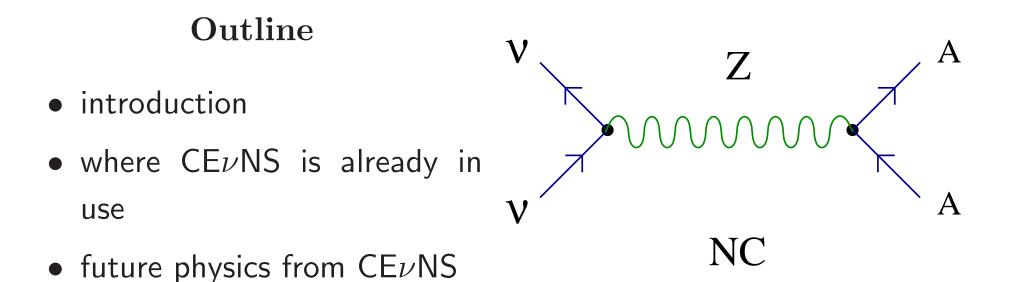
## Theory and Phenomenology of Coherent Elastic Neutrino Nucleus Scattering

Gail McLaughlin

NC State

## Coherent Elastic Neutrino Nucleus Scattering ( $CE\nu NS$ )

- neutrino interacts with nucleus through neutral current
- can't see neutrino afterward, but could see small kick to nucleus



#### Basic cross section

Coherent elastic neutrino nucleus scattering cross section

$$\frac{d\sigma}{dT}(E,T) = \frac{G_F^2}{2\pi} M \left[ 2 - \frac{2T}{E} + \left(\frac{T}{E}\right)^2 - \frac{MT}{E^2} \right] \frac{Q_W^2}{4} F^2(Q^2)$$

• E : neutrino energy, T : nuclear recoil

- $Q^2 = \frac{2E^2TM}{(E^2 ET)}$  : squared momentum transfer
- $Q_W = N Z(1 4\sin^2 \theta_W)$ : weak charge
- $F(Q^2)$ : form factor largest uncertainty in cross section

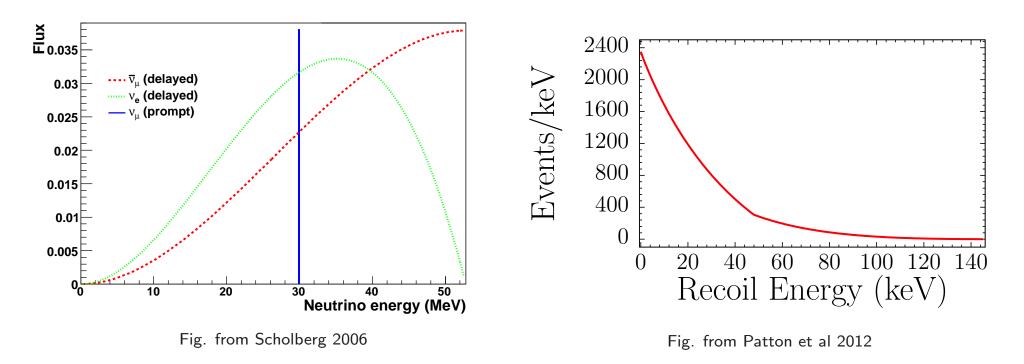
Assumes a spin zero nucleus, no non-standard model interactions

### Making a theoretical prediction

Fold cross section (previous slide) with incoming neutrino spectrum (e.g. left figure) to find nuclear recoil spectrum (right figure)

 $u s \text{ from } \pi/\mu \text{ decay at rest}$ 

Spectrum of nuclear recoils



## Coherent Elastic Neutrino Nucleus Scattering ( $CE\nu NS$ ) appears many places

A few of these

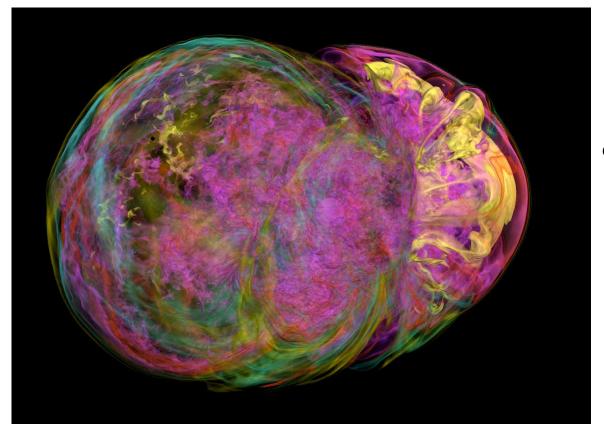
- Opacity source in supernova neutrinos
- Mechanism for detecting supernova neutrinos
- Means for studying active-sterile oscillations
- Background in dark matter detectors

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#### Supernovae Neutrinos



long mean free path core  $v_e$   $v_e$   $v_e$   $v_\mu$   $v_\mu$   $v_\tau$   $v_\tau$ short mean free path Schematic picture of neutrino emission from

proto-neutron star

Figure from J. Blondin

Neutrinos are emitted from deep in the center

Coherent elastic neutrino nucleus scattering is an opacity source in supernova

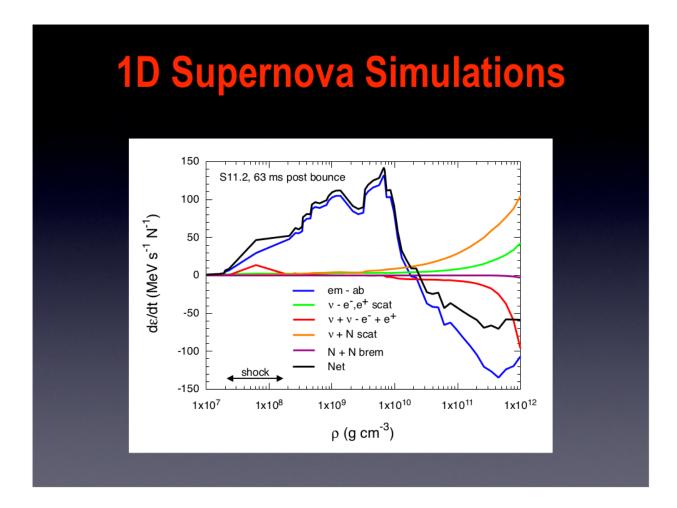


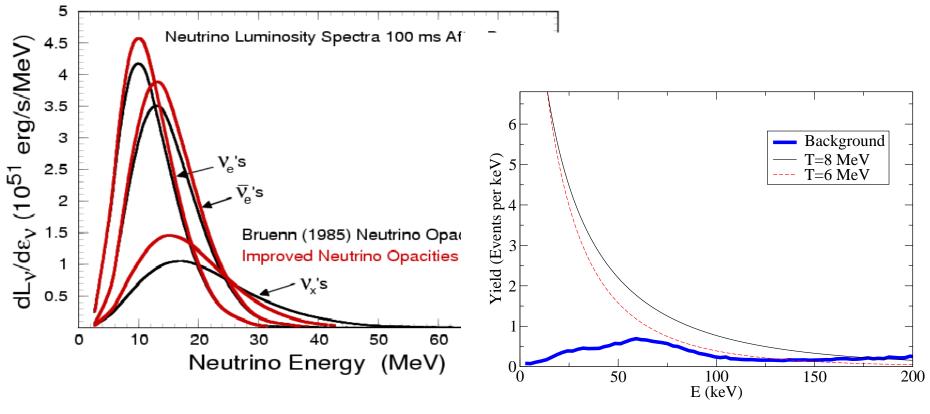
Figure from S. Bruenn

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## Coherent Elastic Neutrino Nucleus Scattering ( $CE\nu NS$ ) for detecting supernova neutrinos



spectra from ORNL group

Event rates in CLEAN detector, Horowitz et al 2003

## Coherent Elastic Neutrino Nucleus Scattering ( $CE\nu NS$ ) appears many places

A few of these

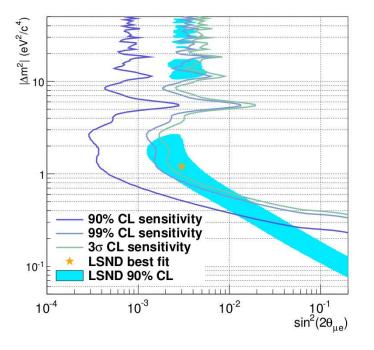
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# $CE\nu NS$ proposed as a mechanism for probing sterile neutrino oscillations

(Anderson et al 2012, Formaggio et al 2012)

Since  $CE\nu NS$  measures only neutral current it is insensitive to active flavor transformation, ideal for studying active sterile transformation

Example: sensitivity to sterile oscillations using Ar at  $Dae\delta$ alus



Anderson et al 2012

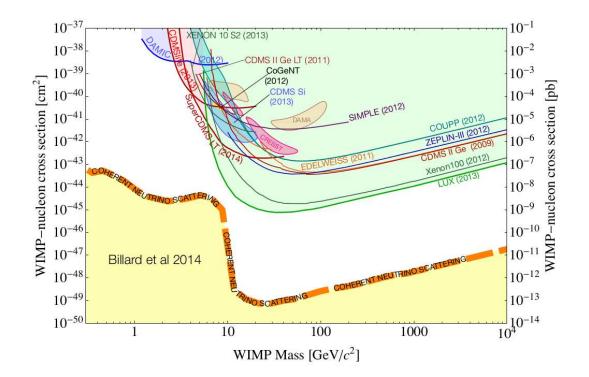
## Coherent Elastic Neutrino Nucleus Scattering ( $CE\nu NS$ ) appears many places

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## $CE\nu NS$ background is a limit on future dark matter sensitivity

discussed in Snowmass Summary: WIMP Dark Matter Direct Detection

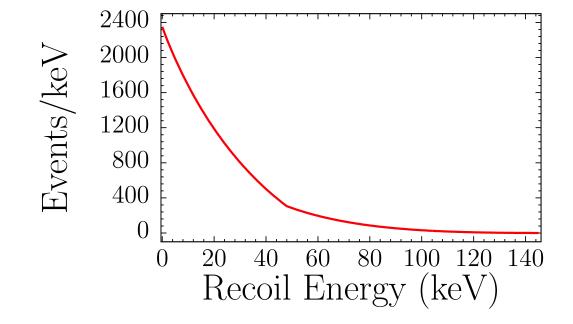


## Even though we are counting on this process, it has never been detected!

Why not? Large cross section but need to see the small recoil of the nucleus

#### Beyond First Detection of $CE\nu NS$

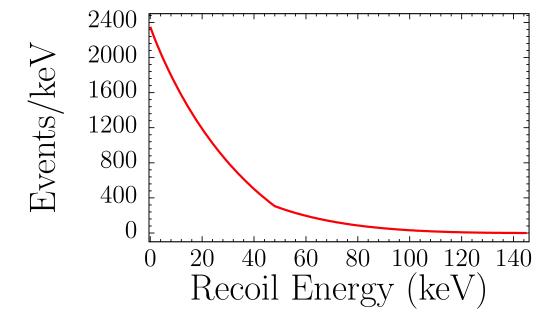
- nonstandard  $\nu$  interactions
- form factor



#### Beyond First Detection of $CE\nu NS$



• form factor



#### Nonstandard interactions

Some nonstandard interactions are currently poorly constrained.

Examples are vector couplings for electron neutrinos with up and down quarks,  $\epsilon_{ee}^{uV}$  and  $\epsilon_{ee}^{dV}$ , although there are other couplings that contribute as well. To define the NSI, use eq from Barranco et al 2006,

$$\mathcal{L}_{\nu Hadron}^{NSI} = -\frac{G_F}{\sqrt{2}} \sum_{\substack{\alpha,\beta=e,\mu,\tau}} \left[ \bar{\nu}_{\alpha} \gamma^{\mu} (1-\gamma^5) \nu_{\beta} \right] * \\ \left( \varepsilon_{\alpha\beta}^{qL} \left[ \bar{q} \gamma_{\mu} (1-\gamma^5) q \right] + \varepsilon_{\alpha\beta}^{qR} \left[ \bar{q} \gamma_{\mu} (1+\gamma^5) q \right] \right)$$
(1)

The vector couplings are the only ones relevant for spin zero nuclei  $\varepsilon_{\alpha\beta}^{qV} = \varepsilon_{\alpha\beta}^{qL} + \varepsilon_{\alpha\beta}^{qR}$ .

Limits are 
$$-1.0 < \epsilon_{ee}^{uV} < 0.6$$
 and  $-0.5 < \epsilon_{ee}^{dV} < 1.2$ 

#### Nonstandard interactions

Continue considering example  $\epsilon_{ee}^{uV}$  and  $\epsilon_{ee}^{dV}$ . The zero order effect on CE $\nu$ NS is to change the standard model weak charge to an effective weak charge.

$$Q_W = N(1 - 2\epsilon_{ee}^{uV} - 4\epsilon_{ee}^{dV}) + Z(1 - 4\sin^2\theta_W + 4\epsilon_{ee}^{uV} + 2\epsilon_{ee}^{dV})$$

Recall:

$$\frac{d\sigma}{dT}(E,T) = \frac{G_F^2}{2\pi} M \left[ 2 - \frac{2T}{E} + \left(\frac{T}{E}\right)^2 - \frac{MT}{E^2} \right] \frac{Q_W^2}{4} F^2(Q^2)$$

#### Nonstandard interactions

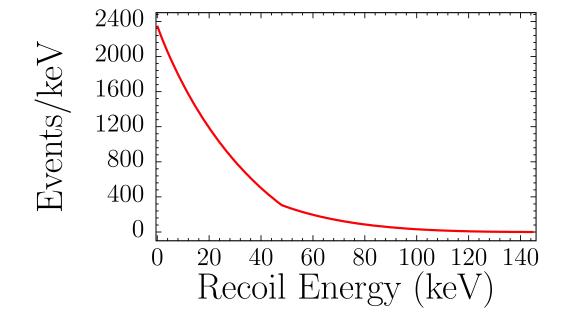
**≩**ູ80.2 0.15 0.1 0.05 Changing the size of  $Q_W$  effectively -0 changes overall magnitude of recoil -0.05 curve. Shows limits which could be -0.1 achieved after 100 kg/yr at SNS. with 5% sys Ne with 10% sys -0.15 0.15 0.2 0.050.1 ∈dV



Additional non-standard interactions such as the flavor changing neutral currents can be probed. Also, first order effect in changing relative contributions of neutron and proton form factor.

#### Beyond First Detection of $CE\nu NS$

- nonstandard  $\nu$  interactions
- form factor

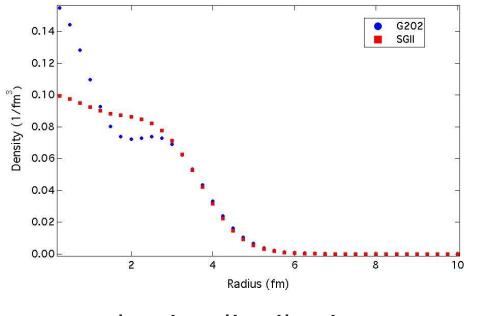


#### Form factor

#### Understanding the structure of the nucleus

Form factor,  $F(Q^2)$  is the Fourier transform of the density distributions of protons and neutrons in the nucleus.

$$F(Q^2) = \frac{1}{Q_W} \int \left[\rho_n(r) - (1 - 4\sin^2\theta_W)\rho_p(r)\right] \frac{\sin\left(Qr\right)}{Qr} r^2 dr$$



 $\langle R^2 \rangle_{SGII}^{1/2} =$  3.405 fm  $\langle R^2 \rangle_{G202}^{1/2} =$  3.454 fm

#### Form factor

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- Proton form factor term is suppressed by  $1 4\sin^2(\theta_W)$
- Neutron form factor is not suppressed

 $CE\nu NS$  can be used to determine the form factor Amanik et al 2009

#### Form factor

$$F(Q^2) = \frac{1}{Q_W} \int \left[\rho_n(r) - (1 - 4\sin^2\theta_W)\rho_p(r)\right] \frac{\sin(Qr)}{Qr} r^2 dr$$

- Proton form factor can be measured by electromagnetic probes.
- Neutron form factor is less well known:
- Neutron scattering many measurements requires theory to go from cross section to form factor
- Parity violating electron scattering PREX at Jlab Pb at one  $Q^2$ , extract  $A_{PV} \sim 0.65 \times 10^{-6}$  then determine neutron radius, now also CREX at Jlab on Ca

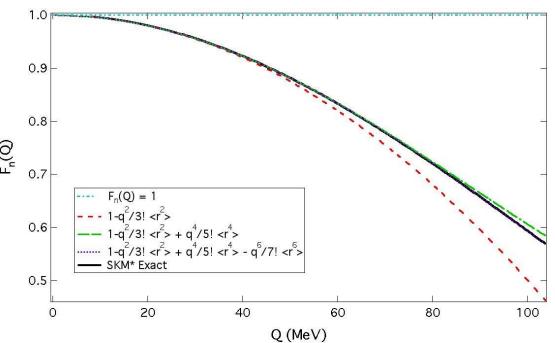
 $C\nu NS$  recoil curve can be fit: neutron radius and higher moments

#### Nuclear-Neutron form factor from $CE\nu NS$

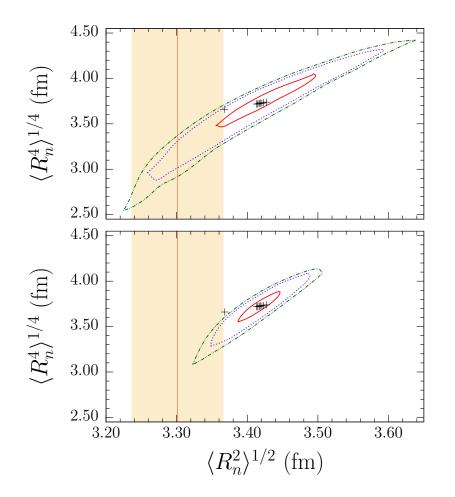
Taylor expand the sin(Qr) form factor:

 $F_n(Q^2) = \frac{1}{Q_W} \int \rho_n(r) \frac{\sin(Qr)}{Qr} r^2 dr \approx \frac{N}{Q_W} (1 - \frac{Q^2}{3!} \langle R_n^2 \rangle + \frac{Q^4}{5!} \langle R_n^4 \rangle - \dots)$ 

Moments of the density distribution,  $\langle R_n^2 \rangle$ , and the density distribution,  $\langle R_n^2 \rangle$ , and the distribution,  $\langle R_n^4 \rangle$ , and the distribution of the distribut



#### Liquid argon scenario

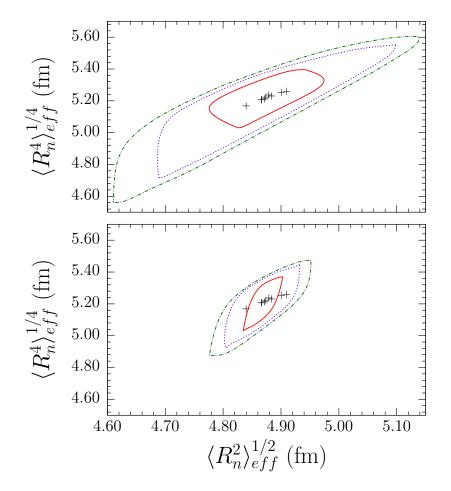


3.5 tonnes argon 16m from SNS,
18m from Daeδalus, 30m from ESS
for one year. Shows 40%, 91% and
97% confidence contours. Crosses
are theory predictions.

Fig. from Patton et al 2012

Band is measurement from neutron scattering. Top plot: normalization of neutrino flux not known, bottom plot normalization of neutrino flux known.

#### Xenon is more constraining



300 kg Xenon 16m from SNS, 18m
from Daeδalus, 30m from ESS for
one year. Shows 40%, 91% and
97% confidence contours. Crosses
are theory predictions.

fig. from Patton et al 2012

Top plot: normalization of neutrino flux not known, bottom plot normalization of neutrino flux known.

#### Beyond NSIs and the form factor

- Nonstandard  $\nu$  interactions
- Form factor

$$Q_W = N + Z(1 - 4\sin^2\theta_W)$$

- $\sin^2 \theta_W$
- $\nu$  magnetic moment

#### Beyond NSIs and the form factor

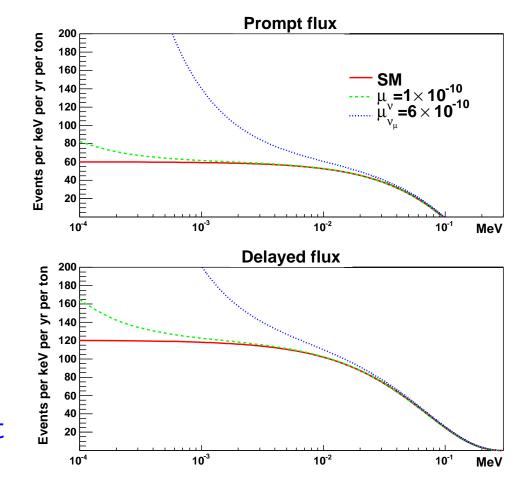


fig from Scholberg 2006

Look for excess events at low recoil energy using neutrinos from stopped  $\pi/\mu$ 

- Nonstandard  $\nu$  interactions
- Form factor
- $\sin^2 \theta_W$
- $\nu$  magnetic moment

## Summary

- Coherent elastic neutrino nucleus scattering is not yet detected, but in many communities such as supernova simulation, supernova detection, active-sterile oscillations, dark matter detection it is assume to exist as predicted by standard model
- Going beyond a first detection...
  - non-standard interactions
  - form factor
- and beyond these...
  - Weinberg angle
  - neutrino magnetic moment
- overall, a rich physics opportunity from the theory point of view