



# New antineutrino oscillation and other results from the T2K experiment

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- Introduction
- T2K experimental setup
- Oscillation analysis methodology
- **Updated anti- $\nu_{\mu}$  disappearance**
- **First look at anti- $\nu_e$  appearance**
- A look toward future oscillation analyses
- Highlights from additional T2K physics: new cross section results

# What is neutrino oscillation?

Evidence of massive neutrinos comes from the observation of neutrino oscillation, the interference between the flavor and mass eigenstates.

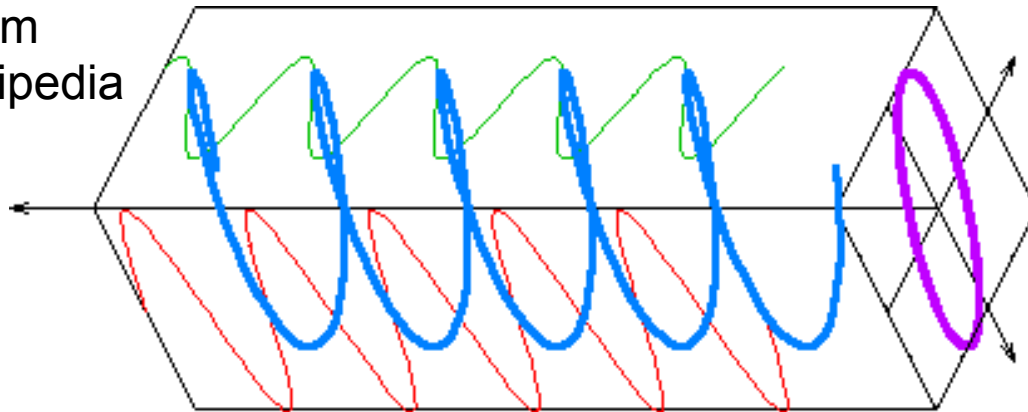
If we start with two neutrino flavor ( $\nu_e, \nu_\mu$ ) and two mass states ( $\nu_1, \nu_2$ ) then:

$$\begin{pmatrix} \nu_e \\ \nu_\mu \end{pmatrix} = \begin{pmatrix} \cos(\theta) & \sin(\theta) \\ -\sin(\theta) & \cos(\theta) \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \end{pmatrix}$$

The flavor state evolution in time is like an elliptically polarized wave:

$$|\nu_\mu(t)\rangle = -\sin \theta e^{-iE_1 t} |\nu_1\rangle + \cos \theta e^{-iE_2 t} |\nu_2\rangle$$

From  
wikipedia



Starting polarized along the x-axis (like starting in  $\nu_\mu$  state) then:

- Some time later polarization is along y-axis ( $\nu_e$ )
- Or back to the x-axis ( $\nu_\mu$ )

Flavor eigenstates (coupling to the W)  $\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} U_{e1} & U_{e2} & U_{e3} \\ U_{\mu1} & U_{\mu2} & U_{\mu3} \\ U_{\tau1} & U_{\tau2} & U_{\tau3} \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$  Mass eigenstates (definite mass)

Unitary PMNS mixing matrix

Three observed flavors of neutrinos ( $\nu_e, \nu_\mu, \nu_\tau$ ) means U is represented by **three independent mixing angles ( $\theta_{12}, \theta_{23}, \theta_{13}$ ) and a CP-violating phase  $\delta$**

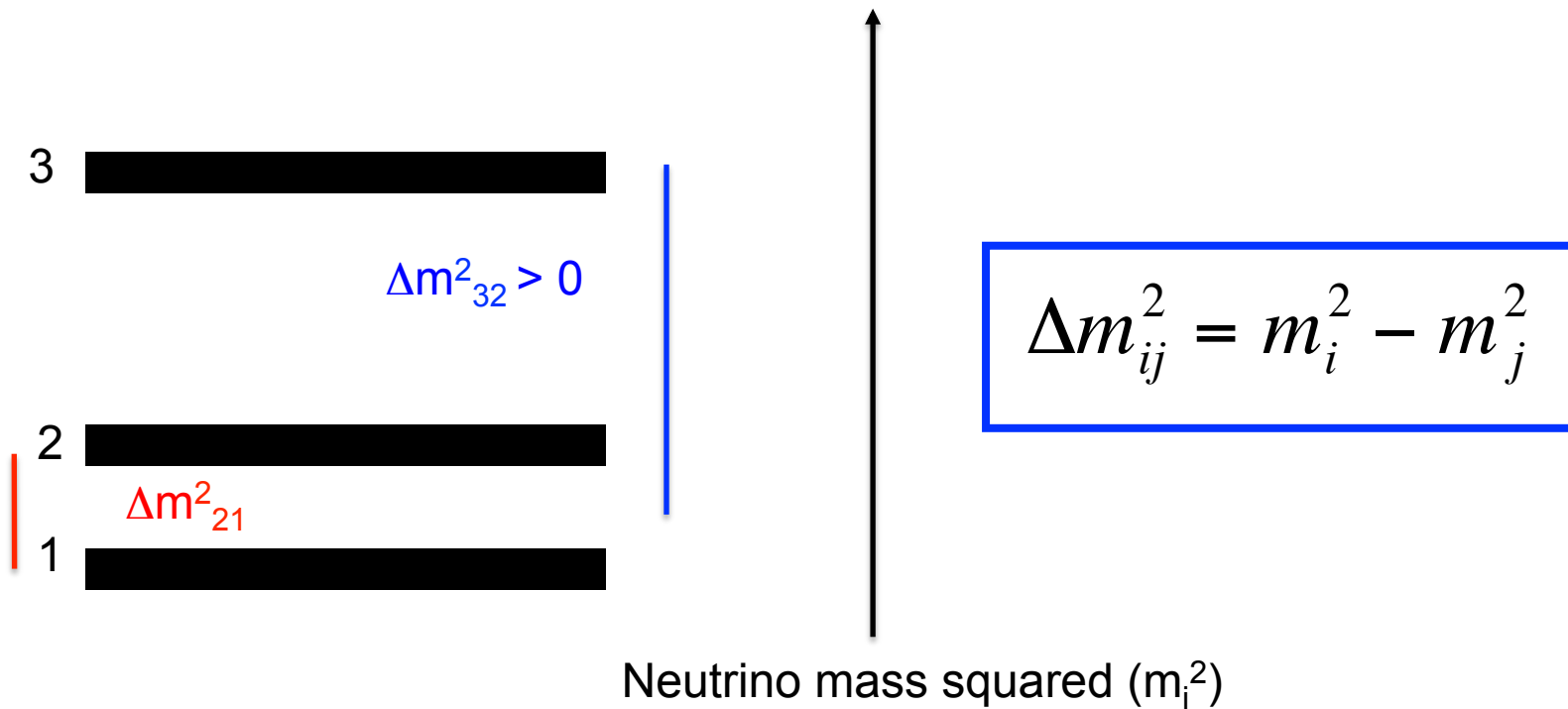
Parameter	best-fit ( $\pm 1\sigma$ )	$3\sigma$
$\Delta m_{21}^2$ [ $10^{-5}$ eV <sup>2</sup> ]	$7.54^{+0.26}_{-0.22}$	6.99 – 8.18
$ \Delta m^2 $ [ $10^{-3}$ eV <sup>2</sup> ]	$2.43 \pm 0.06$ ( $2.38 \pm 0.06$ )	2.23 – 2.61 (2.19 – 2.56)
$\sin^2 \theta_{12}$	$0.308 \pm 0.017$	0.259 – 0.359
$\sin^2 \theta_{23}, \Delta m^2 > 0$	$0.437^{+0.033}_{-0.023}$	0.374 – 0.628
$\sin^2 \theta_{23}, \Delta m^2 < 0$	$0.455^{+0.039}_{-0.031}$	0.380 – 0.641
$\sin^2 \theta_{13}, \Delta m^2 > 0$	$0.0234^{+0.0020}_{-0.0019}$	0.0176 – 0.0295
$\sin^2 \theta_{13}, \Delta m^2 < 0$	$0.0240^{+0.0019}_{-0.0022}$	0.0178 – 0.0298
$\delta/\pi$ ( $2\sigma$ range quoted)	$1.39^{+0.38}_{-0.27}$ ( $1.31^{+0.29}_{-0.33}$ )	(0.00 – 0.16) $\oplus$ (0.86 – 2.00) ((0.00 – 0.02) $\oplus$ (0.70 – 2.00))

*Is  $\theta_{23}$  mixing maximal ( $\theta_{23}=46^\circ \pm 3^\circ$ )*

*Is there CP violation (non-zero  $\delta$ )?*

PDG2014

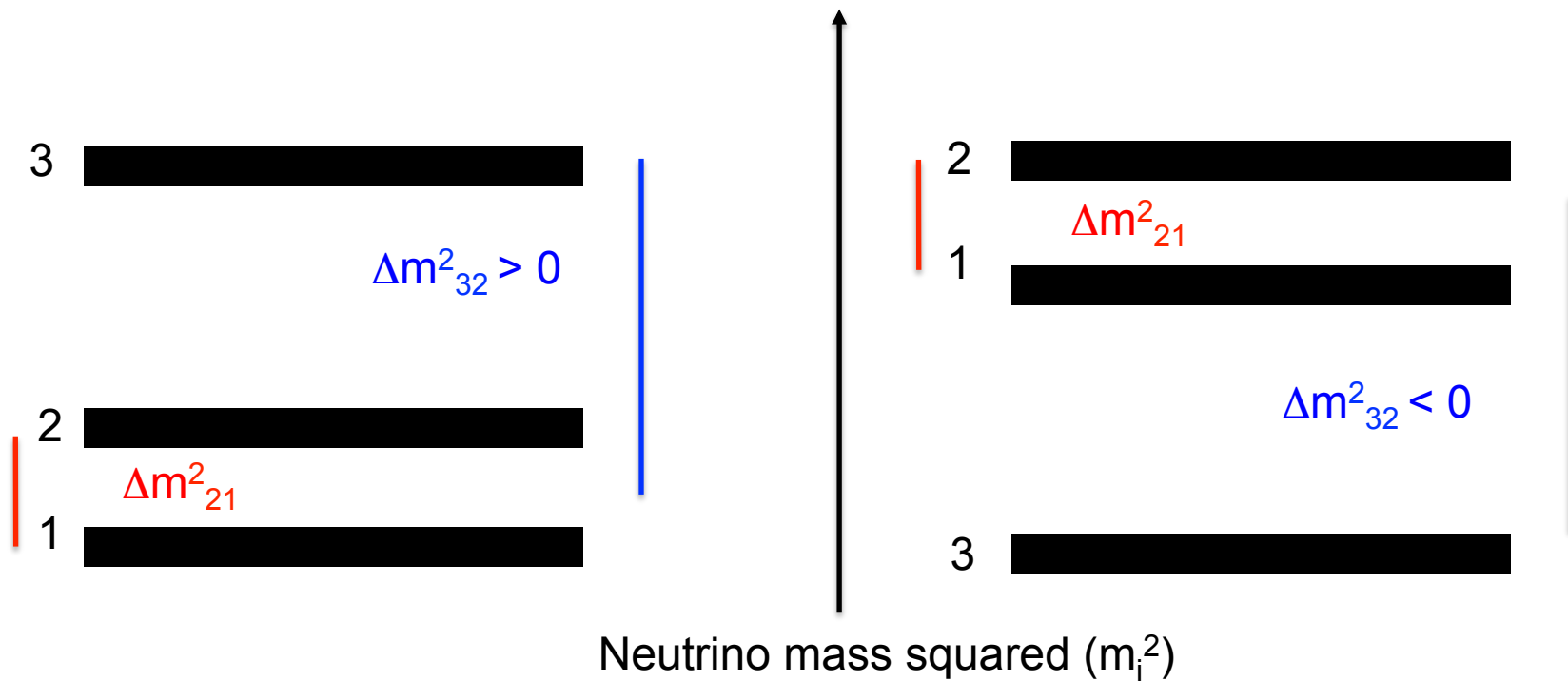




Neutrino oscillation measurements are sensitive to the interference of the mass eigenstates ( $\Delta m^2$ )

Two observed mass “splittings”, determined from atmospheric/accelerator and solar/reactor neutrino experiments, respectively

- $\Delta m^2(\text{atmospheric}) = |\Delta m^2_{32}| \sim 2.4 \times 10^{-3} \text{ eV}^2$
- $\Delta m^2(\text{solar}) = \Delta m^2_{21} \sim 7.6 \times 10^{-5} \text{ eV}^2$



The sign of  $\Delta m_{32}^2$ , or the “mass hierarchy” is still unknown

- Normal “hierarchy” is like quarks ( $m_1$  is lightest,  $\Delta m_{32}^2 > 0$ )
- Inverted hierarchy has  $m_3$  lightest ( $\Delta m_{32}^2 < 0$ )

*What is the mass hierarchy?*



$|\Delta m_{32}^2| \gg \Delta m_{21}^2$ , producing high frequency and low frequency oscillation terms

$$P_{\alpha\beta} = \delta_{\alpha\beta} - 4 \sum_{i>j} \text{Re} \left[ U_{\beta i} U_{\alpha i}^* U_{\beta j}^* U_{\alpha j} \right] \sin^2 \left( \frac{1.27 \Delta m_{ij}^2 L}{E} \right) + 2 \sum_{i>j} \text{Im} \left[ U_{\beta i} U_{\alpha i}^* U_{\beta j}^* U_{\alpha j} \right] \sin \left( \frac{2.54 \Delta m_{ij}^2 L}{E} \right)$$

If choose  $L$ ,  $E$ , such that  $\sin^2(\Delta m_{32}^2 L/E)$  is of order 1, then  $\Delta m_{21}^2$  terms will be small. Then...

$\nu_\mu$  “disappear” into  $\nu_e$ ,  $\nu_\tau$

$$P(\nu_\mu \rightarrow \nu_\mu) \cong 1 - \sin^2 2\theta_{23} \sin^2 \left( \frac{1.27 \Delta m_{32}^2 L}{E} \right)$$

A small amount of  $\nu_e$  will “appear”

$$\Delta m_{31}^2 \sim \Delta m_{32}^2$$

$$P(\nu_\mu \rightarrow \nu_e) \cong \sin^2 2\theta_{13} \sin^2 \theta_{23} \sin^2 \left( \frac{1.27 \Delta m_{31}^2 L}{E} \right)$$

*Only leading order terms shown*

## $\nu_\mu$ to $\nu_e$ appearance

probability expansion:  $P_{\nu_\mu \rightarrow \nu_e} = \frac{1}{(A-1)^2} \sin^2 2\theta_{13} \sin^2 \theta_{23} \sin^2 [(A-1)\Delta]$

$$\alpha = \frac{\Delta m_{21}^2}{\Delta m_{32}^2} \ll 1,$$

$$\Delta = \frac{\Delta m_{32}^2 L}{4E_\nu}$$

$$A = 2\sqrt{2}G_F N_e \frac{E_\nu}{\Delta m_{32}^2}$$

$$- (+) \frac{\alpha}{A(1-A)} \cos \theta_{13} \sin 2\theta_{13} \sin 2\theta_{23} \sin 2\theta_{12} \times$$

$$\sin \delta_{CP} \sin \Delta \sin A\Delta \sin [(1-A)\Delta]$$

$$+ \frac{\alpha}{A(1-A)} \cos \theta_{13} \sin 2\theta_{13} \sin 2\theta_{23} \sin 2\theta_{12} \times$$

$$\cos \delta_{CP} \cos \Delta \sin A\Delta \sin [(1-A)\Delta]$$

$$+ \frac{\alpha^2}{A^2} \cos^2 \theta_{23} \sin^2 2\theta_{12} \sin^2 A\Delta$$

Key players:

- $|\Delta m_{32}^2| \sim 2.4 \times 10^{-3} \text{ eV}^2$  (atmospheric mass splitting)
- Mixing angles:  $\theta_{12}, \theta_{23}, \theta_{13}$
- CP-violating phase  $\delta_{CP}$

*Approximation from  
M. Freund, PRD 64, 053003*

**Neutrinos vs. antineutrinos probability depends on  $\delta_{CP}$ , mass hierarchy (sign of  $\Delta m_{32}^2$ )**

- Mass hierarchy is determined through energy dependence of  $\nu_e, \nu_\mu$  interactions in matter (matter effects, A terms)



$\nu_\mu$  to  $\nu_e$  appearance

probability expansion:  $P_{\nu_\mu \rightarrow \nu_e} = \frac{1}{(A-1)^2} \sin^2 2\theta_{13} \sin^2 \theta_{23} \sin^2 [(A-1)\Delta]$

$$\alpha = \frac{\Delta m_{21}^2}{\Delta m_{32}^2} \ll 1,$$

$$\Delta = \frac{\Delta m_{32}^2 L}{4E_\nu}$$

$$A = 2\sqrt{2}G_F N_e \frac{E_\nu}{\Delta m_{32}^2}$$

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$$\sin \delta_{CP} \sin \Delta \sin A\Delta \sin [(1-A)\Delta]$$

$$+ \frac{\alpha}{A(1-A)} \cos \theta_{13} \sin 2\theta_{13} \sin 2\theta_{23} \sin 2\theta_{12} \times$$

$$\cos \delta_{CP} \cos \Delta \sin A\Delta \sin [(1-A)\Delta]$$

$$+ \frac{\alpha^2}{A^2} \cos^2 \theta_{23} \sin^2 2\theta_{12} \sin^2 A\Delta$$

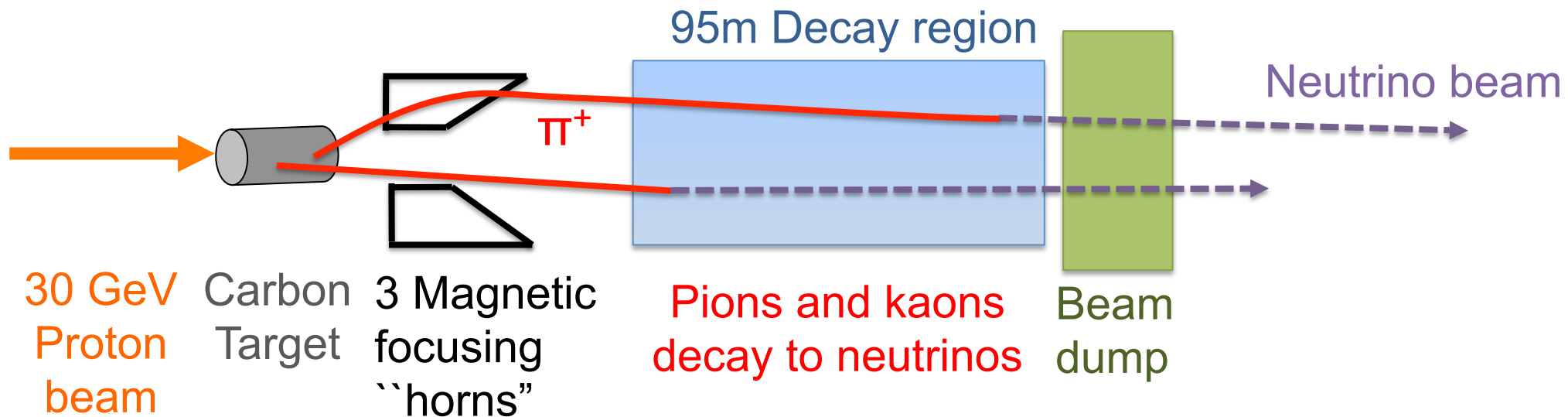
Key players:

- $|\Delta m_{32}^2| \sim 2.4 \times 10^{-3} \text{ eV}^2$  (atmospheric mass splitting)

Subleading terms of  $\nu_\mu$  to  $\nu_e$  appearance depend on  $\delta_{CP}$ , mass hierarchy, but interpretation requires precision measurements of:

$\Delta m_{32}^2, \theta_{23}$  (disappearance) and  $\Delta m_{21}^2, \theta_{12}$  and  $\theta_{13}$

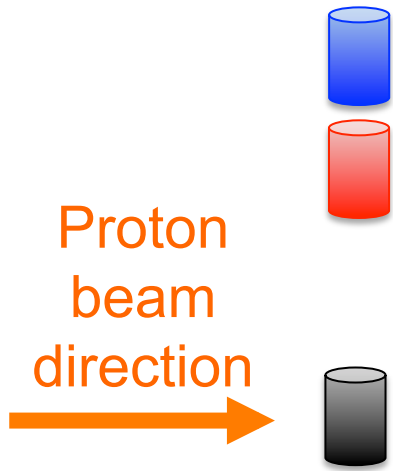
*Measurements of  $\nu_\mu$  to  $\nu_e$  (and  $\bar{\nu}_\mu$  to  $\bar{\nu}_e$ ) appearance are sensitive to currently unknown physics*



Neutrinos are produced as a **tertiary beam**:

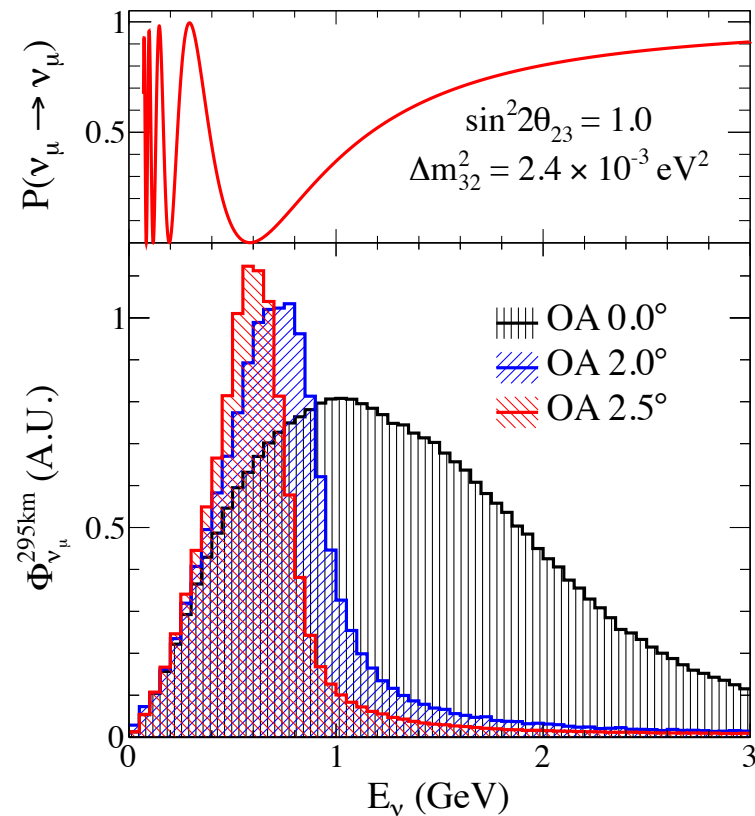
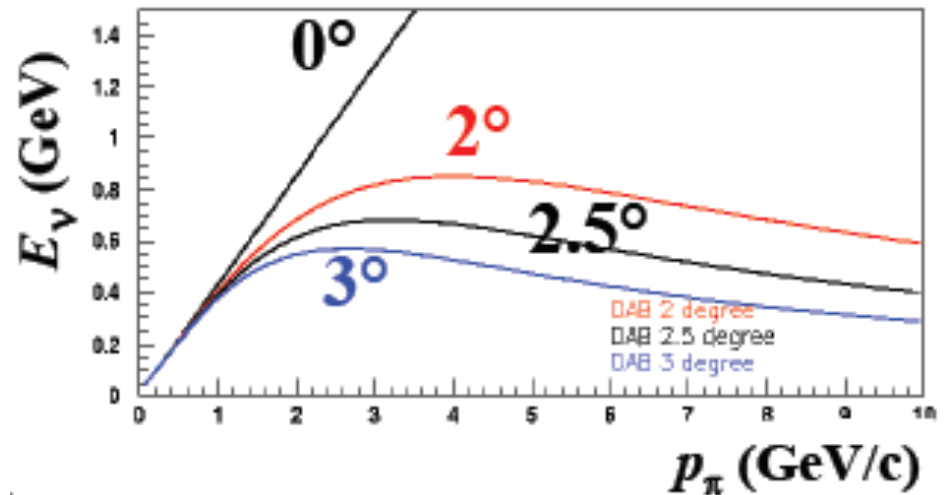
1. Protons hit a target, producing pions and kaons which decay to neutrinos
2. Resulting **beam is >99% muon neutrino flavor**, small  $\nu_e$  component from muon, kaon decay;  $\sim 7\%$  antineutrino component
3. Can switch magnetic horn polarization to focus  $\pi^-$  and produce an **predominantly antineutrino** beam (with a  $\sim 10\%$  neutrino component)





Accelerator based sources are tunable as the neutrino energy spectrum depends on:

- Proton beam energy
- Position of the detector relative to the proton beam direction
- “Off axis” beams maximize the event rate at the point of expected oscillation



PRD 88, 032002 (2013)

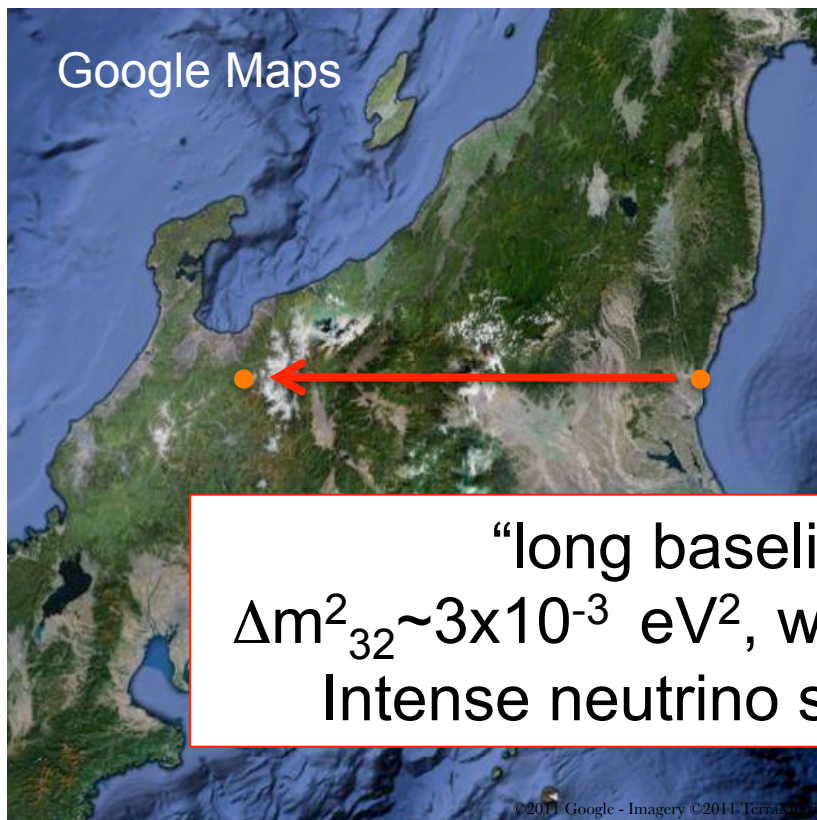
# Long-baseline experiments

The oscillation probability,  $P$ , for  $\nu_\mu$  to oscillate is sinusoidal and depends on the distance  $L$  (km) the neutrinos travel and their energy  $E$  (GeV):

$$P(\nu_\mu \rightarrow \nu_\mu) \cong 1 - \sin^2 2\theta_{23} \sin^2 \left( \frac{1.27 \Delta m_{32}^2 L}{E} \right) + \dots$$

Tokai To Kamioka (T2K) experiment:  
Off-axis,  $E_\nu(\text{peak}) \sim 0.6 \text{ GeV}$ ,  $L=295 \text{ km}$

MINOS experiment: On-axis  
 $E_\nu(\text{peak}) \sim 3 \text{ GeV}$ ,  $L=735 \text{ km}$



“long baseline experiments” require  
 $\Delta m_{32}^2 \sim 3 \times 10^{-3} \text{ eV}^2$ , want  $\sin^2(\Delta m^2 L/E)$  to be of order 1  
Intense neutrino sources driven by accelerators

# Long-baseline experiments

The oscillation probability,  $P$ , for  $\nu_\mu$  to oscillate is sinusoidal and depends on the distance  $L$  (km) the neutrinos travel and their energy  $E$  (GeV):

$$P \approx \sin^2 \theta_{13} \sin^2 \left( 1.27 \Delta m_{32}^2 L \right)$$

## Recent long baseline measurements:

T2K:  $\nu_e$  appearance,  $\nu_\mu$  disappearance

MINOS:  $\nu_e$ , anti- $\nu_e$  appearance,  $\nu_\mu$ , anti- $\nu_\mu$  disappearance

## Today:

**T2K: First look at anti- $\nu_e$  appearance, updated anti- $\nu_\mu$  disappearance**

## Coming soon:

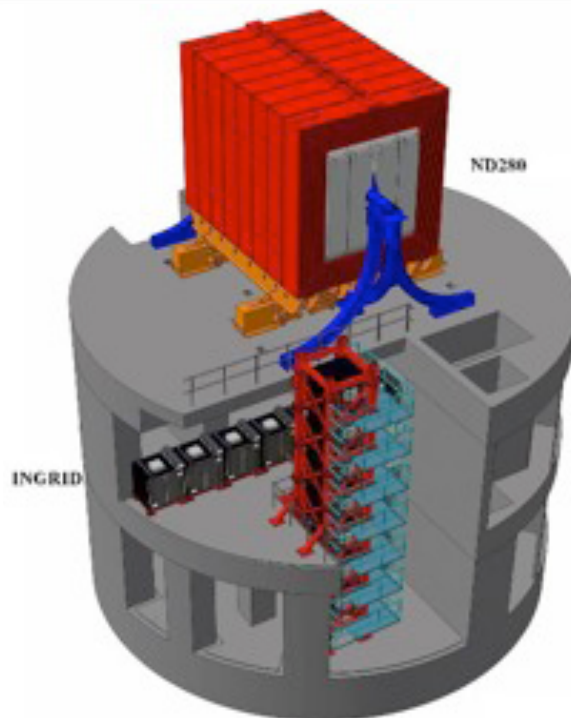
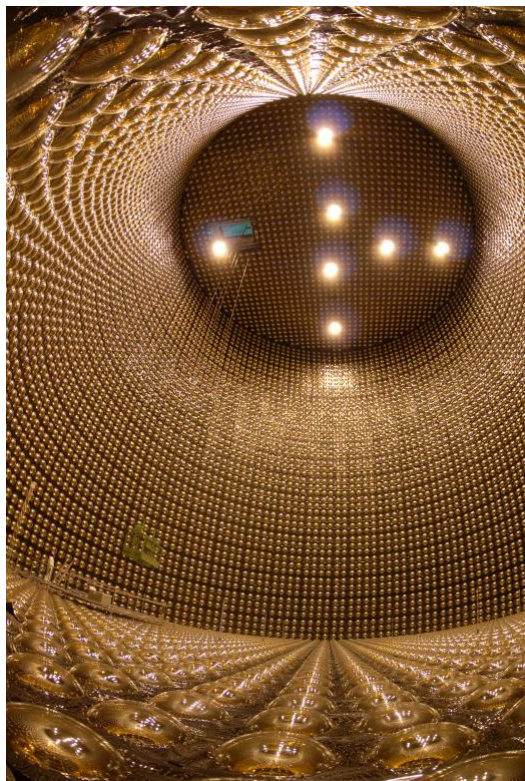
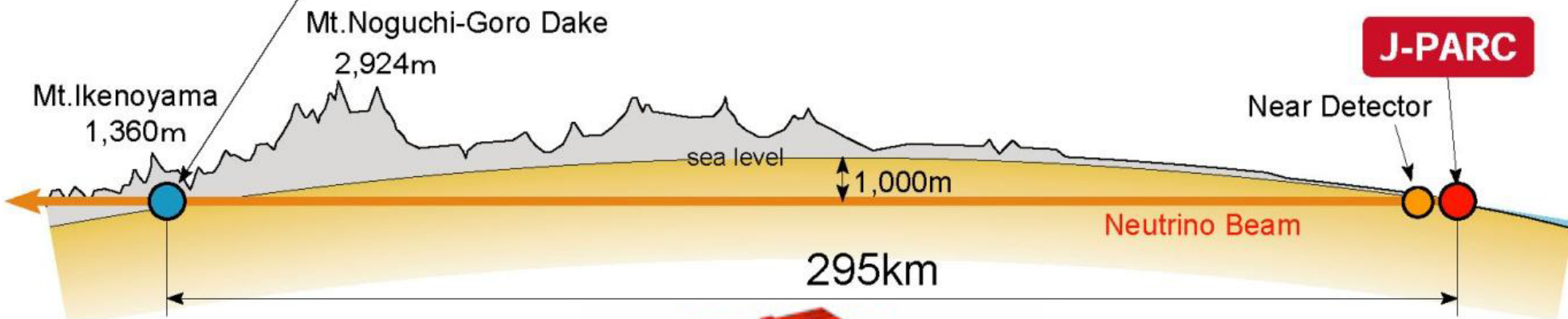
MINOS+:  $\nu_e$ , anti- $\nu_e$  appearance,  $\nu_\mu$ , anti- $\nu_\mu$  disappearance

NOvA:  $\nu_e$ , anti- $\nu_e$  appearance,  $\nu_\mu$ , anti- $\nu_\mu$  disappearance

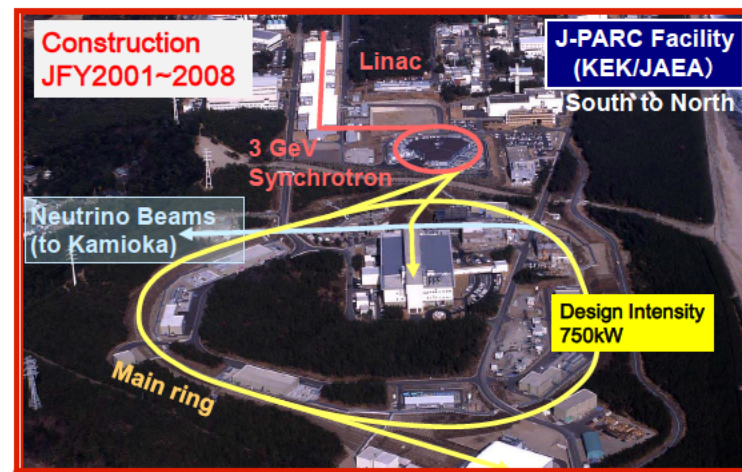


# T2K experimental overview

## Super-Kamiokande



Near detectors  
Off-axis: ND280 On-axis: INGRID

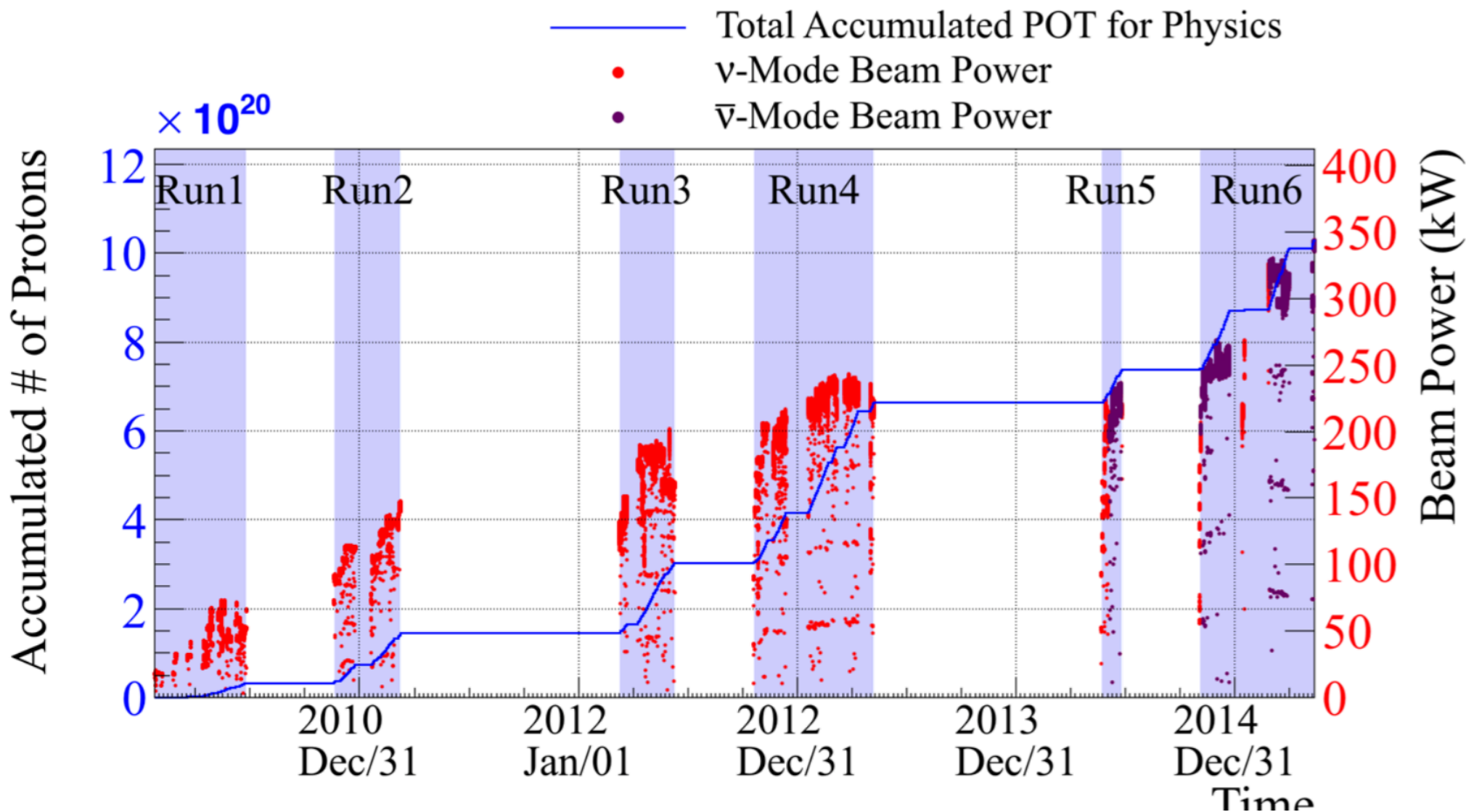


J-PARC accelerator

Far detector



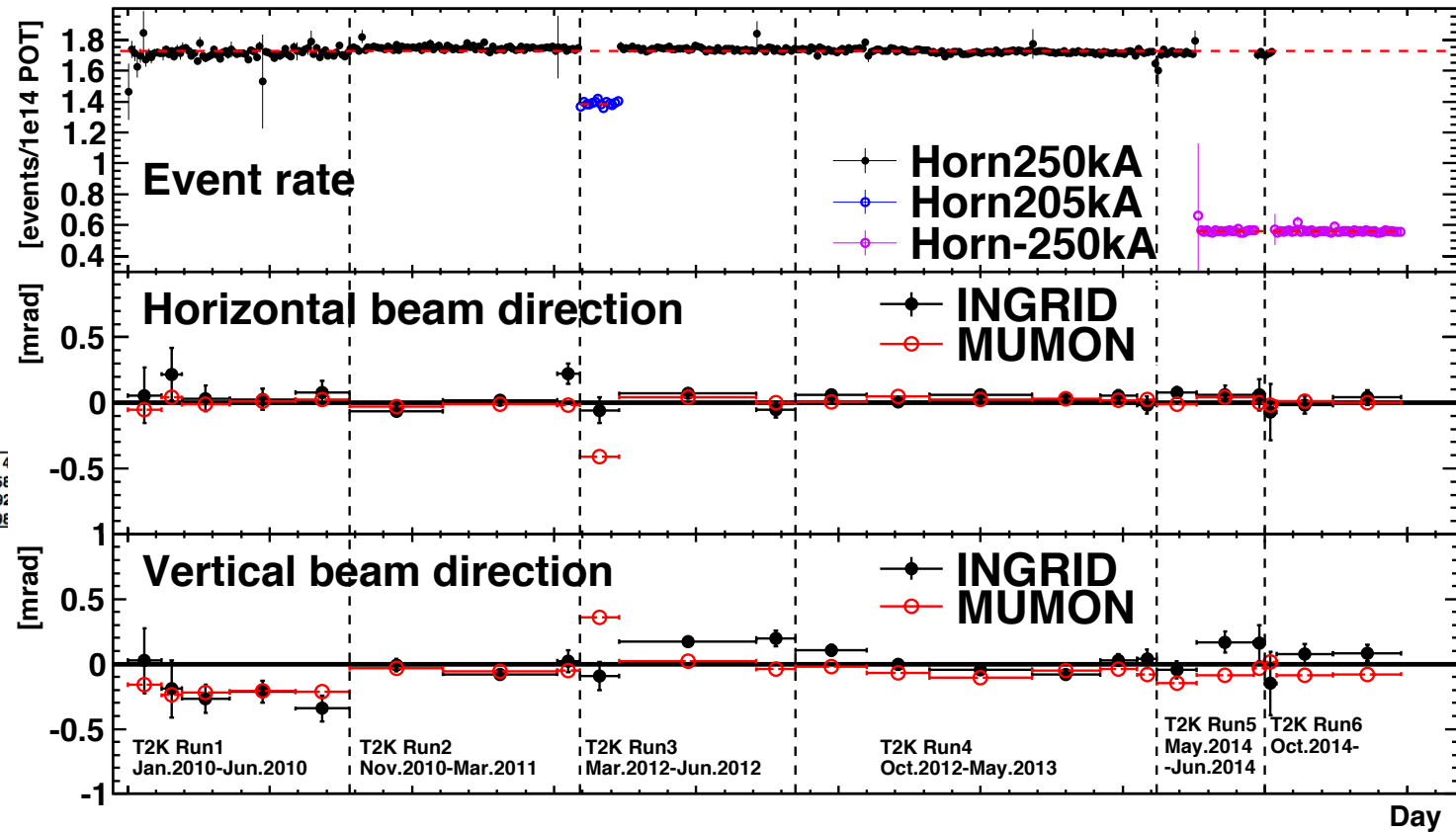
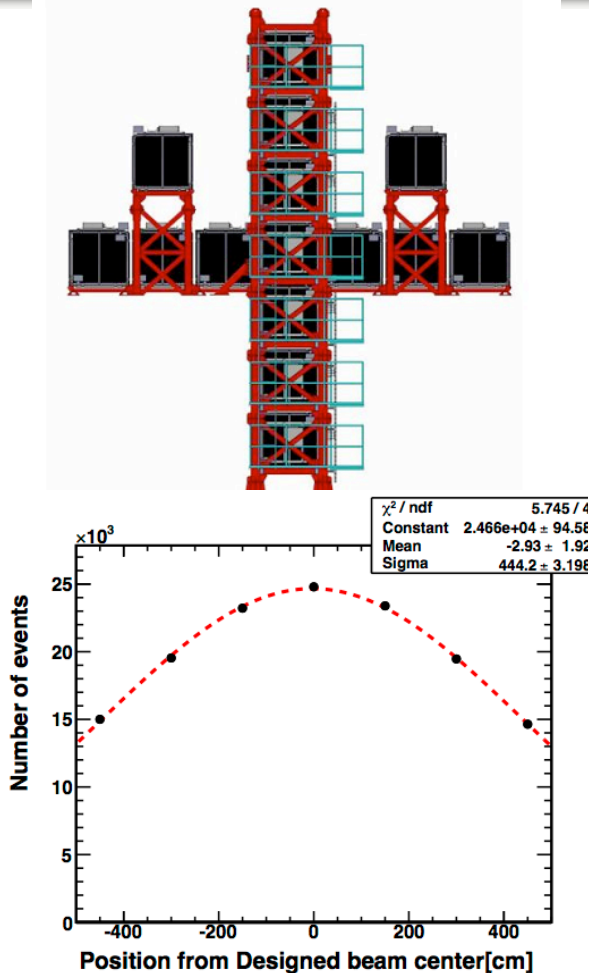
# T2K data periods



Protons on Target (POT) for the antineutrino analyses today:

- Run 5c+6 datasets for far detector, Super-Kamiokande:  $4.0 \times 10^{20}$  POT
- Run 5c datasets for off-axis near detector, ND280:  $4.3 \times 10^{19}$  POT

# T2K beam stability



Profile of neutrino beam measured with scintillator/iron detectors placed from 0-0.9 degrees off-axis (INGRID)

- POT normalized event rate stable to better than 1%
- Beam direction is stable to within 1mrad; 1mrad corresponds to a 2% shift to peak of the off-axis neutrino energy distribution

$$N_{FD} \sim \Phi(E_\nu) \sigma(E_\nu) \epsilon_{FD} P(\nu_\mu \rightarrow \nu_e)$$

Fit the observed rate of  $\nu_e$  or  $\nu_\mu$  to determine the oscillation probability,  $P$ . Depends on:

Neutrino  
flux  
prediction

Neutrino cross  
section  
model

Far detector  
selection,  
efficiency

We reduce the error on the rate of  $\nu_\mu$  with the near detector:

$$N_{ND} \sim \Phi(E_\nu) \sigma(E_\nu) \epsilon_{ND}$$

Neutrino  
flux  
prediction

Neutrino cross  
section  
model

Near detector  
selection,  
efficiency

$$N_{FD} \sim \Phi(E_\nu) \sigma(E_\nu) \epsilon_{FD} P(\nu_\mu \rightarrow \nu_e)$$

Fit the observed rate of  $\nu_e$  or  $\nu_\mu$  to determine the oscillation probability,  $P$ . Depends on:

Neutrino flux      Neutrino cross      Far detector

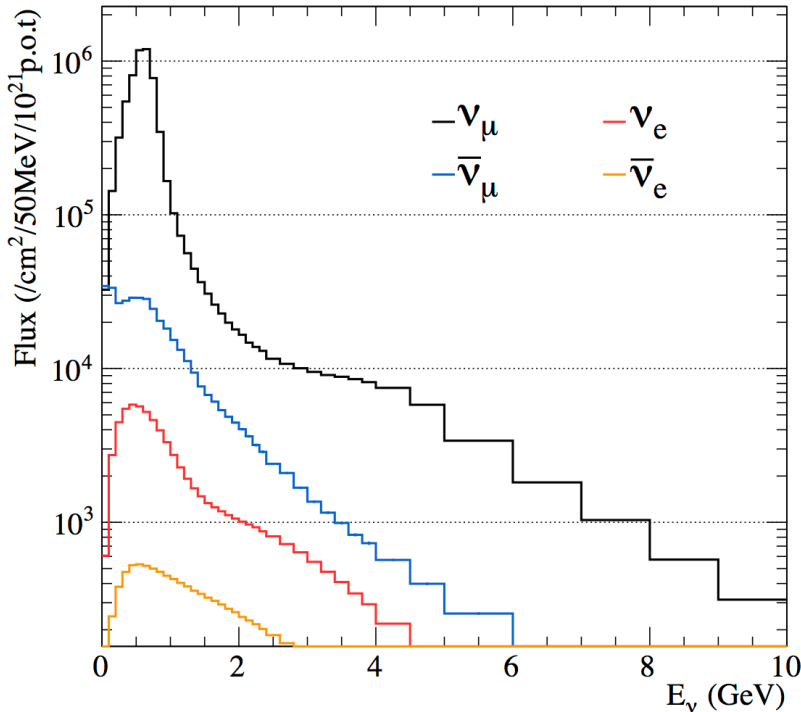
Even with state of the art antineutrino beams, analyses presented today are statistics limited

$N$  However, significant background to antineutrino analyses from \*neutrino\* interactions motivates consistent treatment and inclusion of neutrino data in analysis

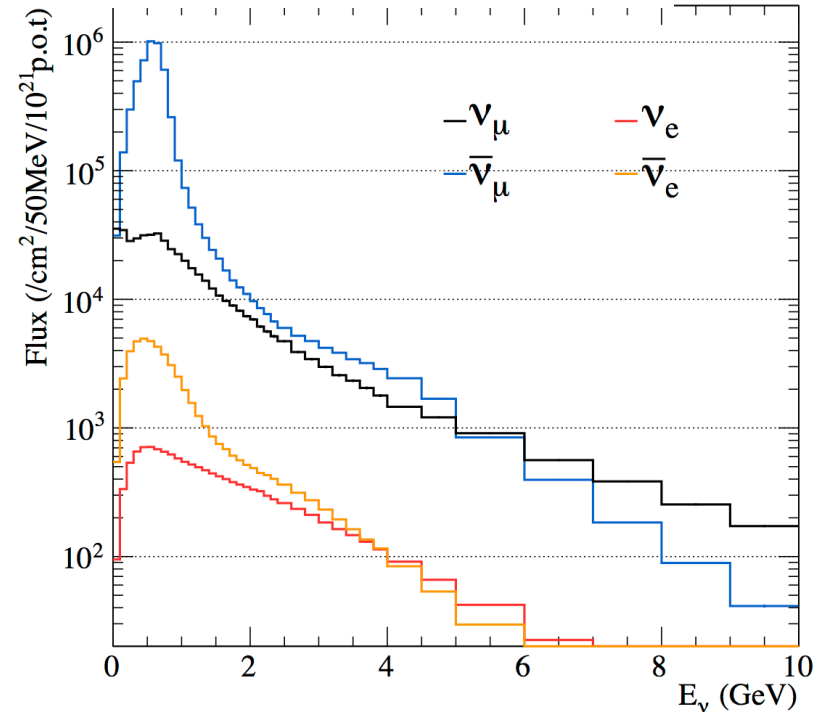
prediction      model      efficiency



Neutrino mode operation

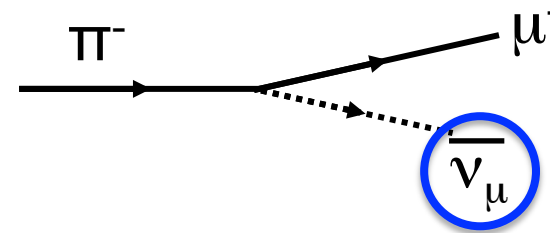
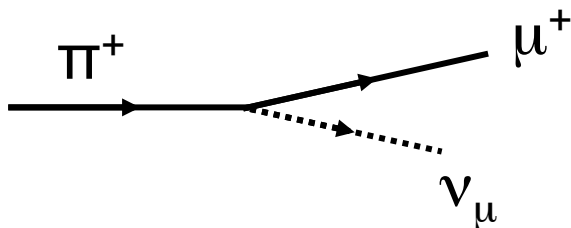


Antineutrino mode operation



FLUKA/Geant3-based neutrino beam simulation (PRD 87, 012001)

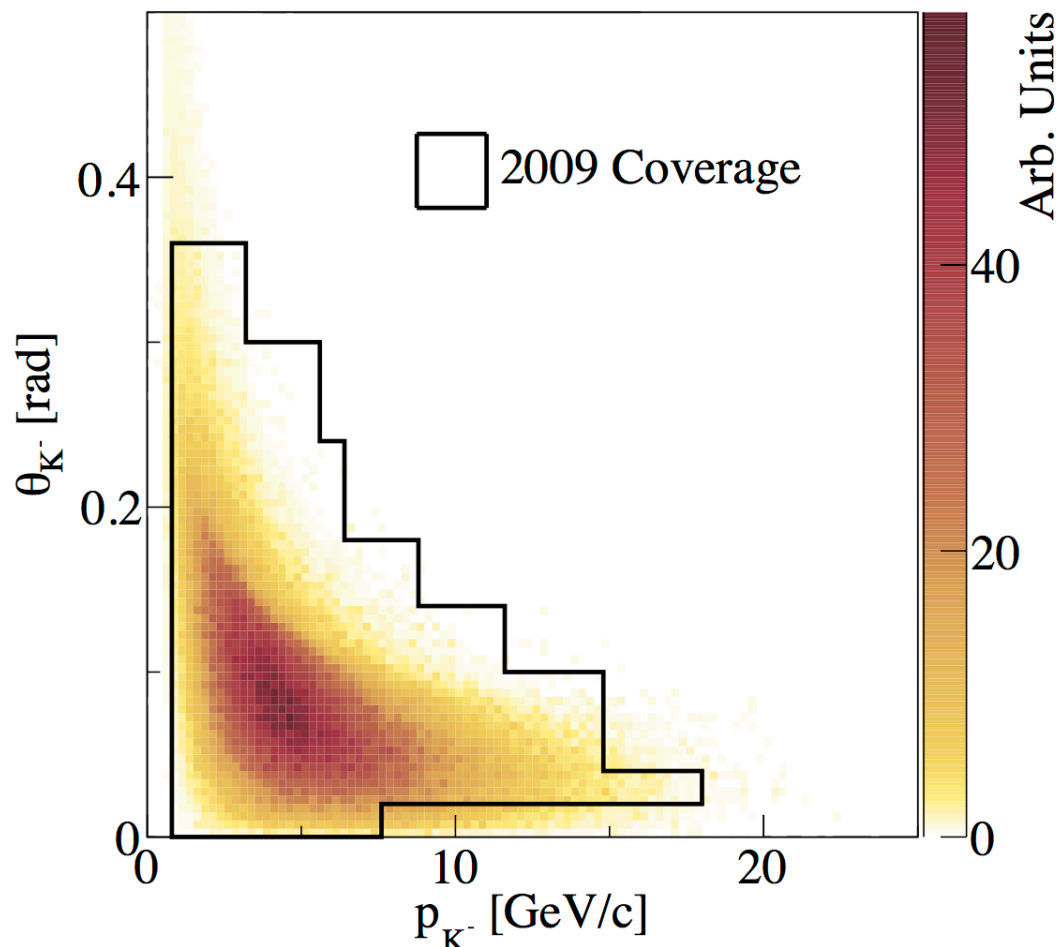
- Significant neutrino component to antineutrino mode beam
  - Increases in event rate due to lower antineutrino cross section
- Also called “wrong sign” component:



- “Intrinsic” ~0.5% electron (anti)neutrino component

Prediction based on external or in-situ measurements of:

- proton beam (30 GeV)
- alignment and off-axis angle
- $\pi^{+/-}$ ,  $K^{+/-}$  production from NA61



Dedicated hadron-production experiment at CERN

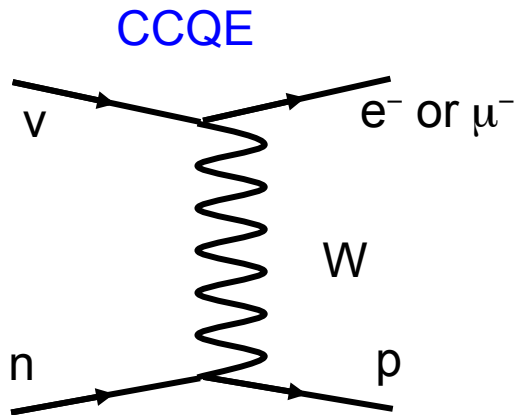
- Thin target data analysed so far, replica target data taken
- Improved results for  $\pi^{+/-}$  expand (anti)neutrino production phase space
- New  $K^-$  (and  $K^0_S$ ) measurements
  - $K^-$ :  $\nu_\mu$  production
  - $K^0_S$ : Intrinsic  $\nu_e$  production

*Uncertainties are comparable for neutrino or antineutrino mode operation (10-15%)*

$$P(\nu_\mu \rightarrow \nu_\mu) \cong 1 - \sin^2 2\theta_{23} \sin^2 \left( \frac{1.27 \Delta m_{32}^2 L}{E} \right) + \dots$$

Oscillation probability depends on neutrino energy

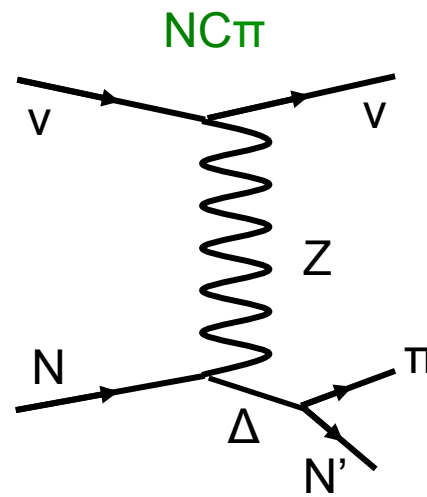
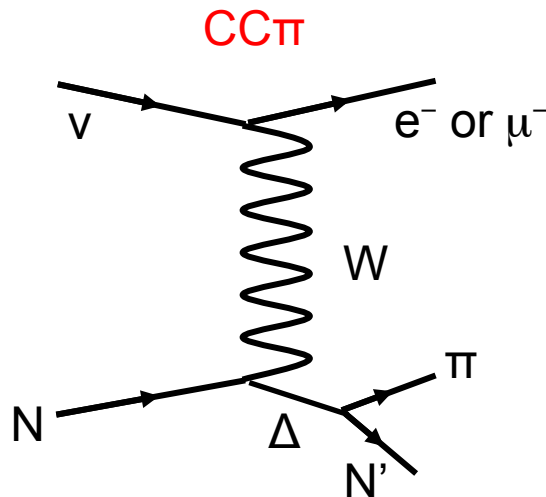
For T2K's neutrino spectrum, dominant process is Charged Current Quasi-Elastic:



Infer neutrino properties from the lepton momentum and angle:

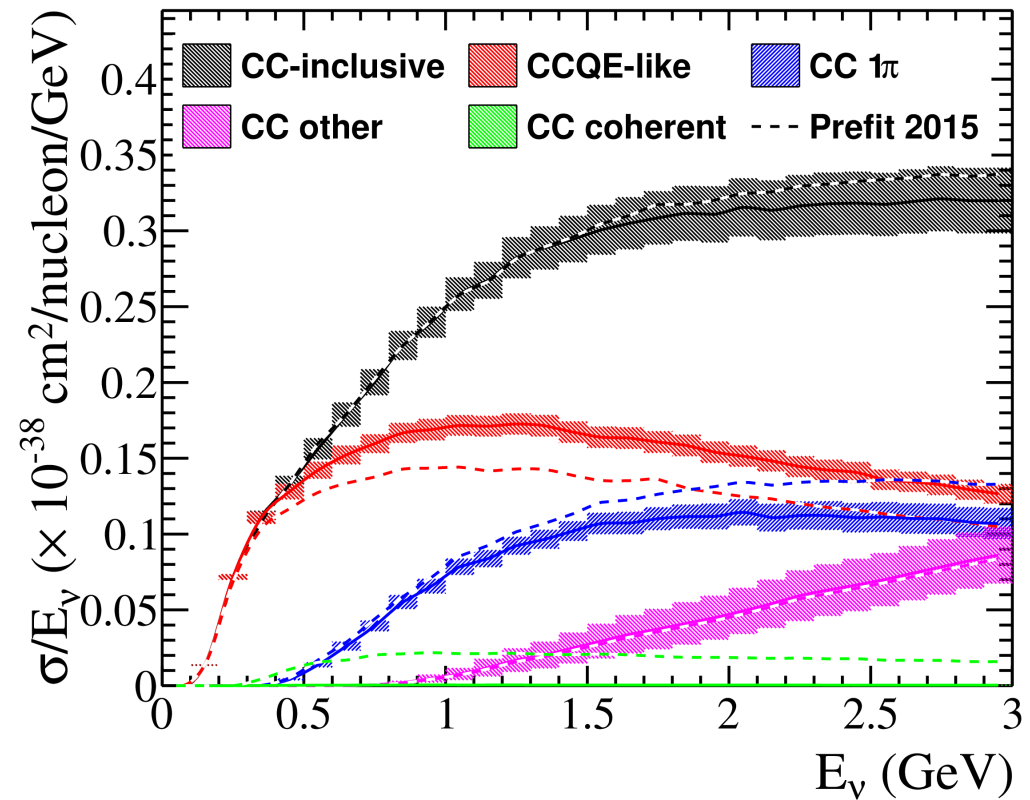
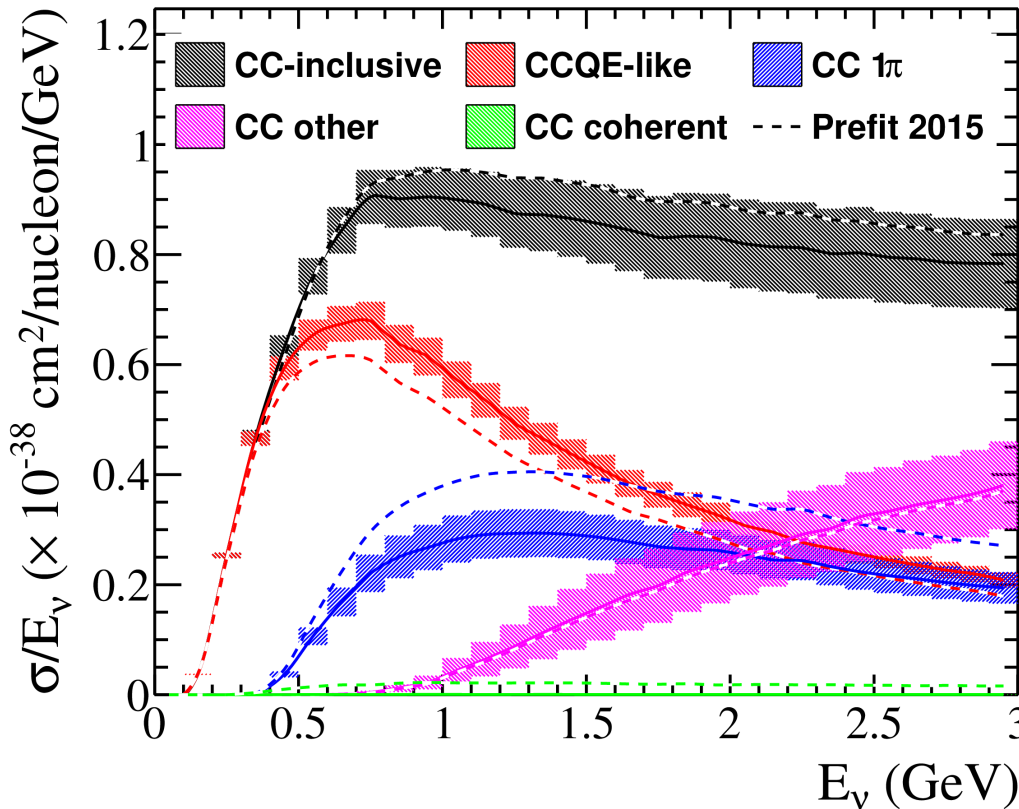
$$E_\nu^{QE} = \frac{m_p^2 - m_n'^2 - m_\mu^2 + 2m_n' E_\mu}{2(m_n' - E_\mu + p_\mu \cos \theta_\mu)}$$

*2 body kinematics and assumes the target nucleon is at rest*



Additional significant processes:

- CCQE-like multinucleon interaction
- Charged current single pion production (**CCπ**)
- Neutral current single pion production (**NCπ**)

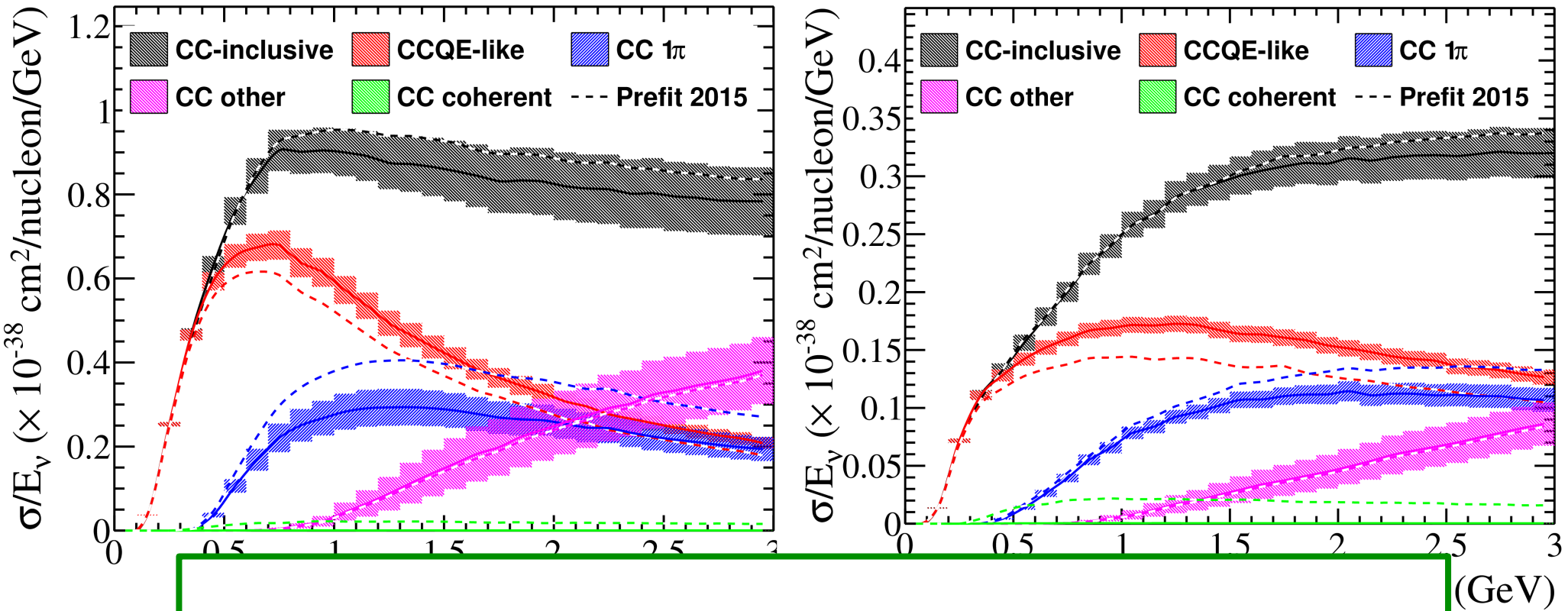


## NEUT model (5.3.2+) for 2015 (antineutrino, neutrino+antineutrino) analyses:

- Two new CCQE models implemented for consideration in the analysis:
  - CCQE: Spectral function model ( Benhar et al. )  $M_A^{QE} = 1.2$  GeV
  - CCQE: Relativistic Fermi Gas (RFG)+Random Phase Approximation (RPA)
  - New: “Meson exchange current” (MEC) CCQE like scattering from Nieves et. al
- 1 $\pi$  (NC and CC) production model: Rein-Sehgal with modified form factor for Delta. No pion-less delta decay.



# Improved interaction models

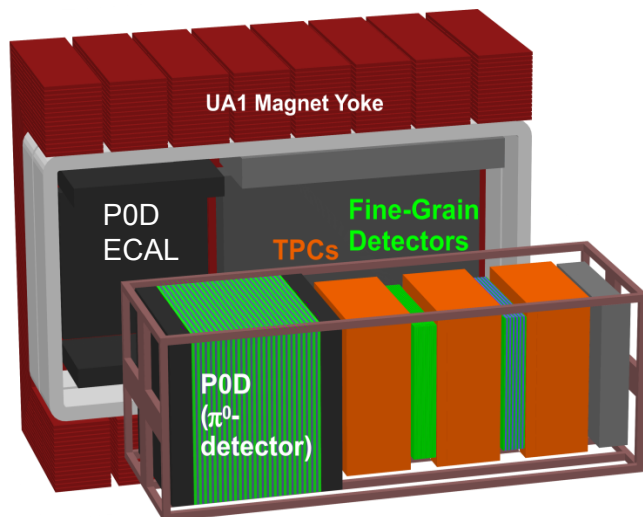


- NEUT model**
- Two neutrino
  - CC
  - CC
  - Ne
  - $1\pi$  (N)
  - No pio

**Tuned NEUT**  
 (dashed, prefit 2015, RPA+RFG+MEC model based on  
 from fits to external cross section measurements by  
 MINERvA, MiniBooNE, bubble chamber data)  
 compared to NEUT with near detector data tuning (solid  
 with associated errors)

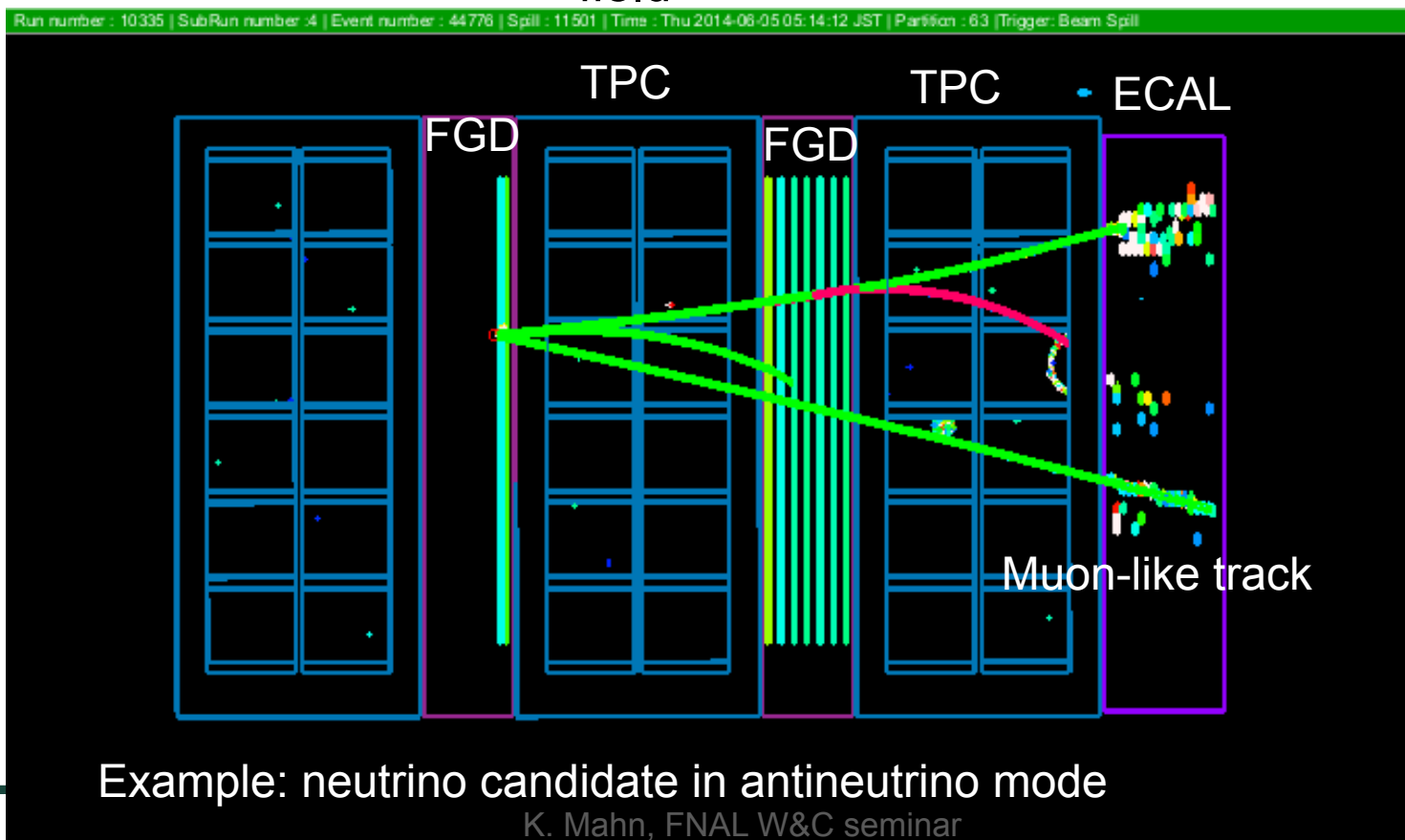
**s:**  
 GeV/c<sup>2</sup>.  
 Delta.

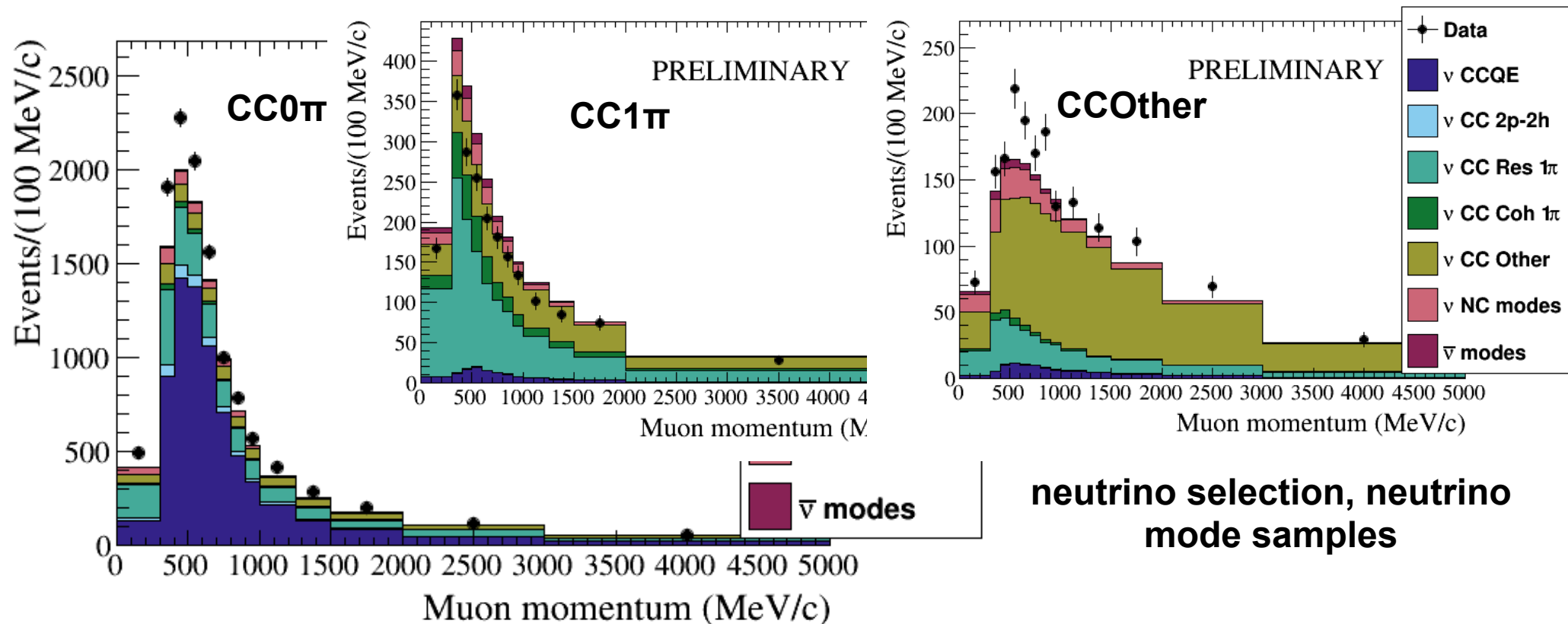
# T2K off-axis near detectors: ND280



Select CC  $\nu_\mu$ ,  $\bar{\nu}_\mu$  candidates prior to oscillations in an off-axis tracking detector (ND280)

- Neutrino interacts on scintillator or water target in tracking detectors (FGDs), muon tracked through scintillator and TPCs
- Additional scintillator (P0D, SMRD) and calorimeters (ECAL)
- Muon momentum, sign from curvature in magnetic field





Select CC  $\nu_{\mu}$  candidates based on interactions with  $\mu^{-}$ :

- Select highest momentum track with negative charge, and PID consistent with a muon

Event samples provide information on flux, cross section model

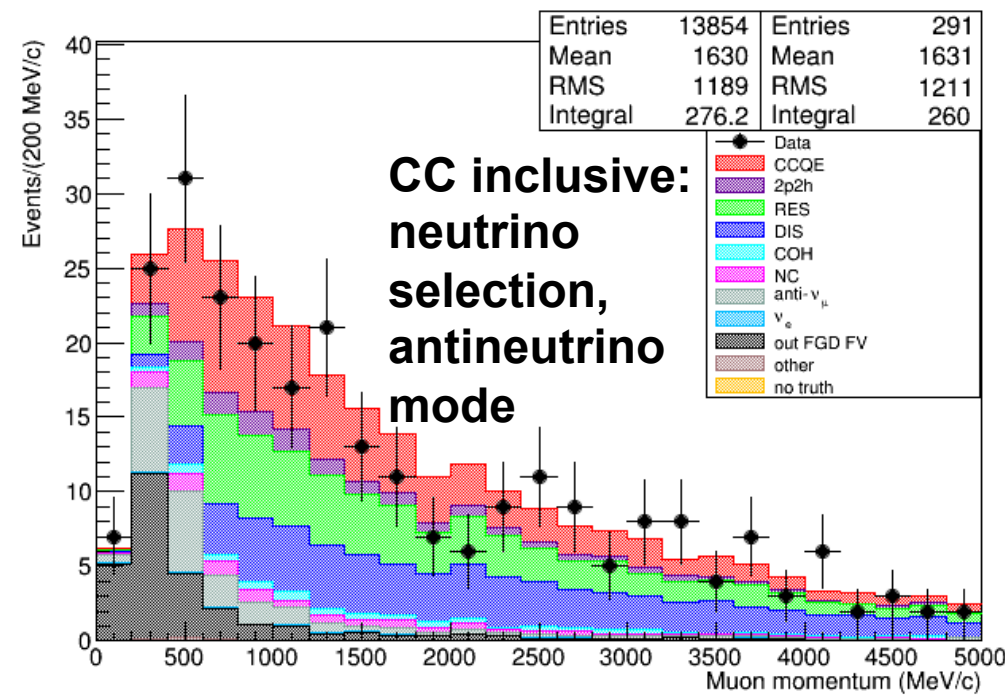
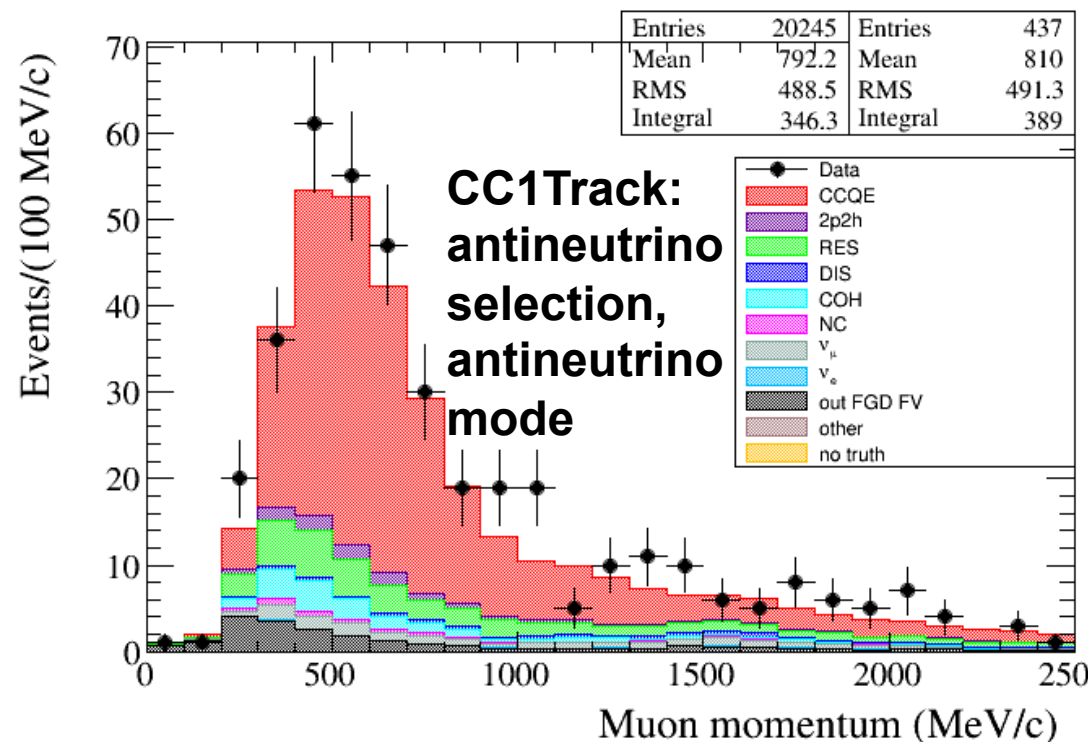
- Separated based on presence of charged pion in final state (CC0 $\pi$ , CC1 $\pi$ , CC Other)
- Pions identified using track multiplicity,  $dE/dX$  in TPCs photons in ECALs

# ND280 data samples: antineutrino mode

Select CC  $\bar{\nu}_\mu$  candidates based on interactions with  $\mu^+$ :

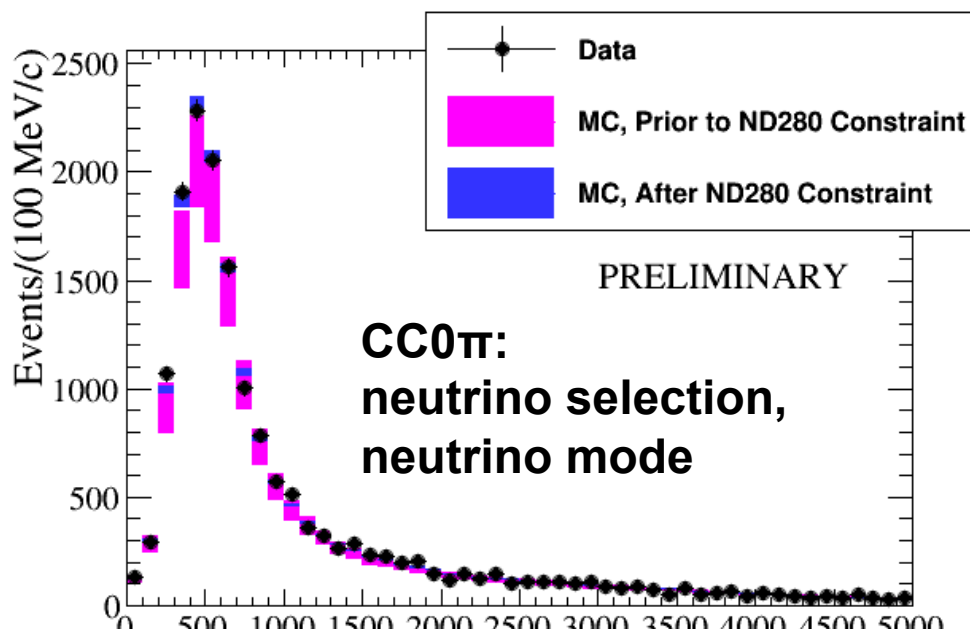
- Select highest momentum track with positive charge, and PID consistent with a muon
  - Two sub-samples based on track multiplicity: CC1-Track, CC>1 Track
- Complementary selection of neutrino candidates in antineutrino mode

*Include in fit:*  
*neutrino mode neutrino selections*  
*antineutrino mode neutrino and antineutrino selections*



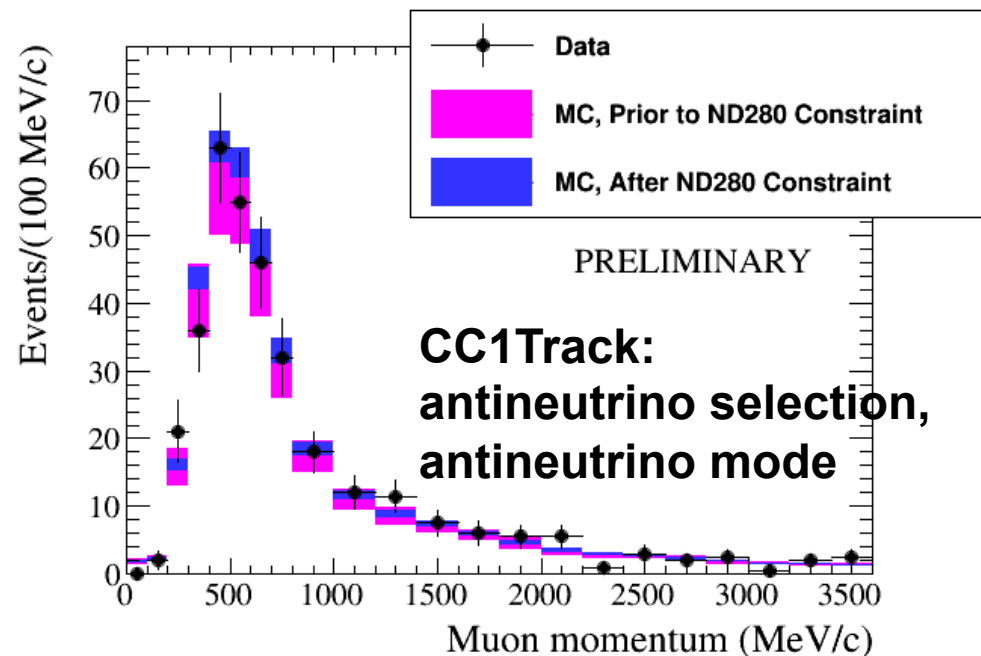
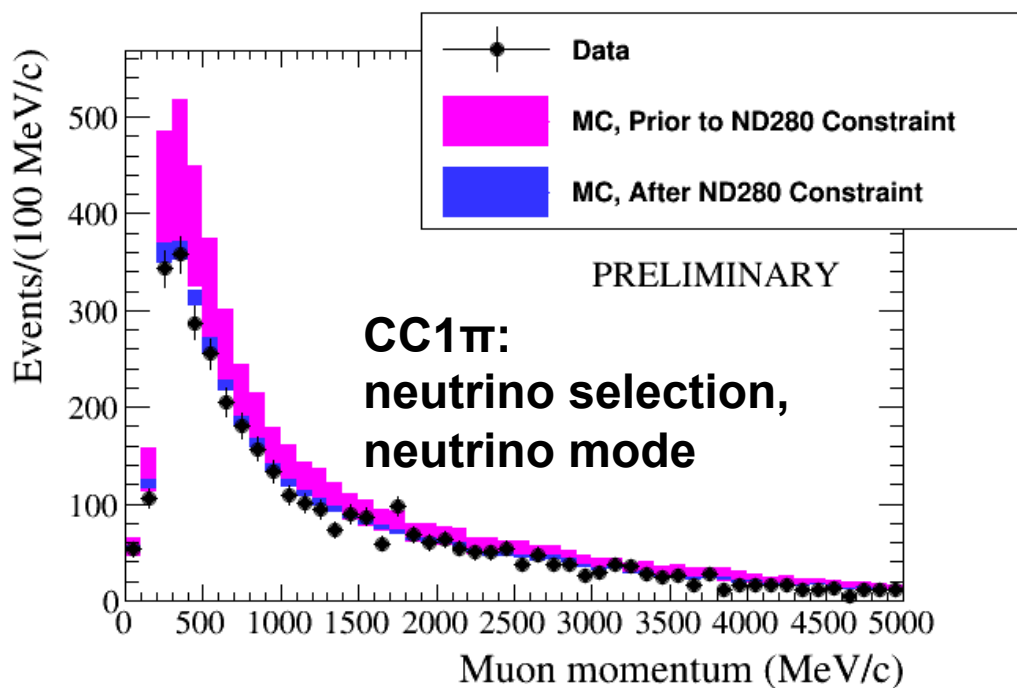


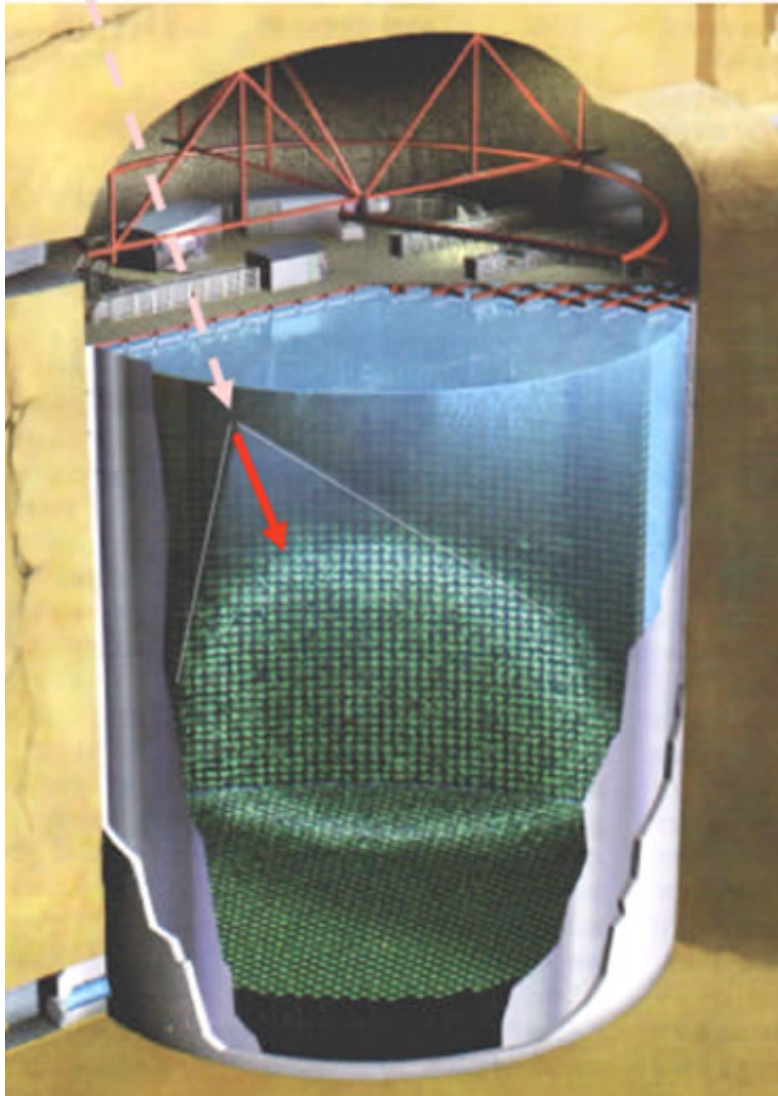
# Near detector rate measurement



Expected number of events at the far detector is tuned using a likelihood fit to the near detector samples

- Neutrino, antineutrino fluxes are highly correlated between near and far detectors
- Cross sections are also correlated
- Significant reduction to overall uncertainties

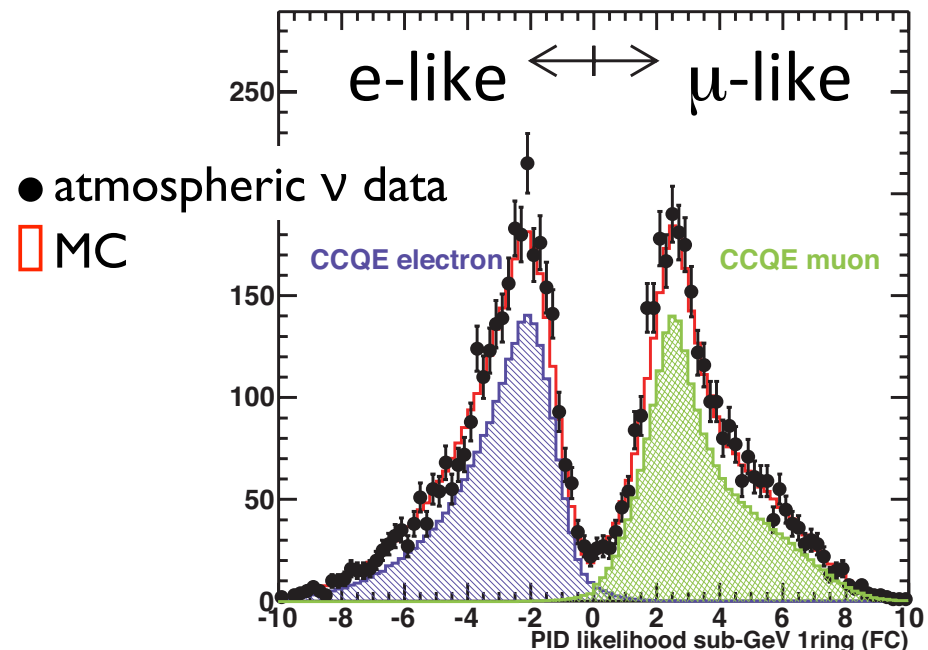




Example atmospheric neutrino interaction

Select CC  $\bar{\nu}_e$  and  $\bar{\nu}_\mu$  candidates, in a 50kton water Cherenkov detector (Super-Kamiokande)

- Efficient for (CCQE-like) interactions
  - Select single ring (only lepton above threshold)
  - Decay electron (from below threshold  $\mu$  or  $\pi$  final state) tagging capability
- Determine lepton flavor based on ring topology
  - Excellent muon-electron separation; 1% rate of mu identified as e
- Lacks sign selection separation of  $\nu, \bar{\nu}$

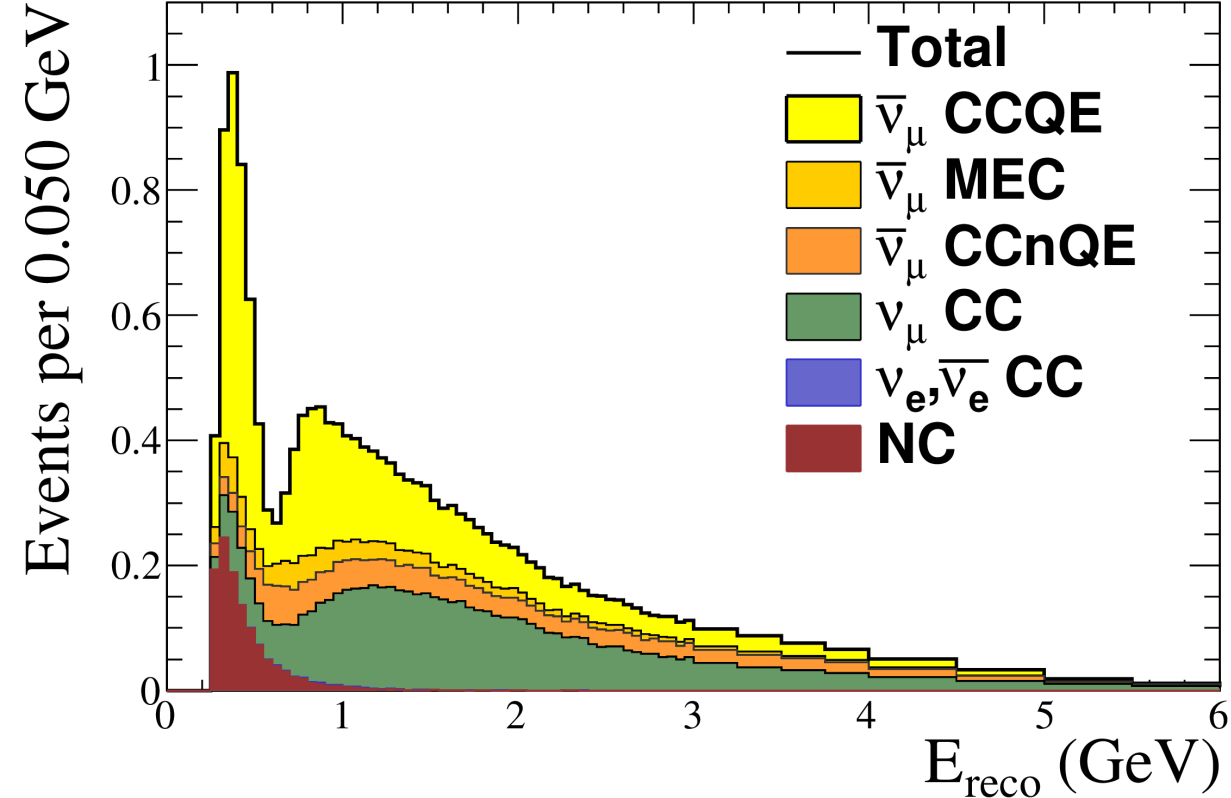


## Muon antineutrino disappearance:

- Fit for  $\bar{\theta}_{23}$  and  $\overline{\Delta m^2}_{32}$
- Use separate parameters for neutrino interactions
- Other oscillation parameters fixed to T2K neutrino data and PDG2014
- Test of NSI or CPT theorem

## Electron antineutrino appearance:

- Search for presence of appearance with antineutrinos
- Necessary step toward future CPV searches

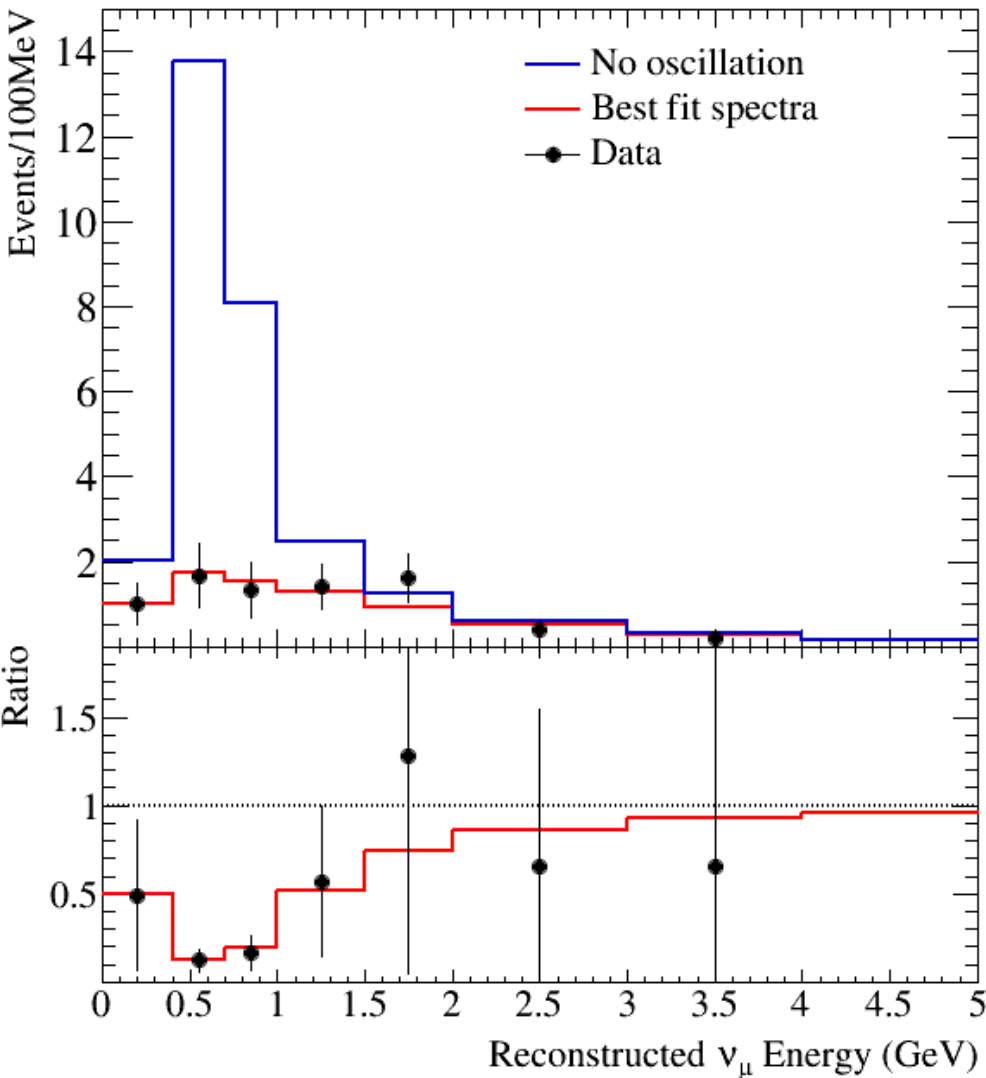


Predominantly antineutrino interactions, but significant components from other channels

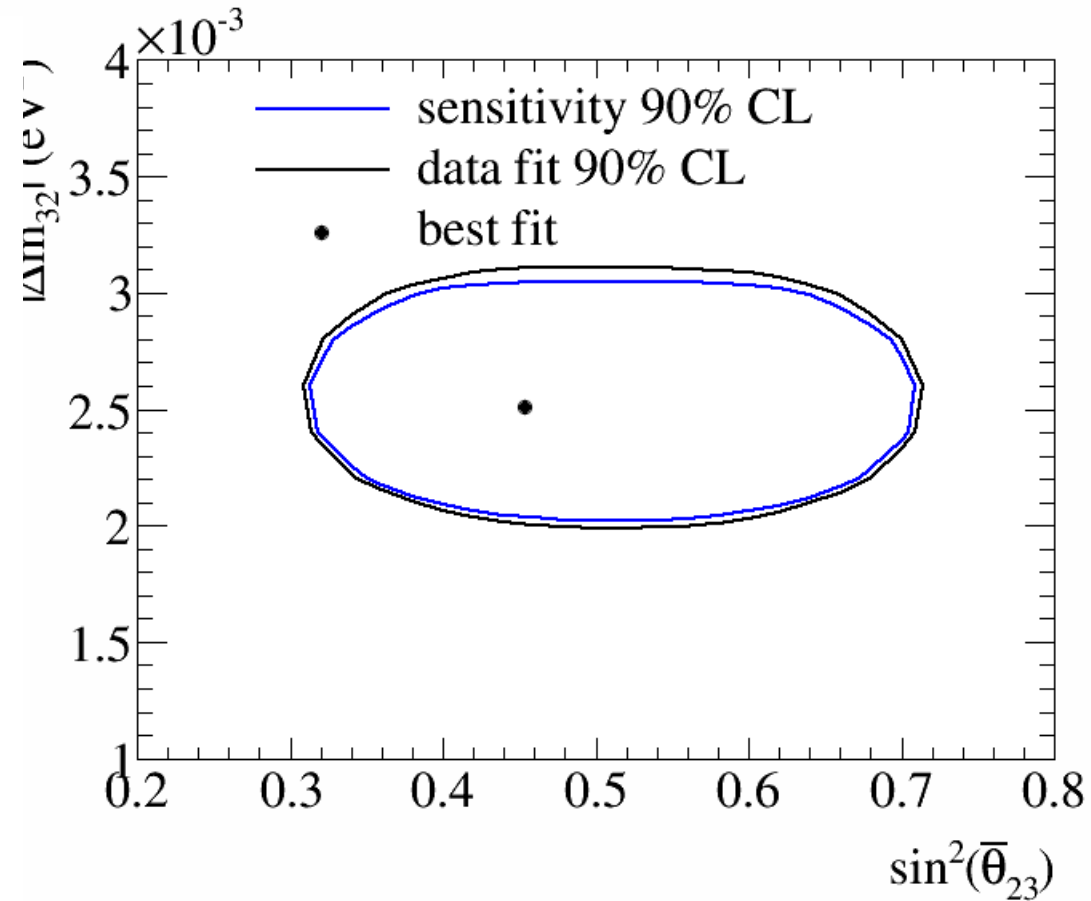
- Expect 34.6 (103.6) events with (without) oscillation

	$\nu_{\mu} \rightarrow \nu_{\mu}$	$\bar{\nu}_{\mu} \rightarrow \bar{\nu}_{\mu}$	$\nu_e \rightarrow \nu_e$	$\bar{\nu}_e \rightarrow \bar{\nu}_e$	$\nu_{\mu} \rightarrow \nu_e$	$\bar{\nu}_{\mu} \rightarrow \bar{\nu}_e$
CCQE	6.870	13.258	0.004	0.005	0.007	0.017
MEC	1.578	2.347	0.001	0.001	0.001	0.003
CC1 $\pi$	2.414	3.046	0.003	0.002	0.003	0.003
CC coherent	0.167	0.696	0.000	0.000	0.000	0.002
CC other	1.222	0.880	0.001	0.000	0.000	0.000
NC1 $\pi$	0.391	0.428	0.016	0.012	-	-
NC other	0.707	0.420	0.035	0.017	-	-
subtotal	13.349	21.076	0.059	0.038	0.011	0.025
total	34.559					

# Antineutrino disappearance results!



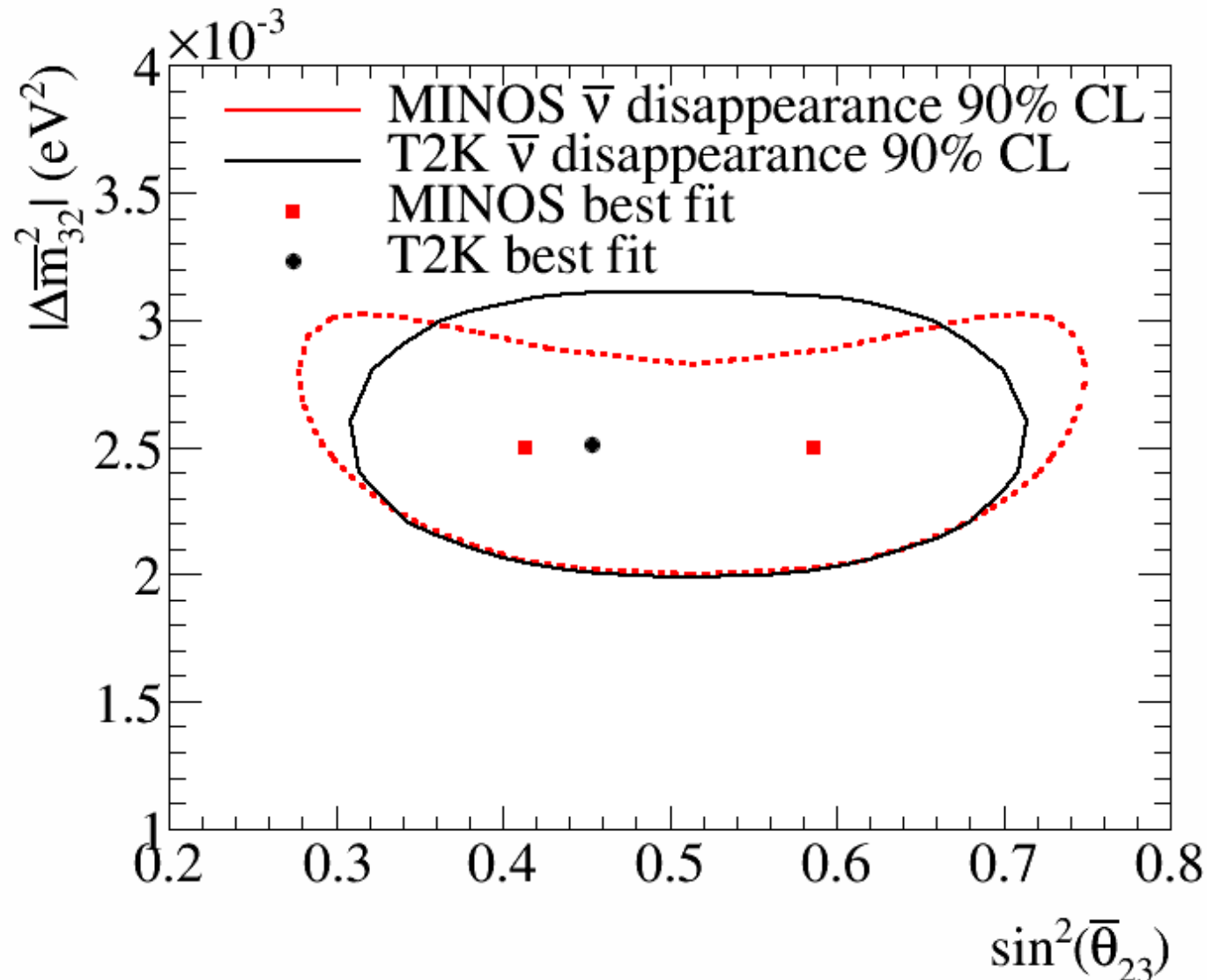
**34 events observed**



Likelihood based estimation of oscillation parameters

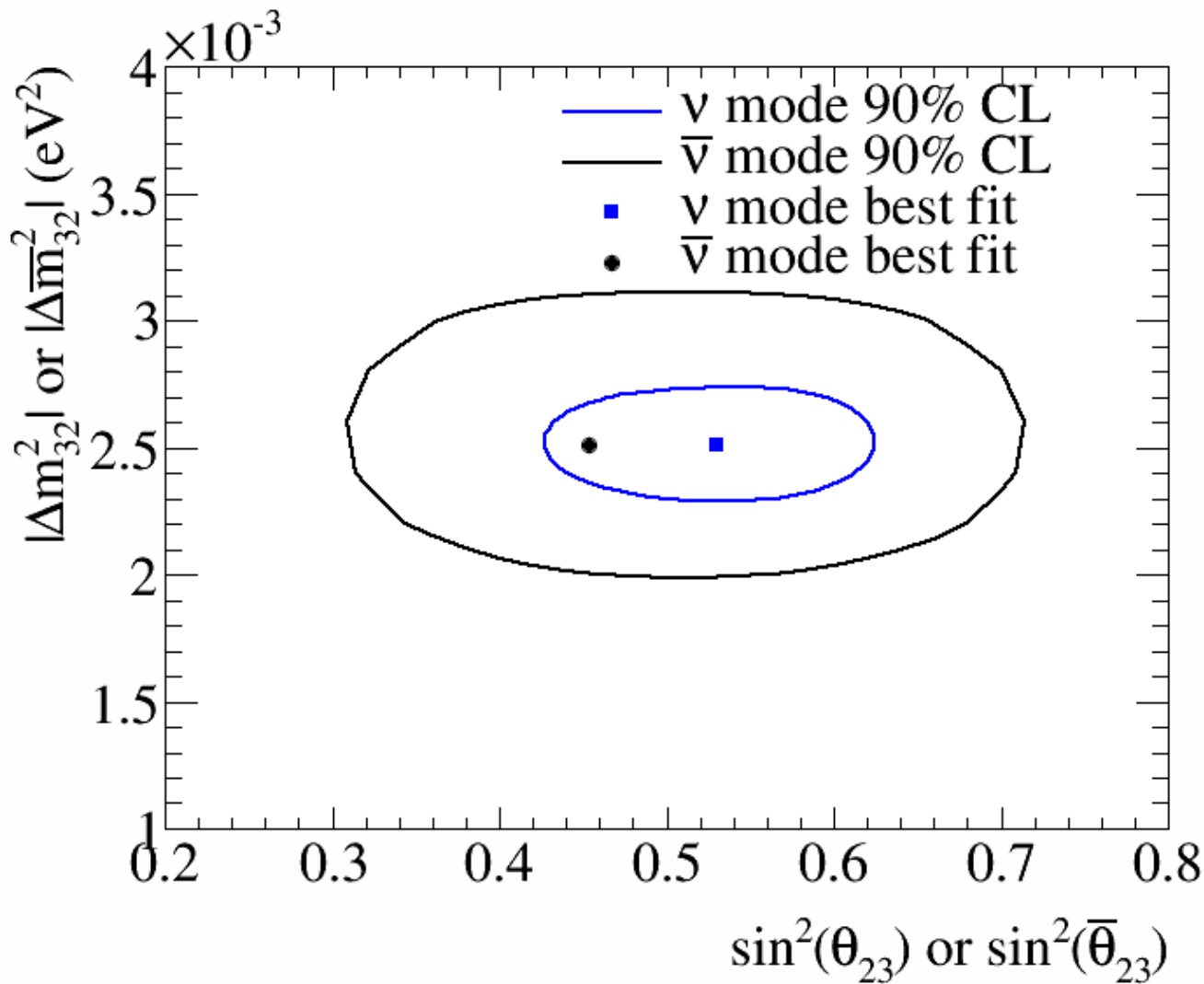
- Binned in reconstructed neutrino energy
- Other oscillation parameters fixed to T2K neutrino data and PDG2014
- Best fit near maximal disappearance





Results compatible with MINOS combined beam+atm

- P. Adamson et al., Phys. Rev. Lett. 110 (2013) 25, 251801



Consistency also between T2K neutrino and antineutrino data estimation of  $\theta_{23}$

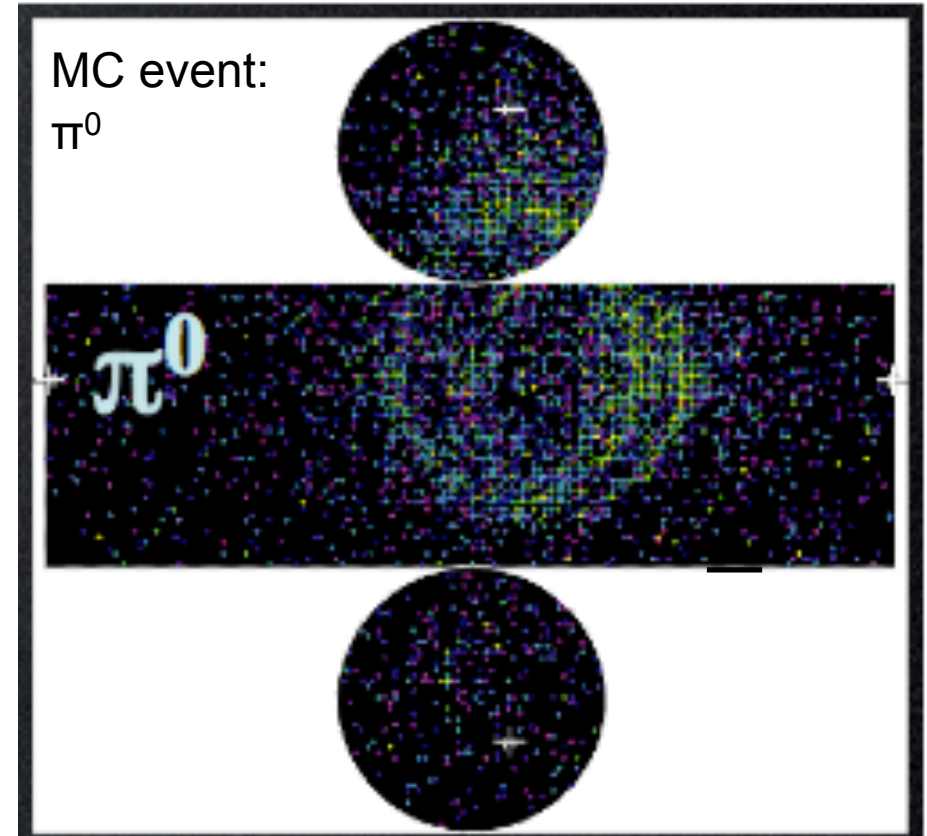
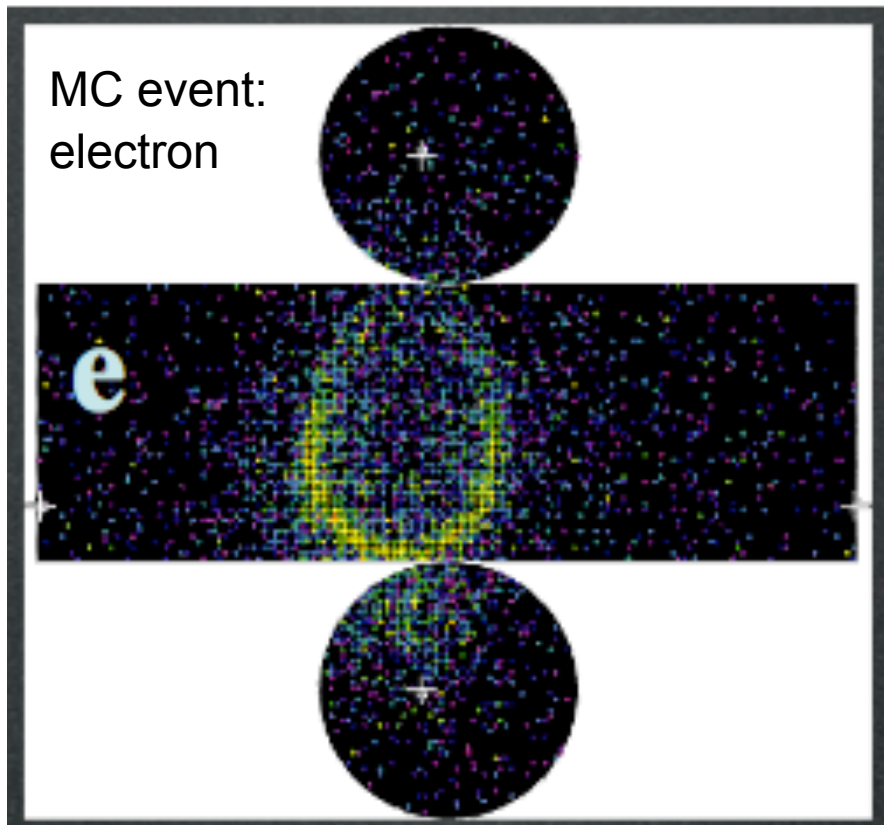
**Signal:** CC  $\bar{\nu}_e$  from  $\bar{\nu}_\mu$  to  $\bar{\nu}_e$  oscillation

**Background:** CC  $\bar{\nu}_e, \nu_e$  Irreducible beam  $\bar{\nu}_e, \nu_e$   $\nu_e$  from oscillation

**Background:** NC  $\pi^0$   $\nu_\mu, \bar{\nu}_\mu$  Mimics CC  $\nu_e$

A  $\pi^0$  from a NC interaction will decay to two photons (two electron-like rings)

- Search for 2<sup>nd</sup> ring
- Calculate invariant mass
- Reject events consistent with  $\pi^0$  invariant mass



# Antineutrino appearance analysis

	$\delta_{CP} = -\pi/2$	$\delta_{CP} = 0$	$\delta_{CP} = +\pi/2$	$\delta_{CP} = -\pi/2$	$\delta_{CP} = 0$	$\delta_{CP} = +\pi/2$
Sig $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$	1.961	2.636	3.288	2.481	3.254	3.939
Bkg $\nu_\mu \rightarrow \nu_e$	0.592	0.505	0.389	0.531	0.423	0.341
Bkg NC	0.349	0.349	0.349	0.349	0.349	0.349
Bkg other	0.826	0.826	0.826	0.821	0.821	0.821
Total	3.729	4.315	4.851	4.181	4.848	5.450

Normal hierarchy

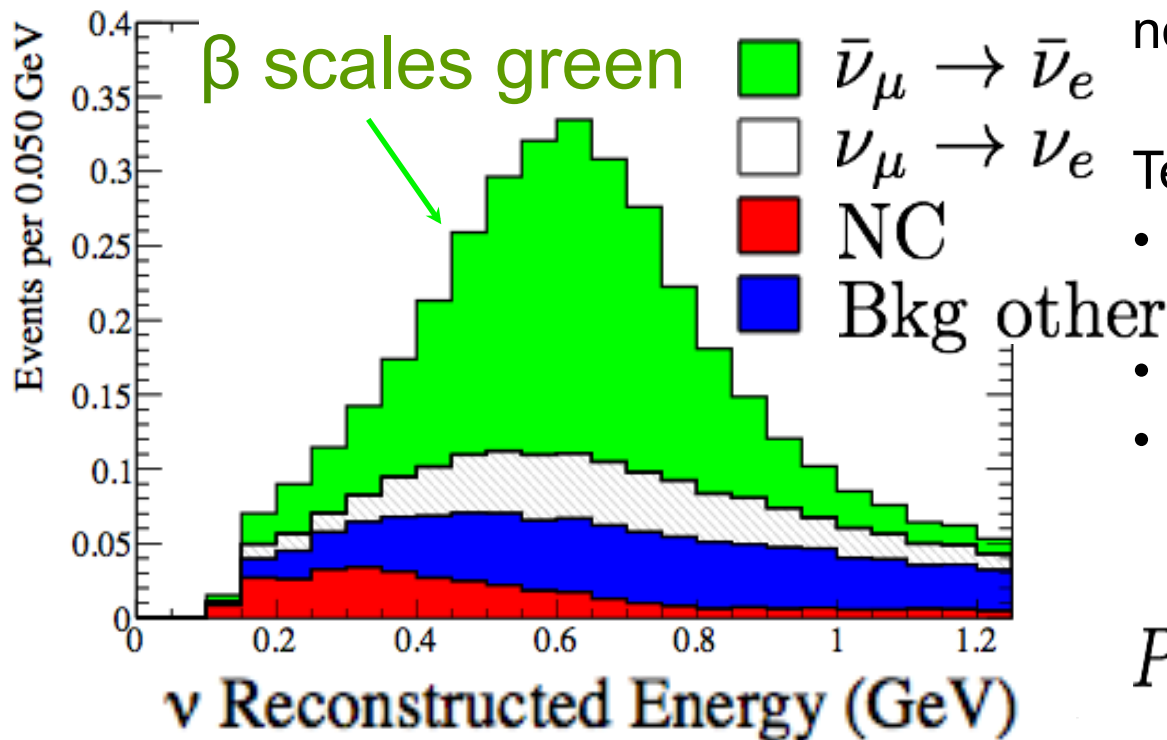
Inverted hierarchy

Expect 3.73 (4.18) events based on normal (inverted) hierarchy

Test of no  $\bar{\nu}_e$  appearance hypothesis:

- Significant expected contribution from  $\nu_e$  appearance
- $\beta=0$ : no  $\bar{\nu}_e$  appearance
- $\beta=1$ :  $\bar{\nu}_e$  appearance

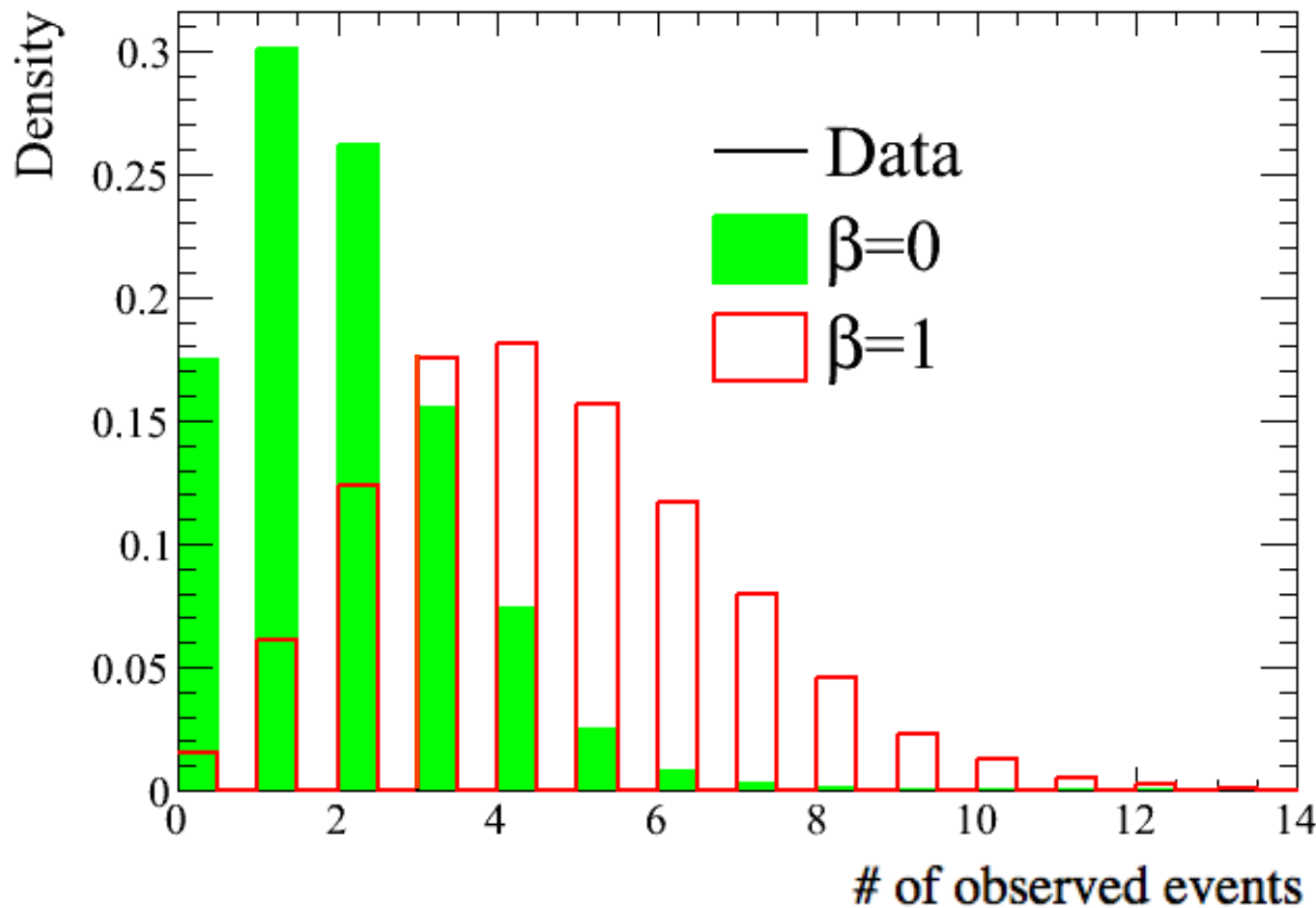
$$P(\bar{\nu}_\mu \rightarrow \bar{\nu}_e) = \beta \times P_{\text{PMNS}}(\bar{\nu}_\mu \rightarrow \bar{\nu}_e)$$



# Rate only p-value and sensitivity

Generate an ensemble of test experiments with  $\beta=0$  (no  $\bar{\nu}_e$  appearance)

- p-value: fraction of test experiments that have as many or more candidate events as T2K data
- Sensitivity: mean p-value for an ensemble of fake data experiments with  $\beta=1$



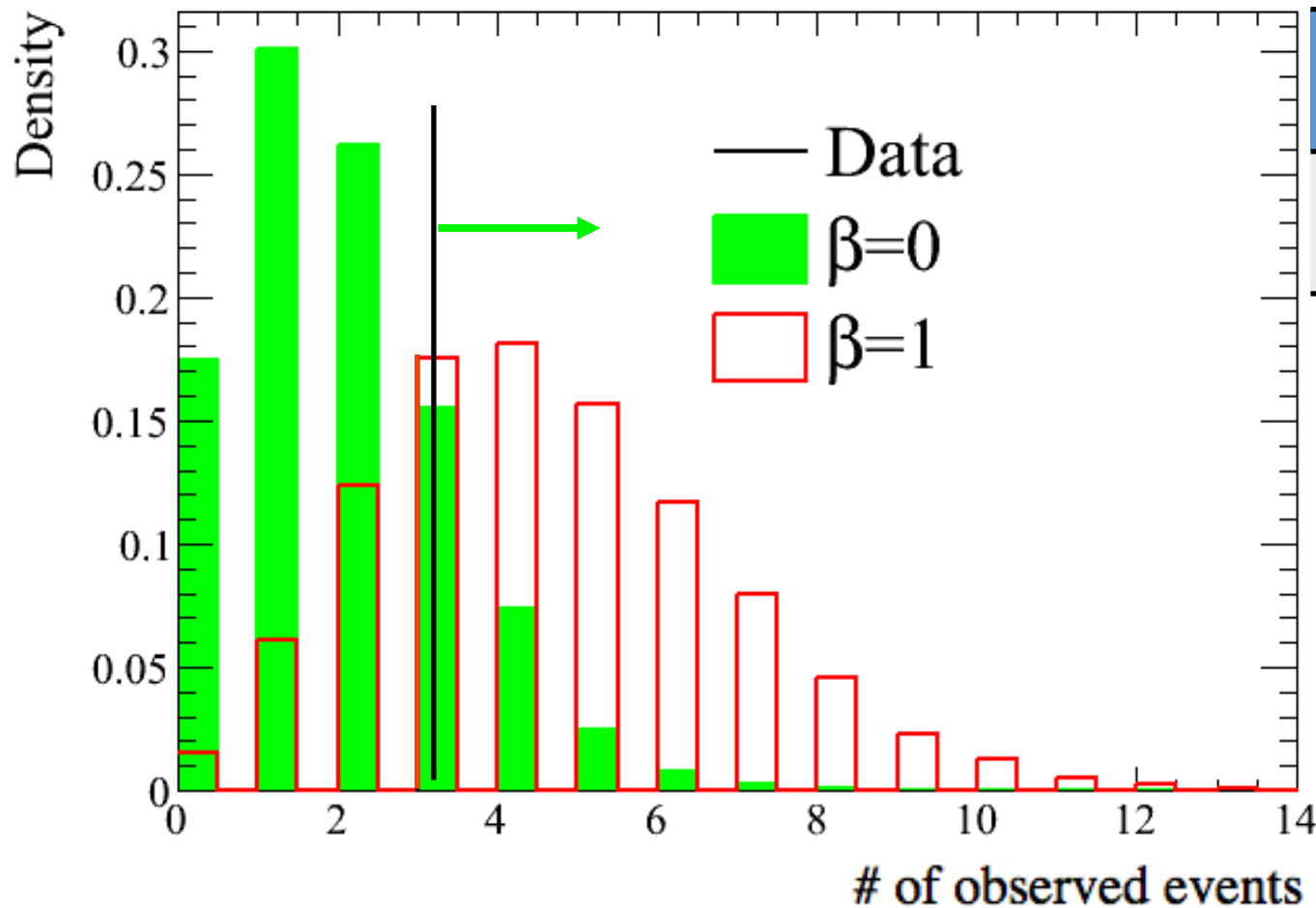
Rate only	p-value
Mean p-value	0.20



# Rate only p-value and sensitivity

Generate an ensemble of test experiments with  $\beta=0$  (no  $\bar{\nu}_e$  appearance)

- p-value: fraction of test experiments that have as many or more candidate events as T2K data
- Sensitivity: mean p-value for an ensemble of fake data experiments with  $\beta=1$

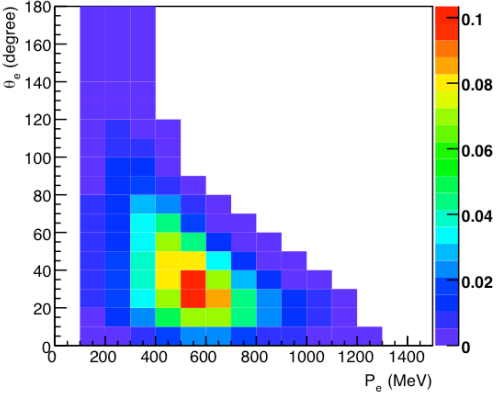


Rate only	p-value	Likelihood ratio
Data: 3 events	0.26	0.9

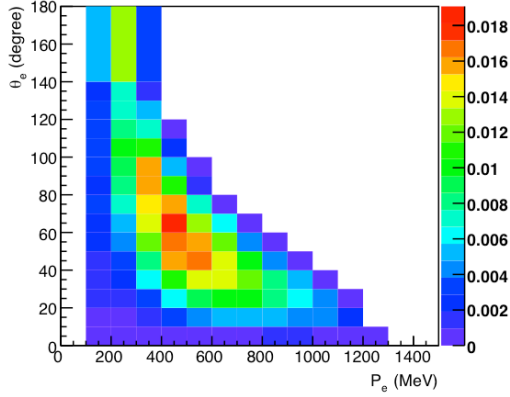
Likelihood ratio:  
 $L(\beta=0)/L(\beta=1)$  is close to 1

*Data does not favor or disfavor  $\bar{\nu}_e$  appearance*

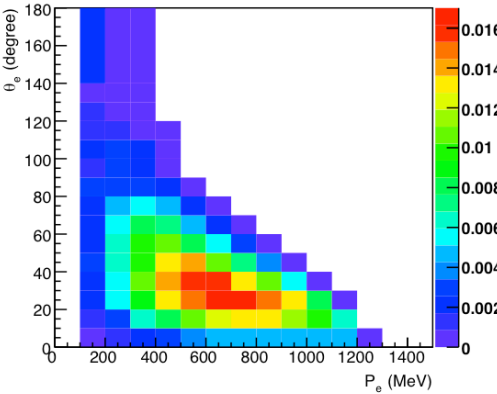
Signal:  $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$



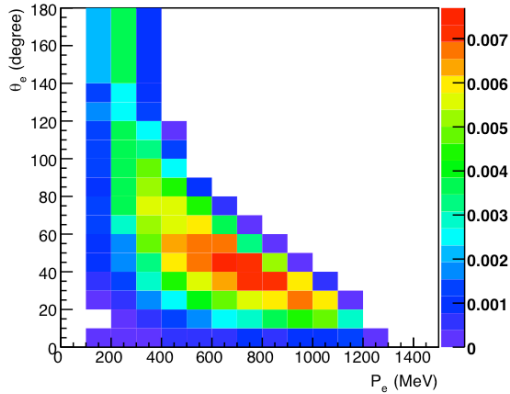
Wrong Sign:  $\nu_\mu \rightarrow \nu_e$



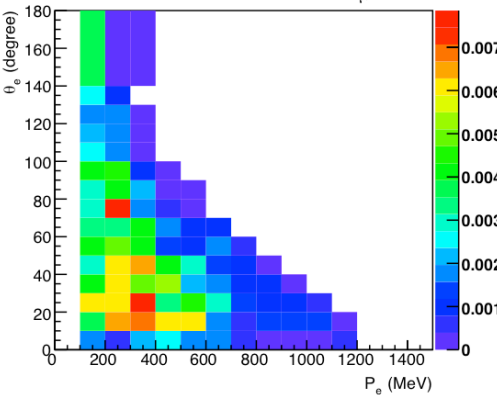
Background: Beam  $\bar{\nu}_e$



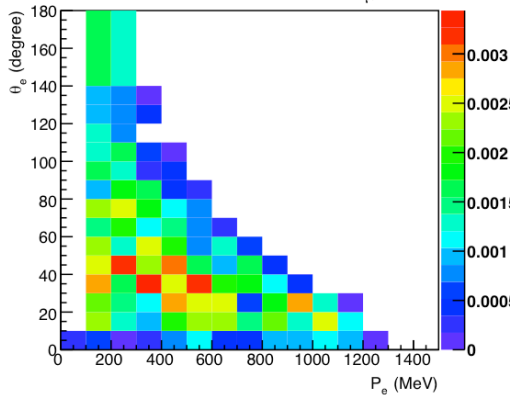
Background: Beam  $\nu_e$



Background: Beam  $\bar{\nu}_\mu$

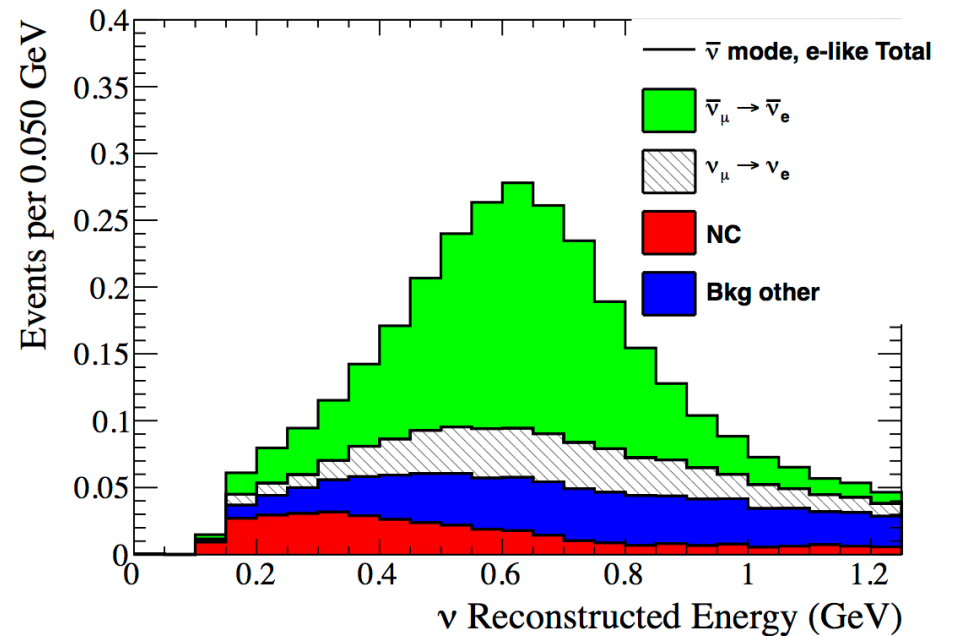


Background: Beam  $\nu_\mu$



Include distribution of events in kinematic variables in calculation of p-value

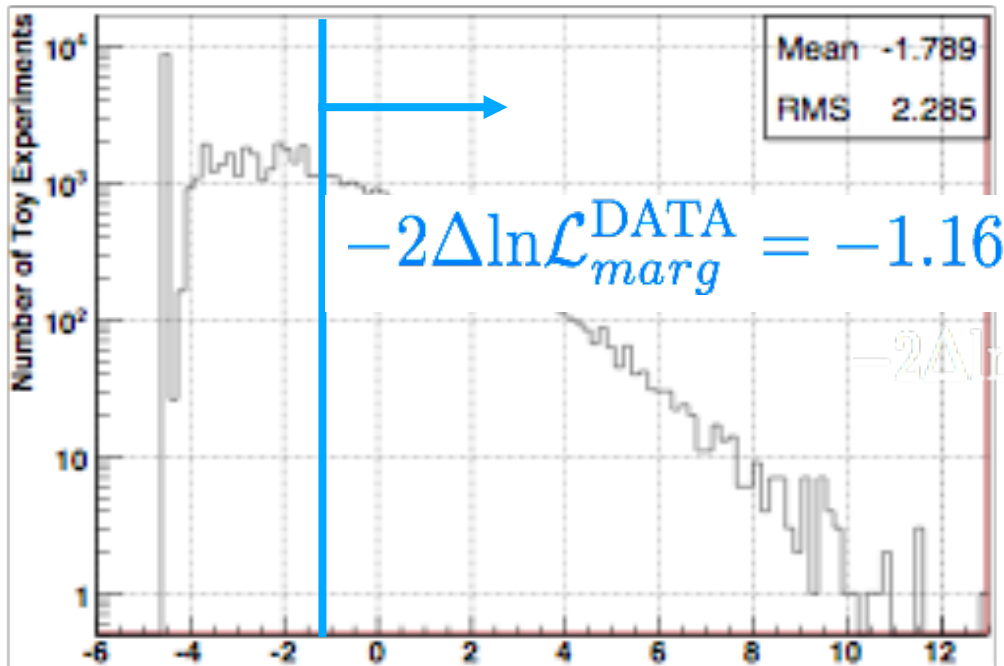
- Momentum, angular distribution ( $p-\theta$ ) are different for signal, background events
- Similar for EvQE (Erec) distribution



Form a likelihood with shape, normalization information:

- Shape information from  $p$ - $\theta$  or EvQE distribution
- Marginalize likelihood over all systematic, oscillation parameters except  $\beta$  and define a test statistic:

$$-2\Delta\ln\mathcal{L} = -2\ln\frac{\mathcal{L}_{marg}(\beta = 0)}{\mathcal{L}_{marg}(\beta = 1)}$$



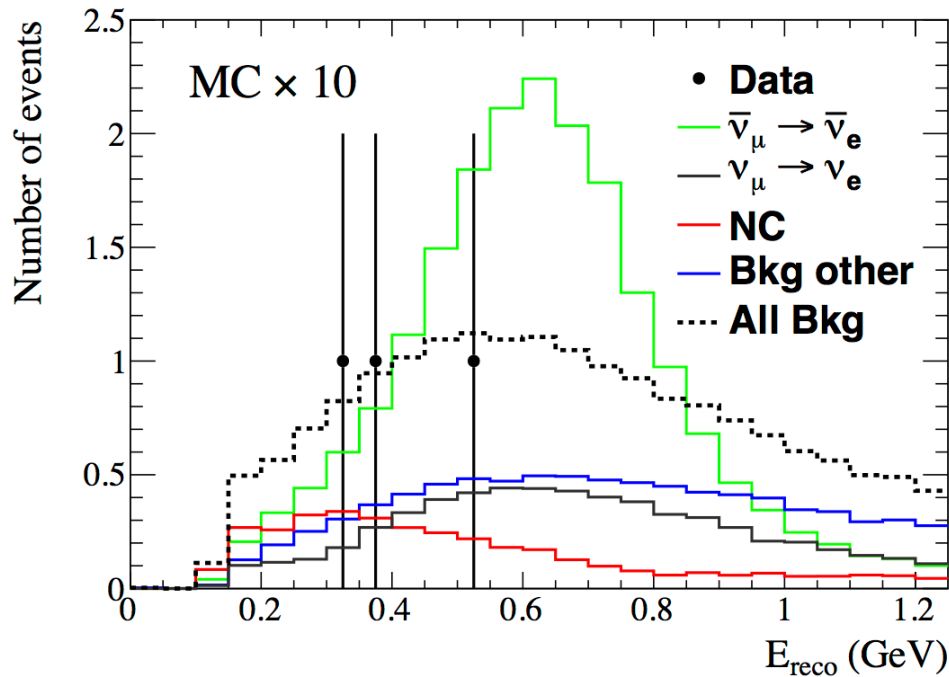
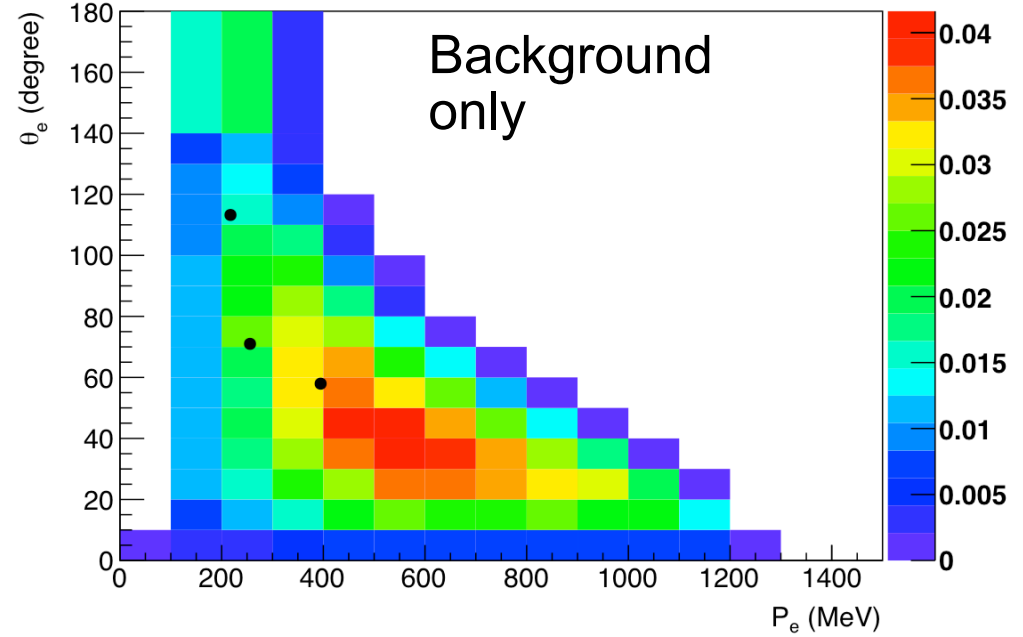
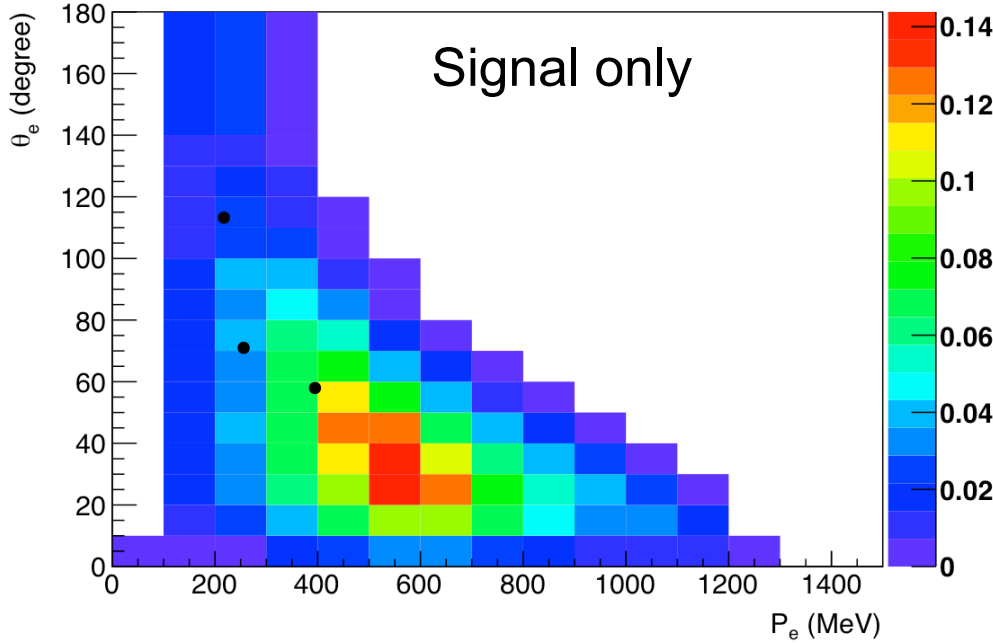
Use an ensemble of fake data experiments to estimate the mean p-value

$$-2\Delta\ln\mathcal{L} = -2[\ln\mathcal{L}_{marg}(\beta = 0) - \ln\mathcal{L}_{marg}(\beta = 1)]$$

Rate+shape	Mean p-value	Likelihood ratio	$-2\Delta\ln L(\text{marg})$ Data	Data p-value
$p$ - $\theta$	0.13	1.8	-1.16	0.34
EvQE	0.14	0.9	0.16	0.16

1R e-like events

1R e-like events



*Data does not favor or disfavor  $\bar{\nu}_e$  appearance*

# A look toward the future for T2K

So far, 14% of T2K design POT taken

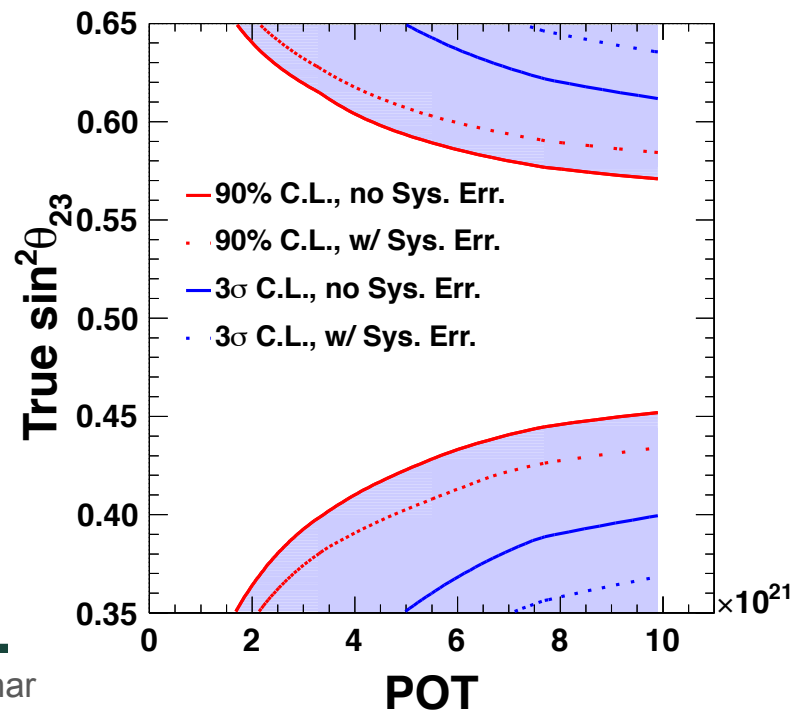
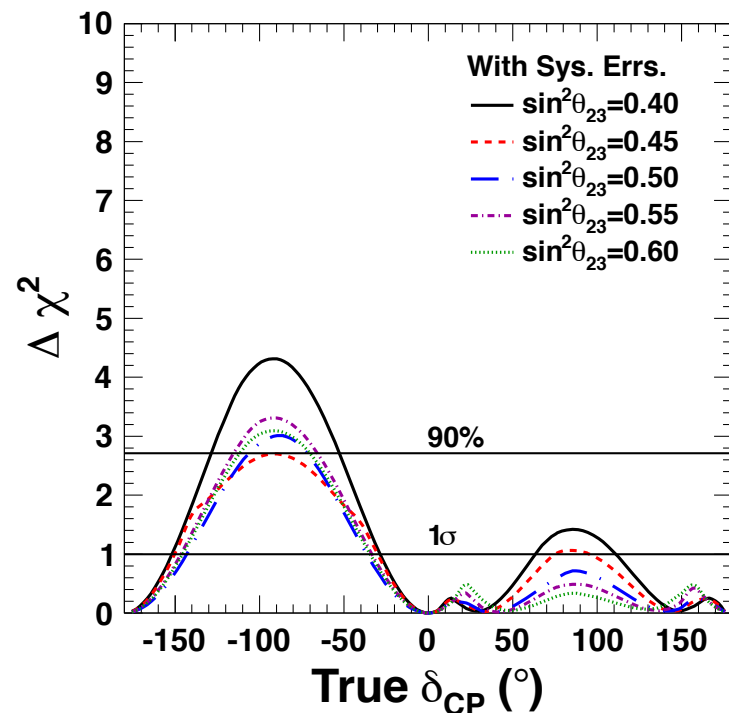
- $\nu$  mode:  $6.9 \times 10^{20}$  POT;
- $\bar{\nu}$  mode:  $4.0 \times 10^{20}$  POT

Short term (1 year) goal:  $\sim 9.5 \times 10^{20}$  POT

- $\sim 2\sigma$  level rejection of no  $\bar{\nu}_e$  appearance
- $\sim 60\%$  chance of 99%CL observation

Long term (full run) goal:  $8 \times 10^{21}$  POT

- $\sim 10x$  statistics in  $\bar{\nu}$  mode
- 50%  $\nu$ , 50%  $\bar{\nu}$  run plan
- May exclude  $\delta_{CP}=0$  at  $\geq 90\%$ CL
- Combined app. and disap. channels to infer octant (and reactor measurements)

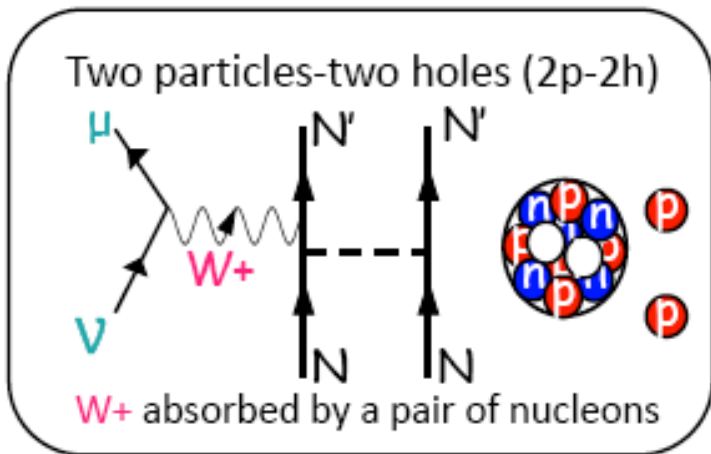
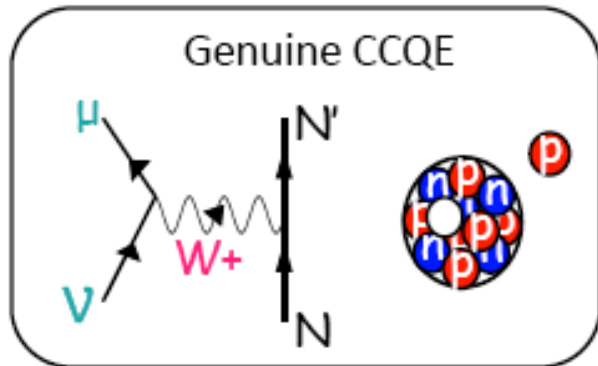


PTEP (2015) 043C01



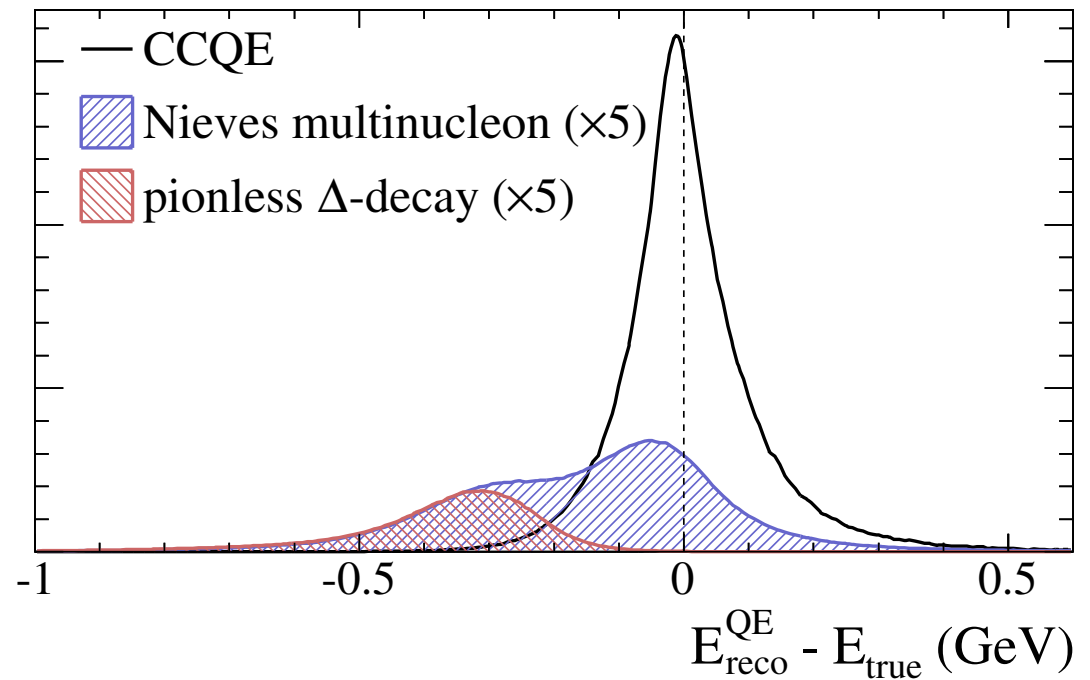
Nuclear effects such as “multinucleon” processes may explain the enhanced CCQE cross section observed by MiniBooNE, SciBooNE experiments

- CCQE interaction simulated as interaction on a single nucleon (1p1h)
- Two models simulate interaction on correlated pair of nucleons (2p2h)
- J. Nieves, I. Ruiz Simo, and M. J. Vicente Vacas, PRC 83 045501 (2011)
- M. Martini, M. Ericson, G. Chanfray, and J. Marteau, PRC 80 065501 (2009)



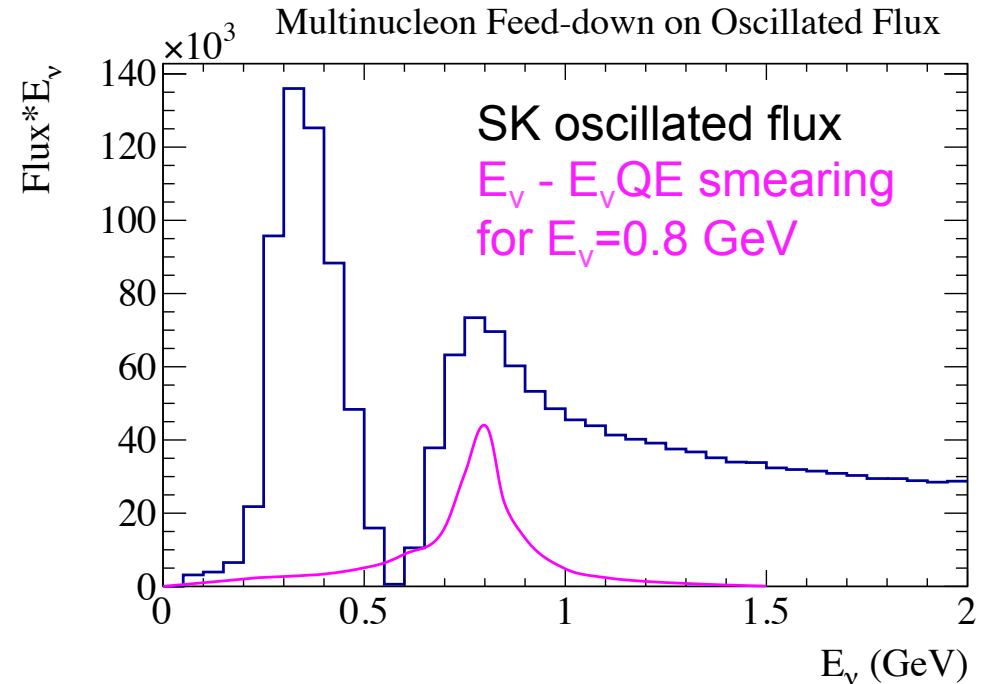
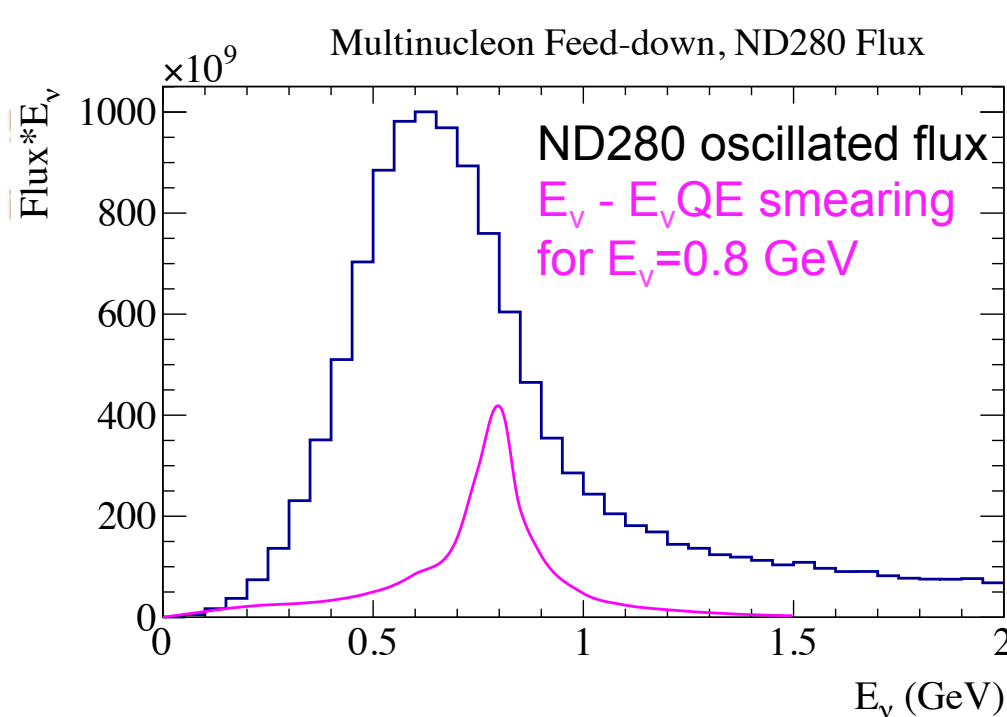
Picture by M. Martini

Arbitrary Units



T2K collab PRL 112, 181801 (2014)

Cross section model couples through the different fluxes measured by ND and FD



$$FD(\nu_e) = \Phi \times \sigma \times \epsilon \times P(\nu_\mu \rightarrow \nu_e)$$

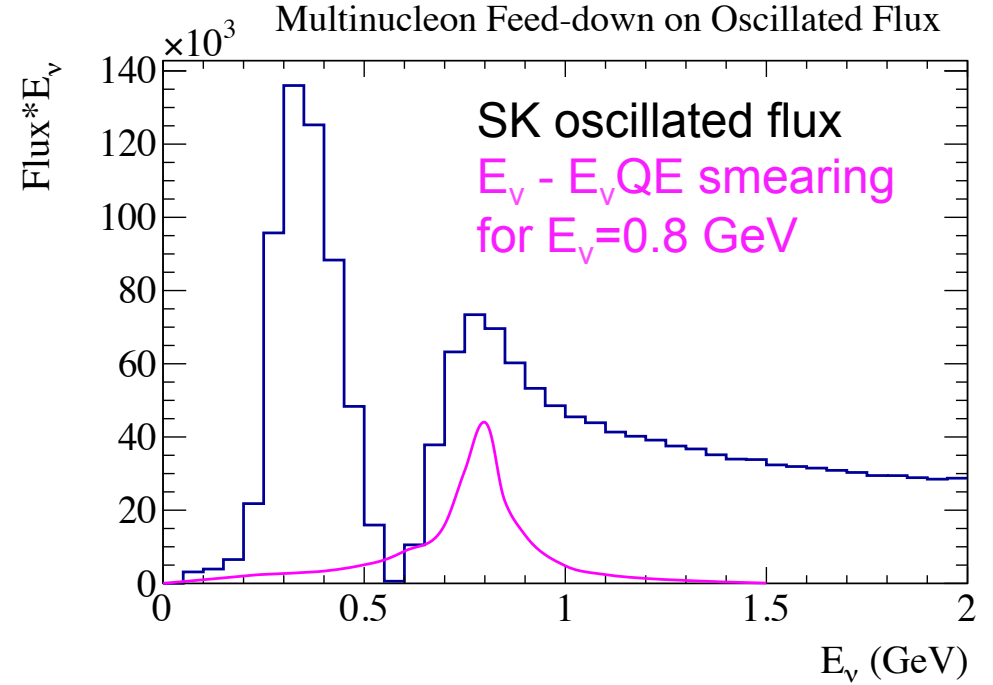
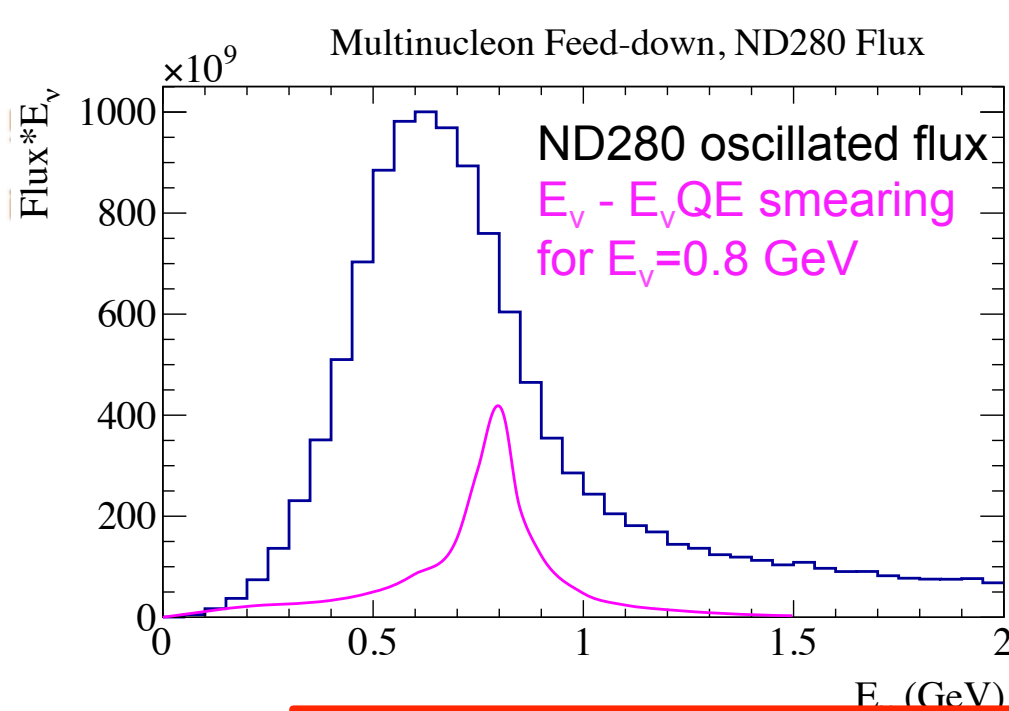
$$ND(\nu_\mu) = \Phi \times \sigma \times \epsilon_{ND}$$

$$E_\nu^{QE} = \frac{m_p^2 - m_n'^2 - m_\mu^2 + 2m_n' E_\mu}{2(m_n' - E_\mu + p_\mu \cos \theta_\mu)}$$

Overall increase to cross section cancels in extrapolation, but any shifts between true to reconstructed E feed down into oscillation dip and are ~degenerate with  $\theta_{23}$  measurement

- Similar issue for CC1 $\pi^+$  backgrounds where pion is not tagged (absorbed in nucleus or detector)

Cross section model couples through the different fluxes measured by ND and FD



FD( $\nu$ )  
ND( $\nu$ )

This effect still occurs even if the near and far detectors are the same technology

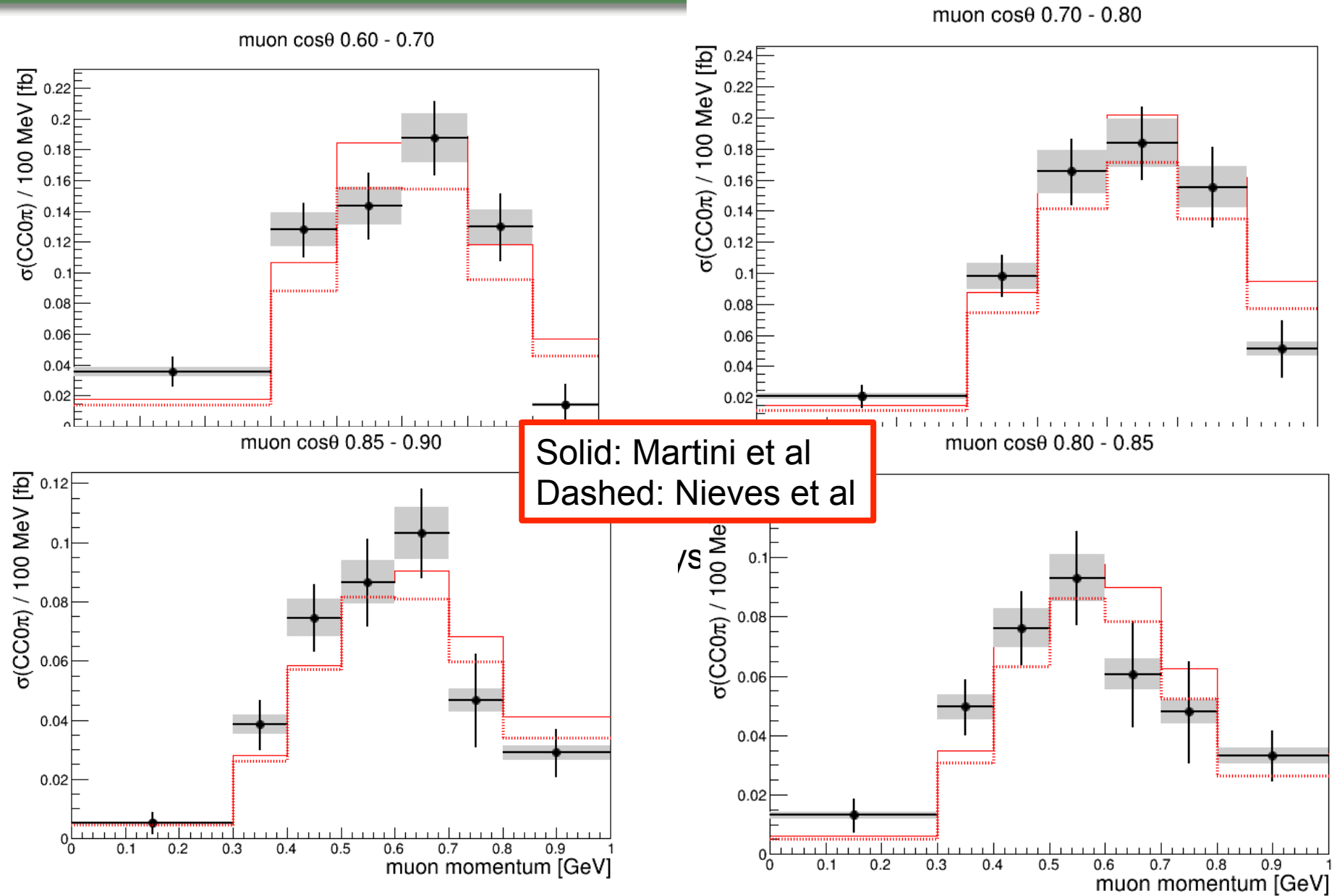
*Critical to understand differences between neutrino and antineutrino due to 2p2h/MEC for future measurements*

$$\frac{n'_n E_\mu}{s \theta_\mu}$$

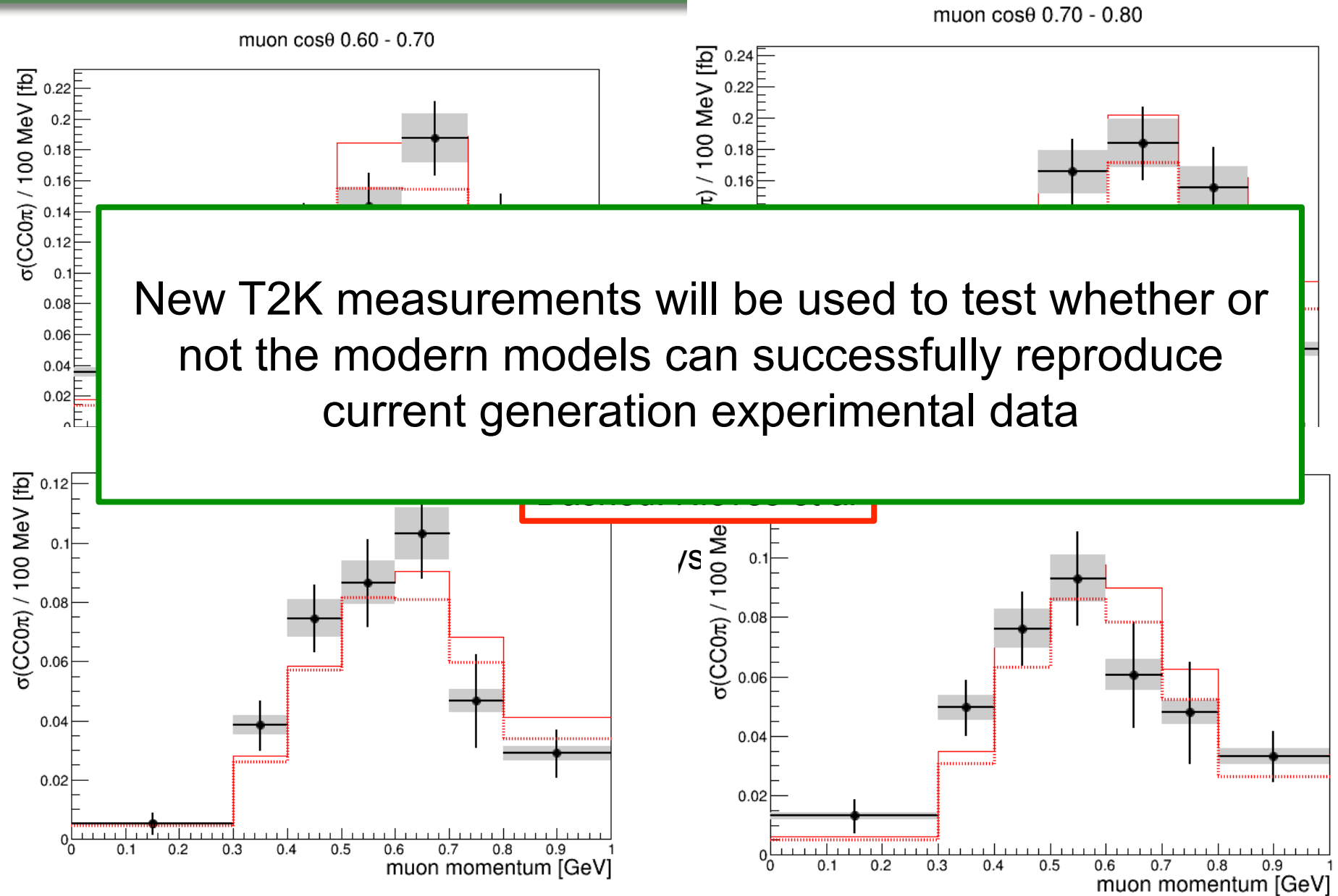
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nucleus



New measurement muon kinematics for muon, muon+proton, both with no pion in final state from ND280 off-axis beam



New measurement muon kinematics for muon, muon+proton, both with no pion in final state from ND280 off-axis beam



# Bonus physics! from T2K detectors

Cross section measurements	Target	Reported in	Detector
$\nu_{\mu}$ CC inclusive	CH	PRD 87, 092003 (2013)	ND280, Tracker
$\nu_{\mu}$ CCQE	CH	Accepted by PRD	ND280, Tracker
$\nu_e$ CC inclusive	CH	PRL 113, 241803 (2014)	ND280, Tracker
$\nu_{\mu}$ NC $\pi^0$	CH/Water	Publication in progress	ND280, POD
$\nu_{\mu}$ NC elastic	Water	PRD 90, 072012 (2014)	SK
$\nu_{\mu}$ CC inclusive	CH/Fe	PRD 90, 052010 (2014)	INGRID
$\nu_{\mu}$ CCQE	CH	PRD 91, 112002 (2015)	INGRID
$\nu_{\mu}$ CC coherent	CH	Publication in progress	INGRID
$\nu_{\mu}$ CC coherent	CH	Publication in progress	ND280, Tracker
$\nu_{\mu}$ CC $\pi^+$	Water	Publication in progress	ND280, Tracker
$\nu_{\mu}$ CC $0\pi$	CH	Publication in progress	ND280, Tracker

*Cross section measurements with both off-axis and on-axis fluxes*

*Additional measurements of Lorenz violation, sterile oscillation, and neutrino mass*

T2K presents first results with antineutrino data:  $4.0 \times 10^{20}$  POT

- **anti- $\nu_{\mu}$  disappearance results**
  - Updated with full antineutrino run
  - 34 events used for world leading determination of  $\bar{\theta}_{23}$
- **Search for anti- $\nu_e$  appearance:**
  - 3 candidate events observed
  - Data does not favor or disfavor the appearance hypothesis
- Both analyses are statistics limited
- Next step: joint neutrino+antineutrino beam mode analysis

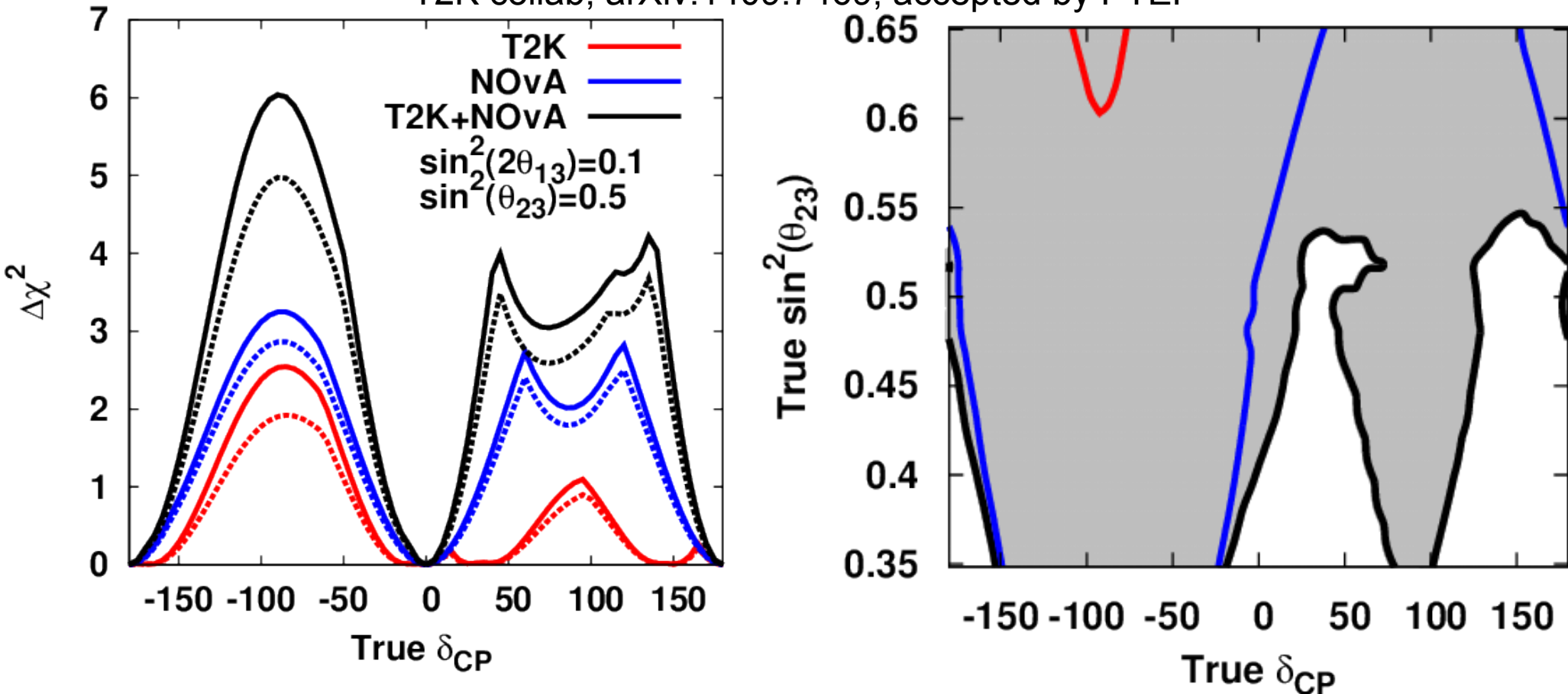
Additional physics from T2K:

- 13 papers from 2014-2015 so far on oscillation, cross section, and sterile oscillation

*Thank you for your attention!*

# Backup slides

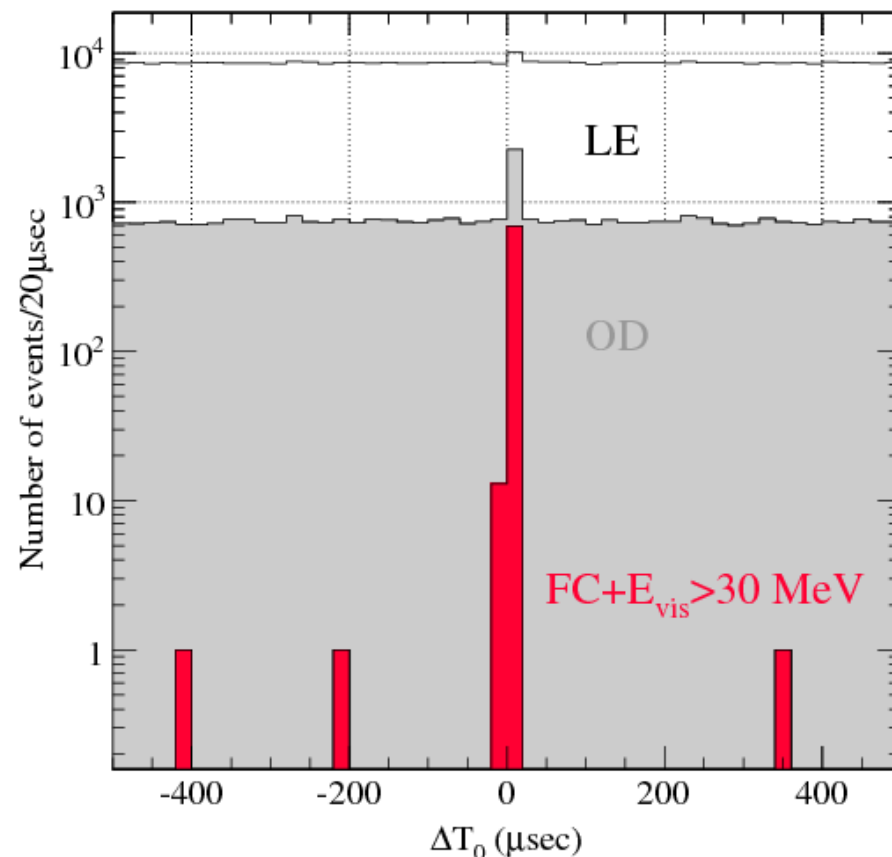
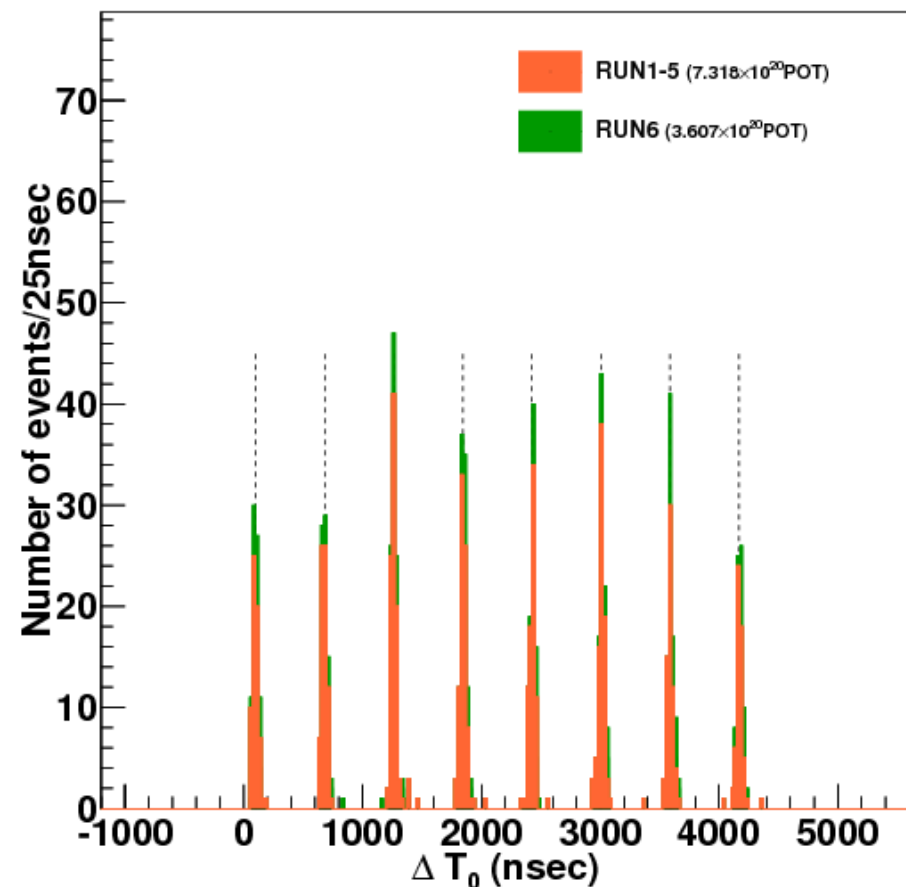
T2K collab, arXiv:1409.7469, accepted by PTEP



NOvA's higher energy (peak  $E_\nu \sim 2$  GeV) and longer baseline ( $L \sim 810$  km) has a different dependence on mass hierarchy (MH) through the matter effect

- Gray regions are where the mass hierarchy can be determined to 90% CL for T2K (red), NOvA (blue), and T2K+NOvA (black)

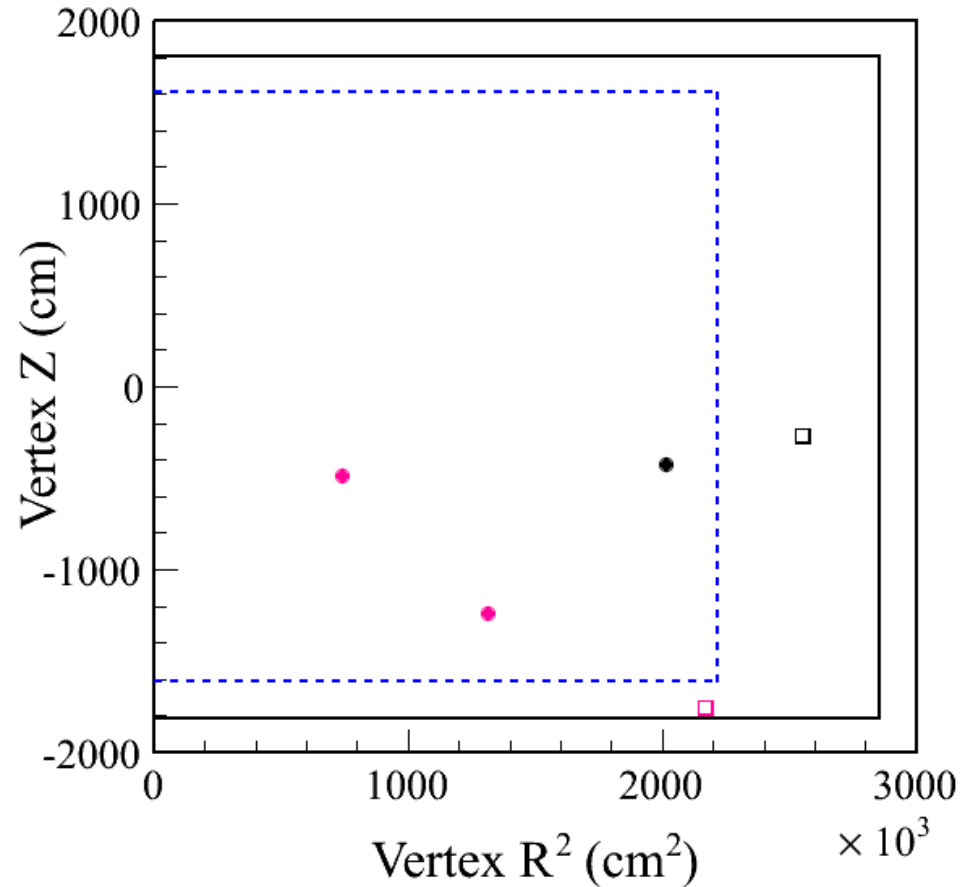
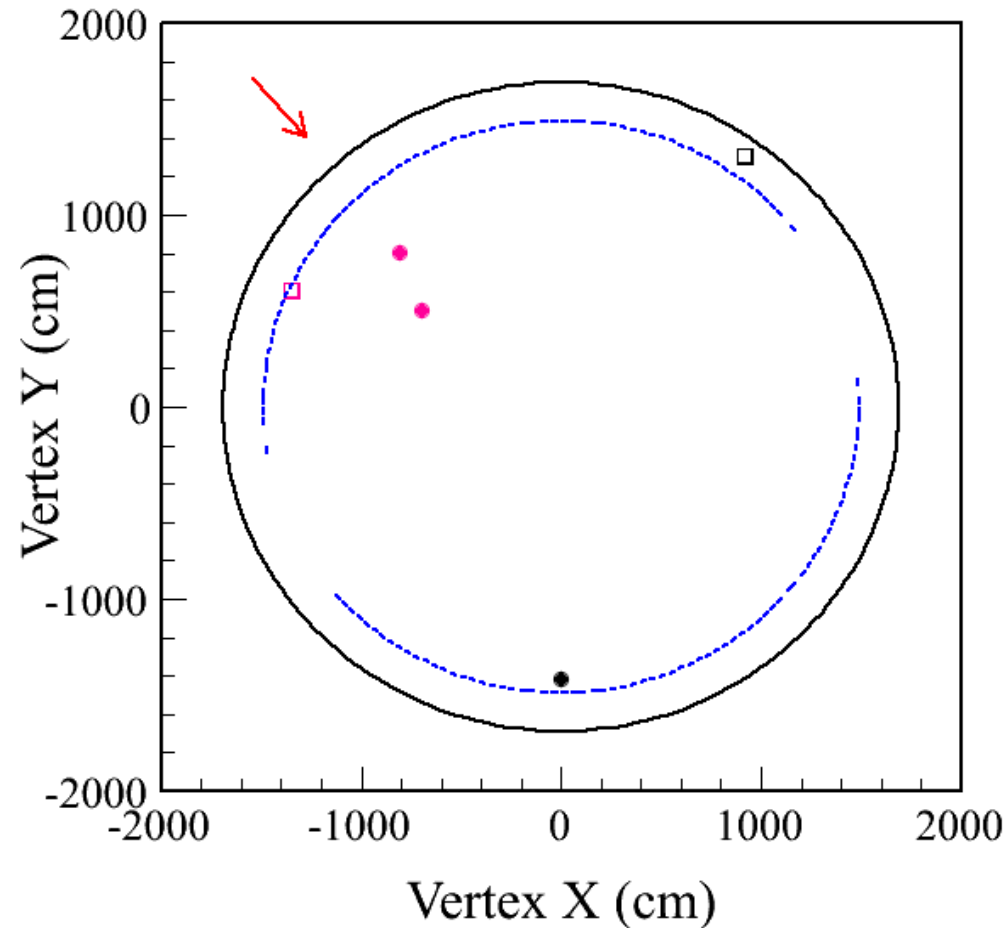
*Determination of MH depends on  $\theta_{23}$*



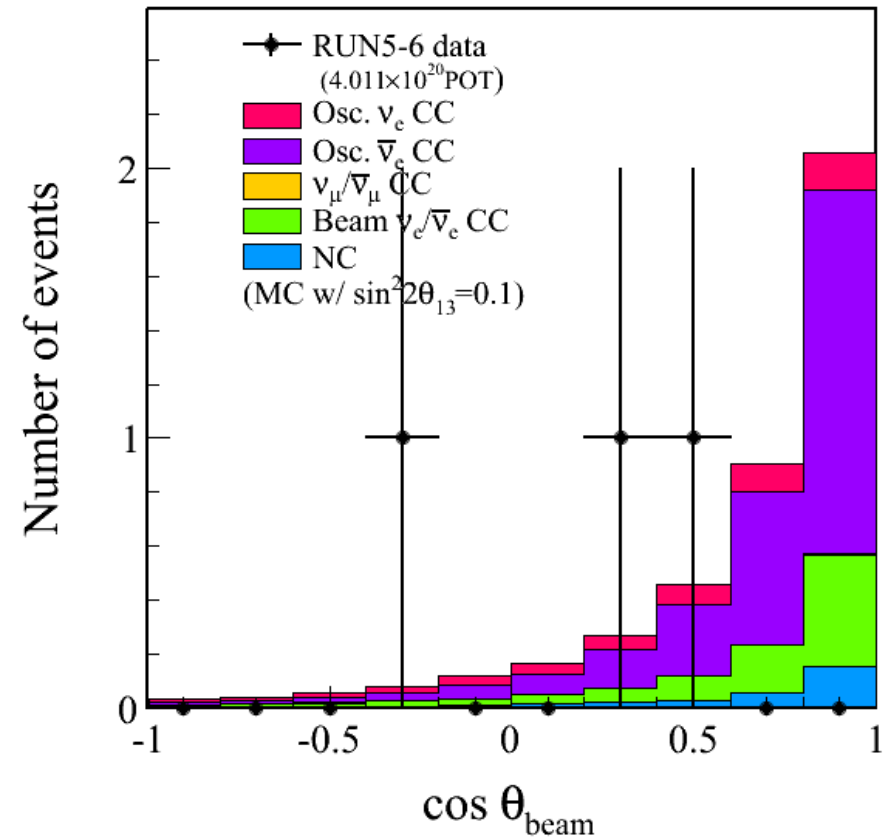
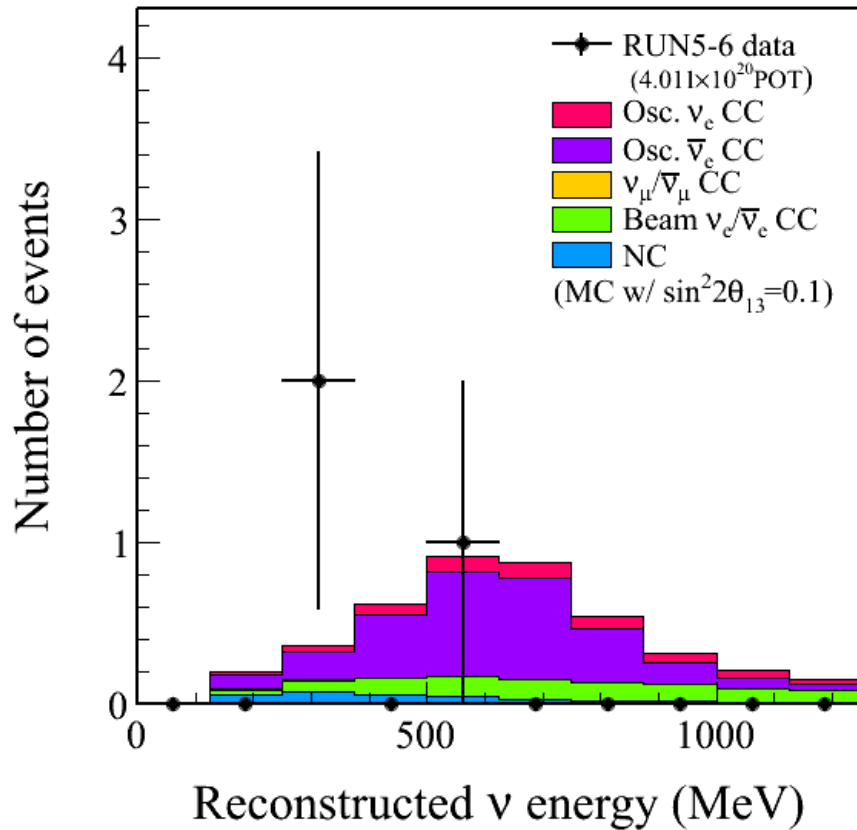
$\Delta T_0$  distribution of all the FC events (zoomed into the spill on-timing window) observed during Run1-5 (orange) and Run6 (green). The eight dotted vertical lines represent the 581 nsec-interval bunch center positions fitted to the observed FC event times albeit with their spacing preserved. The two histograms are stacked.



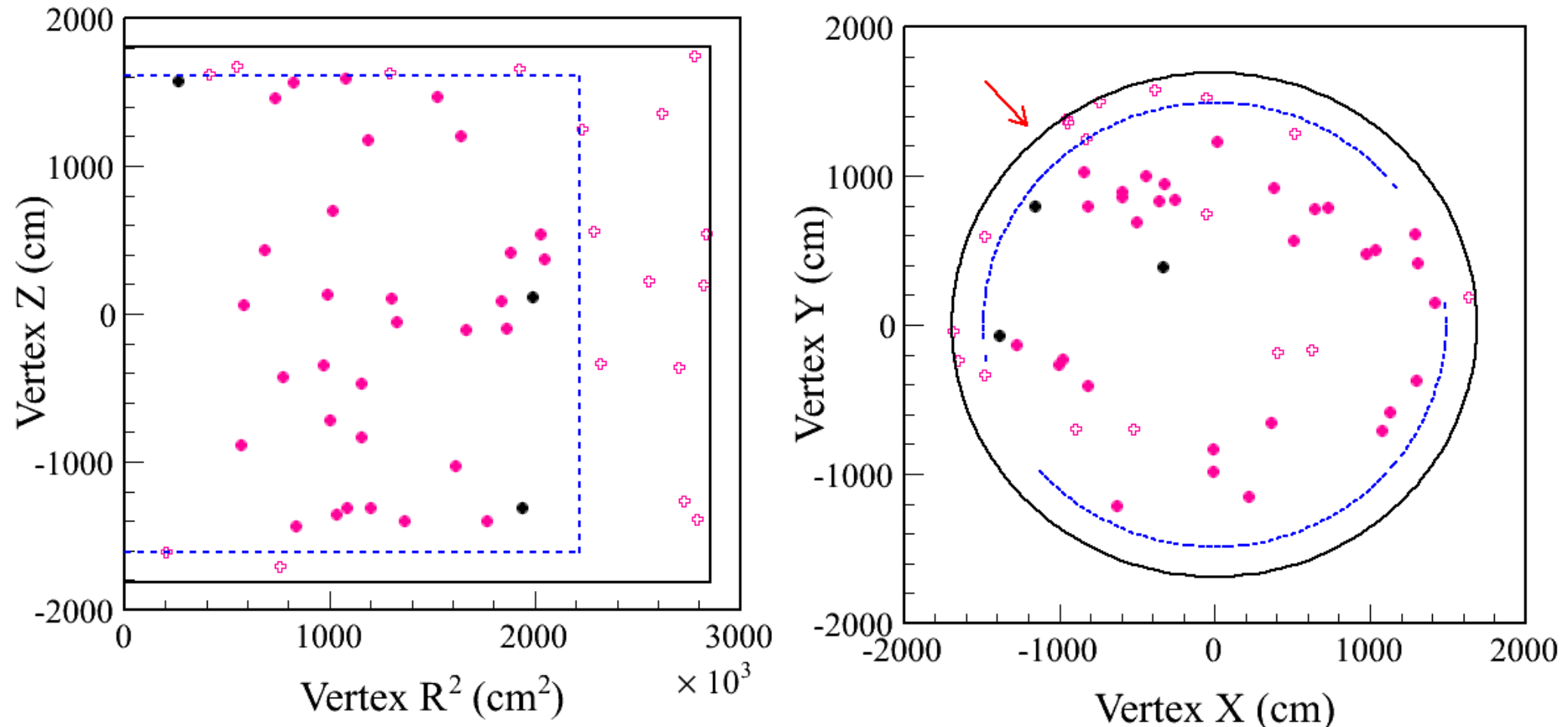
# Antielectron neutrino candidates distributions



Two-dimensional  $R^2$ -Z distribution of the reconstructed vertex position of the anti- $\nu_e$  candidate events. Dashed blue line indicates the fiducial volume boundary. Black markers are events observed during RUN5, and pink markers are events from RUN6. Hollow crosses represent events passing the anti- $\nu_\mu$  selection cuts other than the fiducial volume cut.

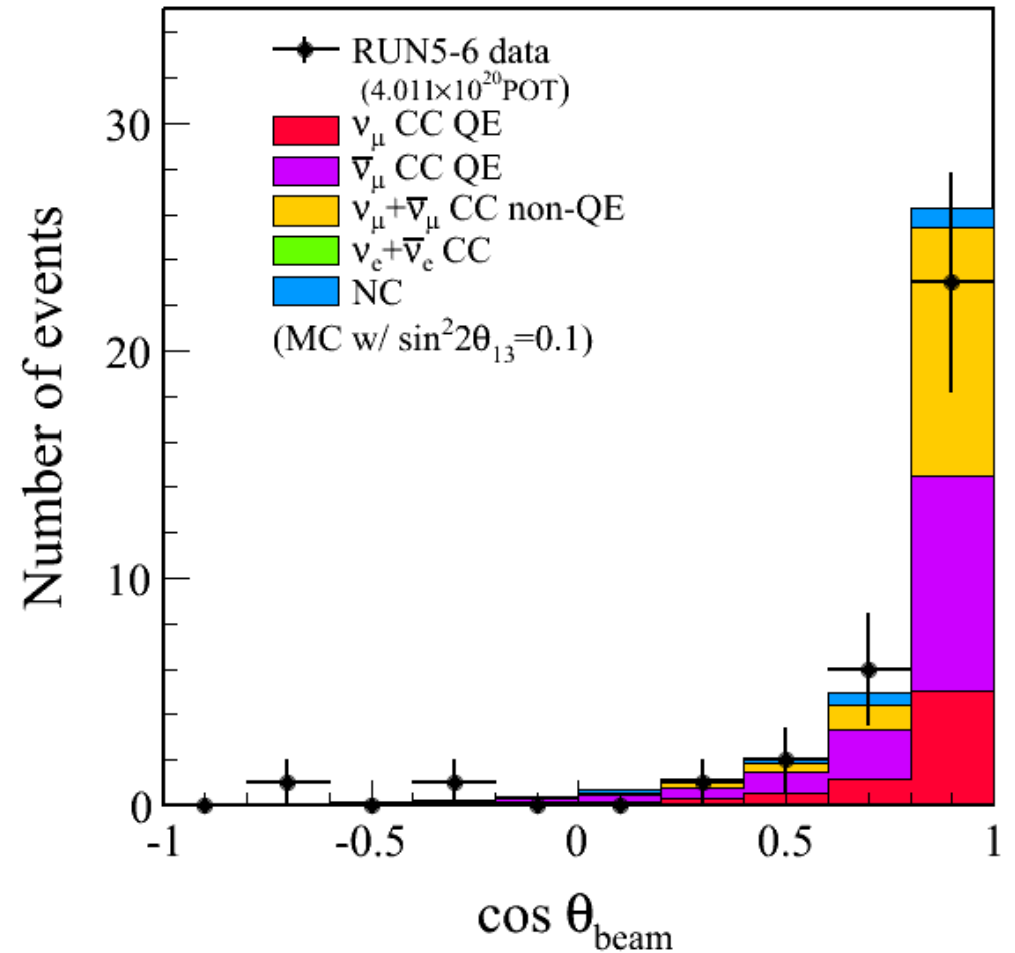
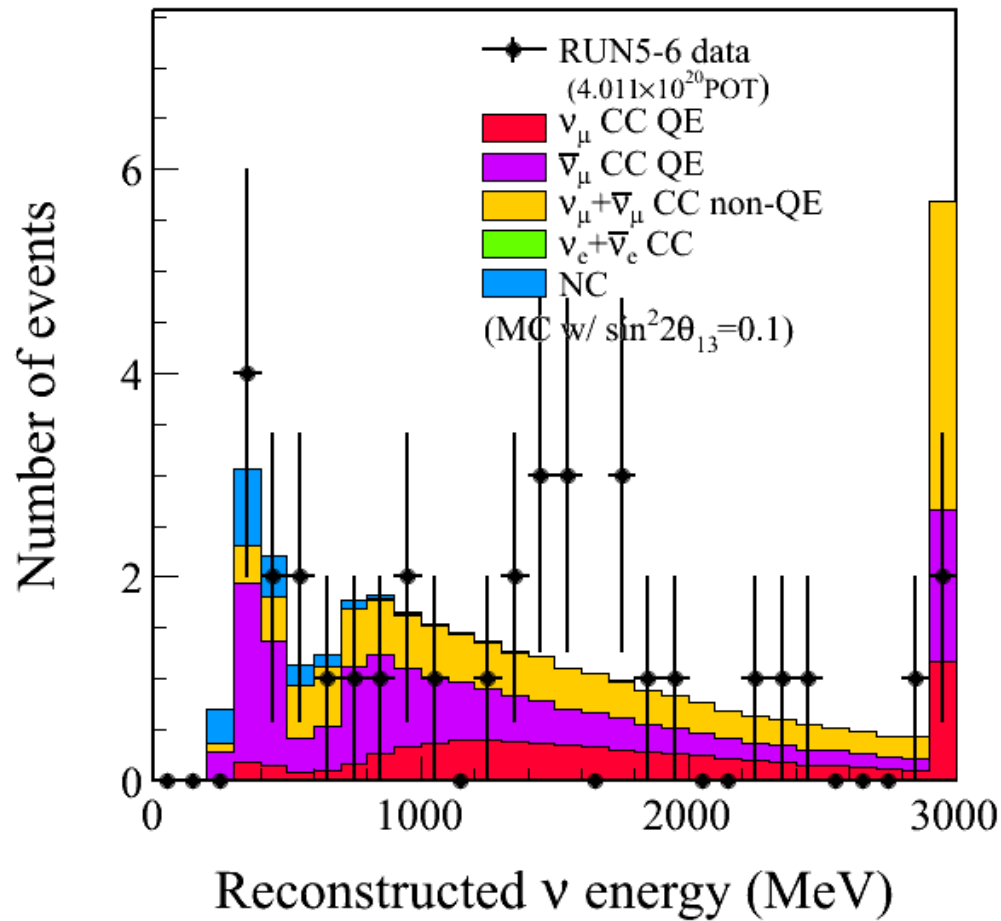


# Antimuon neutrino candidates distributions



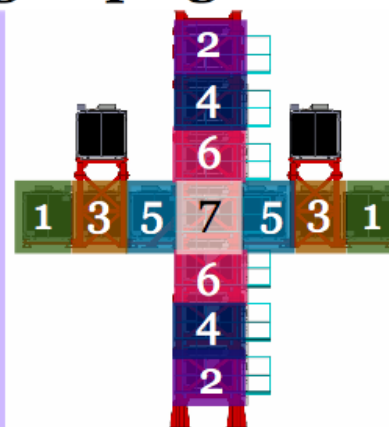
Two-dimensional  $R^2$ - $Z$  distribution of the reconstructed vertex position of the anti- $\nu_\mu$  candidate events. Dashed blue line indicates the fiducial volume boundary. Black markers are events observed during RUN5, and pink markers are events from RUN6. Hollow crosses represent events passing the anti- $\nu_\mu$  selection cuts other than the fiducial volume cut.

# Antimuon neutrino candidates distributions

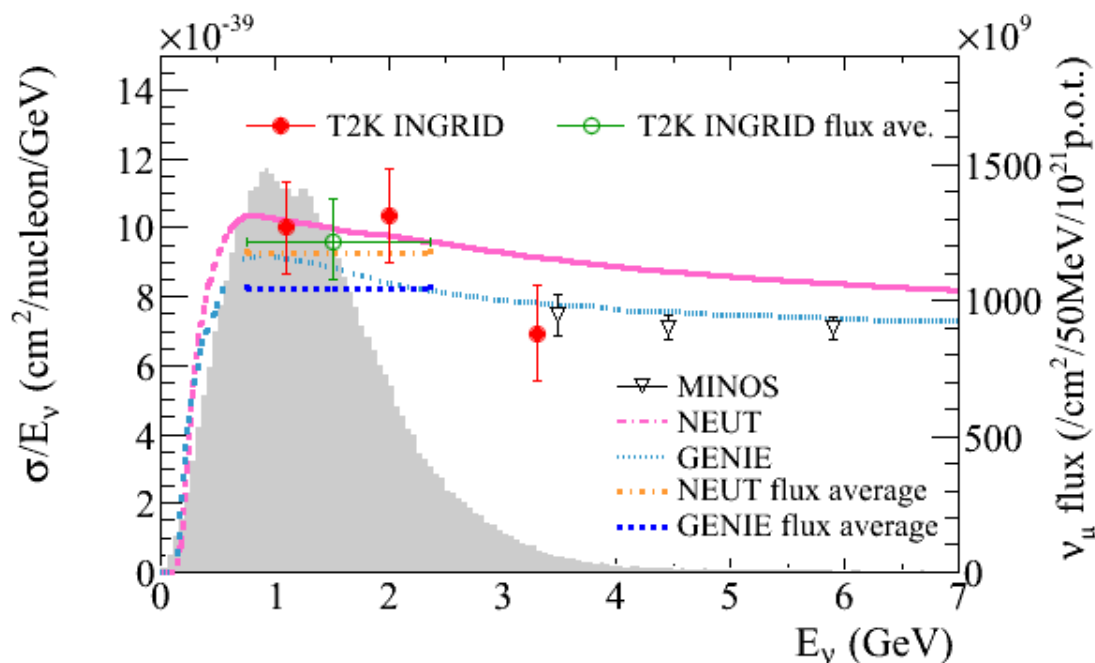
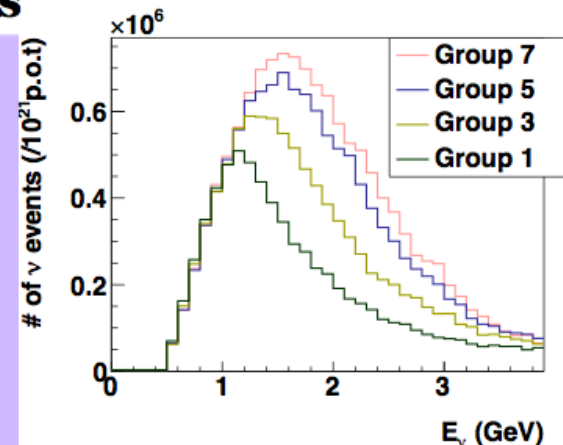


- Utilize # of event at different modules
  - Different energy spectra at different modules because of different off-axis angles ( $\theta_{OA}=0-0.9^\circ$ )
- Group two modules to minimize effects from the variation of the neutrino beam direction
  - 14 modules  $\rightarrow$  7 groups

## Definition of grouping modules



## Energy spectra predicted by MC



Compare nearby CC inclusive event rate across the on-axis (INGRID) detector:

- Target material: Fe
- Flux varies across detector due to off-axis effect
- Infer energy dependence from variation



Expected number of events at the far detector is tuned using a likelihood fit to the near detector samples; substantial reduction to overall uncertainty:

		w/o ND measurement	w/ ND measurement
ν flux and cross section	flux	7.1%	3.5 %
	cross section cmn to ND280	5.8%	1.4 %
	(flux) × (cross section cmn to ND280)	9.2%	3.4 %
	cross section (SK only, include ↓)	10.0 %	
	multi-nucleon effect on oxygen	9.5%	
	total	13.0%	10.1%
Final or Secondary Hadronic Interaction		2.1%	
Super-K detector		3.8%	
total		14.4%	11.6%

Fractional error on number-of-event prediction

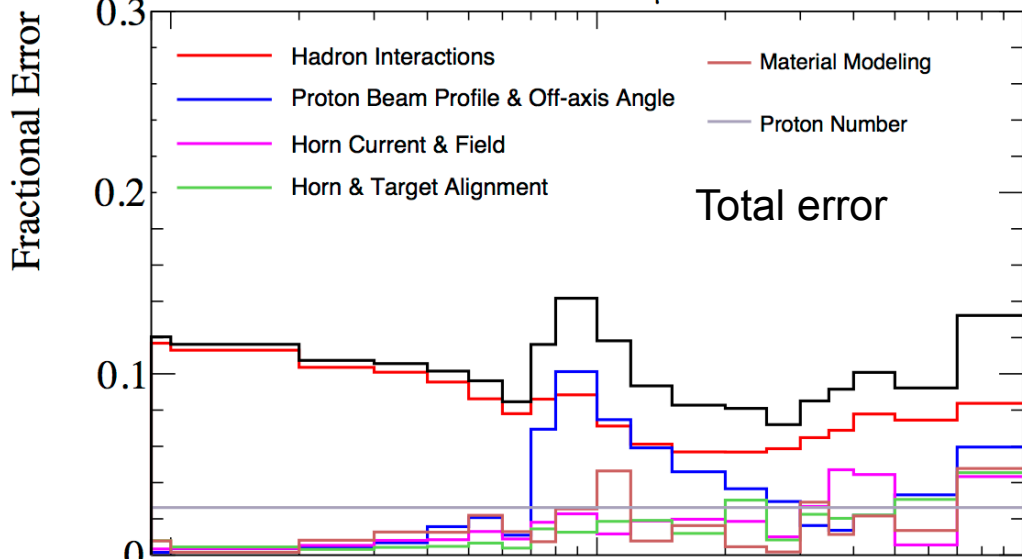
$$FD(\nu_e) = \Phi \times \sigma \times \epsilon \times P(\nu_\mu \rightarrow \nu_e)$$

$$ND(\nu_\mu) = \Phi \times \sigma \times \epsilon_{ND}$$

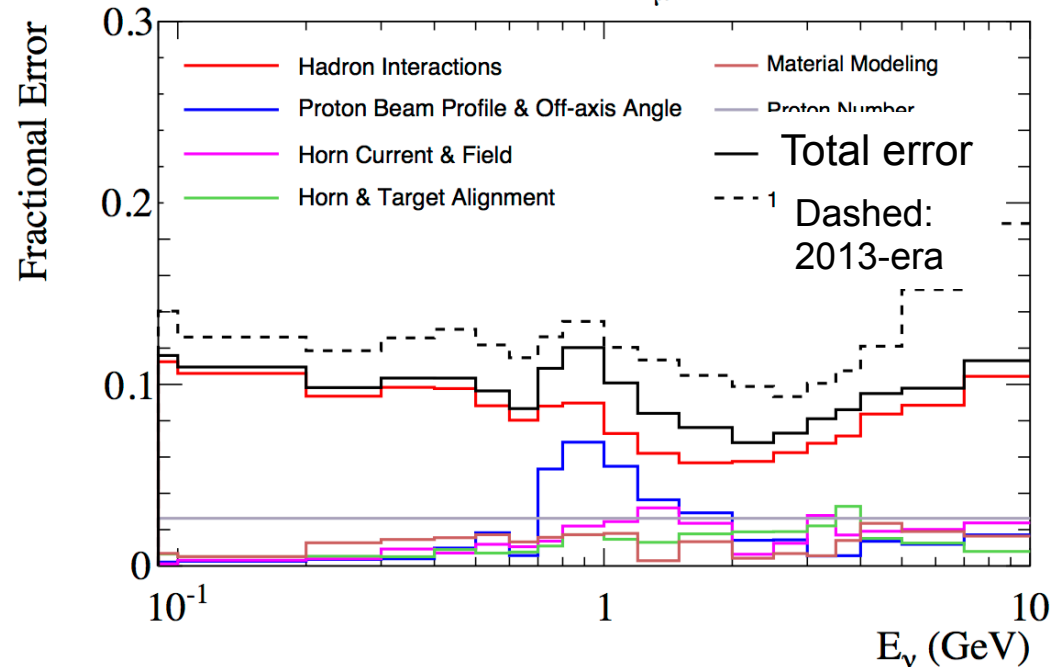
*Analyses are statistics limited  
Efforts to improve multinucleon oxygen uncertainty with FGD2 water samples and C-to-O A scaling studies*

# Flux uncertainties

SK: Negative Focussing Mode,  $\bar{\nu}_\mu$

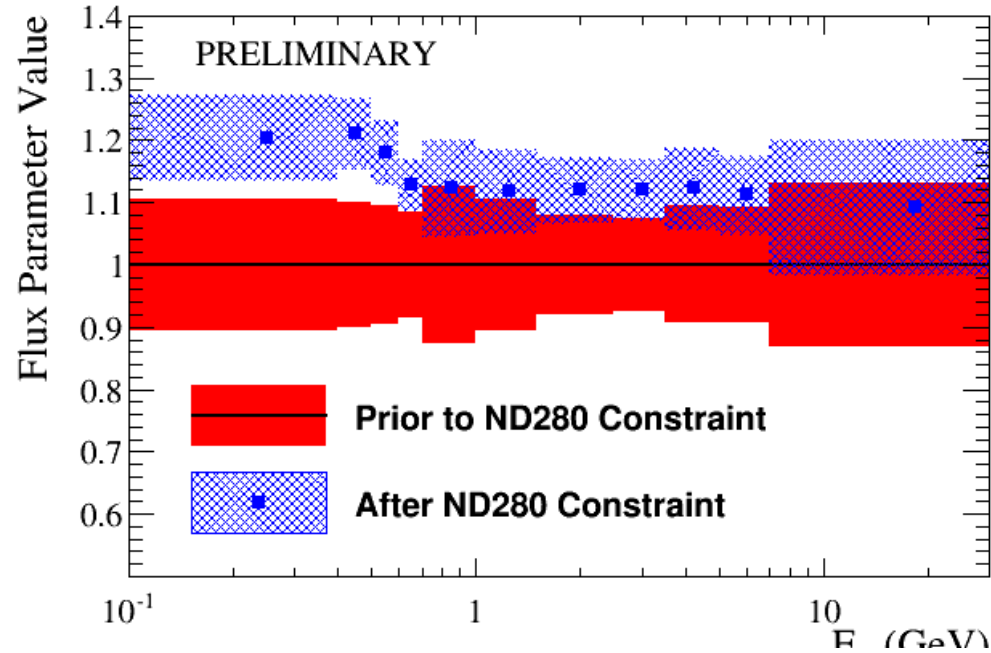


SK: Positive Focussing Mode,  $\nu_\mu$

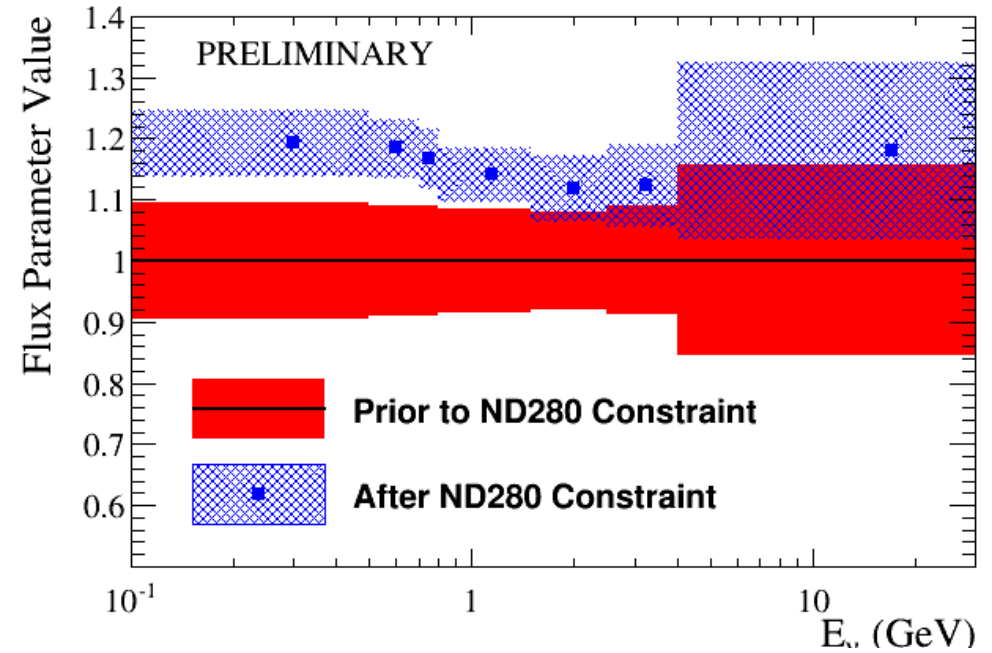


# Flux tuning from near detector fit

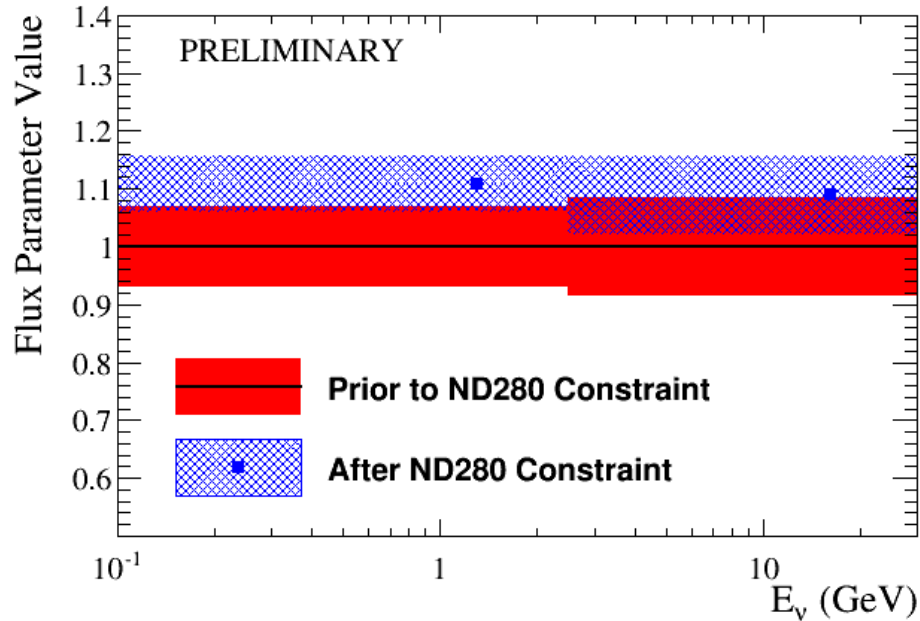
SK  $\bar{\nu}_\mu, \bar{\nu}$  beam mode



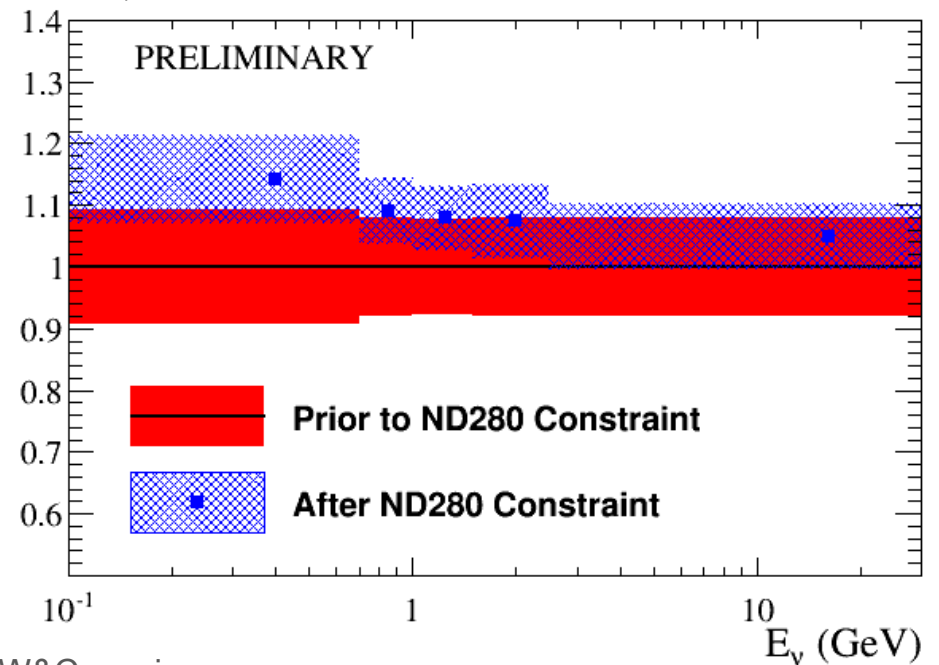
SK  $\bar{\nu}_e, \bar{\nu}$  beam mode



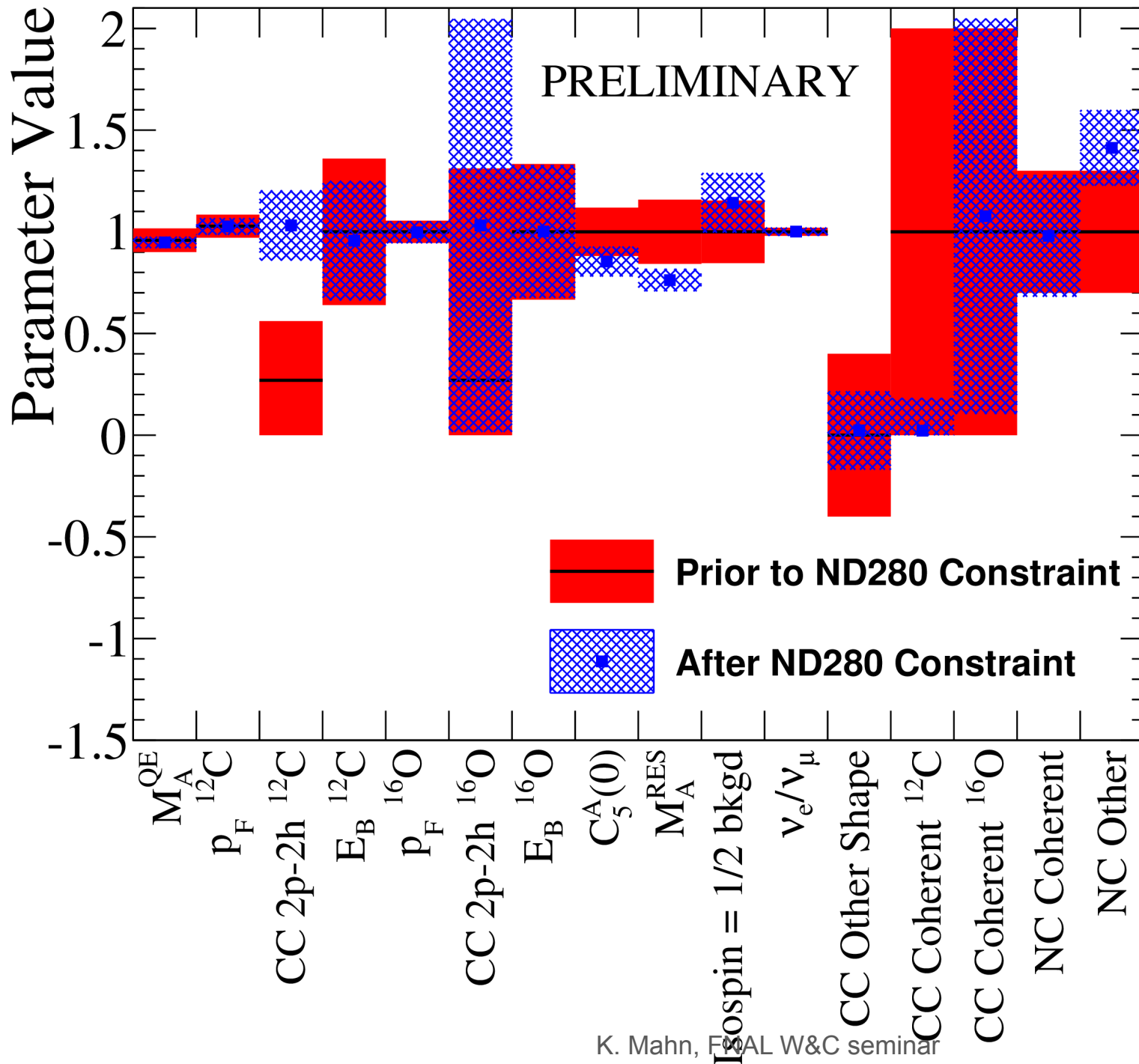
SK  $\nu_e, \bar{\nu}$  beam mode



SK  $\nu_\mu, \bar{\nu}$  beam mode



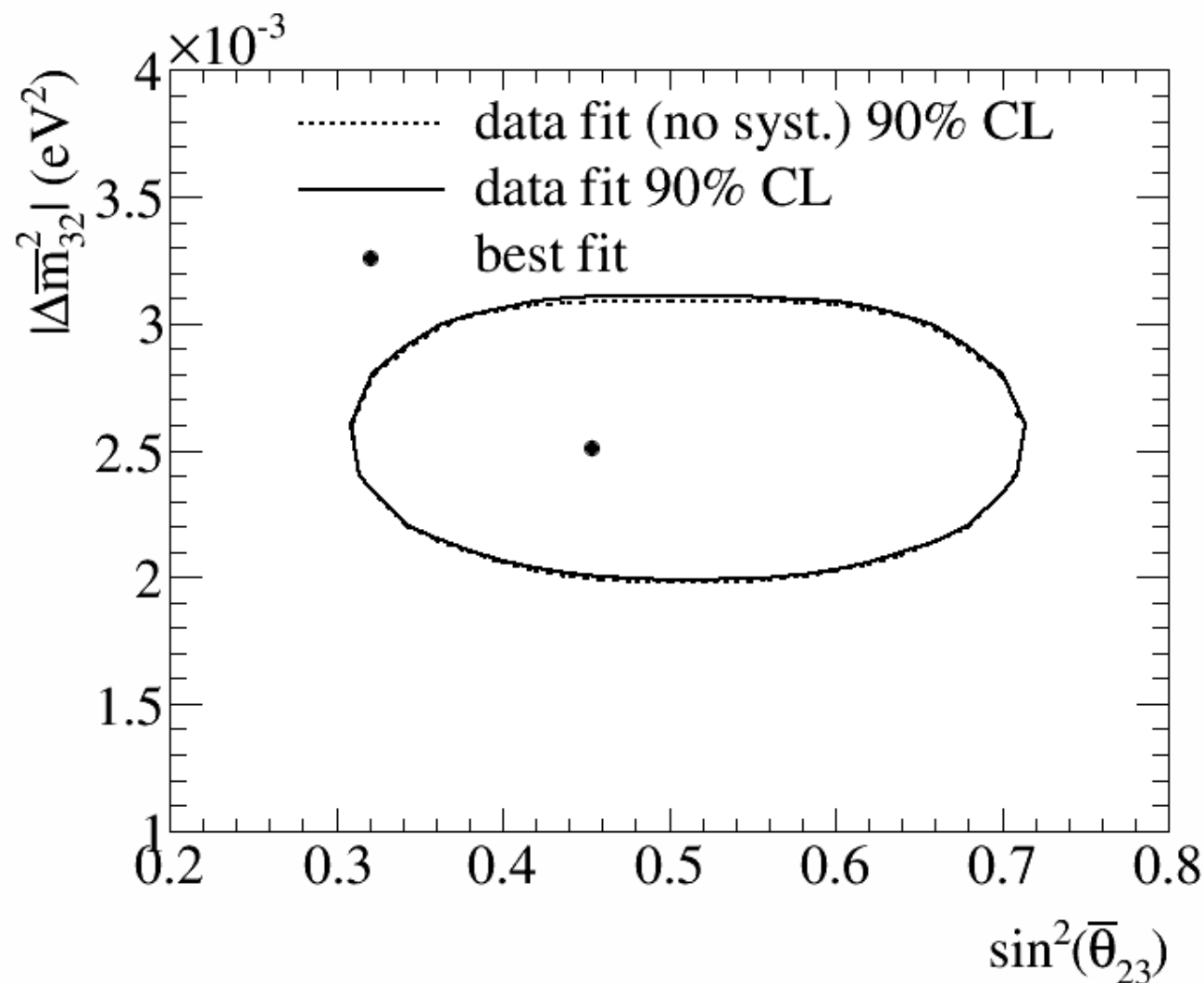
# Cross section tuning from near detector fit



# Cross section tuning from near detector fit

$M_A^{QE}$ (GeV/c <sup>2</sup> )	$1.15 \pm 0.069607$	$1.1371 \pm 0.033559$
$p_F$ <sup>12</sup> C (MeV/c)	$223.0 \pm 12.301$	$222.67 \pm 8.8333$
MEC <sup>12</sup> C	$27.0 \pm 29.053$	$103.11 \pm 17.245$
$E_B$ <sup>12</sup> C (MeV)	$25.0 \pm 9.0$	$23.903 \pm 7.3458$
$p_F$ <sup>16</sup> O (MeV/c)	$225.0 \pm 12.301$	$224.43 \pm 12.152$
MEC <sup>16</sup> O	$27.0 \pm 104.13$	$103.1 \pm 101.49$
$E_B$ <sup>16</sup> O (MeV)	$27.0 \pm 9.0$	$27.045 \pm 8.8047$
$CA5^{RES}$	$1.01 \pm 0.12$	$0.86234 \pm 0.074094$
$M_A^{RES}$ (GeV/c <sup>2</sup> )	$0.95 \pm 0.15$	$0.72437 \pm 0.052156$
Isospin= $\frac{1}{2}$ Background	$1.3 \pm 0.2$	$1.4853 \pm 0.19014$
$\nu_e/\nu_\mu$	$1.0 \pm 0.02$	$1.0008 \pm 0.019997$
CC Other Shape	$0.0 \pm 0.4$	$0.023024 \pm 0.1928$
CC Coh <sup>12</sup> C	$1.0 \pm 1.0$	$0.021658 \pm 0.16037$
CC Coh <sup>16</sup> O	$1.0 \pm 1.0$	$1.0764 \pm 0.97171$
NC Coh	$1.0 \pm 0.3$	$0.98 \pm 0.29922$
NC Other	$1.0 \pm 0.3$	$1.4128 \pm 0.1858$





Our antineutrino measurements are statistics limited

- Analysis with and without systematics included barely changes the contours