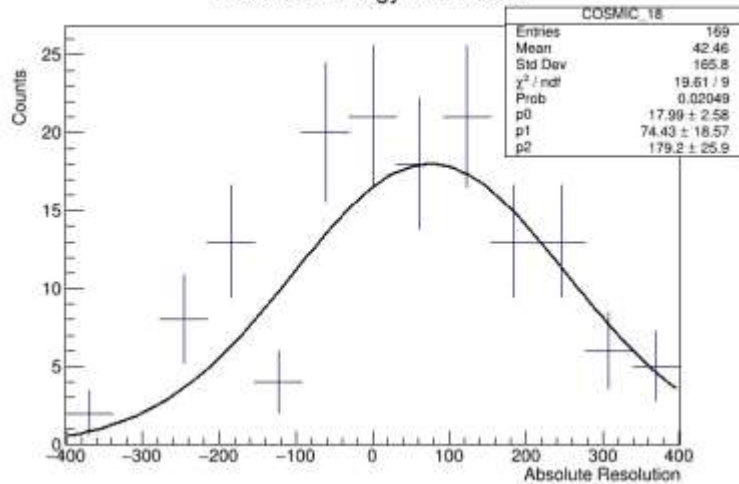
Signal and Background distributions



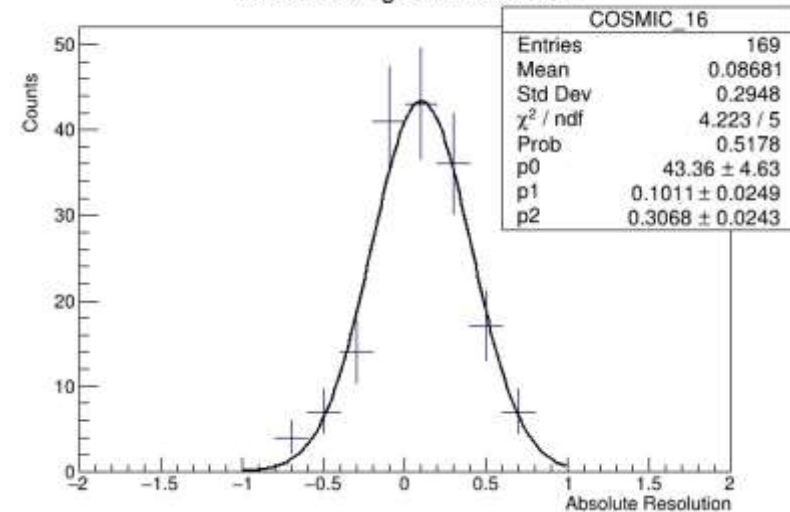
- The π^0 that are reconstructed as electrons (background) have significantly larger scattering angle compared to that of the true electrons (signal)
- We remove reconstructed electrons with angle greater than **0.04 rad**. (see slide 30)
- We apply an energy cut at **300MeV** in order to remove a small portion of the background

Energy and angular resolution : Signal

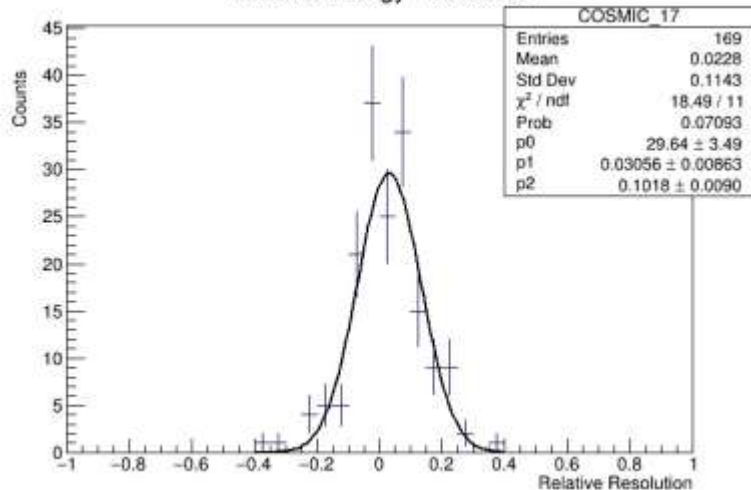
Absolute Energy Resolution



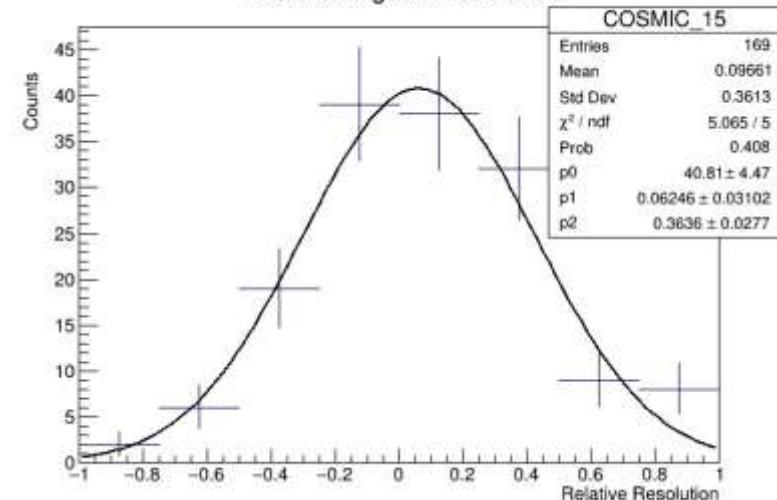
Absolute Angular Resolution



Relative Energy Resolution



Relative Angular Resolution



- Relative **angular resolution** for the signal to be $36 \pm 3\%$ and the relative **energy resolution** $10.2\% \pm 0.9\%$

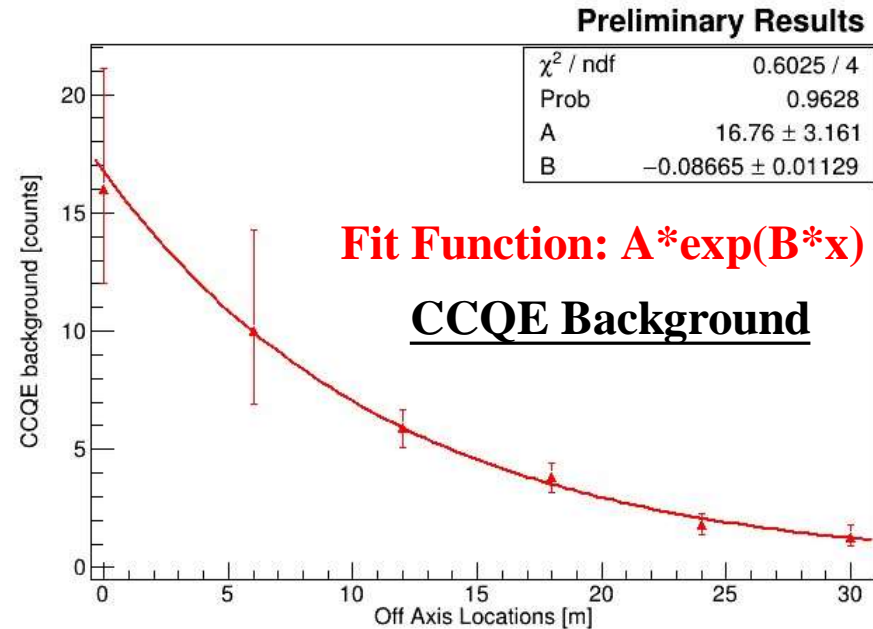
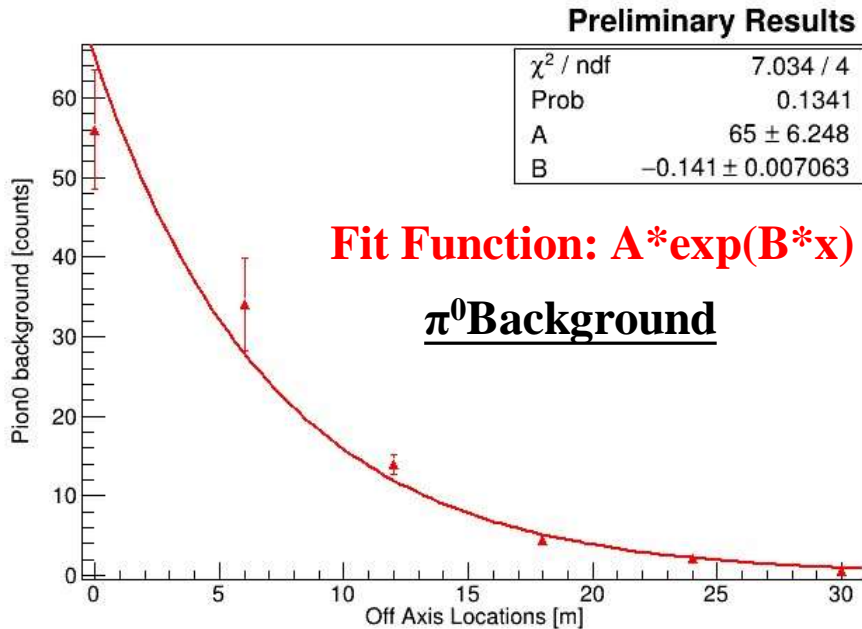
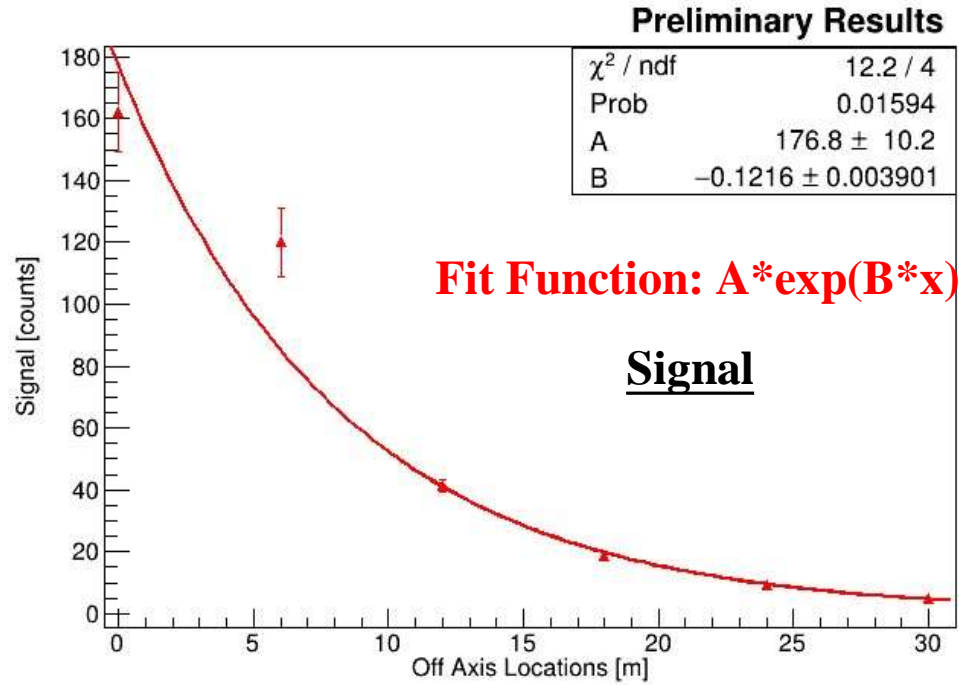
Significance for the Off-Axis locations

3yrs exposure	10 ¹⁵ POT		10 ²⁰ POT(Scaled down)			
	0	0	12	18	24	30
Off-AXIS (m)						
Signal(reco)	169	121	43.2	19.0	9.8	4.8
Background (reco)	303	204	85.3	28.4	12.1	5.2
Signal for E*theta ² < 1.5 (reco)	161	121	41.4	19	9.8	4.8
Background for E*theta ² < 1.5 (reco)	71	44	19.5	8.0	3.8	1.8
Significance (normalization)	19.1	18.2	9.4	6.7	5.0	3.6
Shape Significance	20.8	18.4	10.1	7.0	7.3	5.4

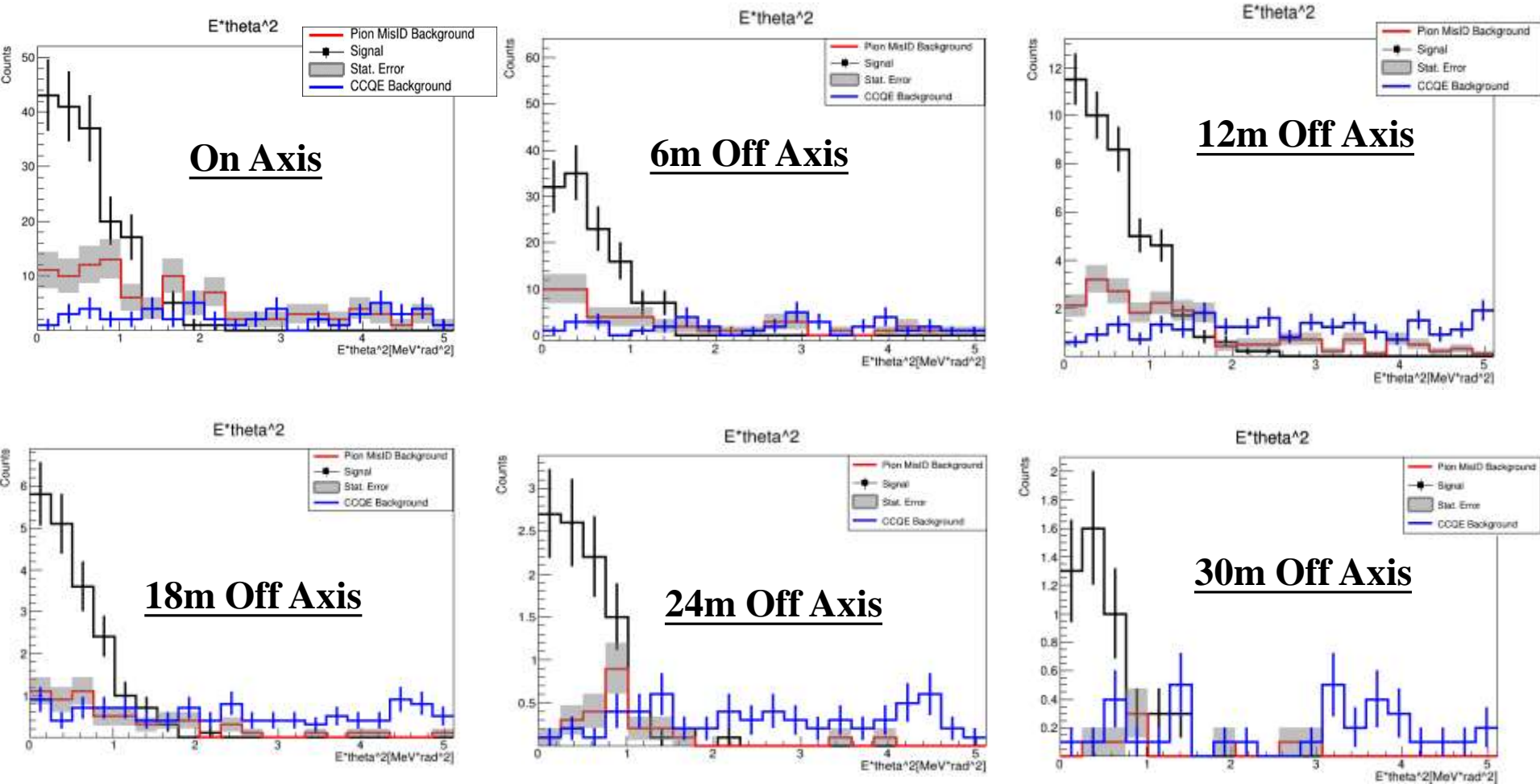
- The **significance** is **lower** as we move to **further off axis** locations due to **lower statistics**.
- **Still of-axis locations do contribute to the overall sensitivity.**

Signal and Background in off-Axis locations

The π^0 background reduces faster than the signal

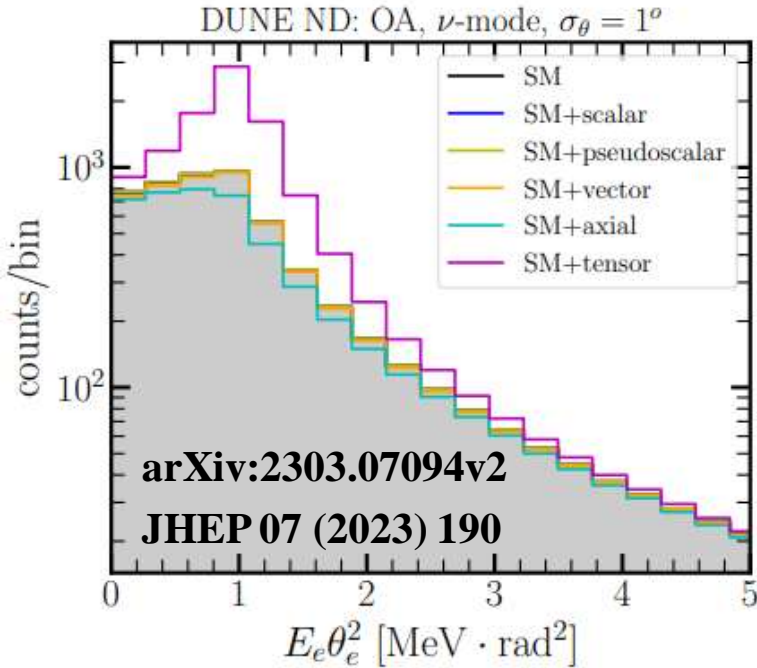


$E\theta^2$ for off-Axis locations for 10^{19} POT



- **Very clear signal-background separation, very low background remaining.**

χ^2 Analysis



$$\chi^2 = 2 \sum_{k=\nu/\bar{\nu}} \sum_{j=\text{loc}} \sum_{i=1}^{20} \left[N_{\text{exp}}^{ijk} - N_{\text{obs}}^{ijk} + N_{\text{obs}}^{ijk} \log \frac{N_{\text{obs}}^{ijk}}{N_{\text{exp}}^{ijk}} \right] + \left(\frac{\alpha_1}{\sigma_{\alpha_1}} \right)^2 + \left(\frac{\alpha_2}{\sigma_{\alpha_2}} \right)^2$$

$$N_{\text{obs}} = N_{\text{SM}} + N_{\text{bkg}} + N_X(\mathbf{g}_X, \mathbf{m}_X)$$

$$N_{\text{exp}} = N_{\text{SM}} \cdot (1 + \alpha_1) + N_{\text{bkg}} \cdot (1 + \alpha_2)$$

$$N_{\text{bkg}} = N_{\pi^0}^{\text{missID}} + N_{\text{CCQE}}$$

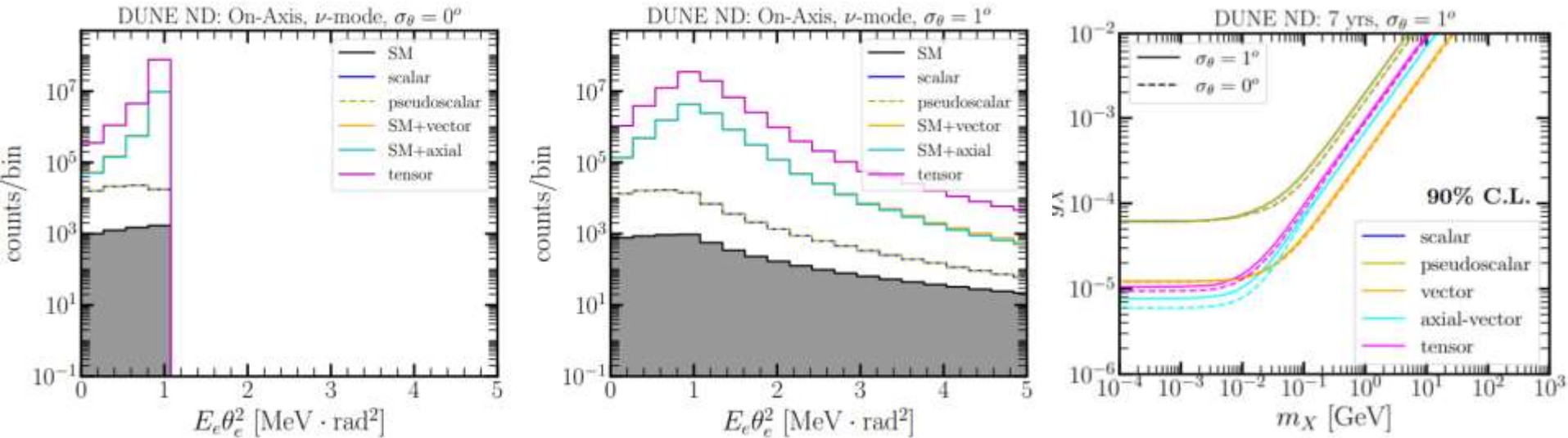
- We consider two nuisance parameters α_1 and α_2 with $\sigma_{\alpha_1} = 5\%$ and $\sigma_{\alpha_2} = 10\%$ to account for the normalization uncertainties of the DUNE neutrino flux and background.
- Also, the study of neutrino-electron elastic scattering could help minimize the uncertainty on the flux even more (**arXiv:1910.10996v2 Phys. Rev. D 101, 032002 (2020)**).
- A simultaneous fit was applied after adding the individual χ^2 per location and per neutrino mode

Sensitivities

- **New physics could come from all possible Lorentz invariant structures that alter the expected number of neutrino-electron scattering events and spectral shape in the Near Detector.**

Assuming 3.5 yr (neutrino) + 3.5 yr (antineutrino) mode at the DUNE-ND.

The left (**mid**) panel shows the results assuming perfect ($\sigma(\theta) = 1^\circ$) angular resolution



- **The NGI spectra are calculated for $g_X = 5.7 \cdot 10^{-5}$ and $m_X = 10$ MeV.**
- **The scalar and pseudoscalar are exactly the same**

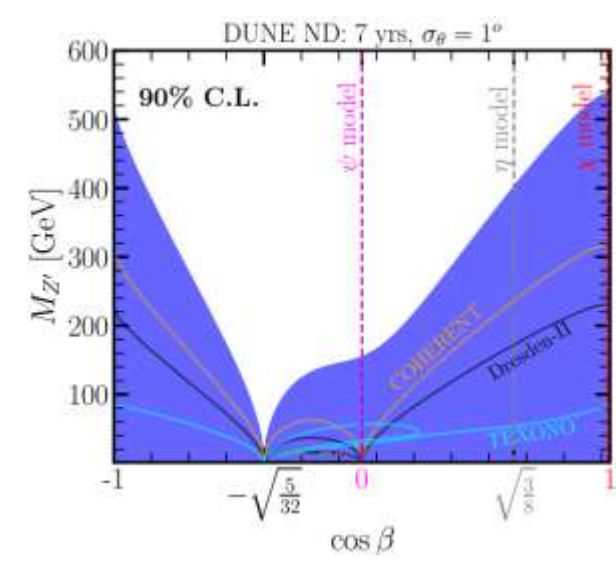
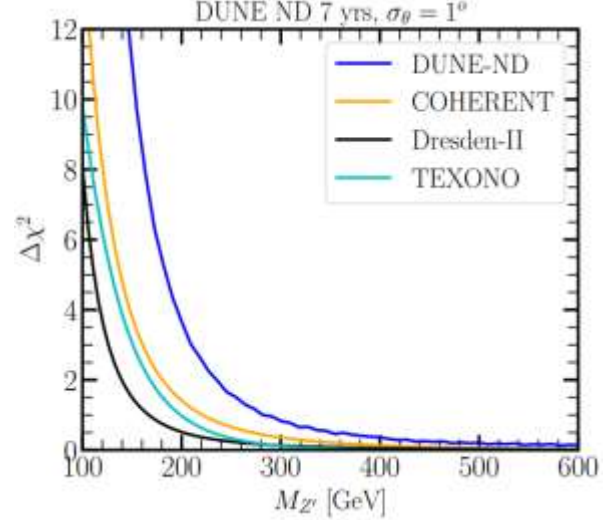
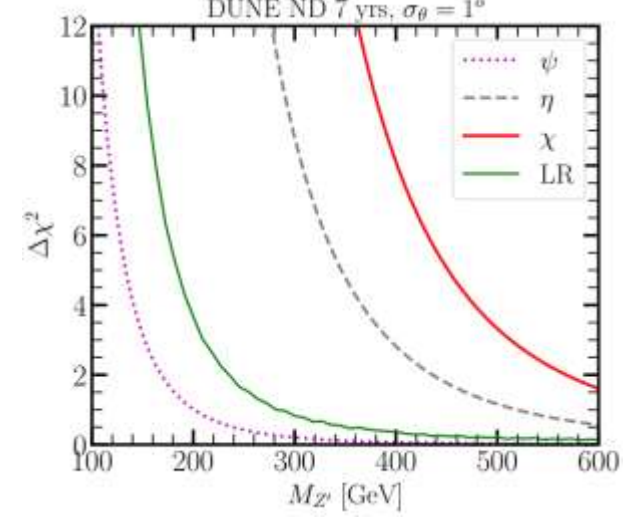
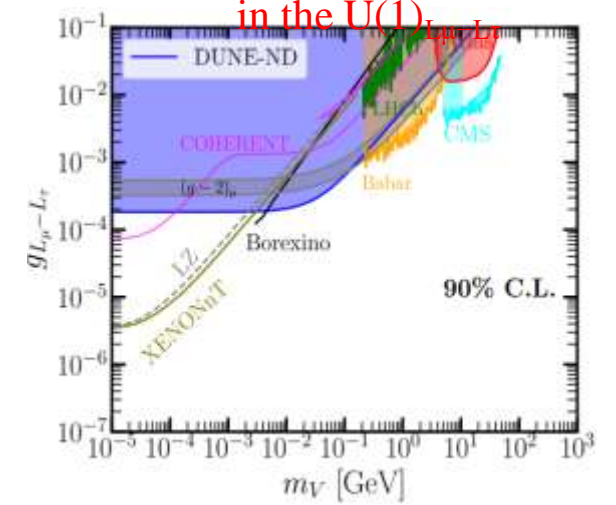
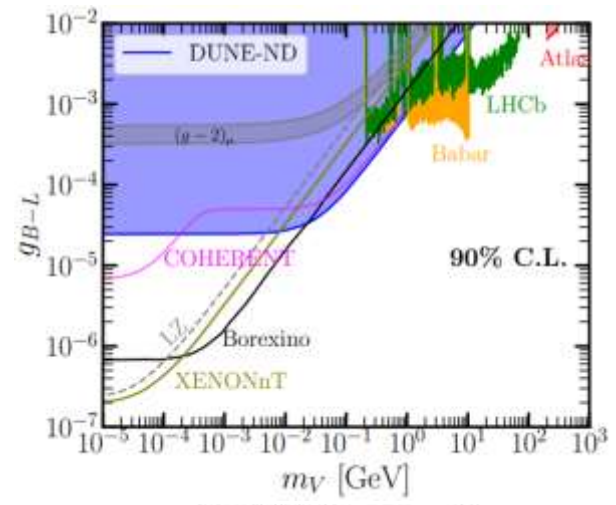
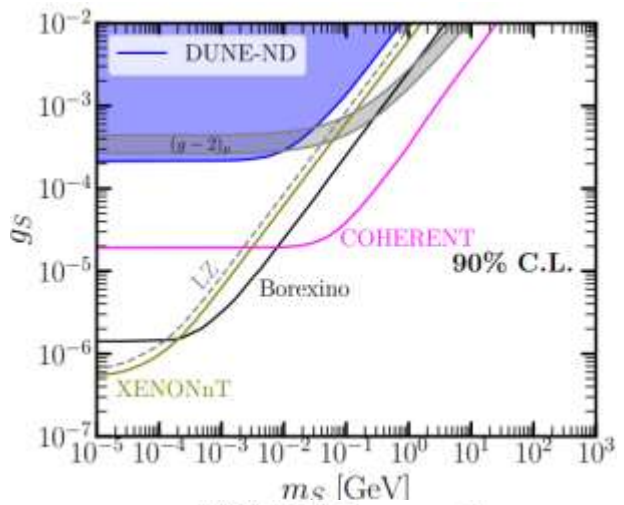
BSM (NGI, LR, E6) Sensitivities

For scalar mediators

For vector mediators

For vector mediators

in the $U(1)_{L\mu-L\tau}$



- Sensitivities of DUNE-ND are competitive and complementary to the ones from other experiments