

Double Calorimetry in Liquid Scintillator Detectors

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What

Technique allowing **redundancy** for high precision calorimetry within Liquid Scintillator detectors

Why

Upcoming high-resolution spectral measurements of **neutrino** interactions

How

Exploit two independent **energy** estimators experiencing different **systematic** uncertainties

(possibly implemented through independent detection systems)

Disclaimer: limited time ► illustration rather than full explanation

Motivation

Calorimetry of (anti)neutrino interactions

Example: θ_{13} experiments

$$\frac{\sigma(E)}{E} = \sqrt{\frac{\sigma_{\text{STOCH}}^2}{E} + \sigma_{\text{NON-STOCH}}^2}$$

Resolution dominated by photostatistics

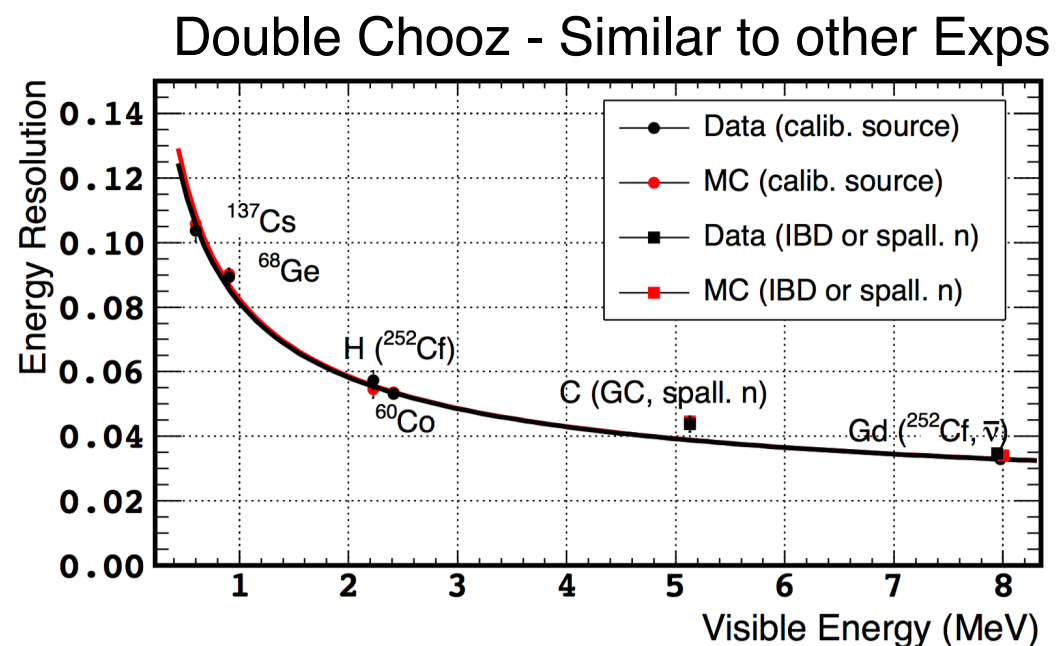
σ_{NST} : residual issues in detector modeling after calibration (linearity, stability, uniformity)

Next generation detector:

improve resolution (more than x2)

σ_{NST} no longer negligible

Understating systematics is pivotal

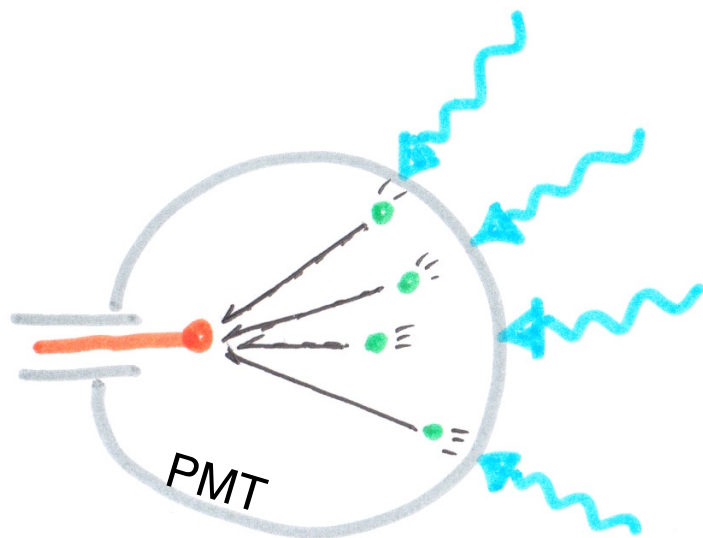


$\sigma_{\text{ST}} \sim 7\%$ $\sigma_{\text{NST}} \sim 2\%$

Two Calorimetry Observables in LS Detectors



CHARGE INTEGRATION

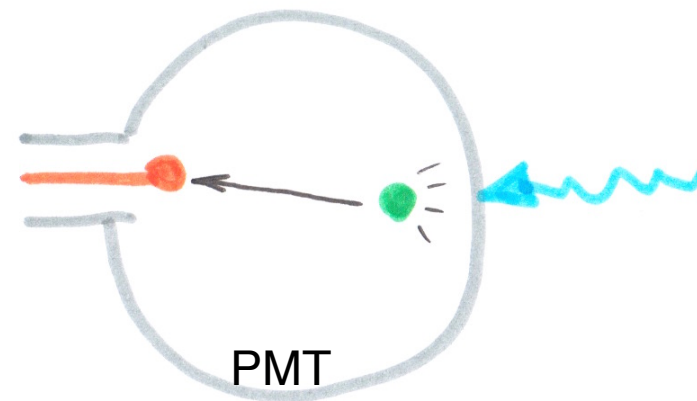


$$\lambda > 0.5$$

$$\text{PE} = \frac{\text{charge}}{\text{gain}}$$

PMT gain linearity
gain = gain(PE)?

PHOTON COUNTING



$$\lambda \approx 0.5$$

$$\text{PE} = \text{hit}$$

Single photoelectron
threshold

Different
Systematics

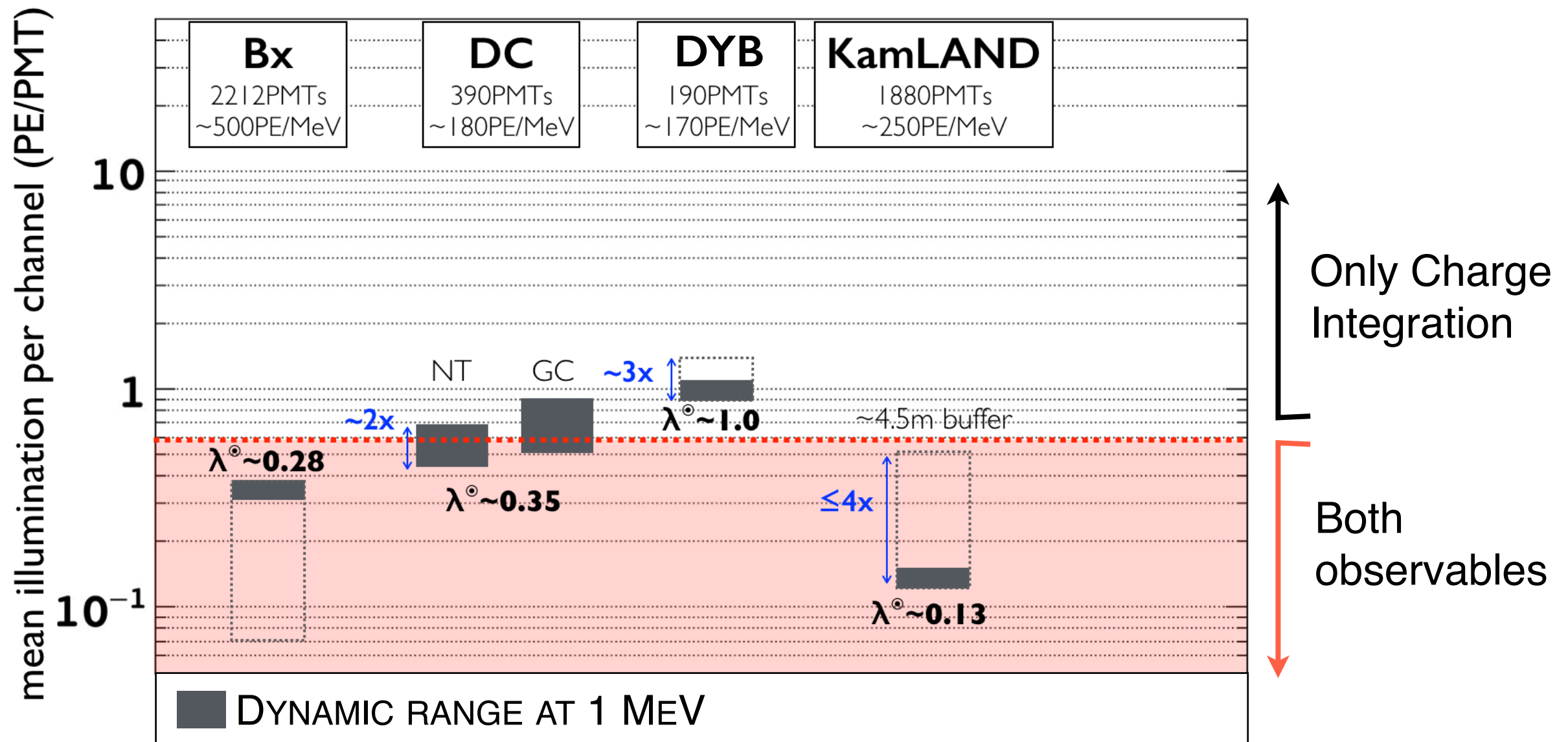
REDUNDANCY

Calorimetry in Current LS Experiments

Experiments typically implement **one single observable**

PARTLY BECAUSE

Deposited energy (signal signature) + detector geometry ► dynamic range



Why shall we go beyond this paradigm?

Calorimetry in Future LS Experiments

	DETECTOR TARGET MASS	ENERGY RESOLUTION
KamLAND	1000 t	$6\%/\sqrt{E}$
D. Chooz	30 t	$8\%/\sqrt{E}$
RENO	16 t	
Daya Bay	20 t	
Borexino	300 t	$5\%/\sqrt{E}$
JUNO	20000 t	$3\%/\sqrt{E}$

MUST BE LARGER

Sizable difference in collected light
detector center vs detector edge

MUST BE MORE PRECISE

Unprecedented light level
1200 pe/MeV

Both features

- are highly expensive (civil engineering + photocathode density)
- result in extreme detector **dynamic range**
 - reactor antineutrino detection yields $\lambda \in [0.07, \sim 50]$ in JUNO

Deal with the detection of 1200 wild photoelectrons...

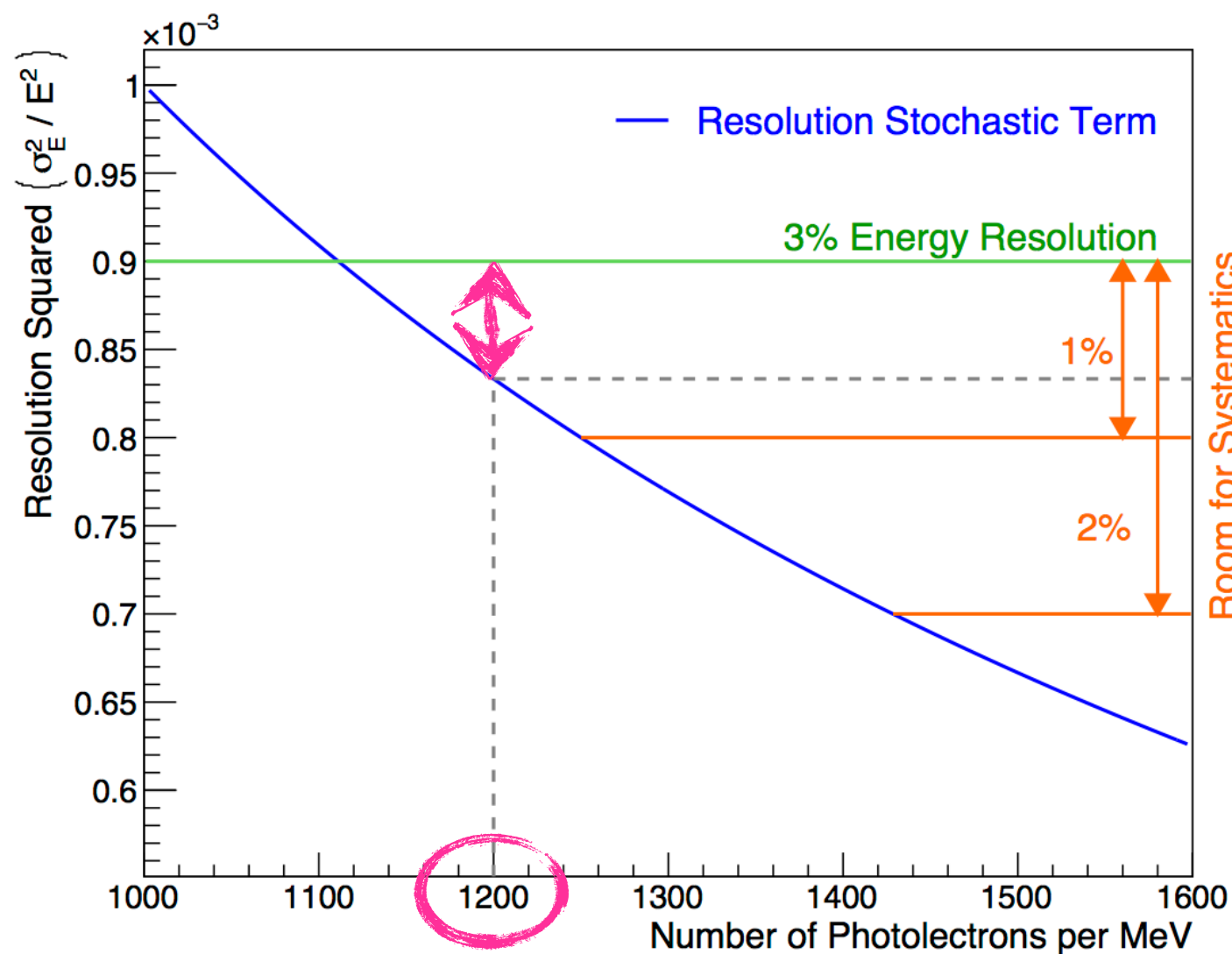


JUNO Calorimetry

Light is not enough

$$\frac{\sigma(E)}{E} = \sqrt{\frac{\sigma_{\text{STOCH}}^2}{E} + \sigma_{\text{NON-STOCH}}^2}$$

1 MeV
Energy
Deposition



σ_{NST} needs to be controlled at better than 1% level

Redundancy in systematics evaluation is pivotal

Double Calorimetry: born within JUNO
to better control / assess the resolution non-stochastic term



Double Calorimetry in Action: Energy Reconstruction

$$E = f \times PE$$

f : calibration

PE: raw detector response

ACCOUNTED
FOR USING

Uniformity

← Position dependent

Stability

← Time dependent

Linearity

← Energy dependent

Double Calorimetry in Action: Energy Reconstruction

$$E = f \times PE$$

f : calibration

PE: raw detector response



Limited dynamic range
Nowadays $\sigma(E)/E$
(eg θ_{13} experiments)

$$E \text{ [MeV]} = f^{\text{ABS}} \times f^{\text{U}}(r) \times f^{\text{S}}(t) \times f^{\text{L}}(PE) \times PE$$

↑ ↑ ↑
EVALUATED INDEPENDENTLY

Wide dynamic range
Demanding $\sigma(E)/E$

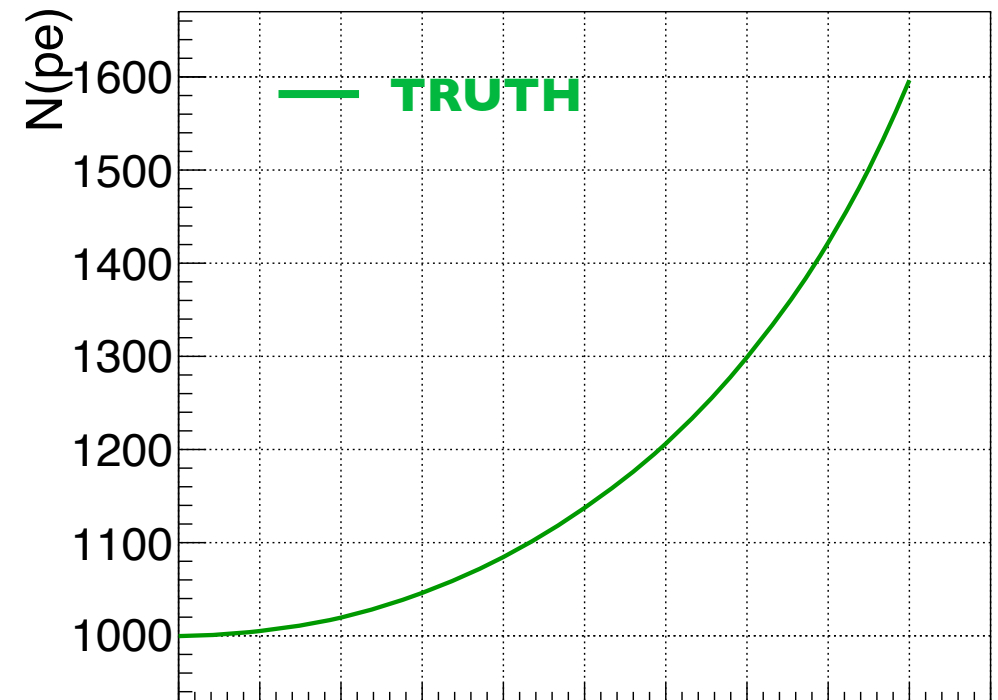
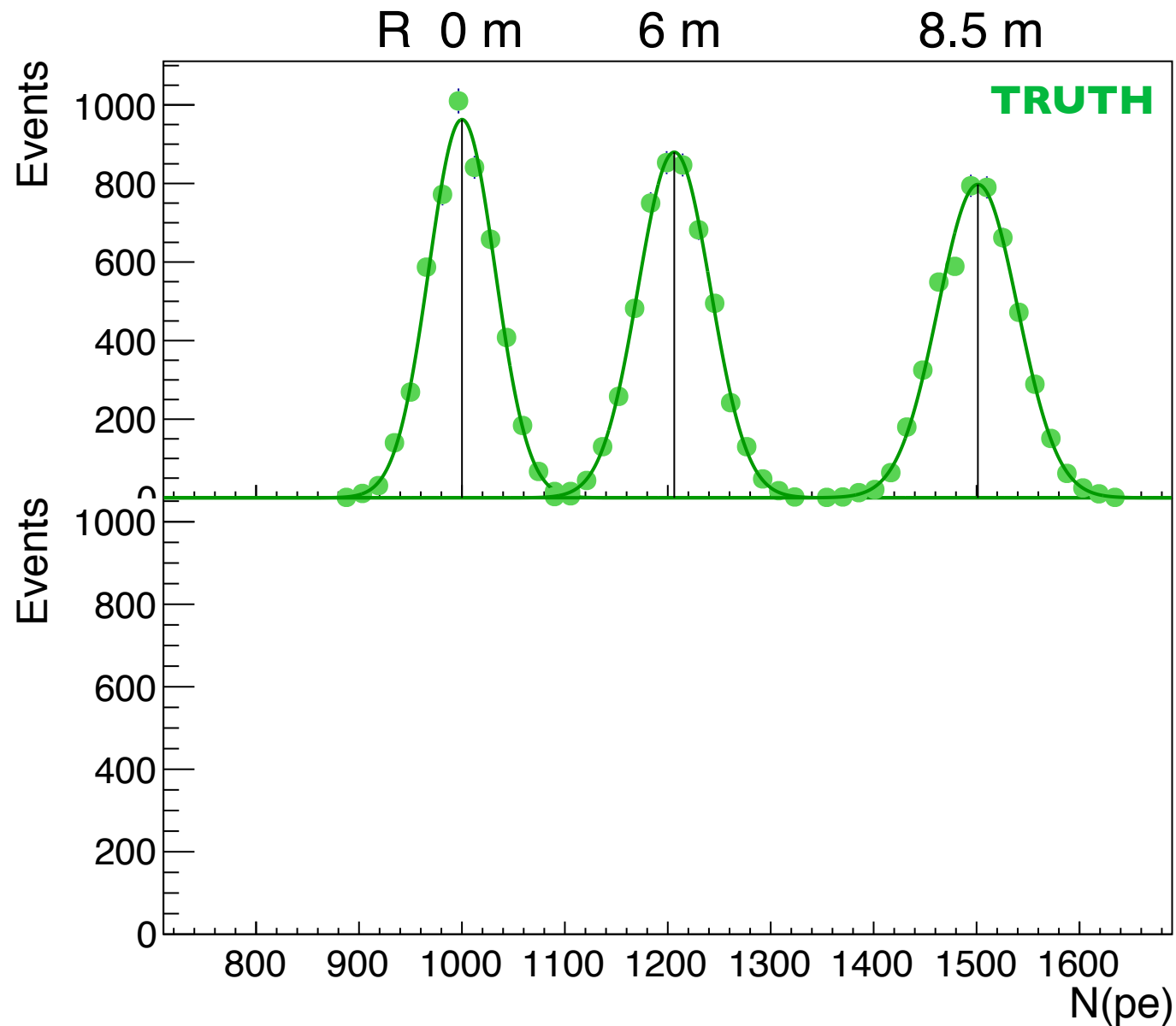
$$E \text{ [MeV]} = f^{\text{ABS, U, S, L}}(r, t, PE) \times PE$$

Correlation among f terms might become relevant (degeneracy)

EXAMPLE ►►►

Correlation Among Calibration Terms (Illustration)

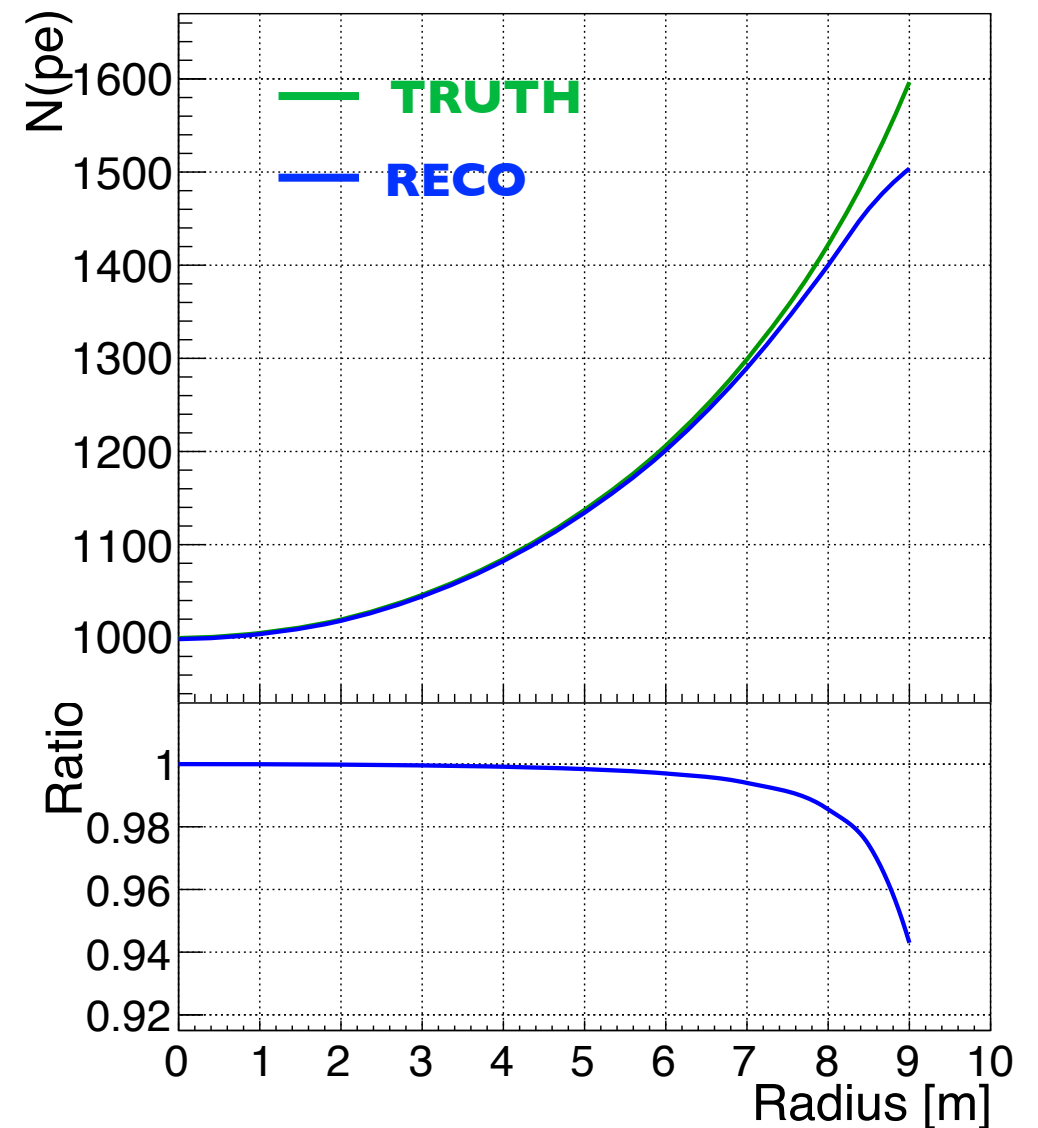
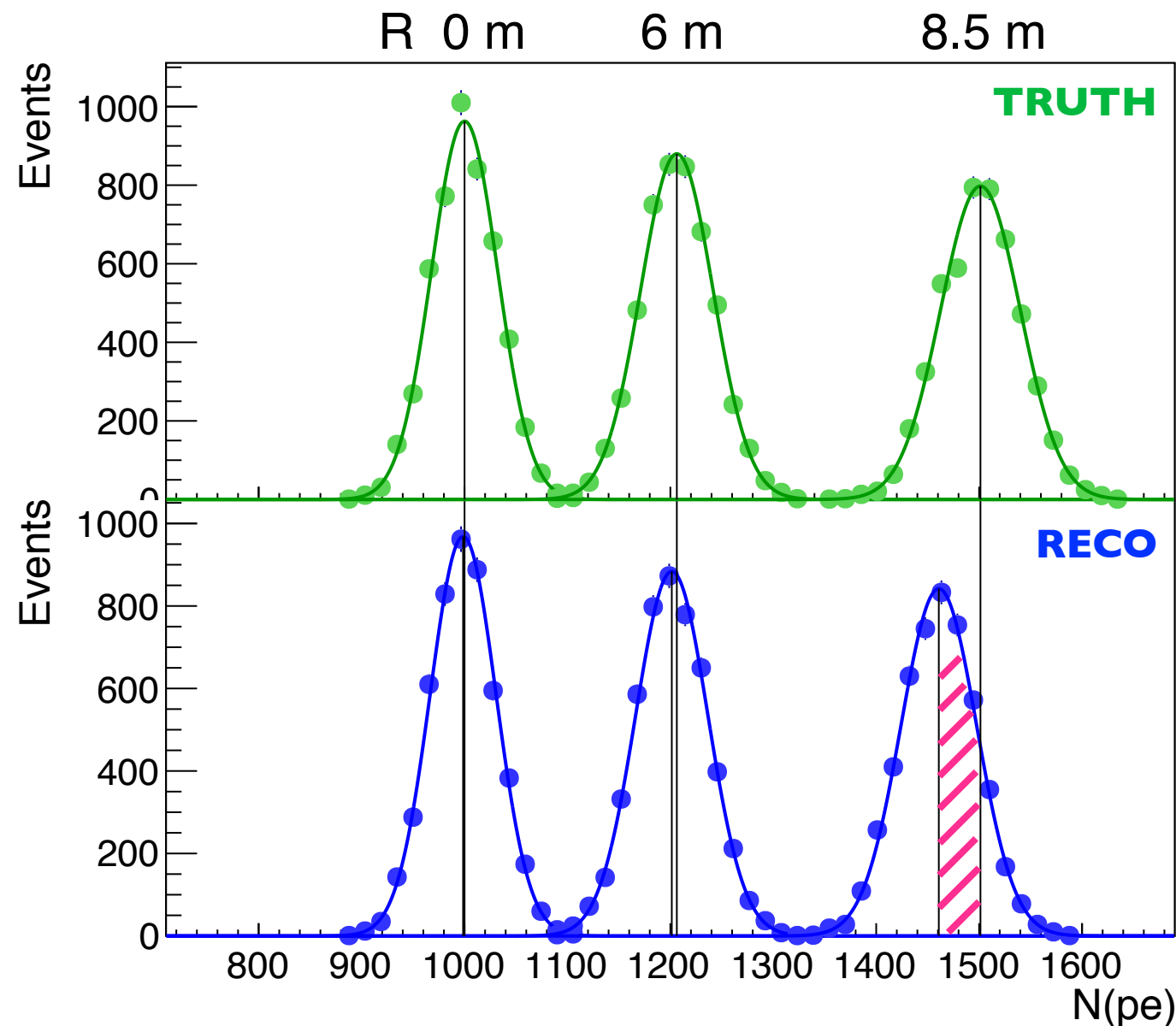
Deploy 1MeV calibration source at different positions (simulation)



TRUTH : “Genuine” detector non-uniformity (geometry + LS attenuation)

Correlation Among Calibration Terms (Illustration)

Deploy 1MeV calibration source at different positions (simulation)



RECO: Introducing a 1% bias for each detected pe

Residual charge non-linearity shows up as additional non-uniformity

Correlation Outcome

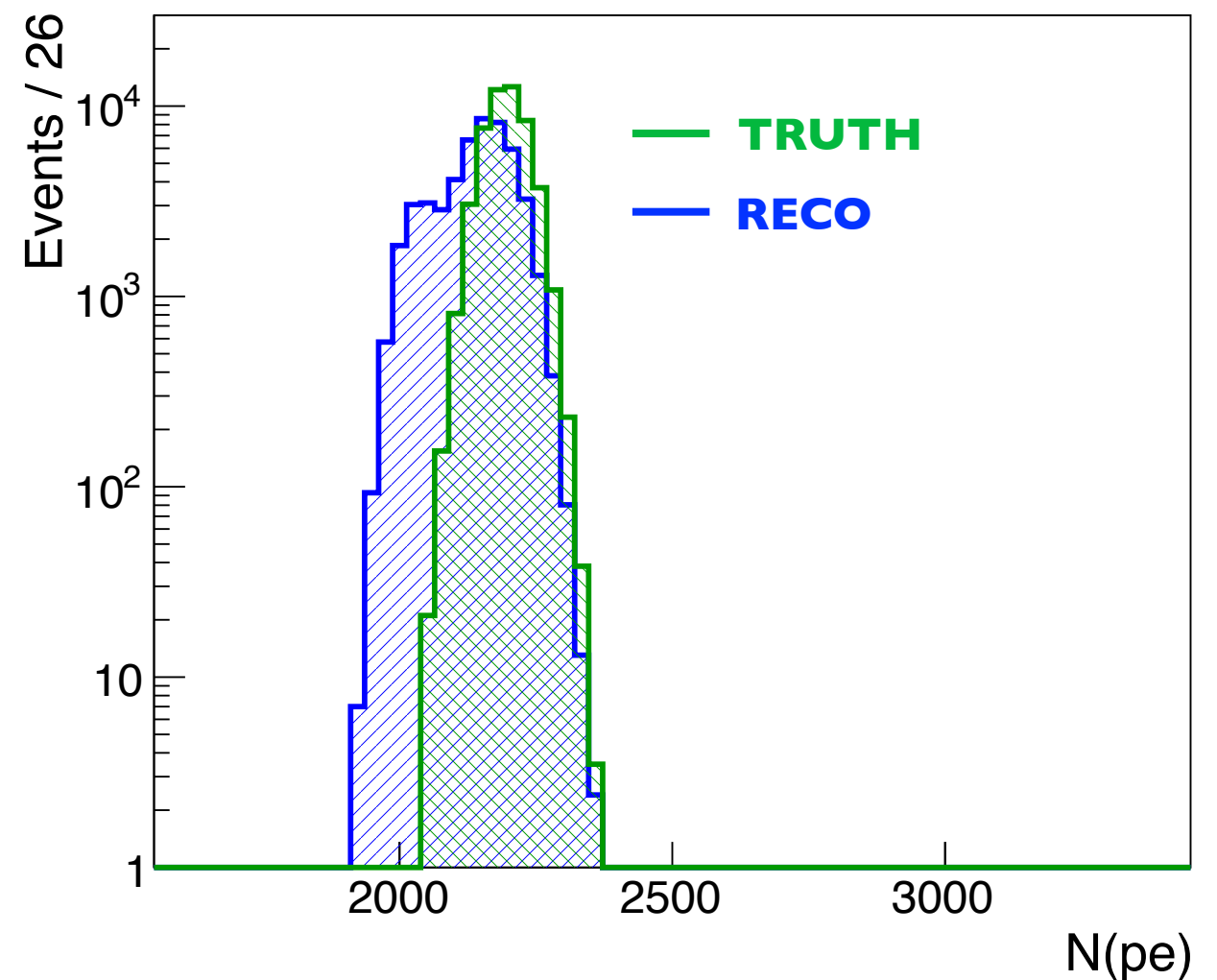
Use response map derived at 1 MeV

Reconstruct 2.2 MeV gamma line
from n captures on H

(uniformly distributed in the detector)

Actual resolution worse than
intrinsic resolution

$\sigma^2_{\text{NON-STOCH}}$ is dominant



Experimental Challenge

Understand the source of additional resolution (& distortion)

How to break down systematic uncertainty budget?



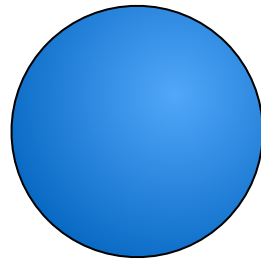
Double Calorimetry in JUNO (Large & Small PMTs)

18,000 PMTs (20" diameter) → **Large-PMT system** (LPMT)

25,000 PMTs (3" diameter) → **Small-PMT system** (SPMT)

Double Calorimetry in JUNO

Large PMTs (LPMT)
75% photocoverage
1200 PE/MeV
PE = charge / gain

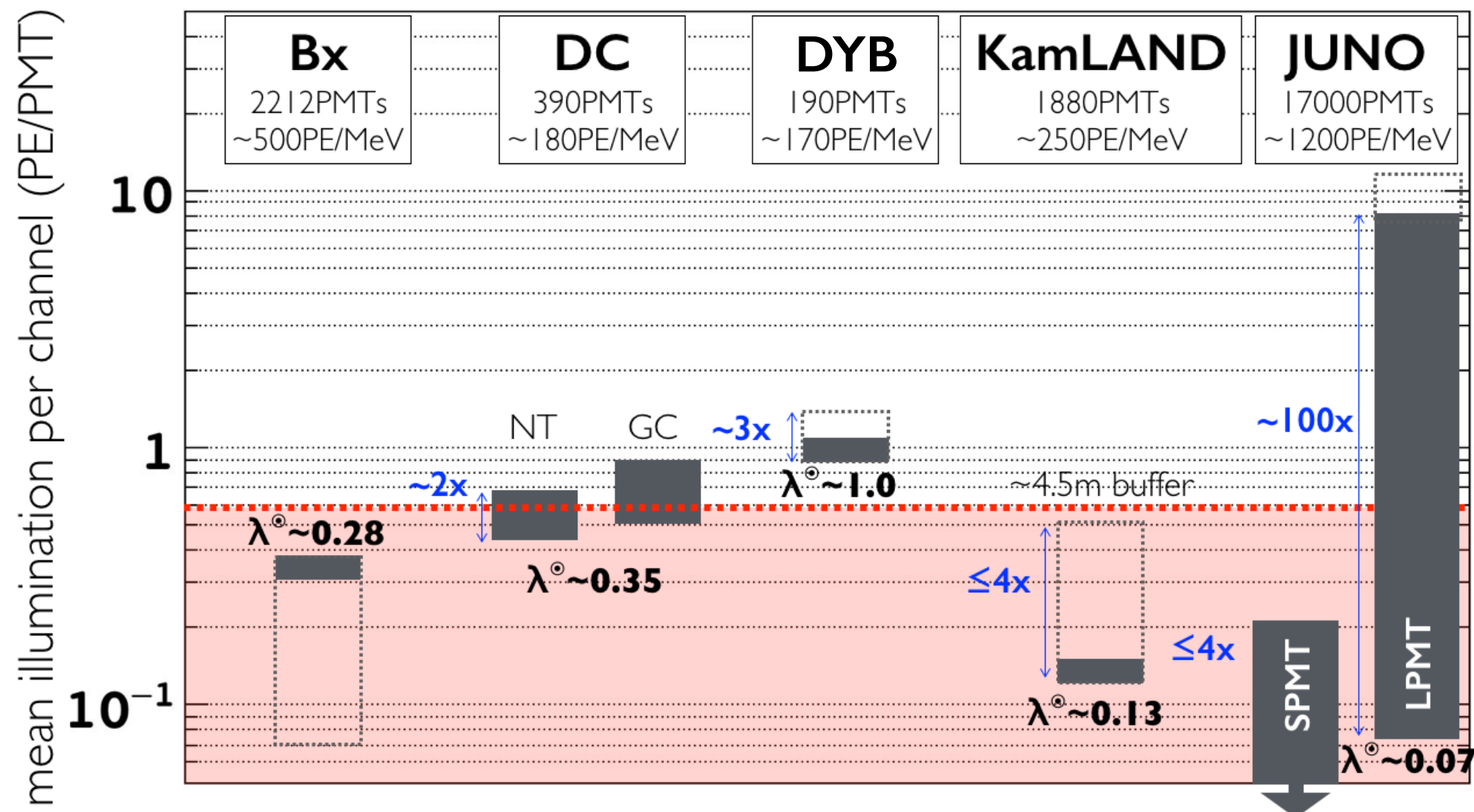


CALIBRATION



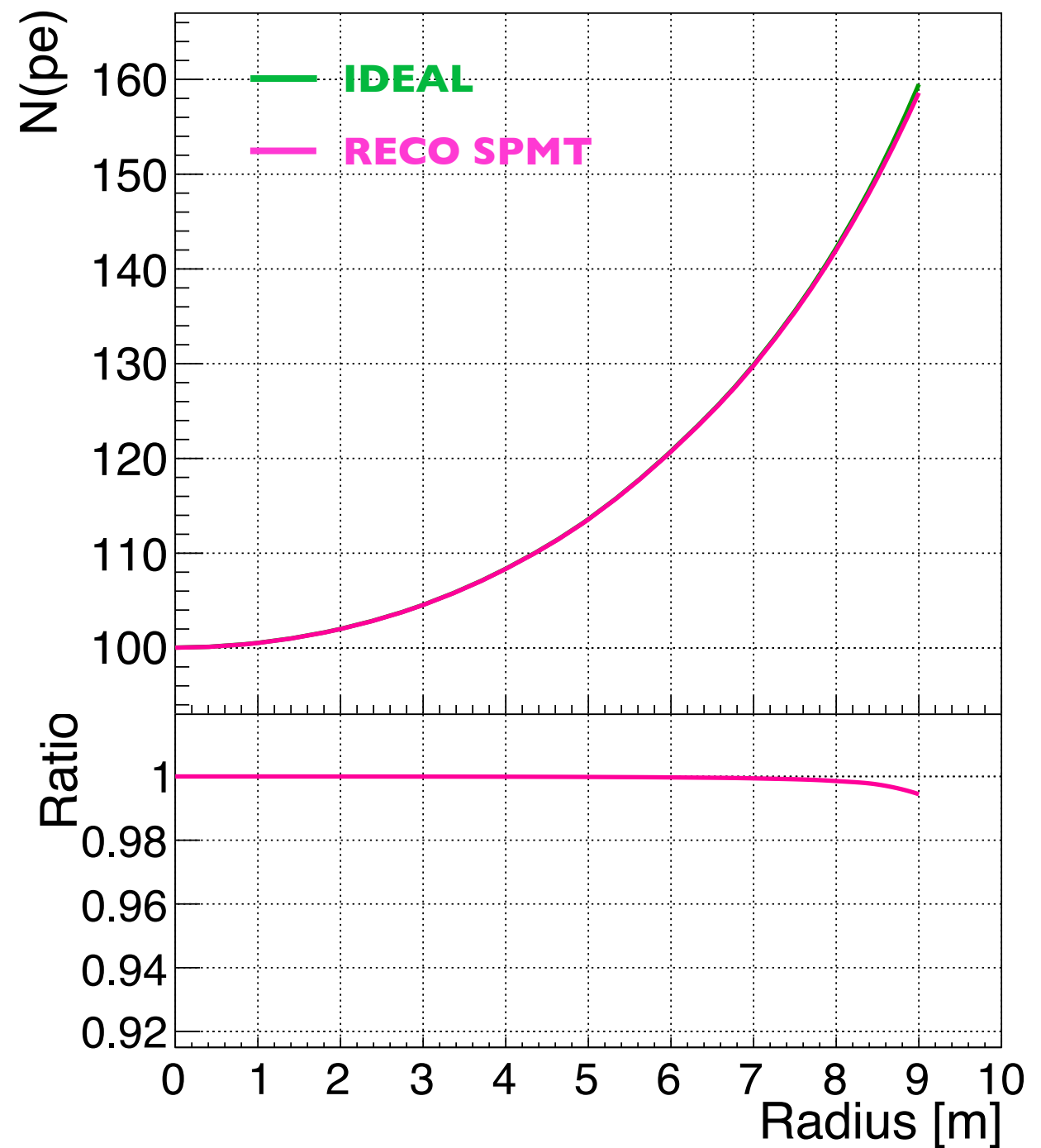
Small PMTs (SPMT)
3% photocoverage
50 PE/MeV
PE = hits

SPMT in **photon counting regime** across all dynamic range (energy & position)



Breakdown of the Non-Stochastic Resolution Term

Look at calibration data
using SPMT

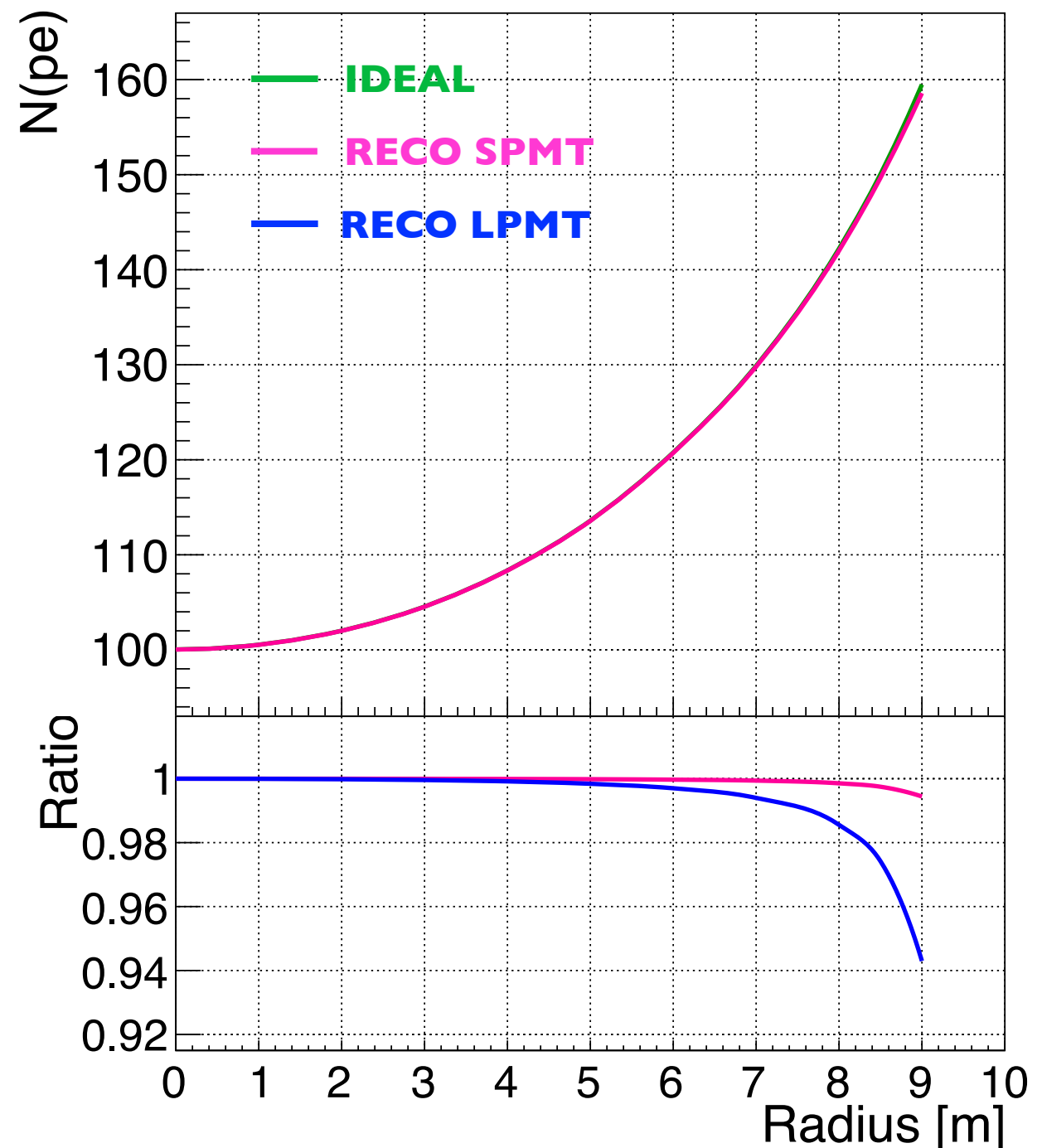


Breakdown of the Non-Stochastic Resolution Term

Look at calibration data
using **SPMT**

Photon Counting Regime:
Negligible charge non-linearity
Compared to LPMT

SPMT provide a good reference
to understand LPMT response



Breakdown of the Non-Stochastic Resolution Term

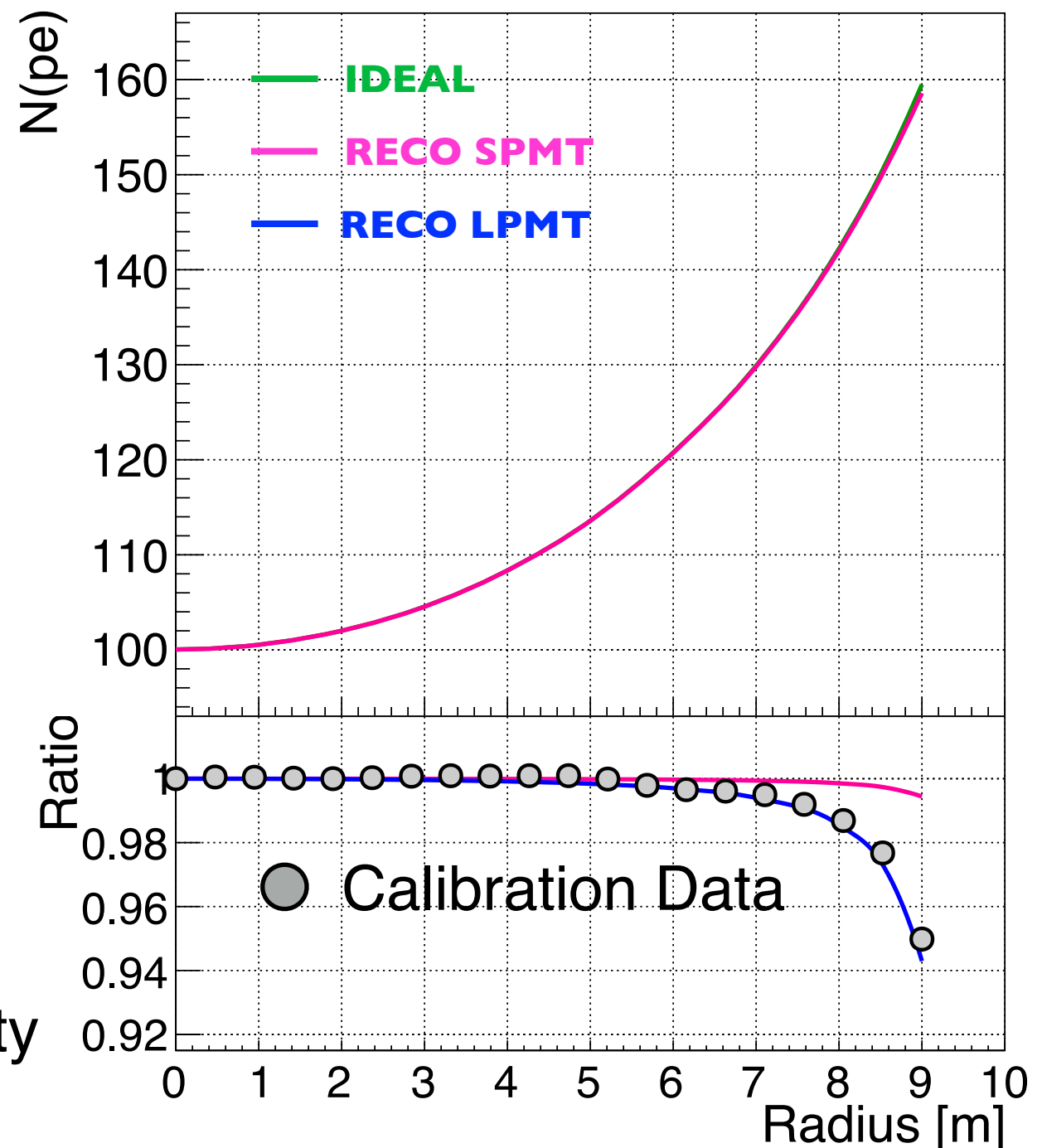
Look at calibration data
using **SPMT**

Photon Counting Regime:
Negligible charge non-linearity
Compared to LPMT

SPMT provide a good reference
to understand LPMT response

Ratio LPMT/SPMT “●”

Extra resolution due to
unaccounted charge non-linearity



SPMT: resolve otherwise unresolvable response degeneracy

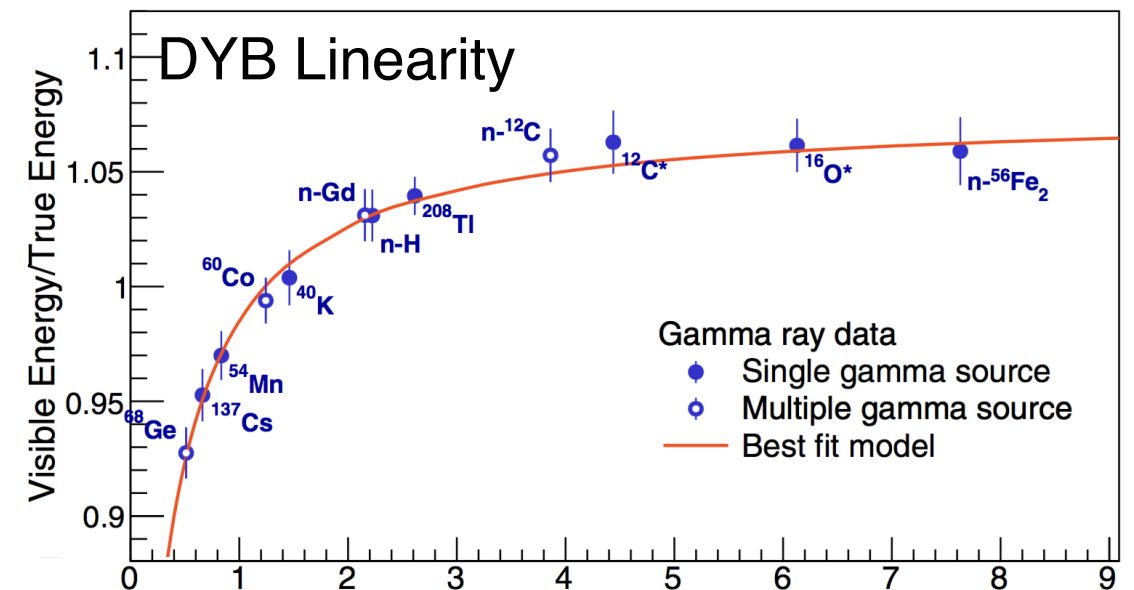
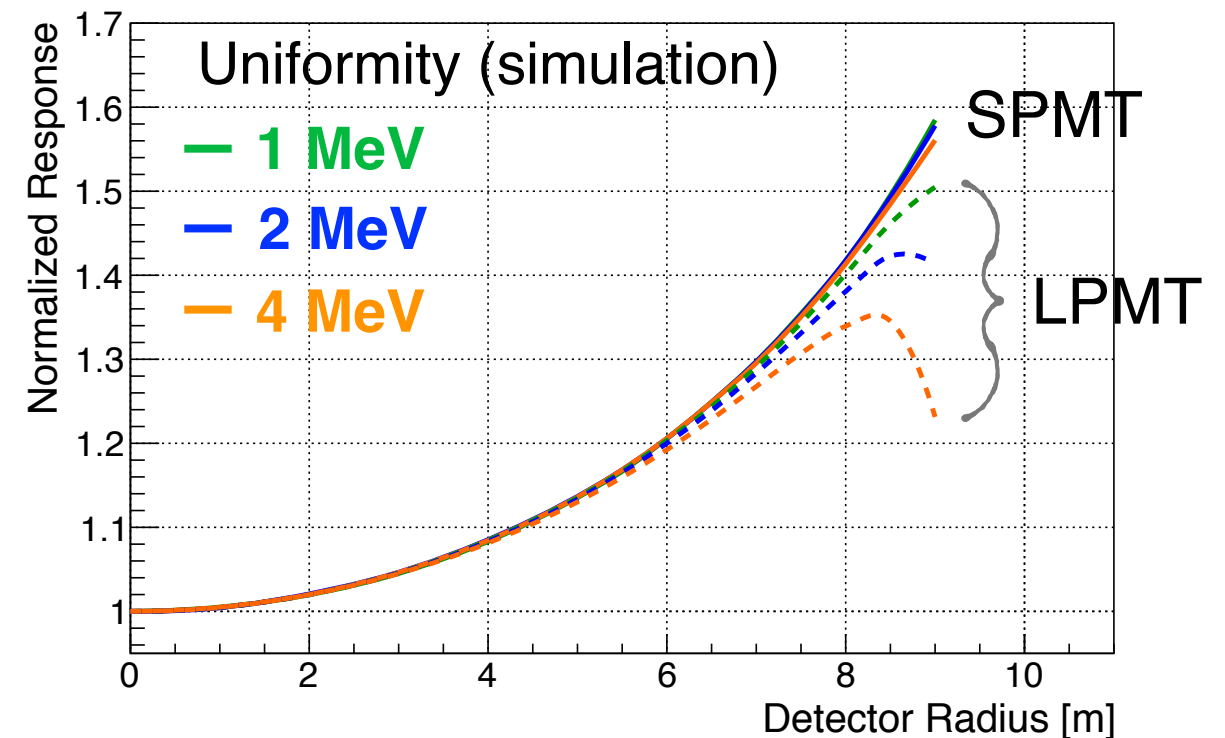
Summary & Conclusions

Three **examples** of
Double Calorimetry in action

Detector **uniformity map**
valid at different energies

Reliable measurement of detector
light non-linearity (LS quenching)

Break correlation among
calibration terms



Redundancy: key ingredient to achieve high-precision calorimetry