

Interference effects and the Higgs Width

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Introduction

- Higgs width unambiguously predicted in SM: $\Gamma_H^{\text{SM}} = 4.07 \times 10^{-3} \text{ GeV}$
- Larger width suggestive of decays to new states.
- Involved in extraction of Higgs couplings.
- **BUT:** detector resolution @ LHC $\sim 1 \text{ GeV}$ – **direct measurement** (e.g. scanning cross-section about mH) **not possible**.
 - (One motivation for future linear collider).
- Use **indirect means** to bound width @ LHC.
 - Global fits
 - “Inferometry”
 - Mass peak shifts in $H \rightarrow \gamma\gamma$
 - interference in $gg \rightarrow ZZ$
 - ...

Higgs Width from Coupling Fits

- Theoretically well-motivated assumption:

$$|C_{Z,W}| < 1.5$$

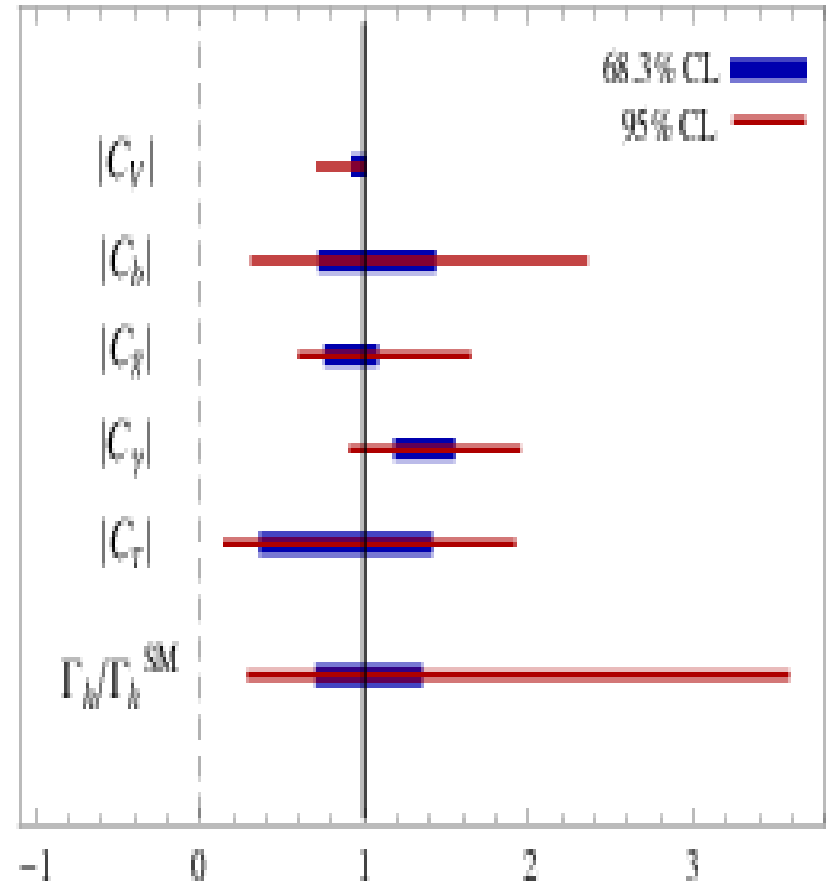
- Higgs coupling fits to $WW, ZZ, \gamma\gamma, bb, gg, \tau\tau$

→ **Upper bound** on Higgs width

$$\Gamma_H/\Gamma_H^{\text{SM}} \leq 0.52^{+0.82}_{-0.10}$$

(Dobrescu, Lykken, hep-ph/1210.3342)

(see also Djouadi, Moreau, hep-ph/1303.6591, CMS PAS-HIG-13-005)



Higgs Width from Coupling Fits

- **Lower limit on coupling** extracted from rate required for observation.

$$\Gamma_H/\Gamma_H^{\text{SM}} \geq 1.05^{+1.26}_{-0.34}$$

- Combining these limits: $0.71 \leq \Gamma_H/\Gamma_H^{\text{SM}} \leq 1.34$

- Model dependence/theoretical assumptions...

Higgs Mass Peak Shift in $H \rightarrow \gamma\gamma$

- Real part of interference between $gg \rightarrow \gamma\gamma$ and $gg \rightarrow H \rightarrow \gamma\gamma$ is **odd** about Higgs peak.

(Diracus, Willenbrock, PRD37,1801)

- Interference effects in overall cross section is **small** (mostly come from imaginary part of two-loop $gg \rightarrow \gamma\gamma$)

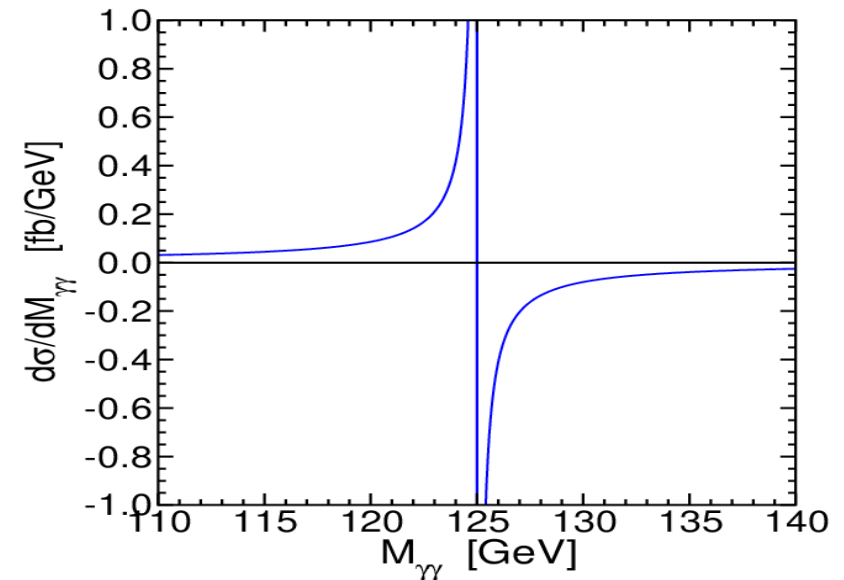
(Dixon, Siu, hep-ph/0302233)

- **Shift mass peak to lower values** by ~ 100 MeV – important for precise mass determinations!

(Martin, hep-ph/1208.1533, hep-ph/1303.3342,

De Florian *et al.*, hep-ph/1303.1397,

Dixon, Li, hep-ph/1305.3854)



- Strongly dependent on higher-order corrections
 - Shift **decreased** by including qg tree-level interference
 - Shift **decreased** by including NLO gg interference
 - Shift **increased** by including NLO qg interference
- Also strongly dependent on detector (+ other experimental) effects

Bounding Higgs Width with Mass Peak Shift

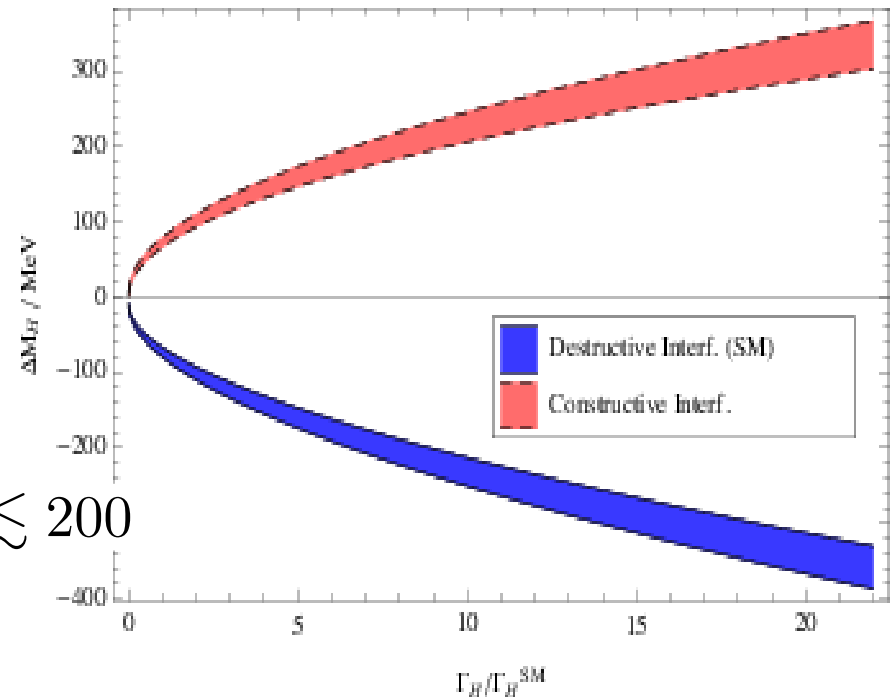
$$\frac{d\sigma^{\text{int}}}{dM_{\gamma\gamma}} = \frac{(M_{\gamma\gamma}^2 - m_H^2)R + m_H\Gamma_H I}{(M_{\gamma\gamma}^2 - m_H^2) + m_H^2\Gamma_H^2}$$

$\sim c_g c_\gamma$

~1%, can be ignored

Overall rate $\sim c_g^2 c_\gamma^2 / \Gamma_H$

- Mass shift R and overall rate can be related to Higgs width.
- Current data indicates $\Gamma_H / \Gamma_H^{\text{SM}} \lesssim 200$
- With 3 ab^{-1} , $\Gamma_H / \Gamma_H^{\text{SM}} \lesssim 15$



Interference in $gg \rightarrow H \rightarrow ZZ$

- $\Gamma_H/m_H \sim 10^{-5}$ – expect **NWA** to work well for Higgs.
- In $H \rightarrow ZZ \rightarrow 4l$, $\sim 10\%$ of rate is in the high mass tail.

(Kauer, Passarino hep-ph/1206.4803)

- **DRAMATIC** failure of NWA – **unitarizing feature** of Higgs.
- Can study **off-shell behavior of the Higgs**.
- Use this to bound the Higgs width (under certain assumptions):

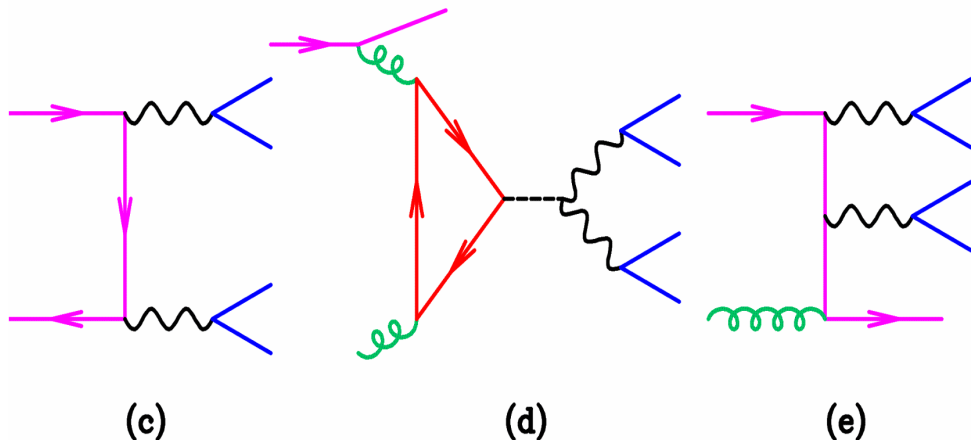
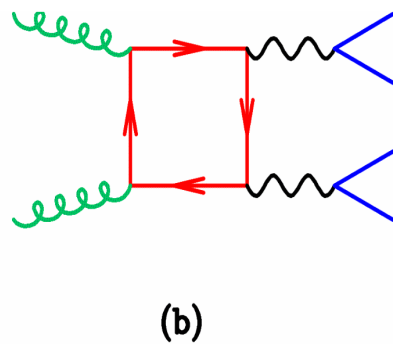
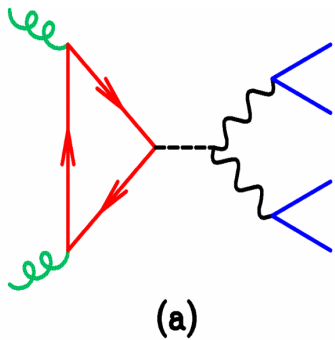
- On-peak: $\sigma \propto g_i^2 g_f^2 / \Gamma_H$

- Off-peak: $\sigma \propto g_i^2 g_f^2$

(Caola, Melnikov hep-ph/1307.4935; Campbell, Ellis, Williams hep-ph/1311.3589, hep-ph/1312.1628)

- I will focus on **GLUON FUSION** and **H \rightarrow ZZ DECAYS**.

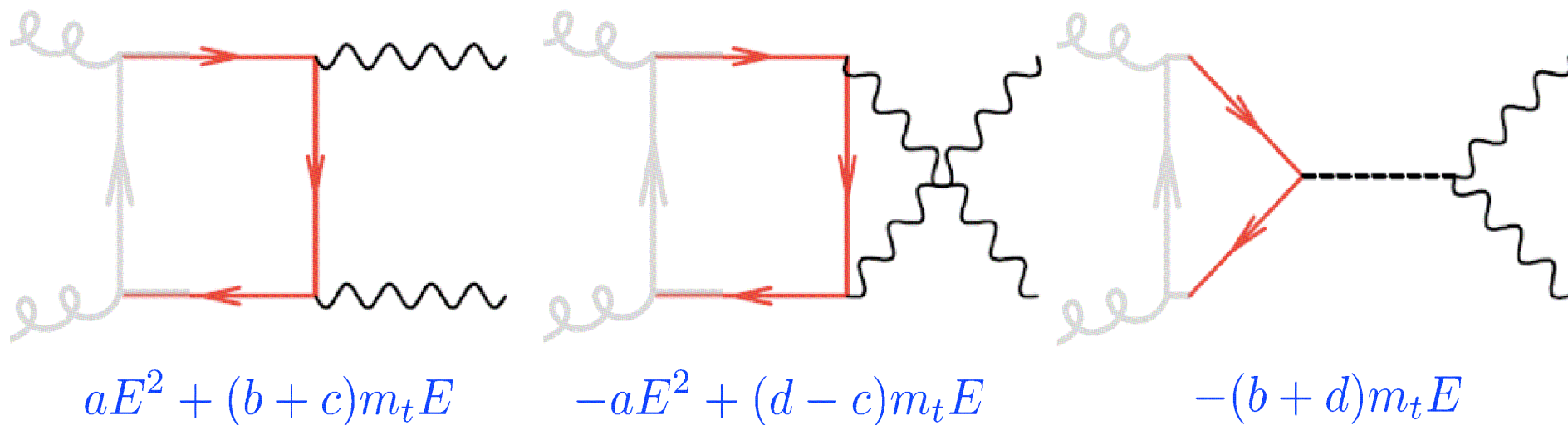
Theoretical ingredients



- $|(a)|^2$ – “**signal**”
- $|(c)|^2$ – “**background (LO)**”
- $|(b)|^2$ – “**background (NNLO)**”
- $(a)^*(b)$ – **interference** – **large and destructive** in high-mass tail (needed to unitarize high-energy behavior).
- $(d)^*(e)$ – interference at same order (g_s^4) – expected to be less important

Understanding high energy behavior

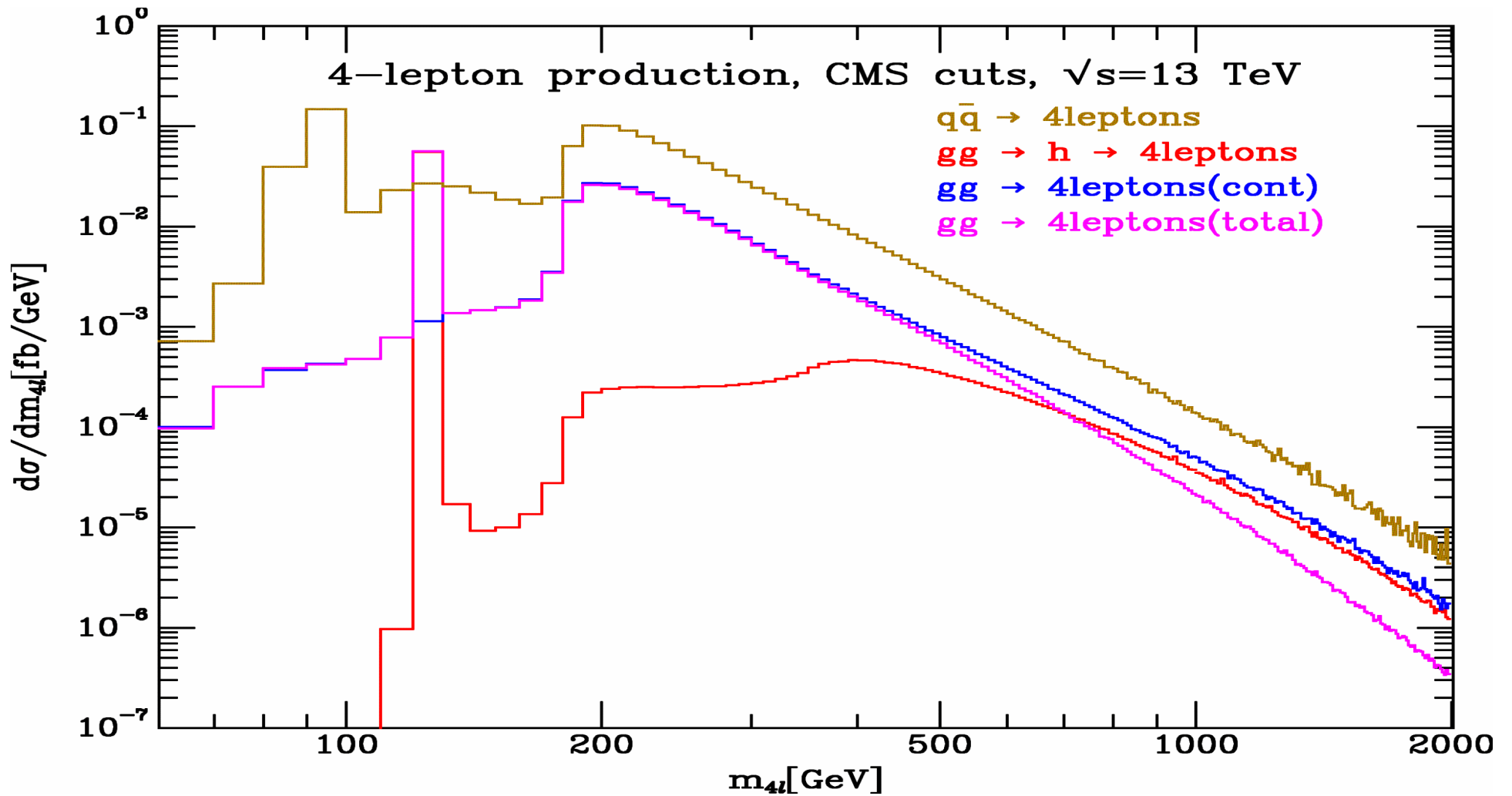
Look at $t\bar{t}b \rightarrow ZZ$



Courtesy J. Campbell

- Higgs amplitude cancels high energy behavior and **preserves unitarity**.
- Higgs high mass behavior gives insight into its unitarizing properties

Results



Interference has a significant effect!

Constraining the Higgs width

- Consider rescaling couplings and widths: $g_i \rightarrow \alpha g_i; \Gamma_H \rightarrow \alpha^4 \Gamma_H$
 - **On-shell** cross section remains unchanged

$$\sigma_{\text{off}} = \sigma_H \frac{\Gamma_H}{\Gamma_H^{\text{SM}}} - \sigma_I \sqrt{\frac{\Gamma_H}{\Gamma_H^{\text{SM}}}}$$

- **Cut-and-count**

(Caola, Melnikov hep-ph/1307.4935;

Campbell, Ellis, Williams hep-ph/1311.3589, hep-ph/1312.1628)

$$\Gamma_H \leq 25.2 \Gamma_H^{\text{SM}}$$

- **Matrix element methods**

(Campbell, Ellis, Williams hep-ph/1311.3589)

$$\Gamma_H \leq 15.7 \Gamma_H^{\text{SM}}$$

- **ATLAS** $\Gamma_H \leq (4.8 - 7.7) \Gamma_H^{\text{SM}}$

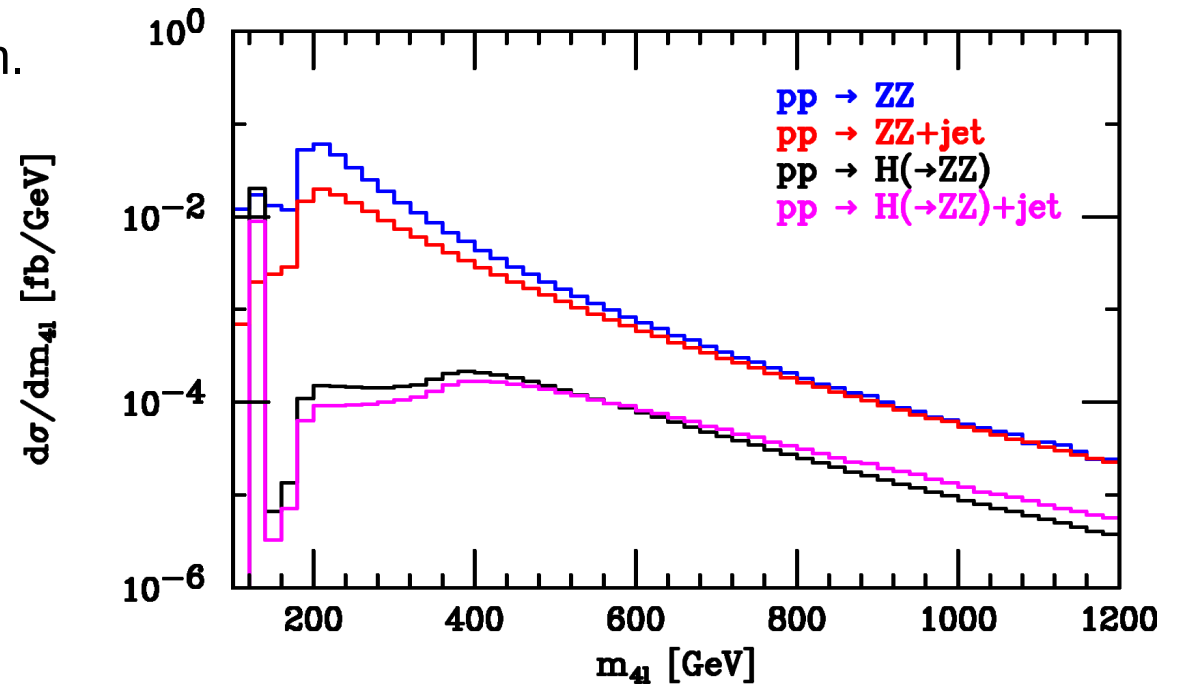
ATLAS-CONF-2014-042

- **CMS** $\Gamma_H \leq 5.4 \Gamma_H^{\text{SM}}$

hep-ex/1405.3455

ZZ+jet (Campbell, Ellis, Furlan, RR, hep-ph/1409.1897)

- 1-jet bin is well-populated (large radiation off gg initial state).
- **Same effect** should be present (and hence similar analysis should be possible) in this bin.
- Background **smaller** in 1-jet bin.

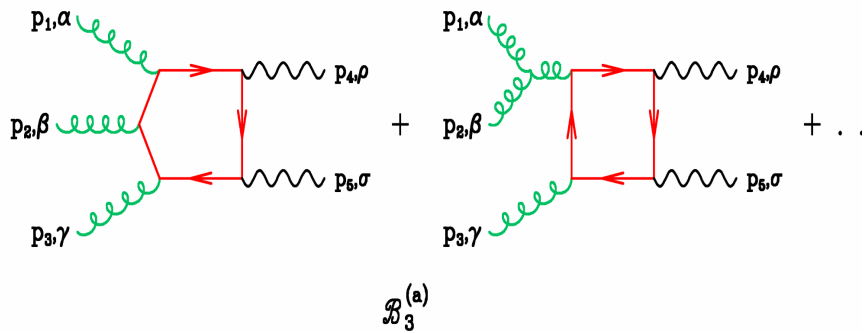
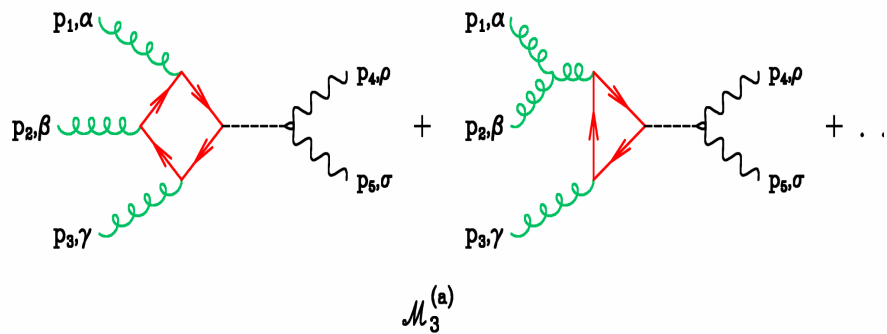


- Additionally: these amplitudes are needed for **real radiation** corrections to $gg \rightarrow H \rightarrow ZZ$ and $gg \rightarrow ZZ$.

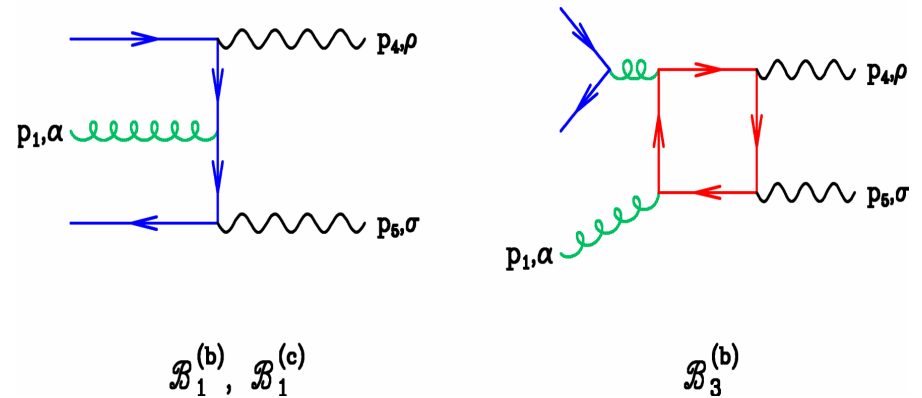
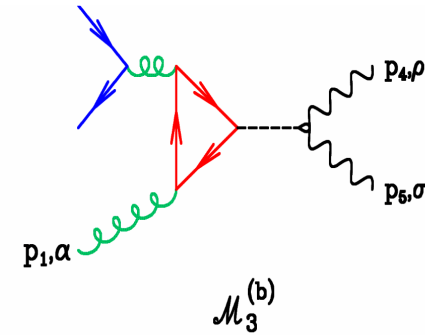
[bottleneck: virtual corrections for $gg \rightarrow ZZ$ (two-loop)]

Theoretical ingredients

Gluon-initiated



Quark-initiated.



- Dominant contribution
- Cf. Campanario, *et al*, hep-ph/1211.5429

- Box*Triangle not negligible in tail
- Other interferences small (Binoth *et. al.*, hep-ph/0911.3181)

Results in partonic channels

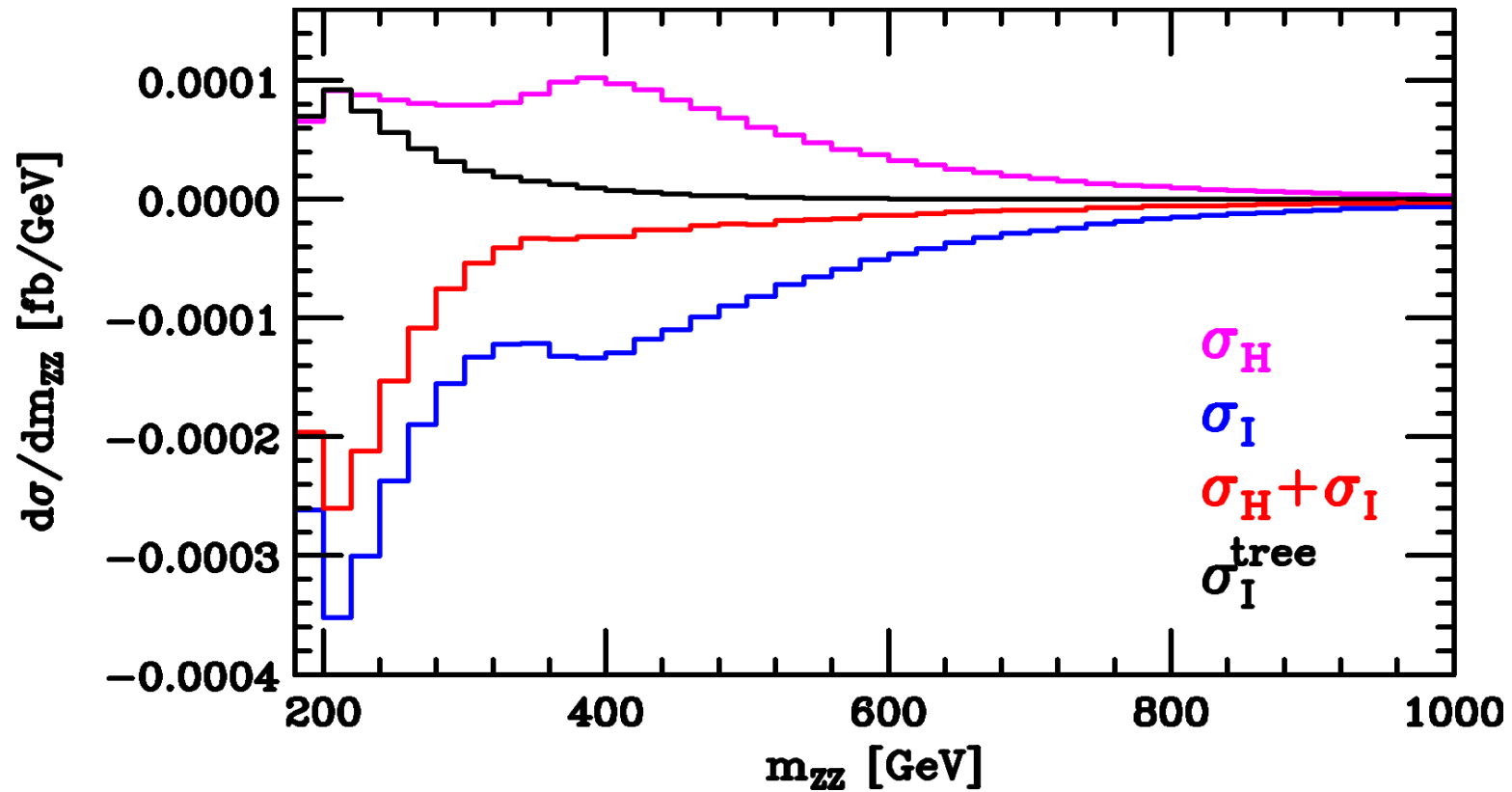
- Z kept on-shell: decays included through BR only.
(only valid for $m_{ZZ} > 2 m_Z$)
- Look at tail $m_{ZZ} > 300$ GeV
- Require jet with $|\eta| < 3$ and $p_T > p_{T,cut}$
- Dynamic scale $\mu = m_{ZZ}/2$
- **Quark-initiated contributions** amount to **25-50%** at 8 TeV, smaller at 13 TeV.
- “Loop” interference contributions are **large** and **negative** (req'd by unitarity).
- “Tree” interference are small.

Results

	$p_{T,\text{cut}}$ [GeV]	$\sigma_{H,\text{peak}}$ [fb]	$\sigma_{H,\text{tail}}$ [fb]	$\sigma_{I,\text{tail}}$ [fb]	$\sigma_{I,\text{tail}}^{\text{tree}}$ [fb]
$\sqrt{s} = 8$ TeV	30	0.351	0.0280	-0.0392	0.0023
	50	0.206	0.0176	-0.0244	0.0018
	100	0.0714	0.0075	-0.0100	0.0010
	200	0.0128	0.0019	-0.0024	0.00026
$\sqrt{s} = 13$ TeV	30	0.909	0.110	-0.156	0.0065
	50	0.557	0.0718	-0.100	0.0053
	100	0.212	0.0329	-0.0448	0.0030
	200	0.045	0.0099	-0.0130	0.0009

- Higgs off-peak \sim order of magnitude smaller than on-peak cross-section.
- Increase by factor 4-5 for run II.
- Tree interference – upper bound on this effect.

Results



- Interference has dramatic effect on shape as well as normalization.

Higgs width analysis in ZZ+jet

- Recall $\sigma_{\text{off}} = \sigma_H \frac{\Gamma_H}{\Gamma_H^{\text{SM}}} - \sigma_I \sqrt{\frac{\Gamma_H}{\Gamma_H^{\text{SM}}}}$
- For $gg \rightarrow ZZ \rightarrow 4l$: $\sigma_{\text{off}} = 0.025 \frac{\Gamma_H}{\Gamma_H^{\text{SM}}} - 0.036 \sqrt{\frac{\Gamma_H}{\Gamma_H^{\text{SM}}}}$
- For $gg \rightarrow ZZ$: $\sigma_{\text{off}} = 0.0323 \frac{\Gamma_H}{\Gamma_H^{\text{SM}}} - 0.0468 \sqrt{\frac{\Gamma_H}{\Gamma_H^{\text{SM}}}}$
- For $ZZ + \text{jet}$: $\sigma_{\text{off}} = 0.0280 \frac{\Gamma_H}{\Gamma_H^{\text{SM}}} - 0.0392 \sqrt{\frac{\Gamma_H}{\Gamma_H^{\text{SM}}}}$
- Expect **comparable** width constraints in 1-jet bin

Theoretical control

- **Background** process $pp \rightarrow ZZ$ well controlled – known to NNLO (Cascioli *et. al.* hep-ph/1405.2219)
- “**Signal**” and “**interference**” processes $gg \rightarrow H \rightarrow ZZ$ and $gg \rightarrow ZZ$ in these analyses – **LO only**.
 - $gg \rightarrow H$ has large scale uncertainty & k -factor
 - Full dependence on m_t required.
 - $gg \rightarrow H$ known to NLO (i.e. two loops)
 - $gg \rightarrow ZZ$ (with internal masses) at LO only.
 - Amplitudes for real radiation known (ZZ+jet)
 - Bottleneck: $gg \rightarrow ZZ$ (with internal masses) at two loops

Theoretical control

- $gg \rightarrow ZZ$ contributes to **interference terms**.
- Recall
$$\sigma_{\text{off}} = \sigma_H \frac{\Gamma_H}{\Gamma_H^{\text{SM}}} - \sigma_I \sqrt{\frac{\Gamma_H}{\Gamma_H^{\text{SM}}}}$$
- **Interference terms** negligible for widths far from SM – but ATLAS & CMS **already close to SM width**.
- Rescaling assumes that higher order corrections same in **interference** as in **Higgs squared**.
- Confirmed in the case of heavy Higgs using SCET
(Bonvini *et. al.* hep-ph/1304.3053)
– **but for lighter Higgs?**

Model independence

- Critical assumption: Higgs couplings **on-shell** same as those **off-shell**.
- New particles in loop may violate this (see Englert, Spannowsky, hep-ph/1409.8074, Englert, Soreq, Spannowsky hep-ph/1410.5440)

- For BSM scenarios satisfying

$$R_{m_{ZZ}} = \kappa_{ggH}(m_H^2) / \kappa_{ggH}(m_{ZZ}) \simeq 1$$

the interpretation as a width constraint is **valid**.

- Examples: Dimension-6 extension of Higgs sector with Higgs portal, minimal extension of Higgs sector.
- Not valid for, e.g. MSSM
 - But here, **off-shell effects excellent probe** for light stops

Conclusions

- Indirect measurements of Higgs width possible at the LHC.
 - Global fits, mass peak shift in $\gamma\gamma$ decay, off-peak effects in ZZ decay
- Off-peak effects in ZZ decay:
 - Possible because of unitarizing feature of Higgs
 - Inclusion of interference effects is essential
 - Analysis also possible in 1-jet bin (also VBF?)
 - Work ongoing to extend analysis to NLO
- All indirect measurements have theoretical assumptions – careful interpretation of width constraints.
 - Understand validity of interpretation within various BSM scenarios.

THANK YOU