

Trying to put a better spec on sign selection for TMS/SSRI

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Goal: what sign-selection is required for LBL physics?

- It is easy to determine the required sign mis-ID rate in order to produce a wrong-sign sample of some purity
- But what would such a sample actually do for the short-term long-baseline physics goals? What is the minimum right-sign purity required for the first 3 years physics?
- What is the uncertainty on the wrong sign fraction from the beam model? Can we constrain it further with SSRI?

FD measures $\nu+\bar{\nu}$ appearance

FHC (“ ν -mode”) 3.5 Staged Years

	normal ordering		
	$\delta_{CP}=0$	$\delta_{CP}=-\pi/2$	Variation
$\nu_{\mu} \rightarrow \nu_e$	1155	1395	0.21
$\bar{\nu}_{\mu} \rightarrow \bar{\nu}_e$	19	14	
Beam $\nu_e + \bar{\nu}_e$	228	228	
Other bkg	135	134	
Total	1537	1771	0.15

- For a particular δ , impact on expected signal has opposite sign for wrong sign component
- Tiny effect in FHC, but large effect in RHC
- Wrong-sign neutrino fraction is not measured at FD, must be measured at ND or taken from beam prediction

RHC (“ $\bar{\nu}$ -mode”) 3.5 Staged Years

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	$\delta_{CP}=0$	$\delta_{CP}=-\pi/2$	Variation
$\nu_{\mu} \rightarrow \nu_e$	81	95	
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Beam $\nu_e + \bar{\nu}_e$	145	145	
Other bkg	68	68	
Total	530	475	0.12

Impact of changing wrong sign fraction on “variation”

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- FD will measure sum of $\nu_e + \bar{\nu}_e$, and use ND constraint (or MC) to determine the relative amount of each, which impacts the expected “variation” vs. δ
- If you get this wrong, you will measure $\sin\delta$ wrong
- What happens to “variation” and thus measured δ , if you change the assumed wrong sign fraction (assume you still get other backgrounds right)?

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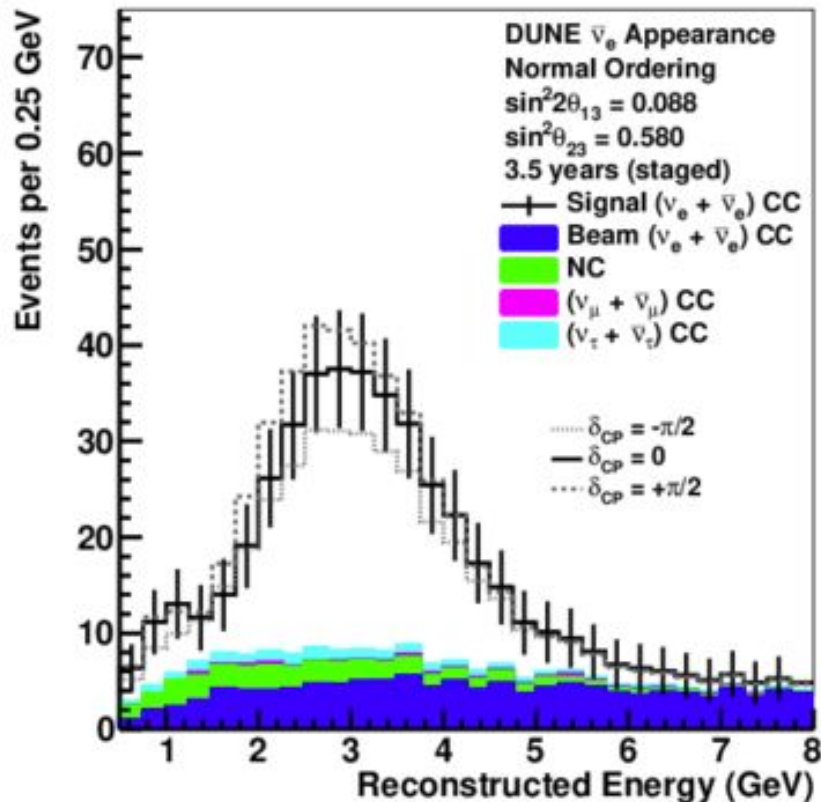
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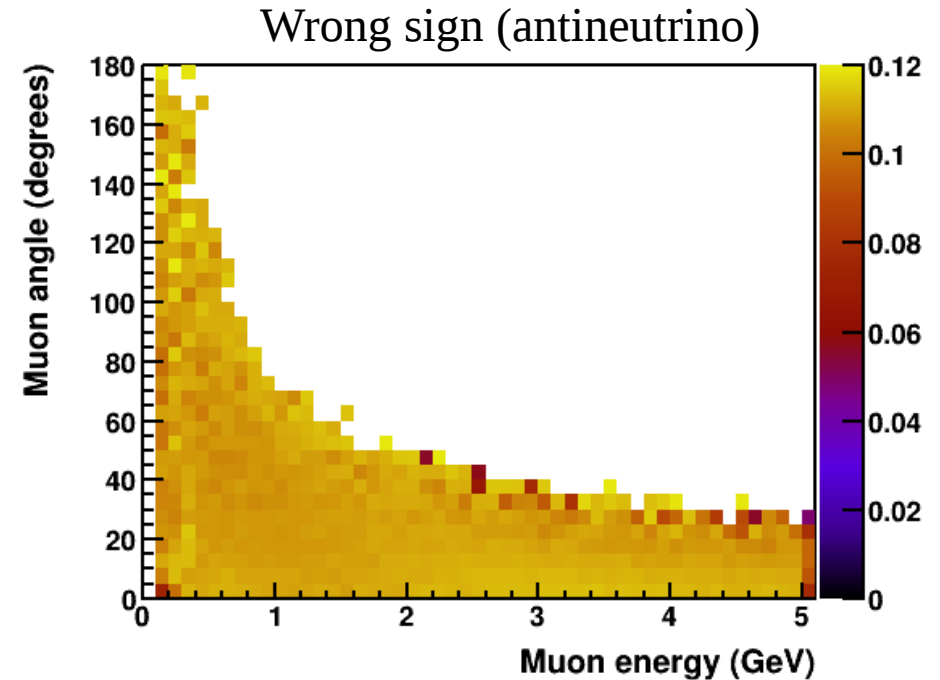
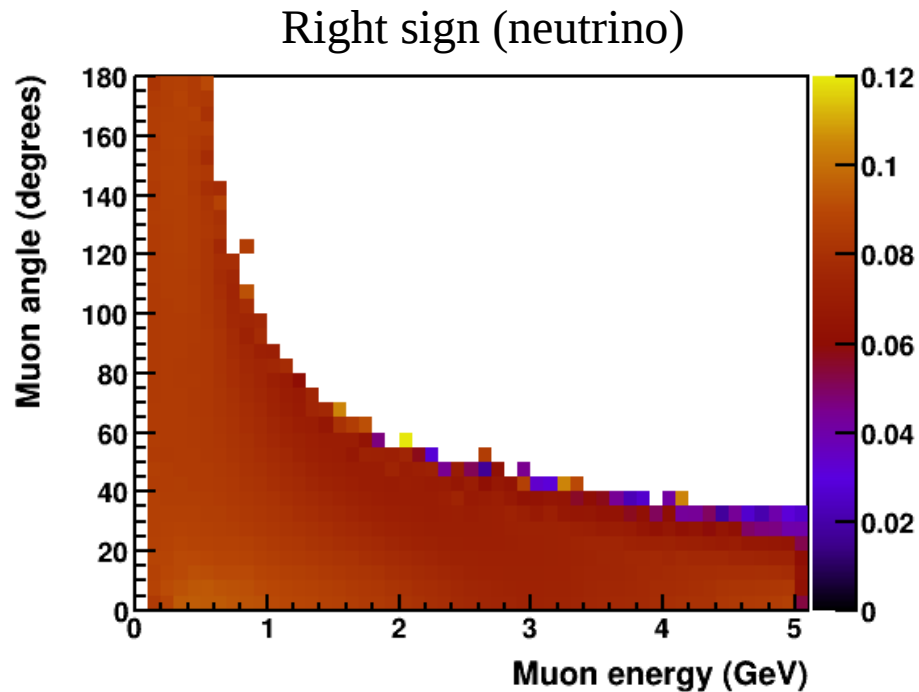
- Changing the assumed wrong-sign fraction by 1 percentage point changes “variation” by 0.004 (FHC) and 0.003 (RHC), each about 2.5% of themselves
- For a 3σ CPV measurement, that 0.15 must be measured at 3σ , so $1\sigma \sim 0.05$, and the bias from the 1pp change in wrong sign fraction is $\sim 7\%$ of that, in quadrature this would have the effect of $3\sigma \rightarrow 2.99\sigma$

ND must measure wrong sign as a function of neutrino energy

- Drawing the dashed curves on this plot for different values of δ requires knowing the fraction of wrong sign as a function of neutrino energy



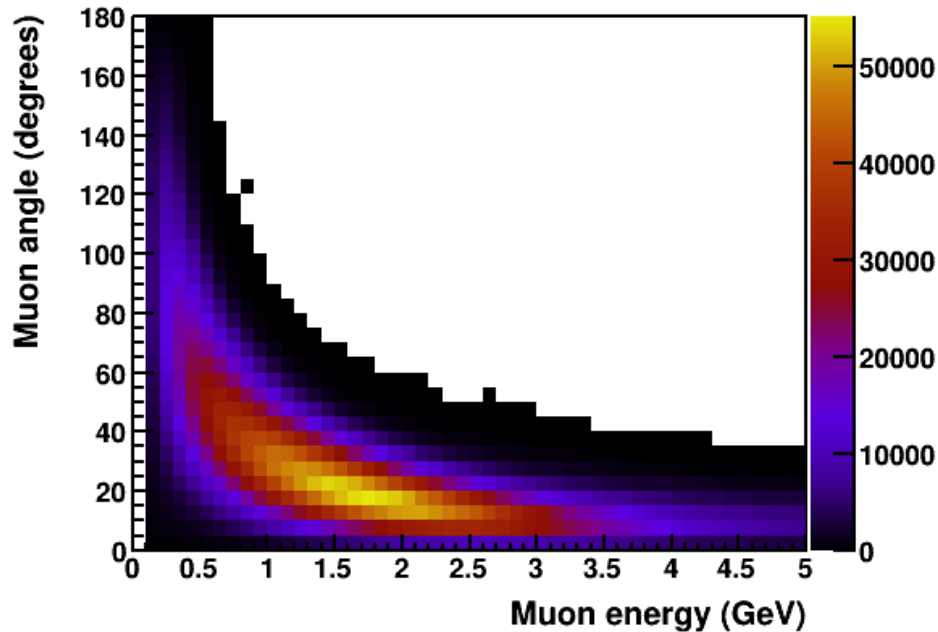
FHC flux fractional uncertainty



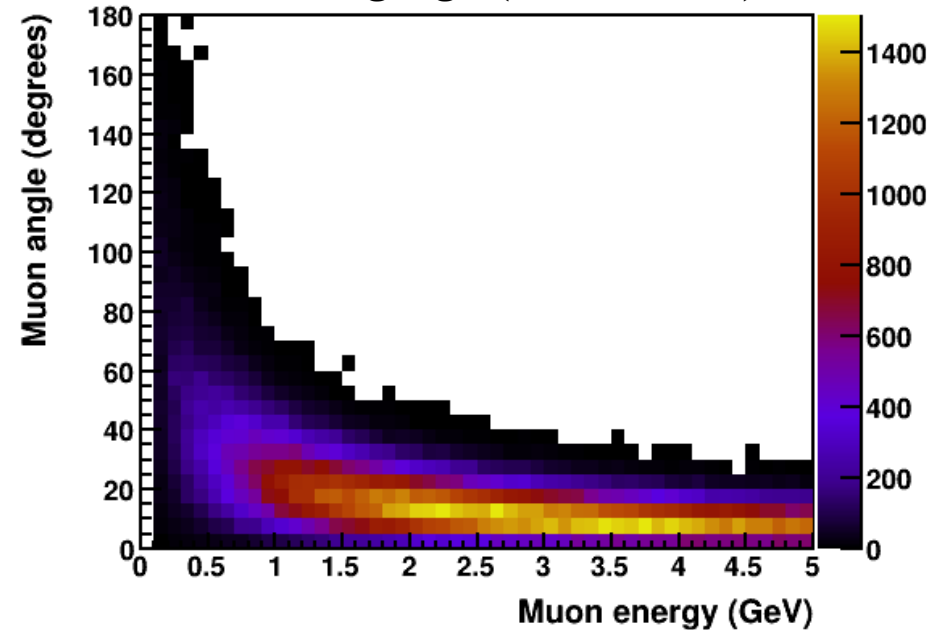
- Flux uncertainty is $\sim 8\%$ on the right-sign component and $\sim 11\%$ on the wrong-sign, basically flat vs. neutrino energy in the peak and hence little shape here

FHC event rate

Right sign (neutrino)



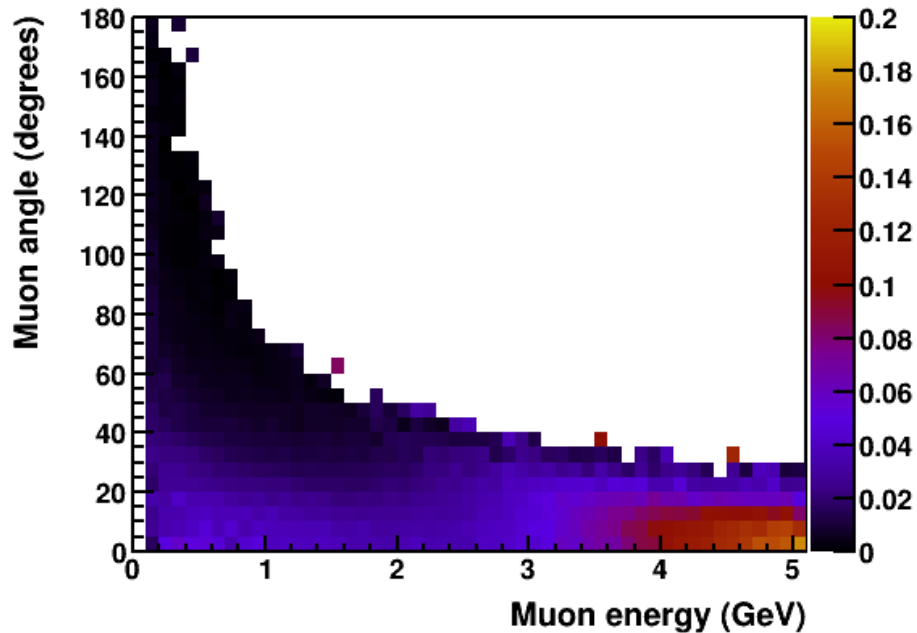
Wrong sign (antineutrino)



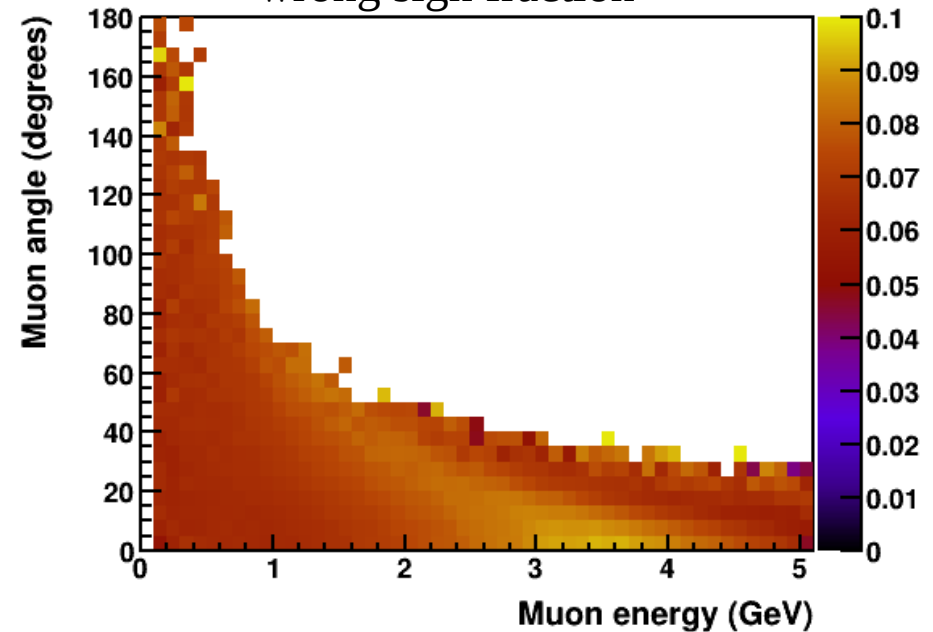
- Arbitrary units
- Peaked from 1-2 GeV and 10-20°
- Wrong-sign antineutrinos are higher-energy and more forward

Wrong sign fraction

Wrong sign fraction

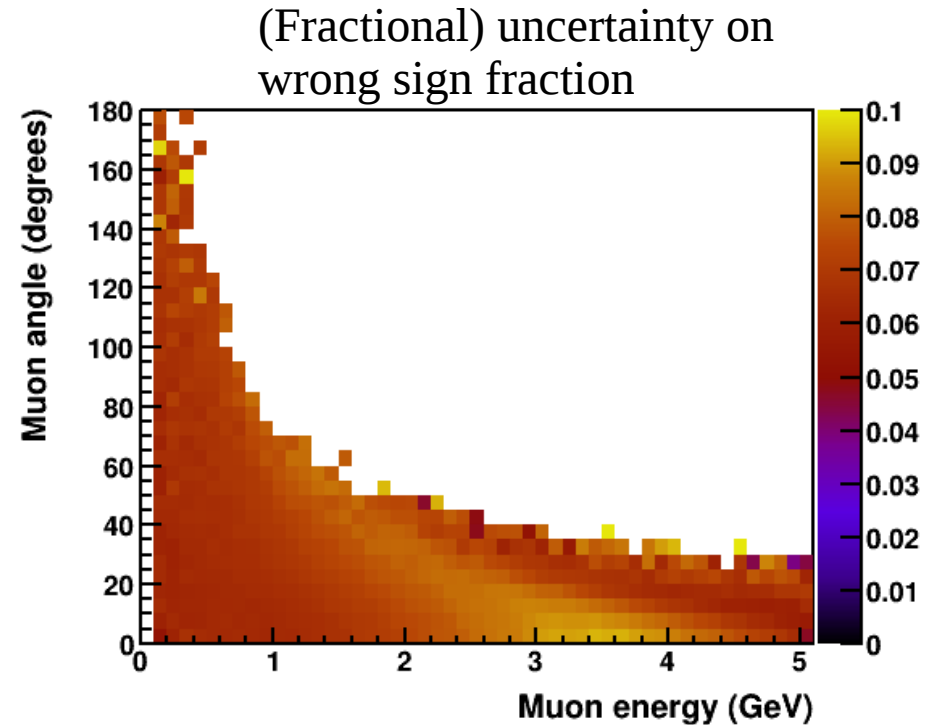
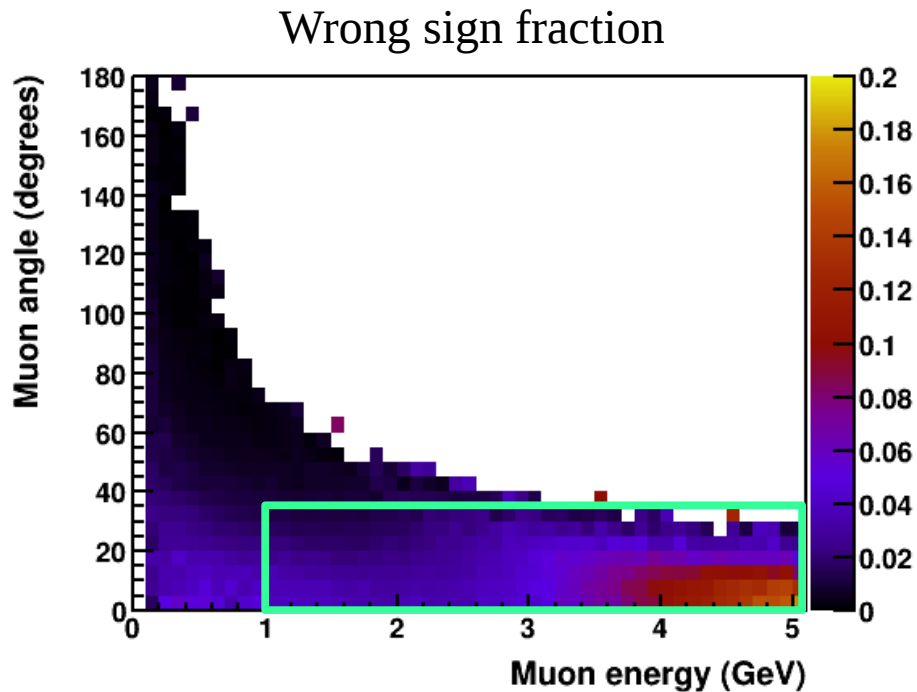


(Fractional) uncertainty on wrong sign fraction



- Wrong-sign fraction is $\sim 3\%$ in the flux peak, but high in the tail and especially for more forward muons
- Uncertainty on wrong-sign fraction from beam model is $\sim 7\%$, i.e. wrong sign fraction is $(3.0 \pm 0.2)\%$

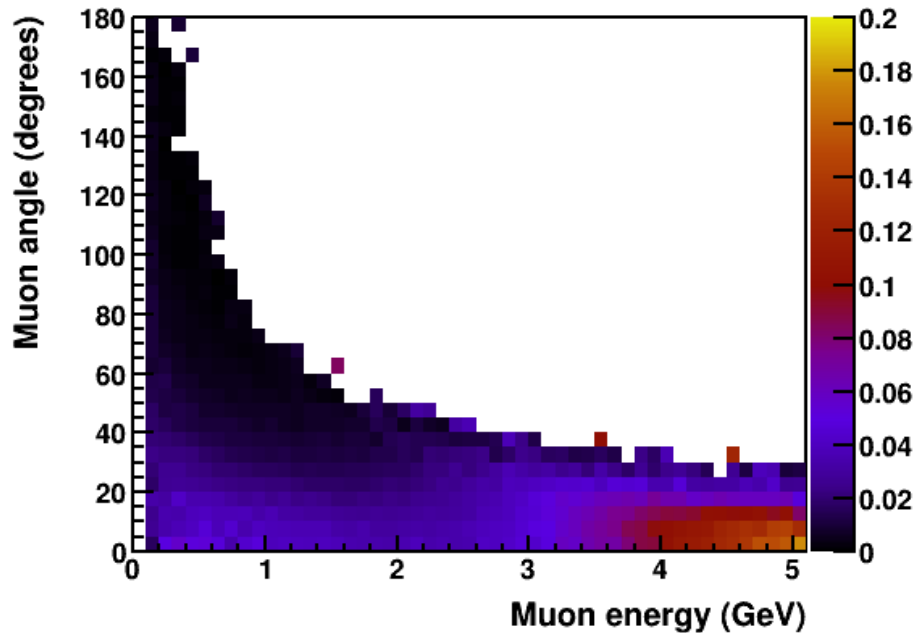
Wrong sign fraction



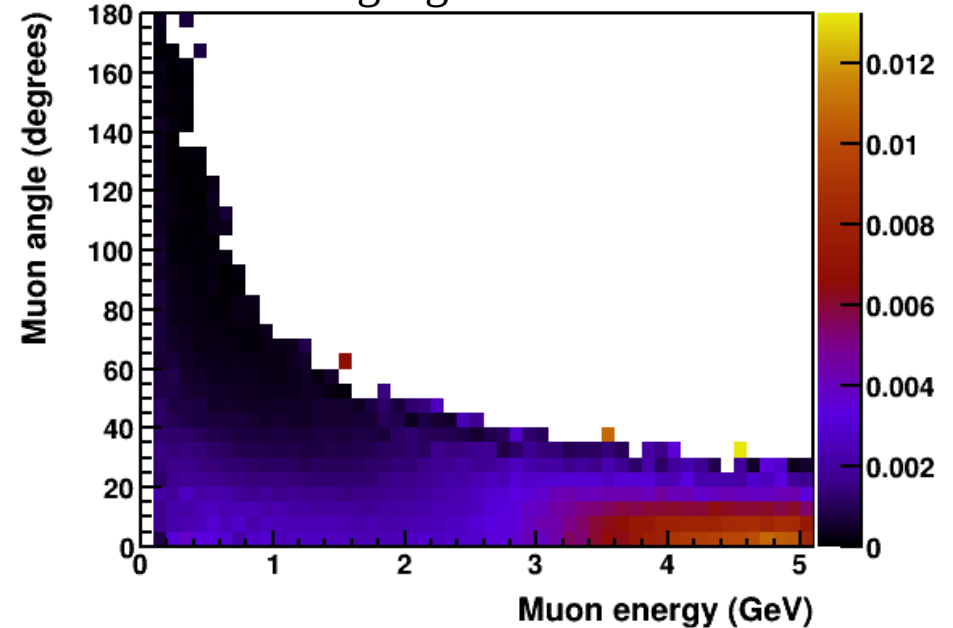
- SSRI covers forward region above ~ 1 GeV muon energy and up to 5 GeV
- Low-energy, high-angle region where muons are all contained has very tiny wrong-sign fraction in FHC

Wrong sign fraction

Wrong sign fraction



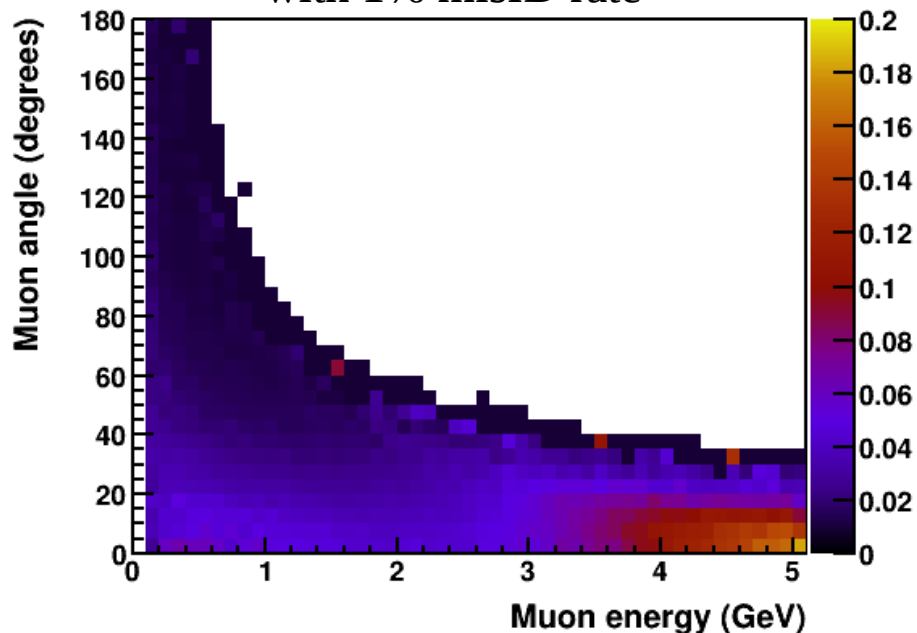
(Absolute) uncertainty on wrong sign fraction



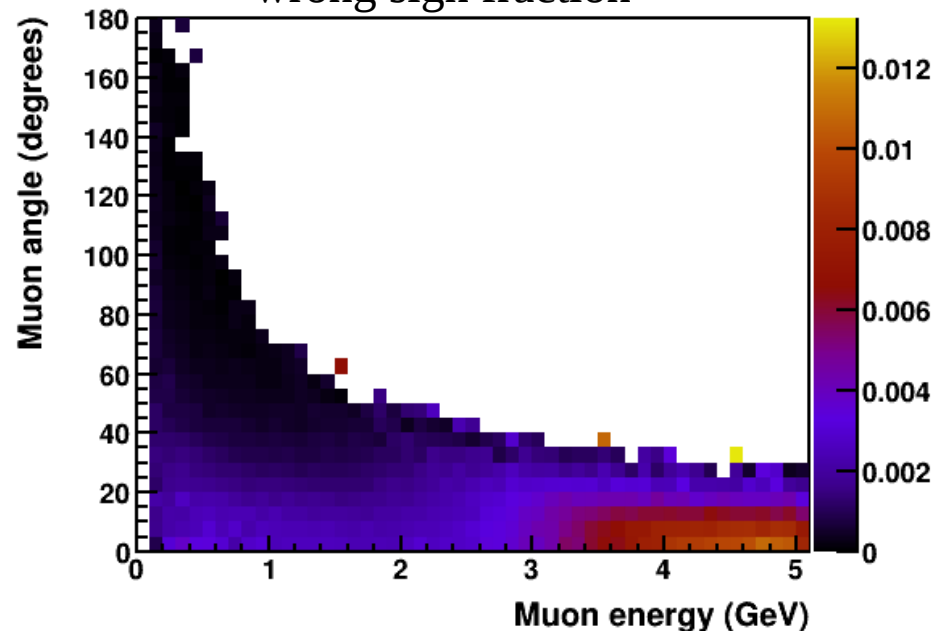
- There is very little shape in the fractional uncertainty on the wrong sign fraction
- In the peak region, the uncertainty is 0.002, i.e. the wrong sign fraction is $(3.0 \pm 0.2)\%$

Measured wrong sign fraction

Reco wrong sign fraction
with 1% misID rate



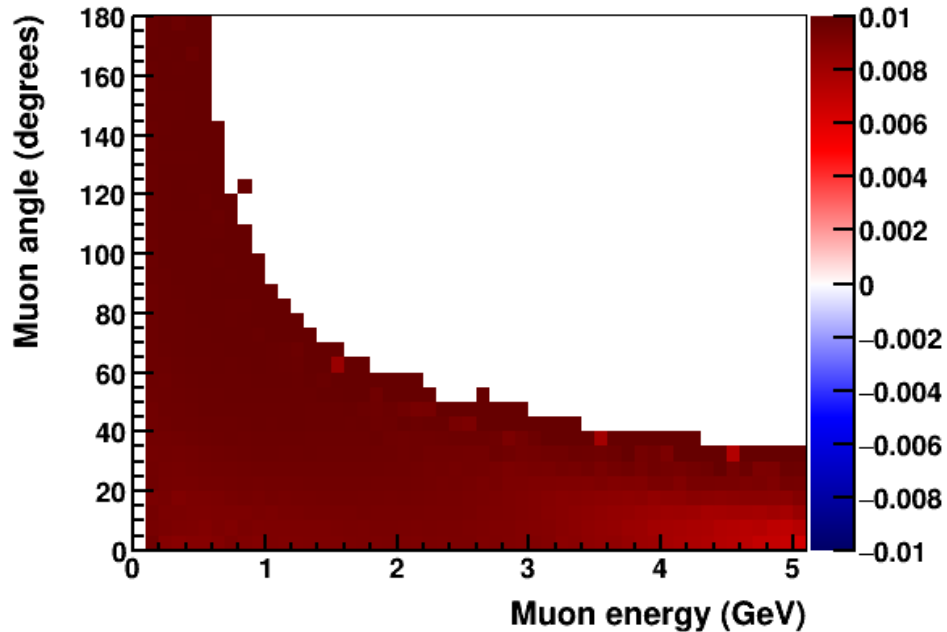
(Absolute) uncertainty on
wrong sign fraction



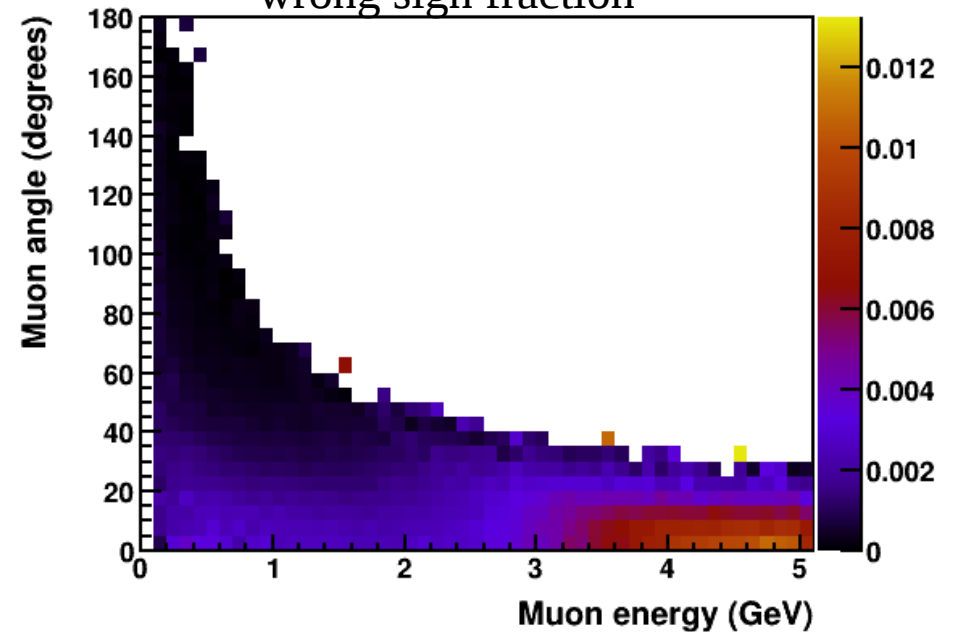
- Measured wrong sign fraction is basically $\sim 1\%$ higher because 1% of true μ^- are reconstructed as μ^+

Effect of 1% misID compared to beam uncertainty

Reco – True μ^+ fraction



(Absolute) uncertainty on wrong sign fraction

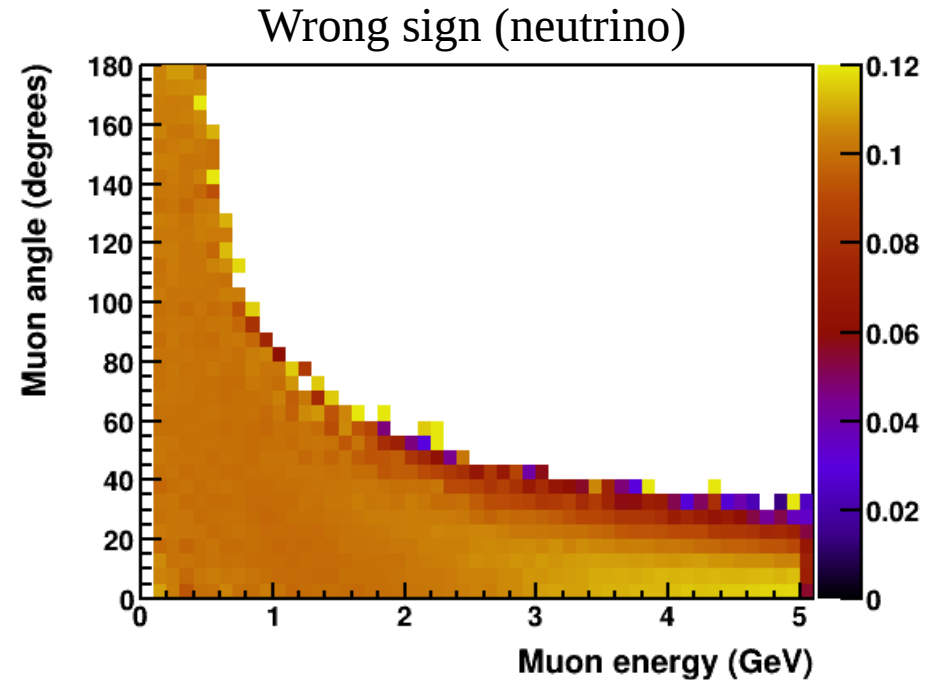
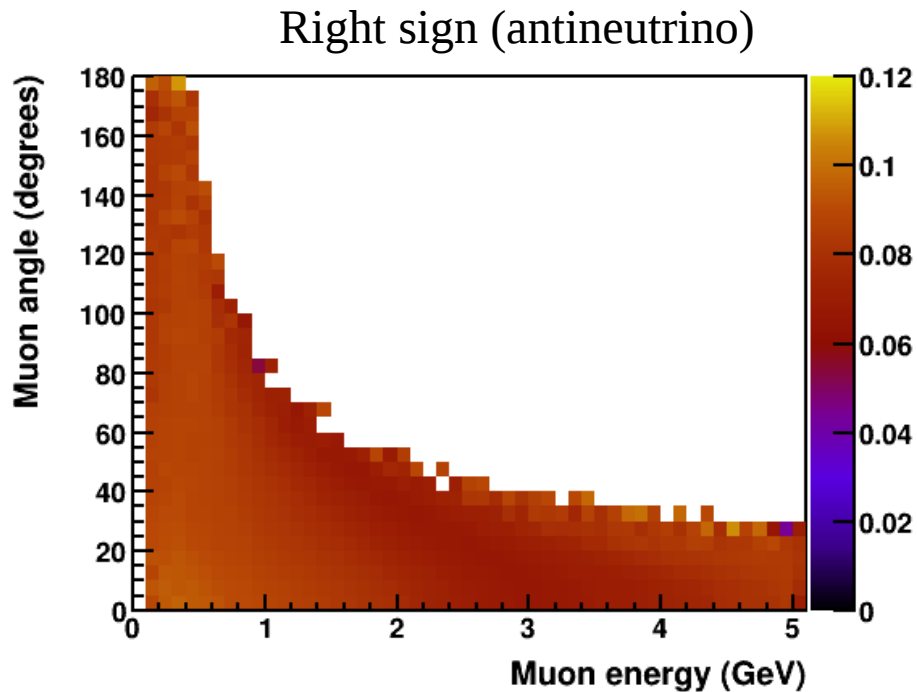


- Measured μ^+ fraction will provide a better constraint than the beam model if mis-ID rate is $<0.2\%$
- Or if you know the 1% mis-ID rate to 20% as a function of muon momentum so that you can correct for the measured

Conclusion: FHC

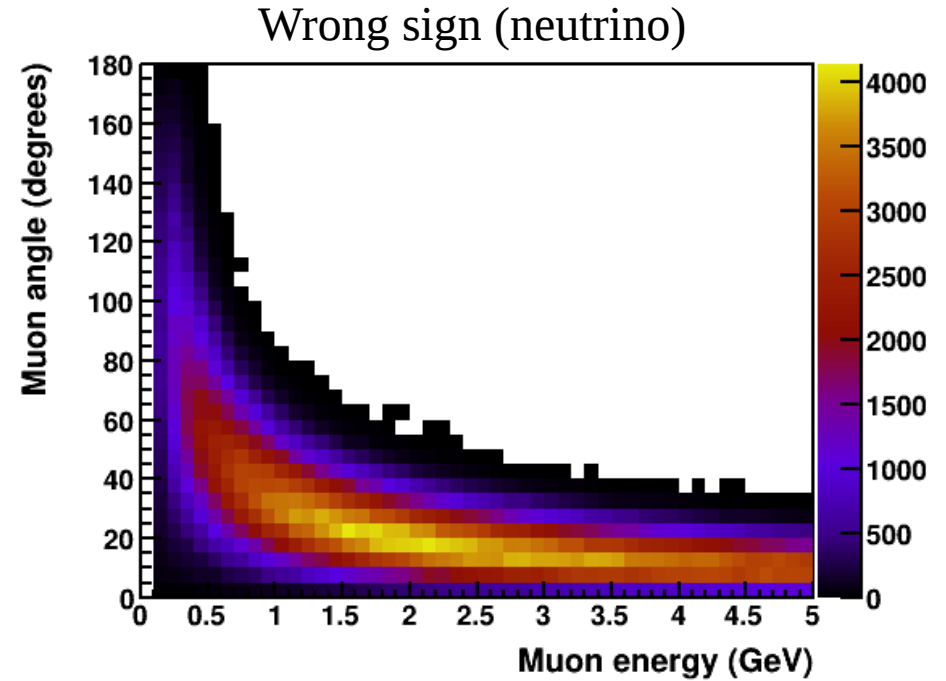
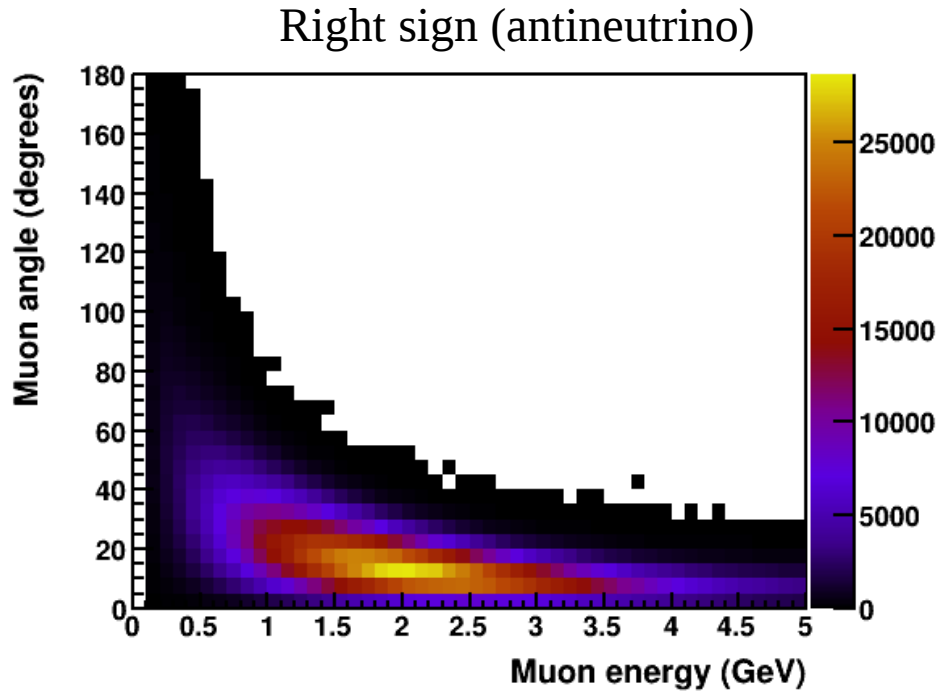
- Providing a more stringent constraint on the wrong-sign fraction that the uncertainty from the beam model requires the uncertainty on the mis-ID rate to be less than 0.2 percentage points
- The impact of this uncertainty on short-term oscillation physics goals, namely MH and 3σ CPV for $\delta = -\pi/2$, is minimal
- Cross-checking the beam model would be valuable, but a constraint at the 1pp level is probably not useful

RHC flux fractional uncertainty



- Flux uncertainty is $\sim 8\%$ on the right-sign component and $\sim 10\%$ on the wrong-sign, basically flat vs. neutrino energy in the peak and hence little shape here

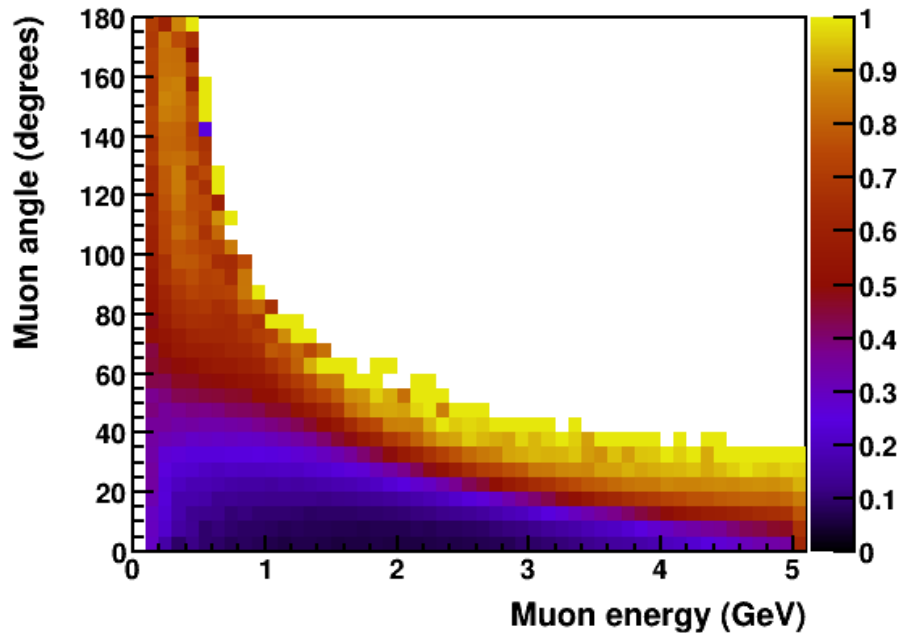
RHC event rate



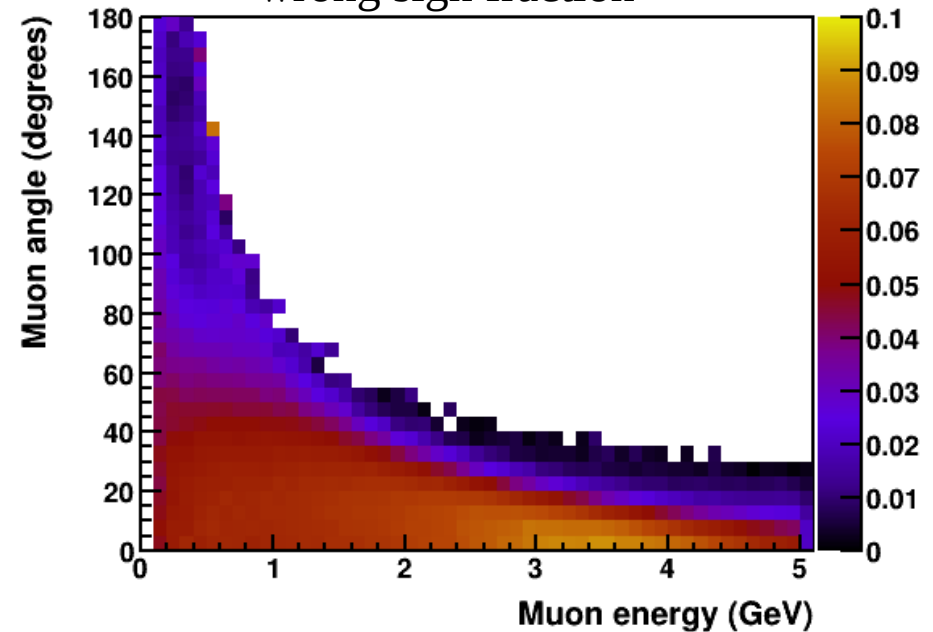
- Compared to FHC, the right-sign events peak at somewhat higher muon energy ~ 2 GeV, and is more forward, due to the antineutrino cross section
- Wrong-sign neutrinos are less forward

RHC wrong sign fraction

Wrong sign fraction



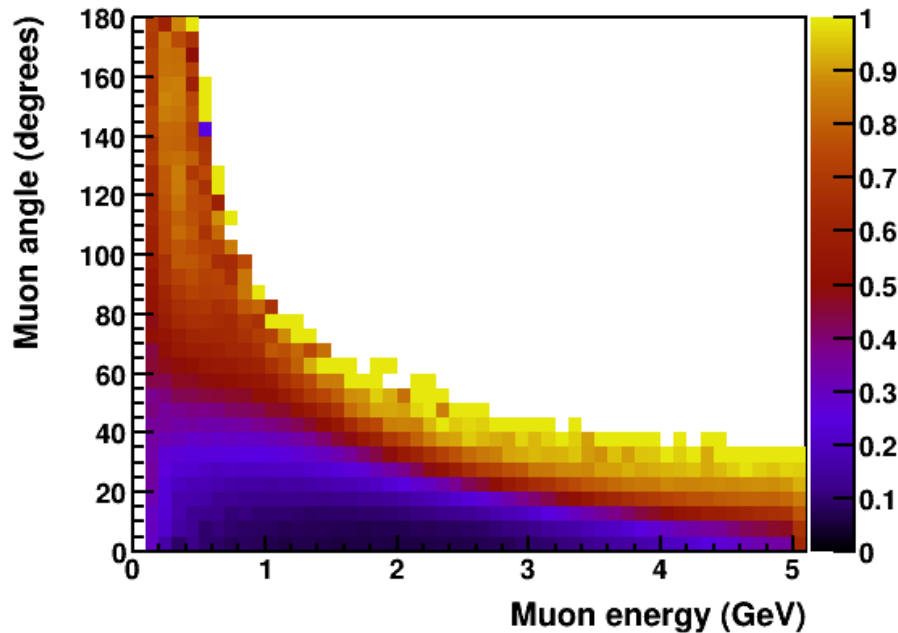
Fractional uncertainty on wrong sign fraction



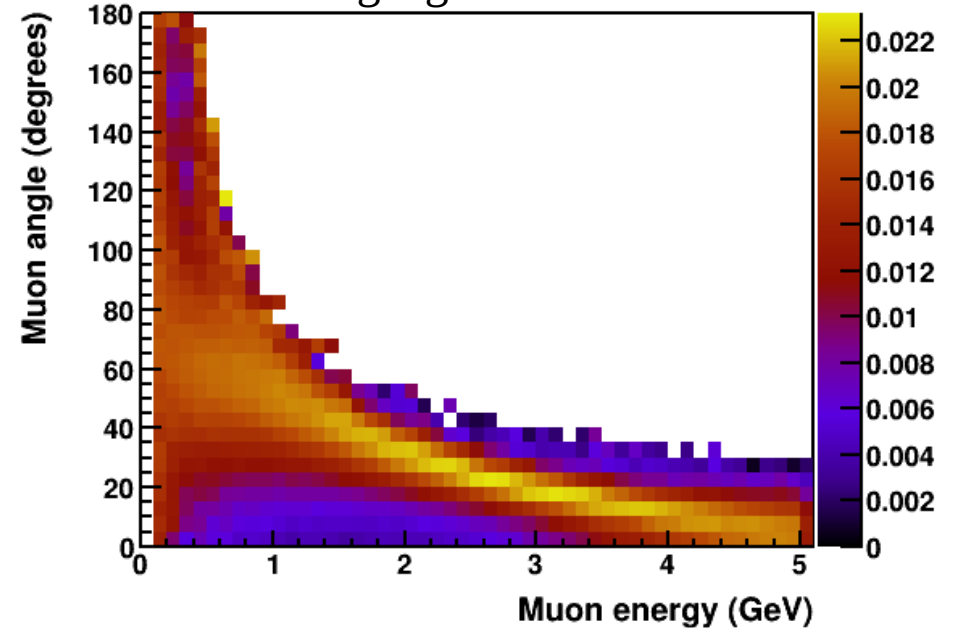
- Wrong-sign dominated at high- y , where cross section differences give mostly neutrino events
- Forward TMS region is $>90\%$ antineutrino except at very high muon energy, where flux purity falls to $\sim 50\%$ in the tail

RHC wrong sign fraction

Wrong sign fraction



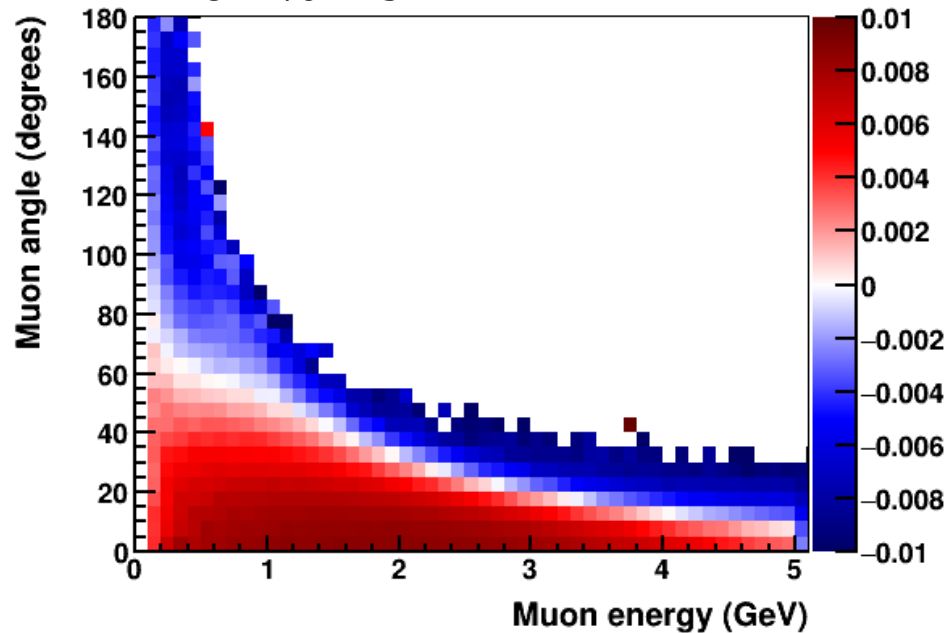
Absolute uncertainty on wrong sign fraction



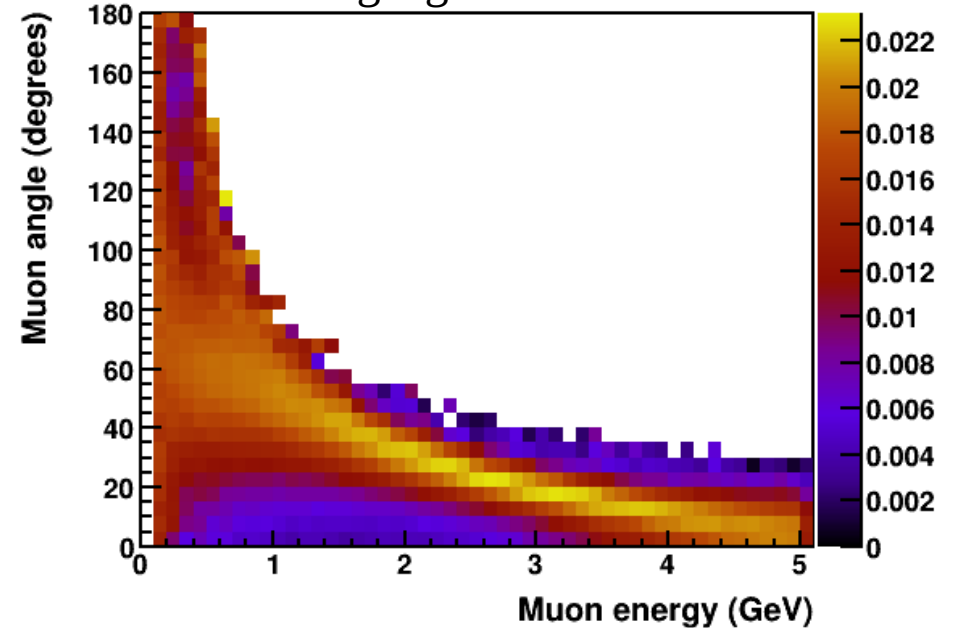
- Uncertainty shown now is absolute on the fraction, i.e. from zero to 2 percentage points
- ~ 0.5 pp in the peak TMS region, but above 3 GeV it is ~ 2 pp

RHC wrong sign fraction

Reco – True wrong sign fraction
for 1% misID



Absolute uncertainty on
wrong sign fraction



- Effect of 1% misID is larger than the beam uncertainty in the peak (2 GeV, forward), but in the tail from 3-5 GeV the measurement would constrain the uncertainty $\sim 50\%$ beyond the beam model

Conclusion: RHC

- RHC wrong sign fraction is higher at wide angles due to cross section differences, and also at high energy due to lower intrinsic flux purity
- This could be constrained beyond the beamline uncertainty with a mis-ID rate $< 2\%$, or with some calibration so that the mis-ID rate can be corrected, but this would need to be vs. muon kinematics as the underlying wrong-sign fraction (and hence the impact of mis-ID) varies significantly
- It's not clear that this measurement is required – the impact on LBL physics of taking the full beam model uncertainty is minimal if we restrict ourselves to ~ 3 -year analyses

SAND constraint

- In the scenario where SAND is magnetized on day 1, the wrong-sign ratio can be constrained there much better than in SSRI anyway; this would vary off-axis but it's unlikely that SSRI would provide a better constraint than SAND + focusing simulation

Overall conclusions

- If we trust the beam model prediction of the wrong sign ratio and its uncertainty, then SSRI is not going to constrain the wrong sign flux meaningfully in FHC, and could provide a constraint that is $\sim 50\%$ better than the beam model in RHC
- The impact of eating the full beam model uncertainty on the early-stage analysis (CPV at 3σ for maximal δ) is tiny