

# Standing on the Shoulders of Giants: Future Charged Lepton Flavor Violation Experiments

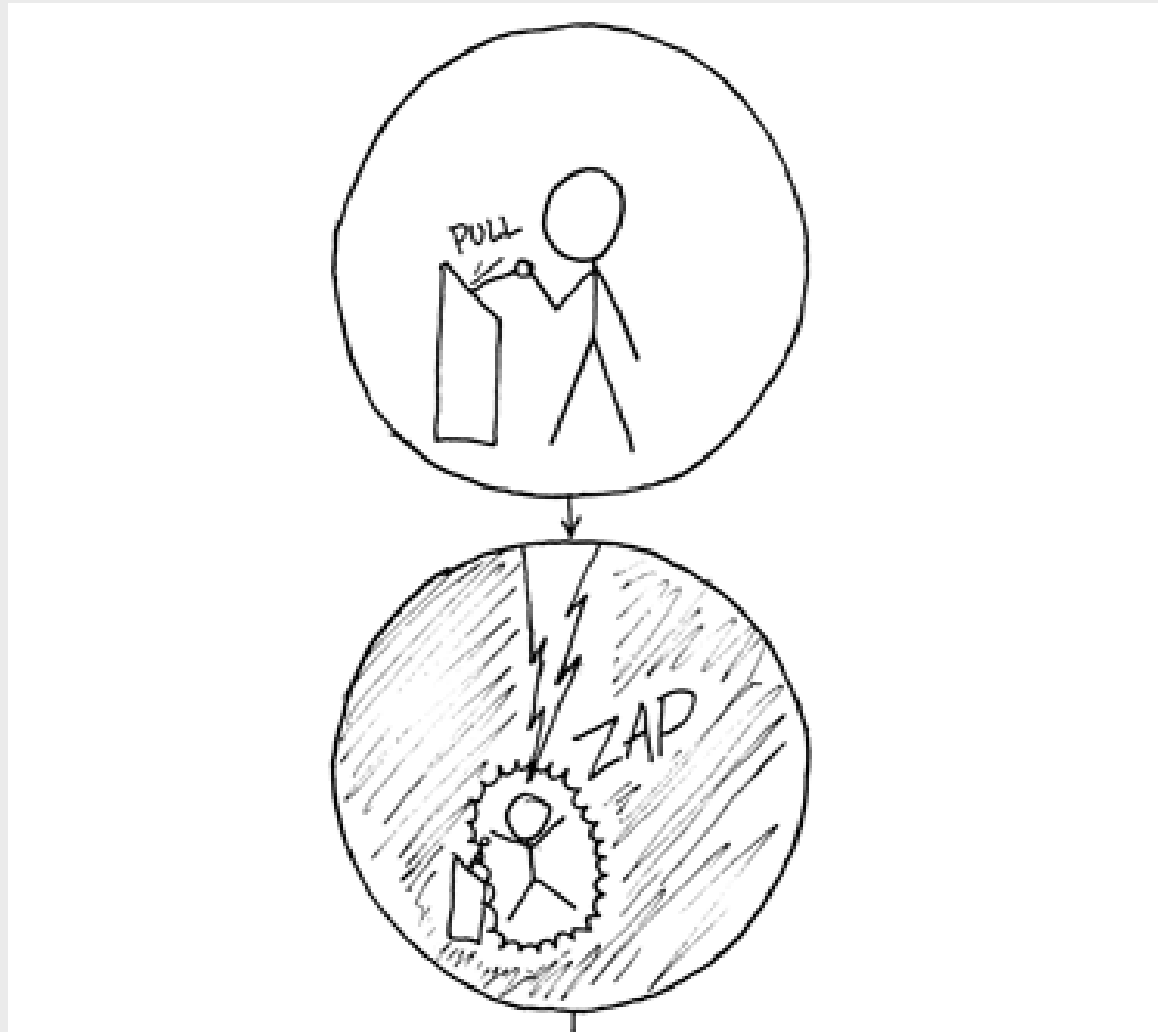


R. Bernstein  
Fermilab

<http://lccn.loc.gov/50041709>

# Alternative Title and Def'n of Insanity

<http://xkcd.com/242/>

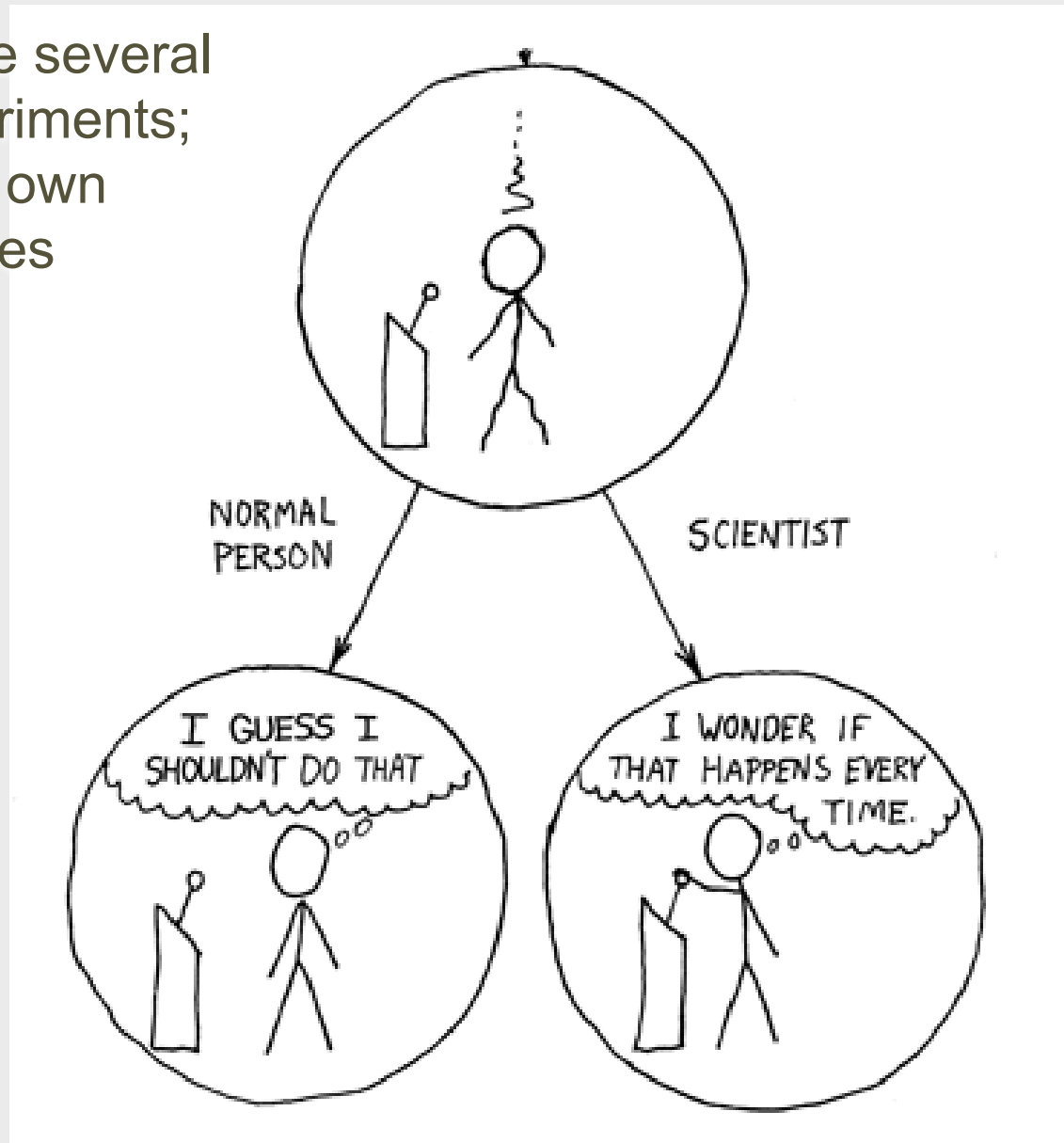




# Alternative Title and Def'n of Insanity

Peter has done several  
of these experiments;  
draw your own  
inferences

<http://xkcd.com/242/>



# Problem with Review Talks



leave out someone's favorite topic



cover everything

I will do both, but one promise:

# Will Not Talk About Reviews



Kepler at CD review

# Last Disclaimer

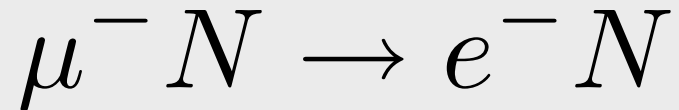
- Unless otherwise stated, none of these are official Mu2e (not official  $\mu 2e$  slides) and have not been vetted

# Outline

- Review:
  - experimental methods and limitations
- New Methods for Muon-to-Electron Conversion
  - new designs and new problems
- Back to the Future
  - $\mu \rightarrow e\gamma$  and  $\mu \rightarrow ee^+e^-$

# What is $\mu e$ Conversion?

muon converts to electron in the field of a nucleus

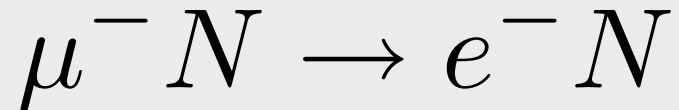


$$R_{\mu e} = \frac{\Gamma(\mu^- + N(A, Z) \rightarrow e^- + N(A, Z))}{\Gamma(\mu^- + N(A, Z) \rightarrow \text{all muon captures})}$$

- Standard Model Background of  $10^{-54}$
- Charged Lepton Flavor Violation (CLFV)
  - can measure a signal with SES of  $2.3 \times 10^{-17}$
- Related Processes:  $\mu$  or  $\tau \rightarrow e\gamma$ ,  $\tau \rightarrow 3l$ ,  $K_L \rightarrow \mu e$ , and more

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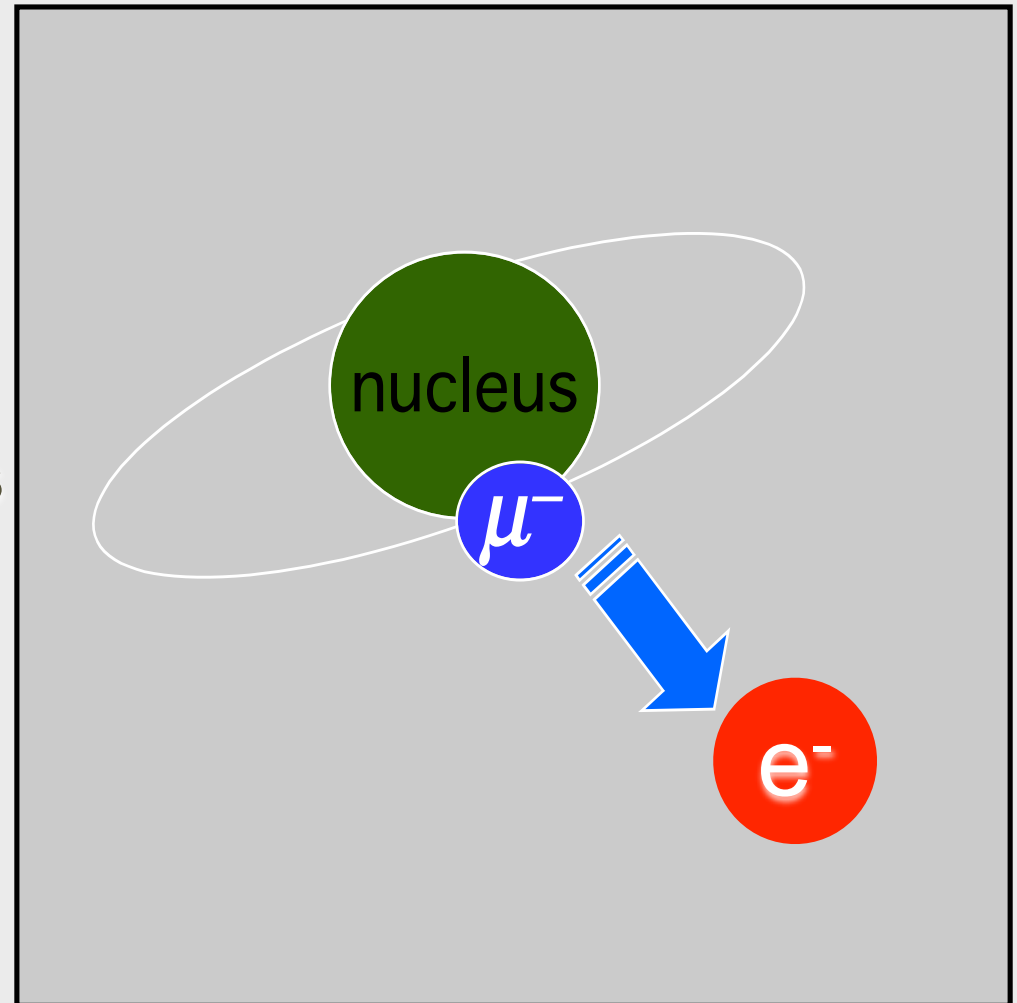
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# Experimental Signal

$$\mu^- N \rightarrow e^- N$$

- A Single Monoenergetic Electron
- If  $N = \text{Al}$ ,  $E_e = 105. \text{ MeV}$ 
  - electron energy depends on  $Z$
- Nucleus coherently recoils off outgoing electron, no breakup





# A Sketch of the Experiment

- Get muons in a 1s state around a nucleus
- Let them interact
- Measure a ratio of how often conversion happens normalized to something we can
  - detect
  - calculate

# Understanding the Normalization

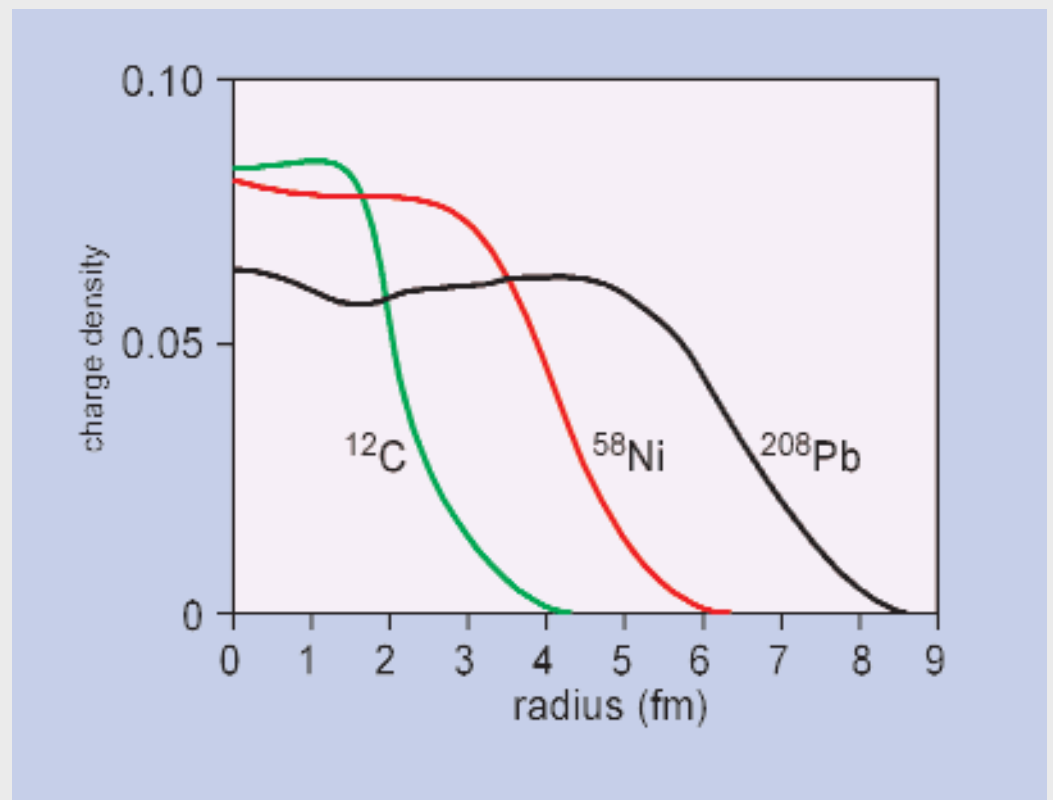
- How does the muon get captured by the nucleus?
  - through the weak interaction
    - (and many details cancel in the ratio we measure)
- But first the wave functions have to overlap:
  - what's the Bohr radius for a 1s muon in Aluminum?

$$a_0 = \frac{\hbar^2}{Zm_\mu c^2} = 0.529 \overset{o}{\text{\AA}} \times \left(\frac{m_e}{m_\mu}\right) \times \frac{1}{13} = 2 \times 10^{-4} \overset{o}{\text{\AA}}$$

= 20 fermi

# How Big Is A Nucleus?

- A few fermi for the relevant nuclei
- I wish I hadn't completely avoided nuclear physics as an undergrad and grad student ☹



[http://www.nupecc.org/pans/Data/CHAPT\\_4.PDF](http://www.nupecc.org/pans/Data/CHAPT_4.PDF)

# How Long Does this Take?

- What's the Hamiltonian?

$$H = H_{\text{muon decay}} + H_{\text{capture}}$$

- 2.2  $\mu\text{sec}$  is from the strength of the weak interaction and  $G_F$
- 0.864  $\mu\text{sec}$  is measured
- and then the branching fractions are:

$$\frac{dN}{dt} = \frac{dN}{dt}_{\text{muon decay}} + \frac{dN}{dt}_{\text{capture}} = -\Gamma N(t)$$

so with  $\tau = 1/\Gamma$

$$\begin{aligned}\frac{1}{\tau} &= \frac{1}{\tau_{\text{muon decay}}} + \frac{1}{\tau_{\text{capture}}} \\ &= \frac{1}{2.2 \mu\text{sec}} + \frac{1}{1.4 \mu\text{sec}}\end{aligned}$$

or

$$\tau = 864 \text{ nsec}$$

$$B_{\text{capture}} = \frac{0.864}{1.4} = 0.61$$

$$B_{\text{decay}} = \frac{0.864}{2.2} = 0.39$$

# What Happens Now?

- The muon and nuclear wave functions overlap

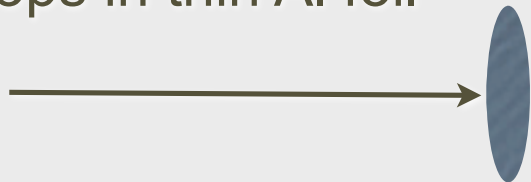
probability of overlap:

$\sim 0.001$  for a muon vs  $10^{-13}$  for an electron

- *Don't try to do this calculation at home*
  - doing it right involves relativistic wave functions and Dirac spinors (especially if new physics!!)
- *In fact, a theorist got it wrong and a team of experimenters worked for a year as a result*
  - hint: don't trust theorists (most important thing to learn)

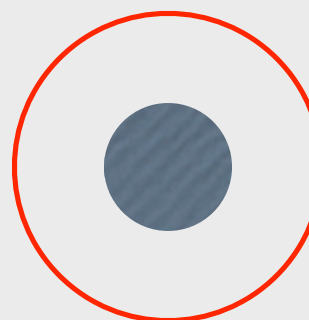
# Overview Of Processes

$\mu^-$  stops in thin Al foil

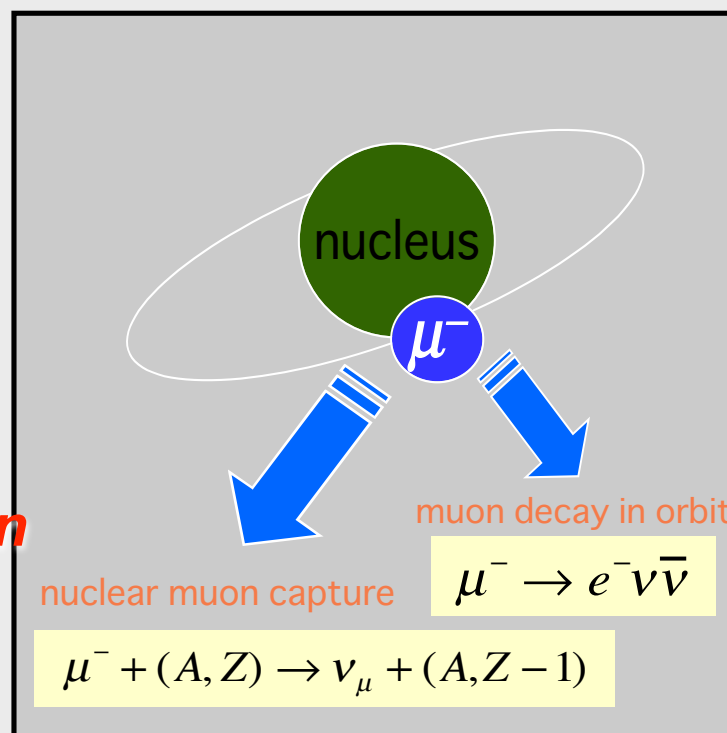


the Bohr radius is  $\sim 20 \text{ fm}$ , so  
the  $\mu^-$  sees the nucleus

$\mu^-$  in 1s state



Al Nucleus  
 $\sim 4 \text{ fm}$



muon capture,  
muon “falls into”

nucleus: **normalization**

60% capture  
40% decay

Decay in Orbit:  
**background**

# Measuring $10^{-17}$ in Collider Units

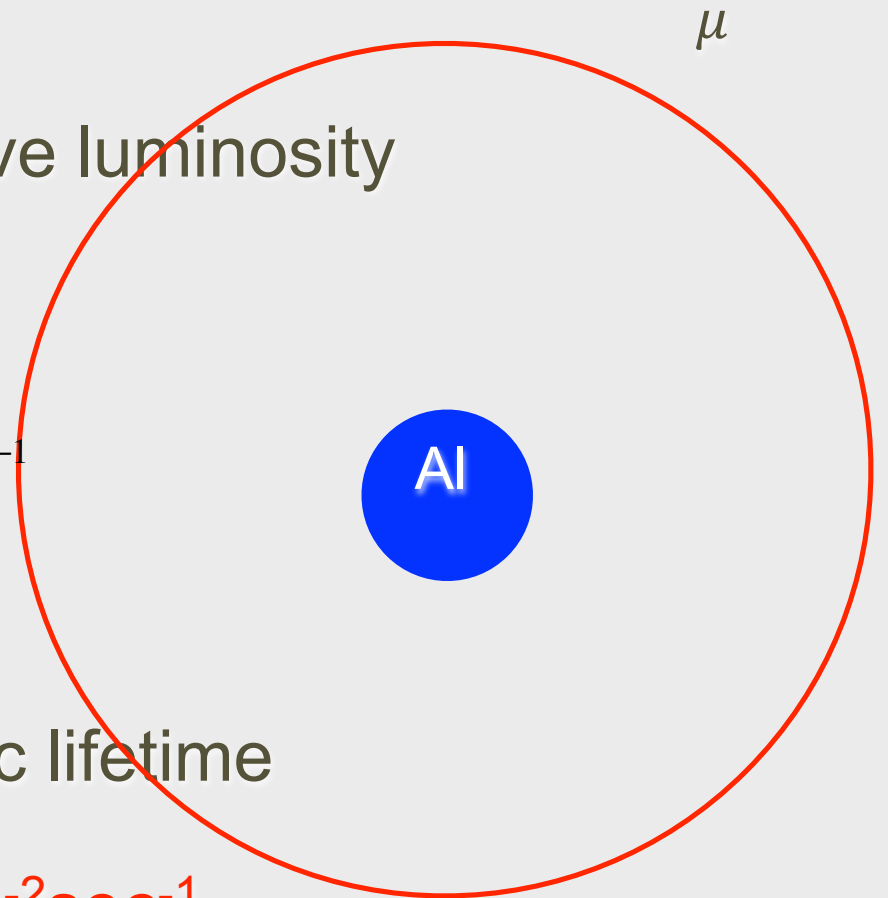
- The captured muon is in a 1s state and the wave function overlaps the nucleus (picture ~ to scale)

- We can turn this into an effective luminosity
- Luminosity = density x velocity

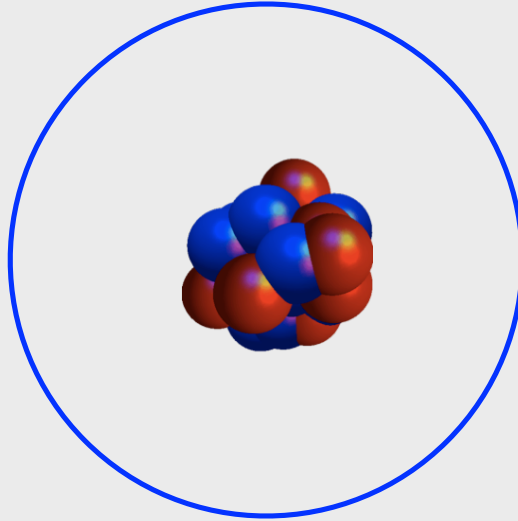
$$|\psi(0)|^2 \times \alpha Z = \frac{m_\mu^3 Z^4 \alpha^4}{\pi} = 8 \times 10^{43} \text{ cm}^{-2} \text{ sec}^{-1}$$

- Times  $10^{10}$  muons/sec X  $2 \mu\text{sec}$  lifetime
- **Effective Luminosity of  $10^{48} \text{ cm}^{-2} \text{ sec}^{-1}$**

A. Czarnecki, [clfv.le.infn.it](http://clfv.le.infn.it)



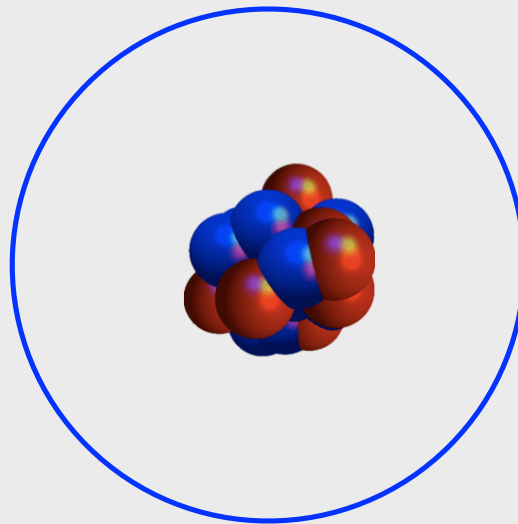
# Three Possibilities: Normalization



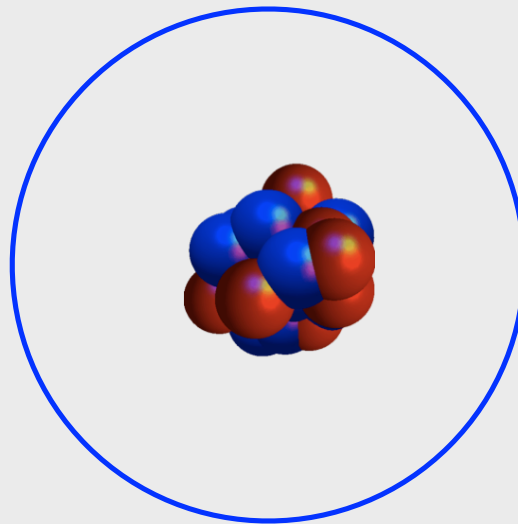


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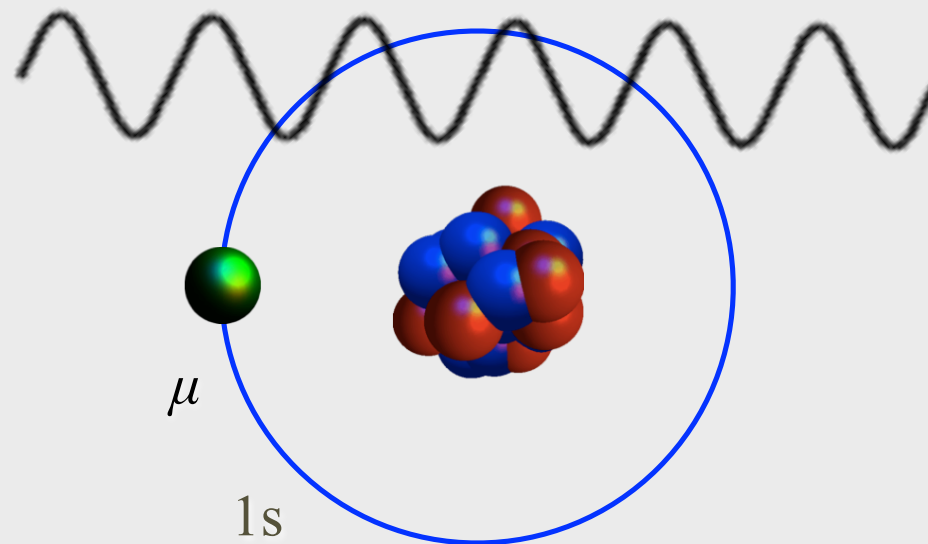
muon stops



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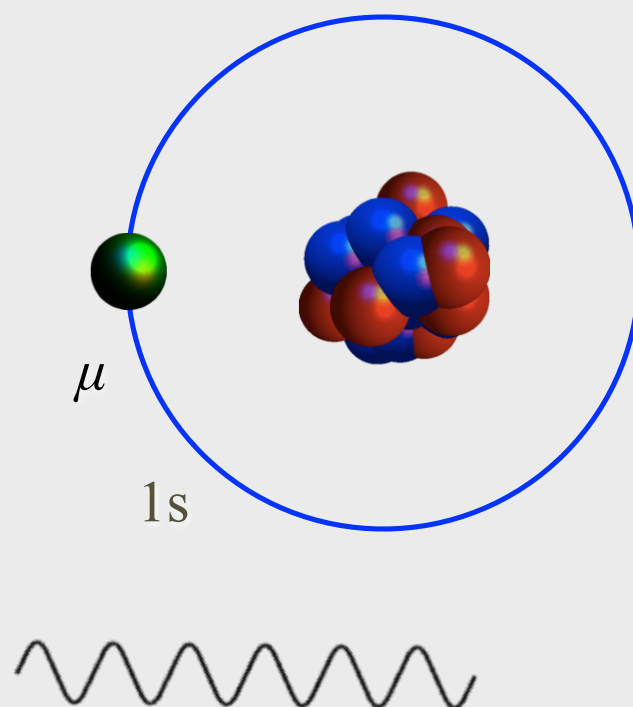


# Three Possibilities: Normalization

X-Rays from  
cascade  
(occurs in  $< \text{psec}$ )

detect these for  
normalization

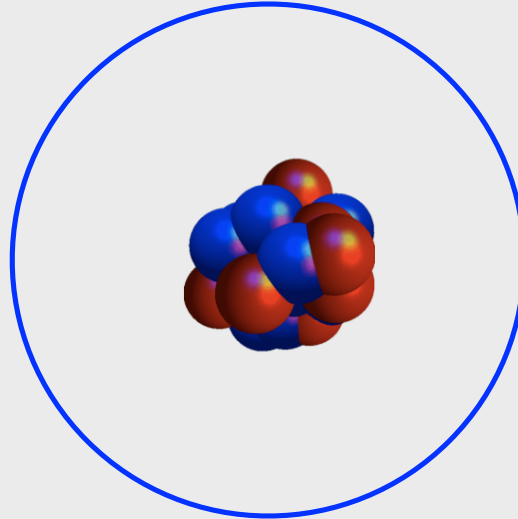
Transition	Energy
$3d \rightarrow 2p$	66 keV
$2p \rightarrow 1s$	356 keV
$3d \rightarrow 1s$	423 keV
$4p \rightarrow 1s$	446 keV



# Normalization to Nuclear Capture

1) measure stop rate 2) calculate capture rate/stop

Kitano et al. ,Phys.Rev.D66:096002,2002, Erratum-ibid.D76:059902,2007. e-Print: hep-ph/0203110

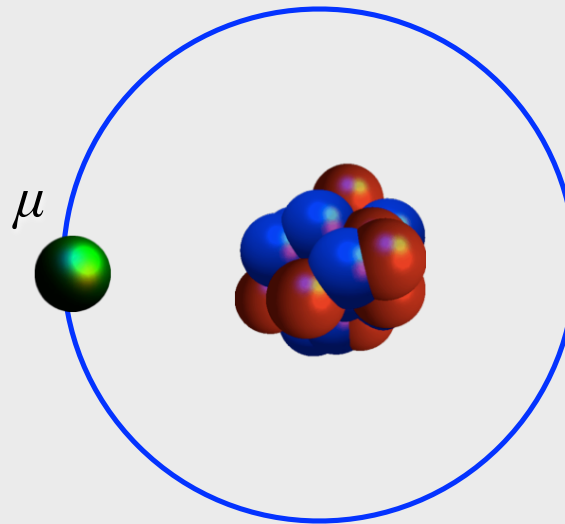


then compute  $R_{\mu e} = \frac{\mu N \rightarrow e N}{\mu N \rightarrow \text{all captures}}$

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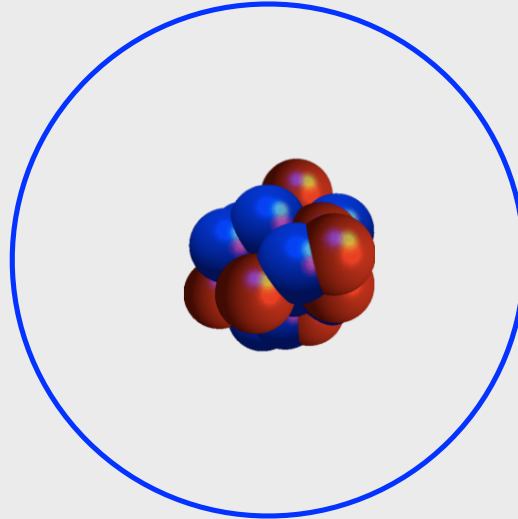


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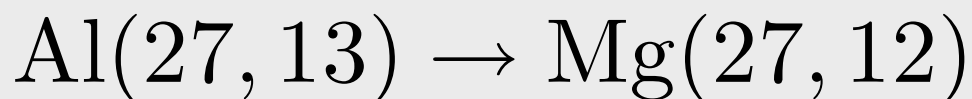
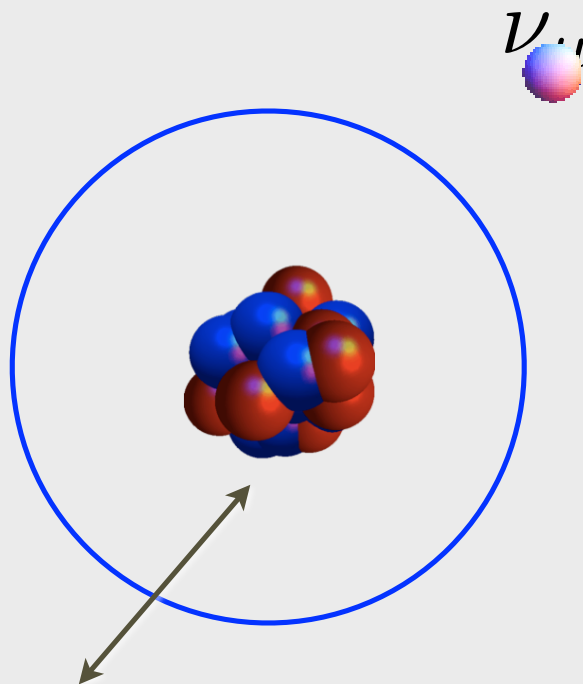


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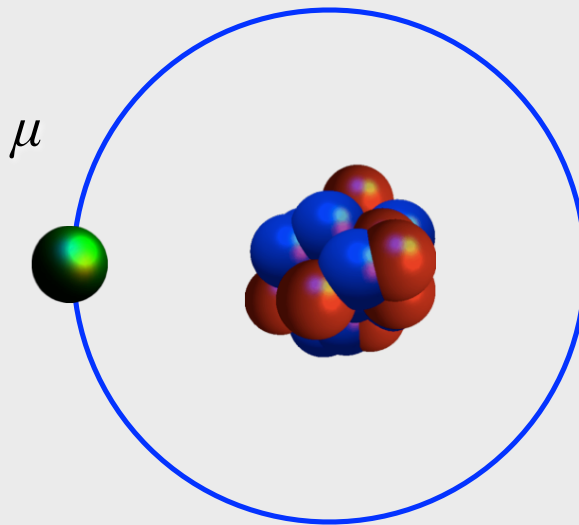
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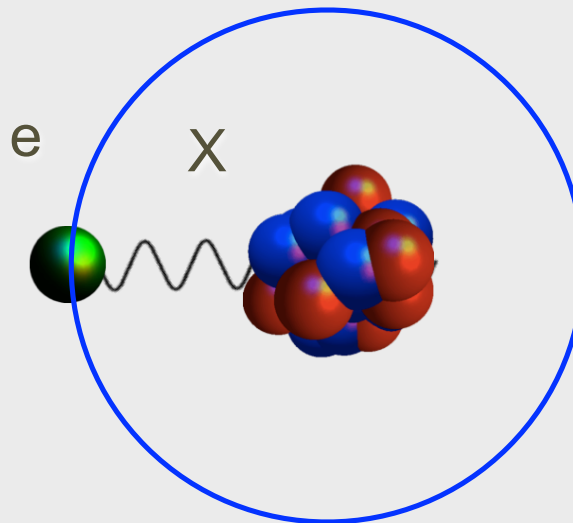
# Counting Stops

- Easier Said than Done
- Very High Rate Germanium
  - technically challenging
  - expensive?
  - work in progress
- Normalize to DIO instead?
  - use region where calculation robust
  - then subject to theory uncertainty but does not harm discovery potential; just a bad measurement of conversion rate...

# Three Possibilities: Signal

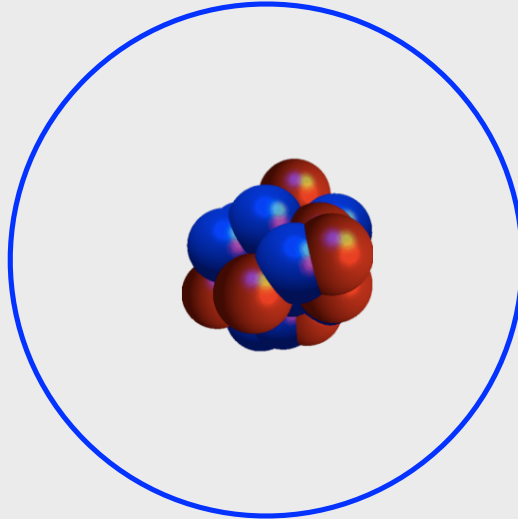


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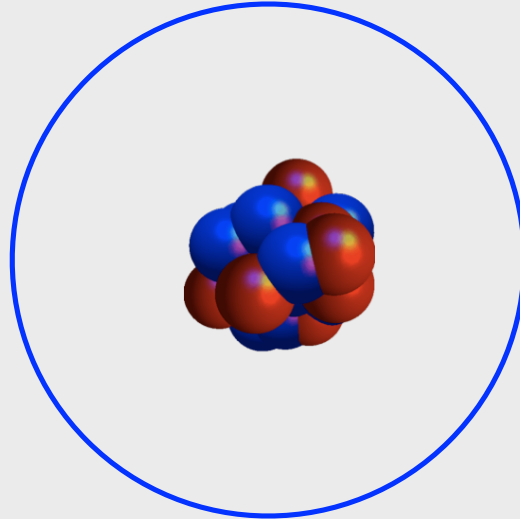
e



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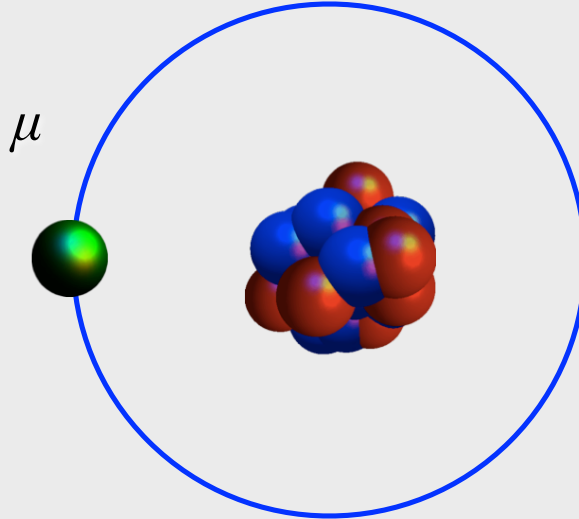
e

*off to detector!*

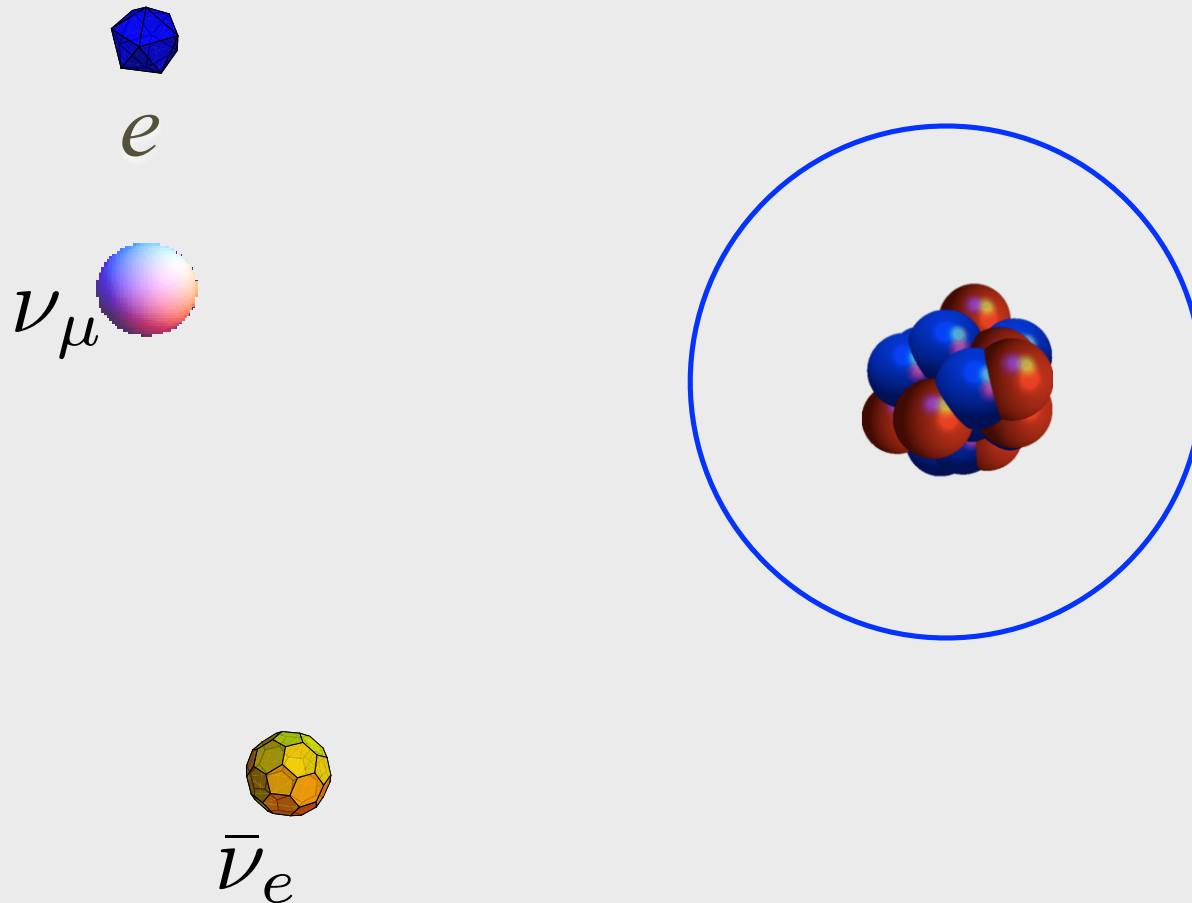


coherent recoil of nucleus

# Three Possibilities: Background



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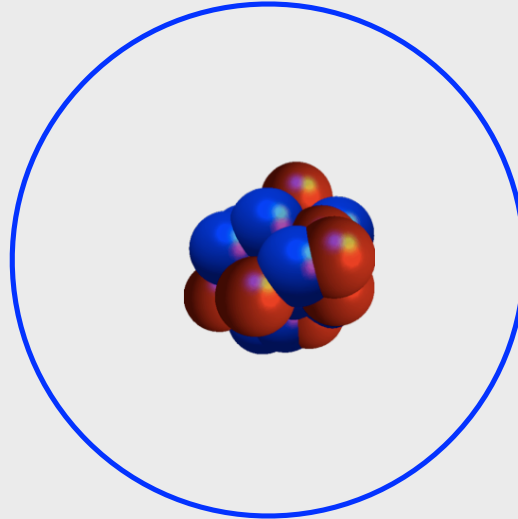
this electron can be background;  
let's see how



$e$



$\bar{\nu}_e$



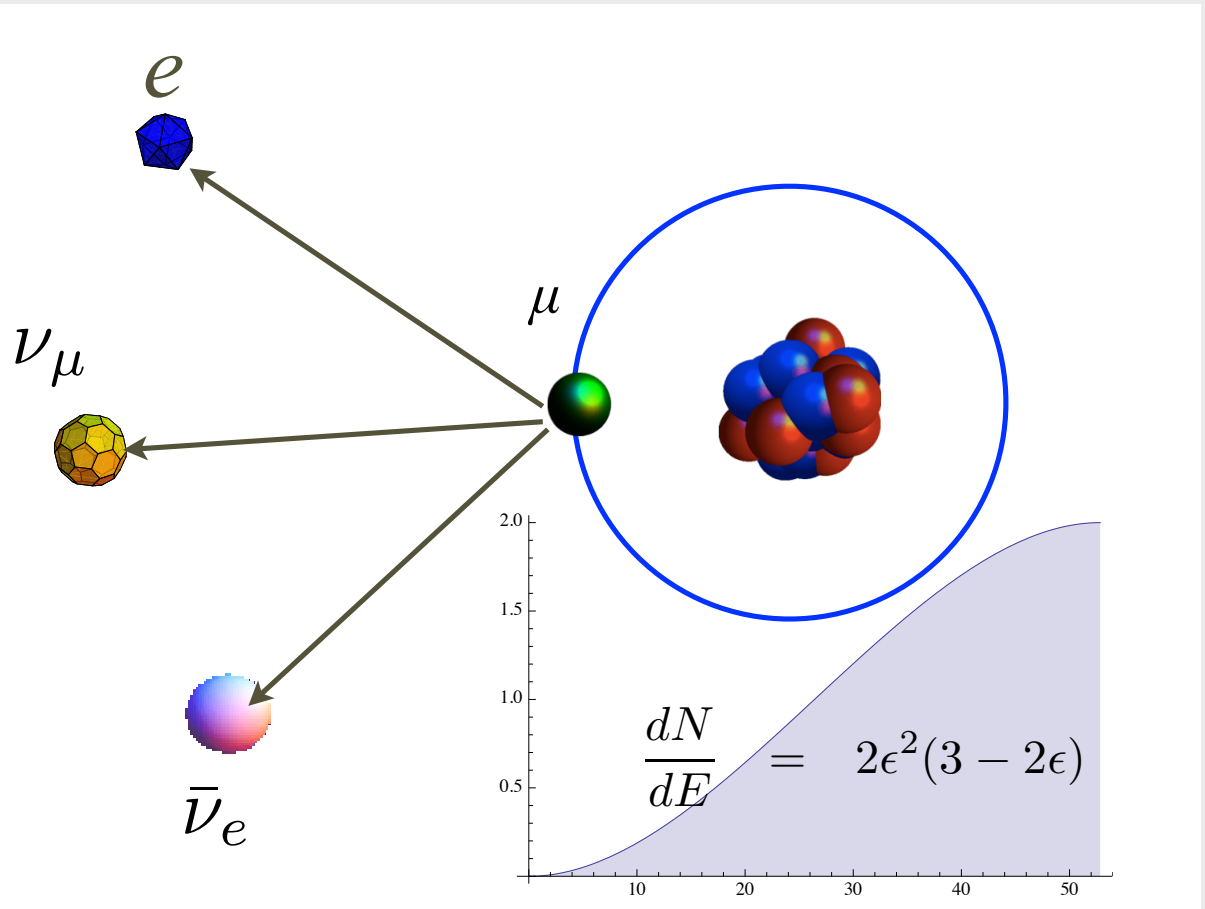


# Decay-In-Orbit: Not always Background

- Peak and Endpoint of Michel Spectrum is at

$$E_{\text{max}} = \frac{m_{\mu}^2 + m_e^2}{2m_{\mu}} \approx 52.8 \text{ MeV}$$

- Detector will be insensitive to electrons at this energy
- Recall *signal* at  $105 \text{ MeV} \gg 52.8 \text{ MeV}$

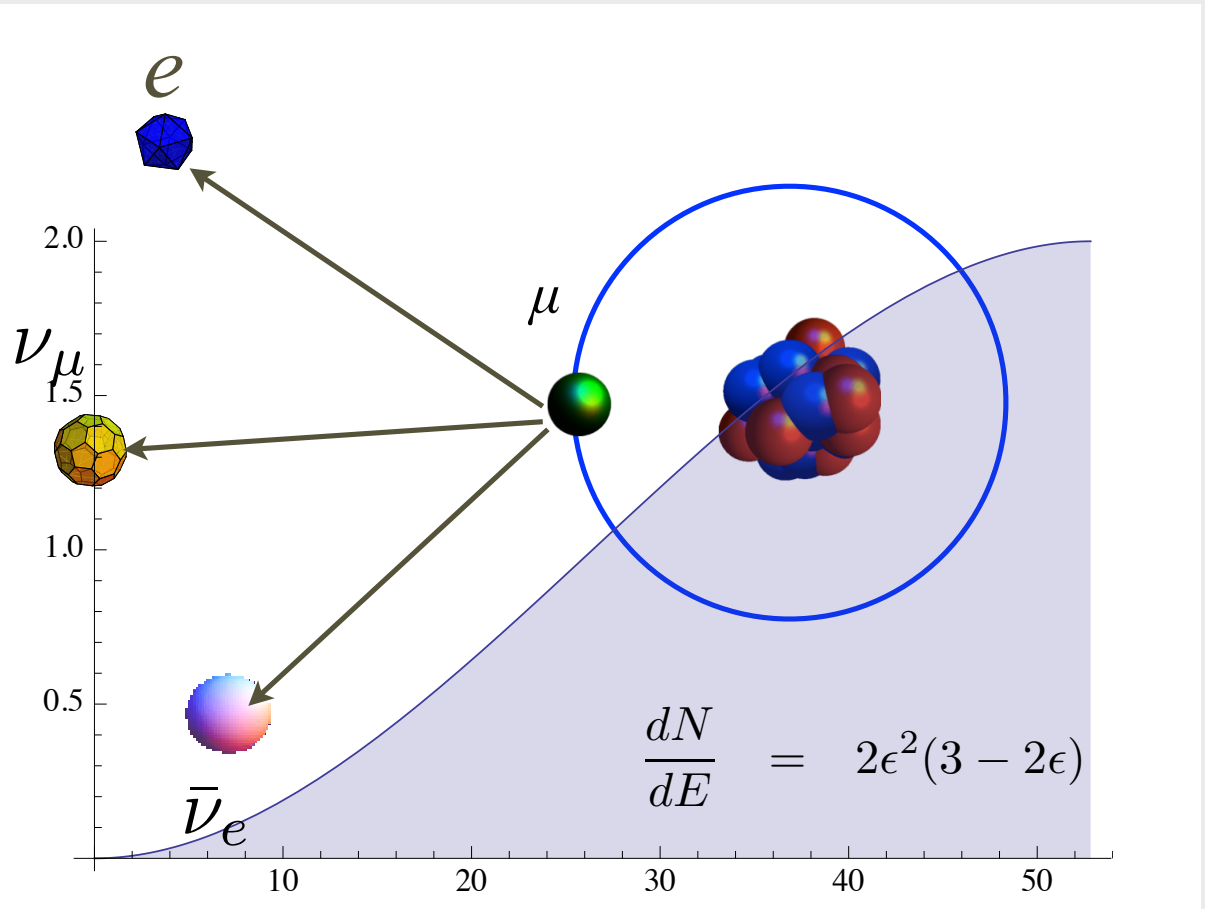


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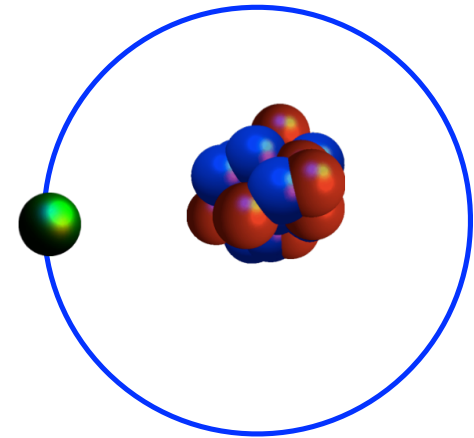
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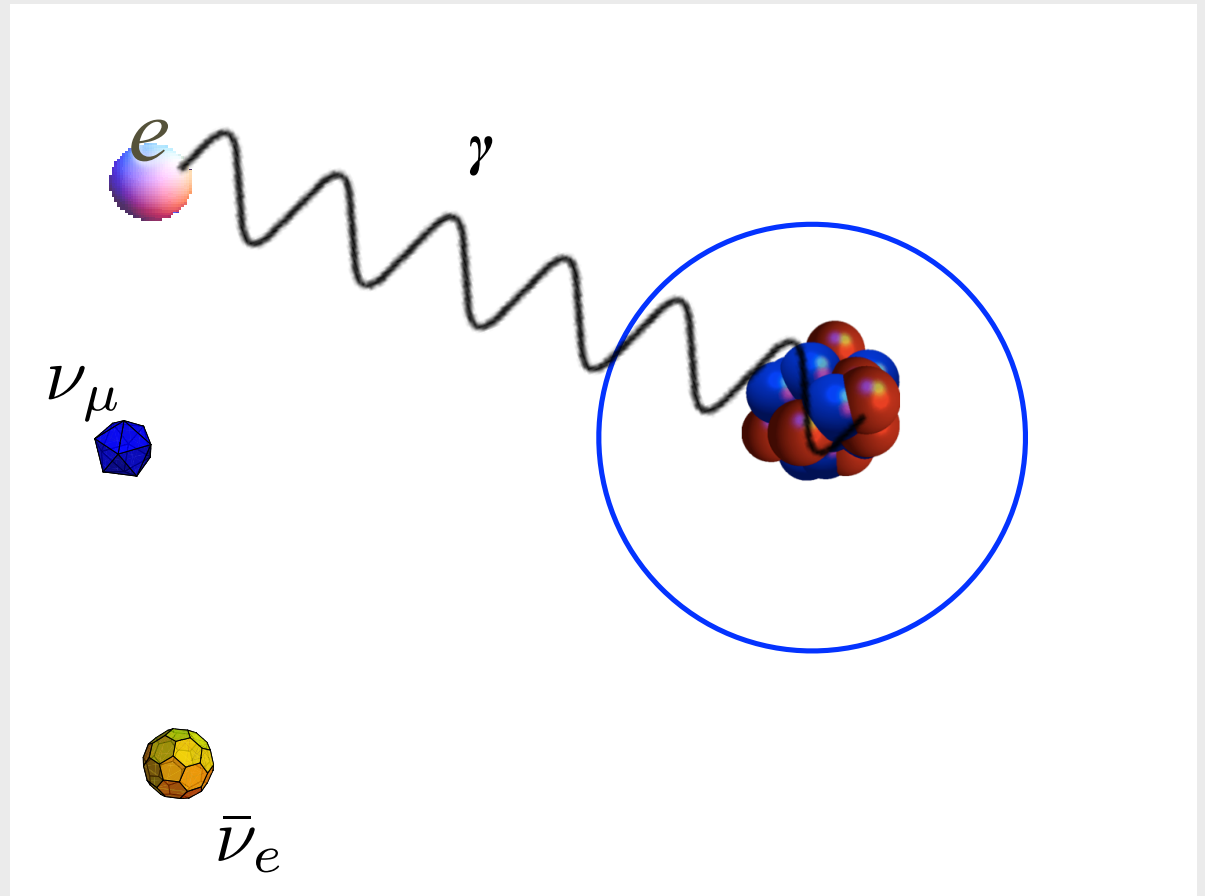
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- Same process as before
- But this time, include electron recoil off nucleus
- If neutrinos are at rest, **the DIO electron can be exactly at conversion energy** (up to neutrino mass)



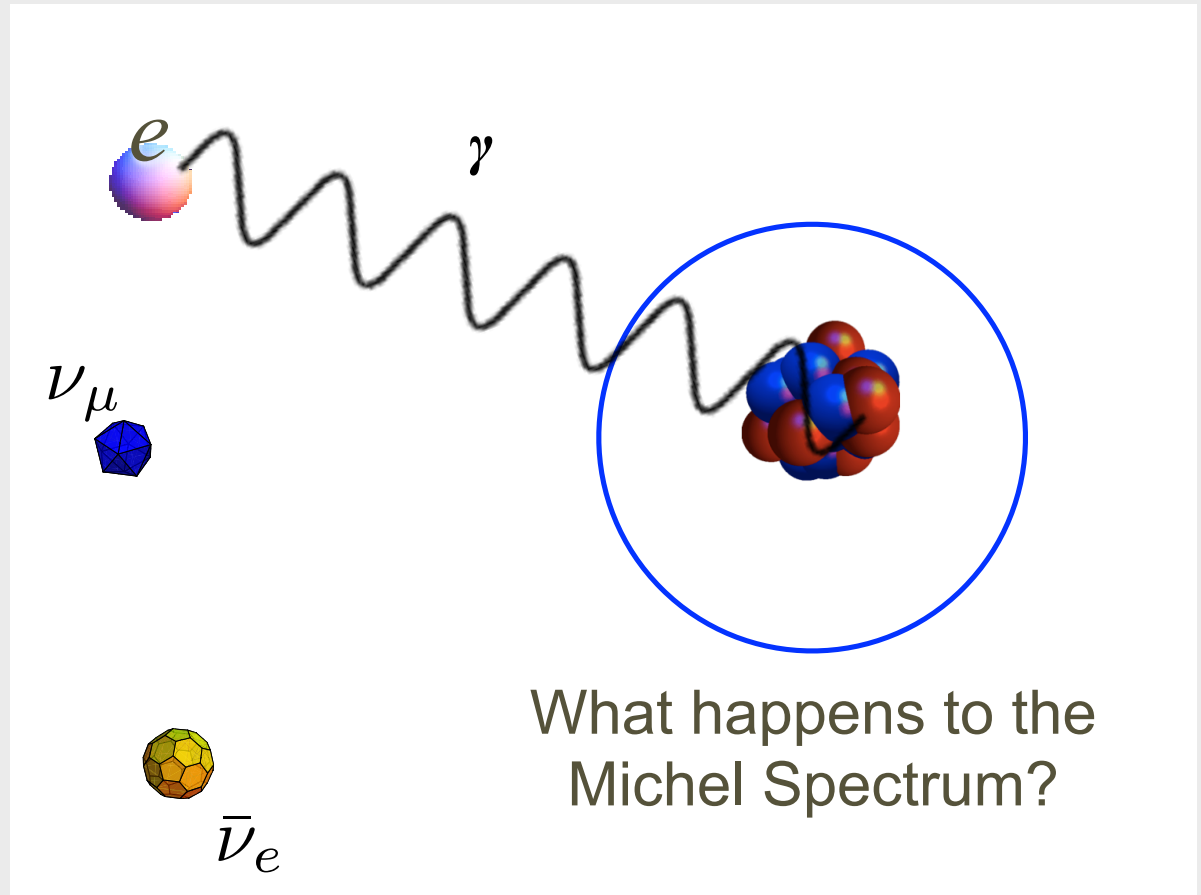
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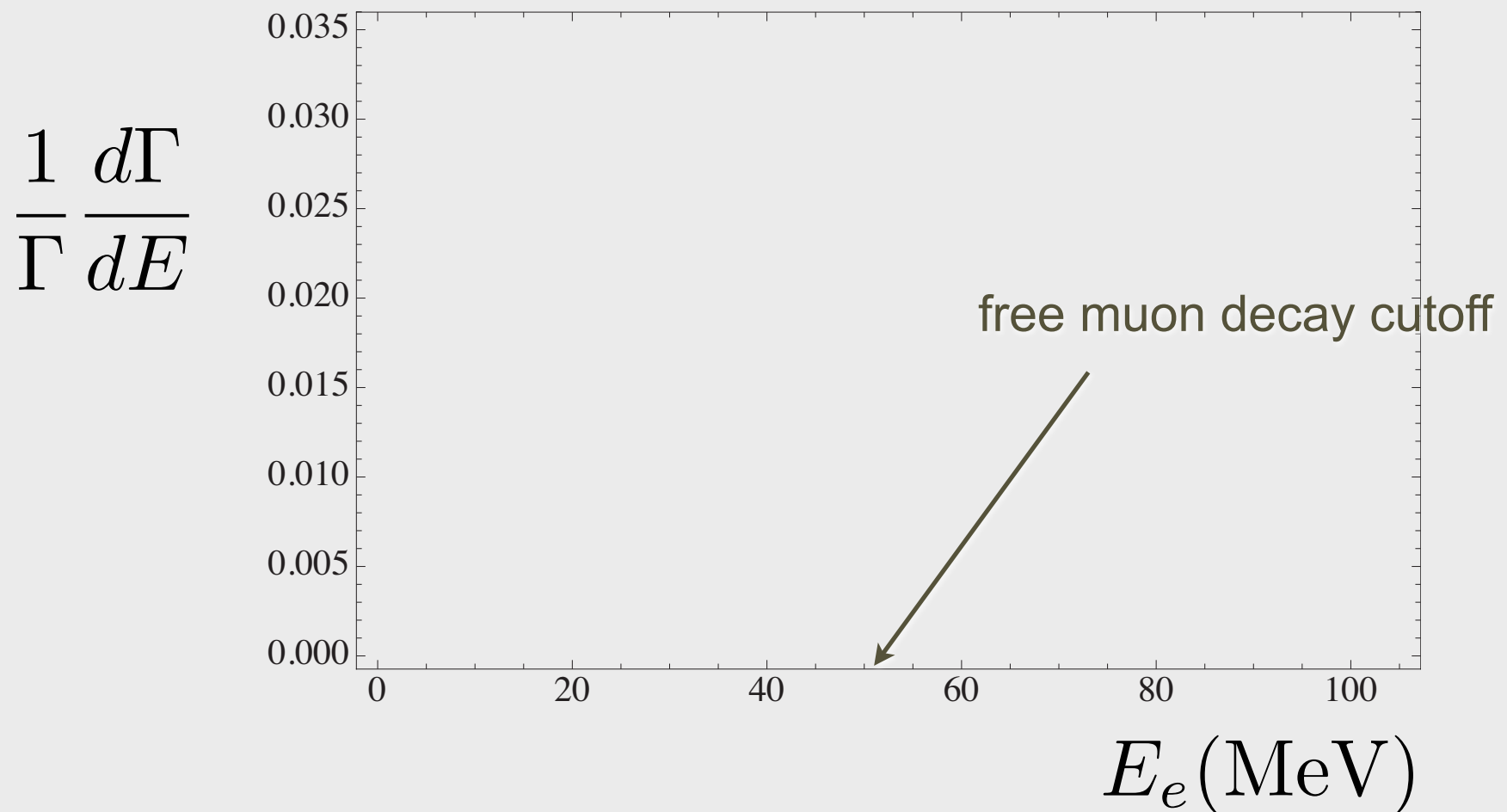
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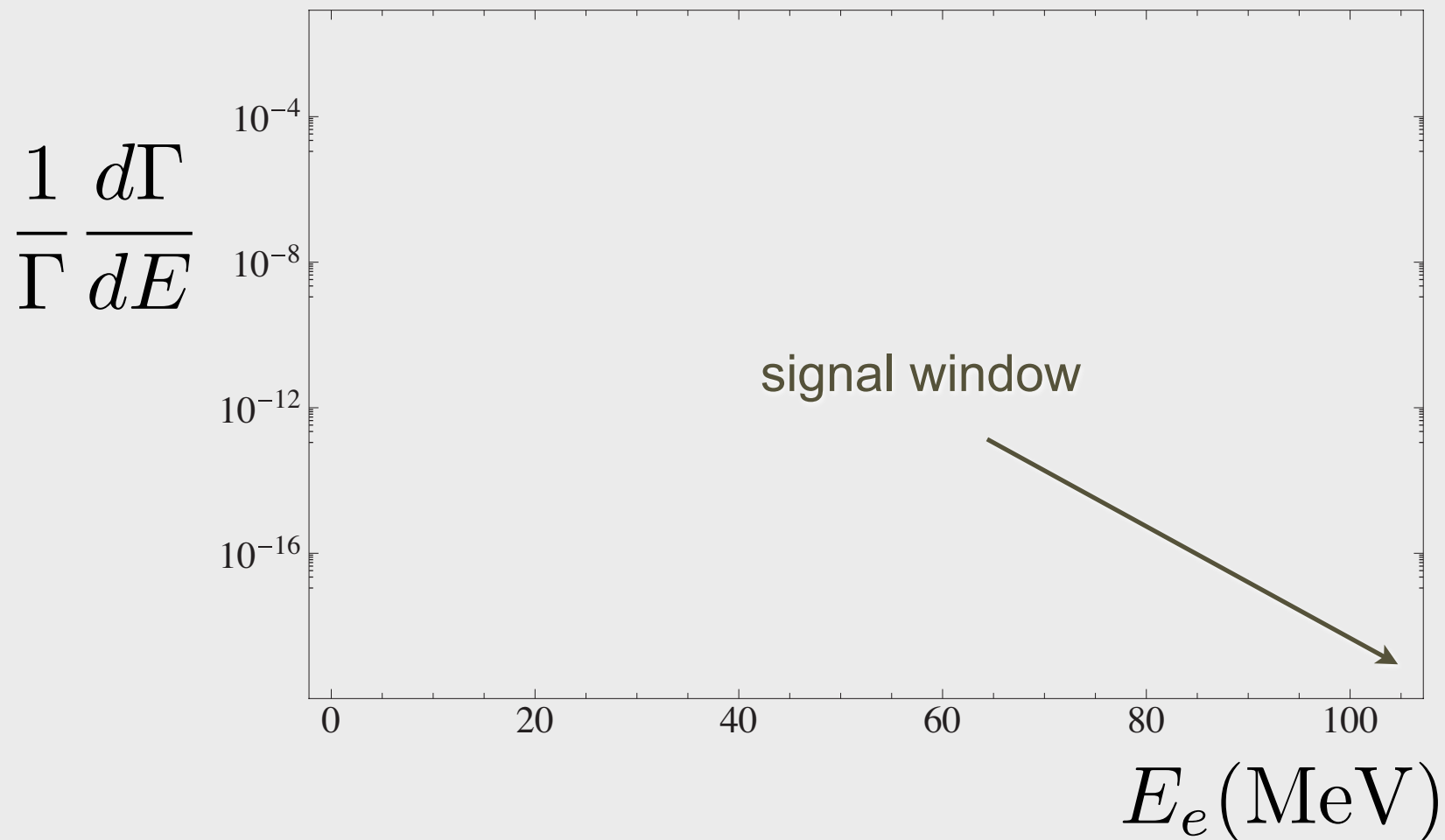
# Decay-in-Orbit Shape

Czarnecki et al., [arXiv:1106.4756v2 \[hep-ph\]](#) Phys. Rev. D 84, 013006 (2011)



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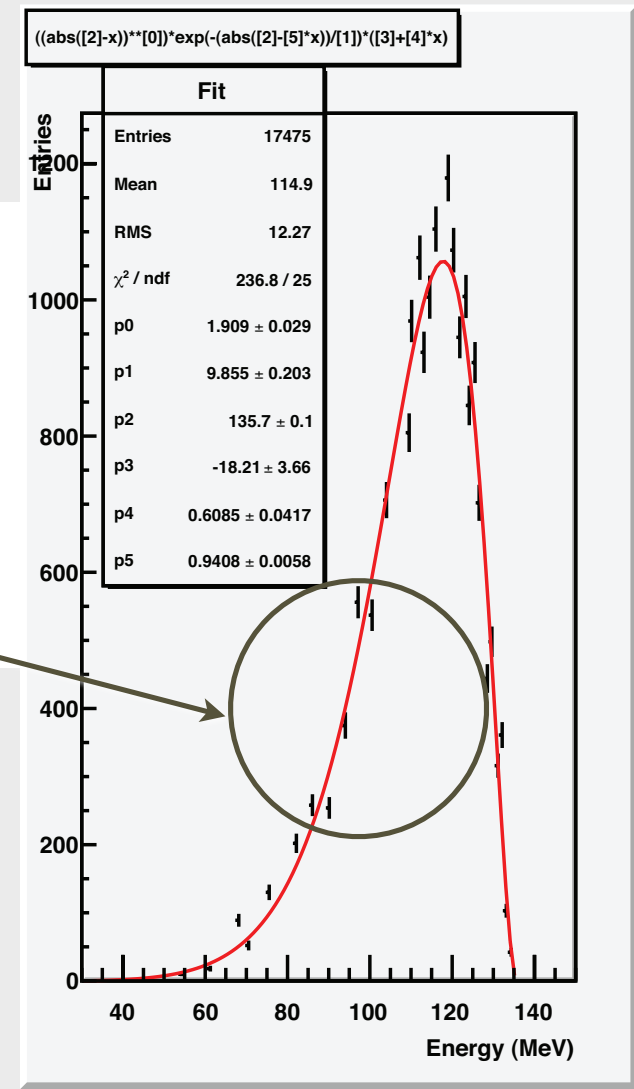
# Prompt Backgrounds

*Particles produced by proton pulse which interact almost immediately when they enter the detector:  $\pi$ , neutrons, pbars*

- **Radiative pion capture,  $\pi^- + A(N,Z) \rightarrow \gamma + X$ .**
  - $\gamma$  up to  $m_\pi$ , peak at 110 MeV;  $\gamma \rightarrow e^+e^-$ ; if one electron  $\sim 100$  MeV in the target, looks like signal: **limitation in best existing experiment, SINDRUM II?**

energy spectrum of  $\gamma$  measured on Mg  
J.A. Bistirlich, K.M. Crowe et al., Phys Rev C5, 1867 (1972)

also included internal conversion,  $\pi^- N \rightarrow e^+ e^- X$

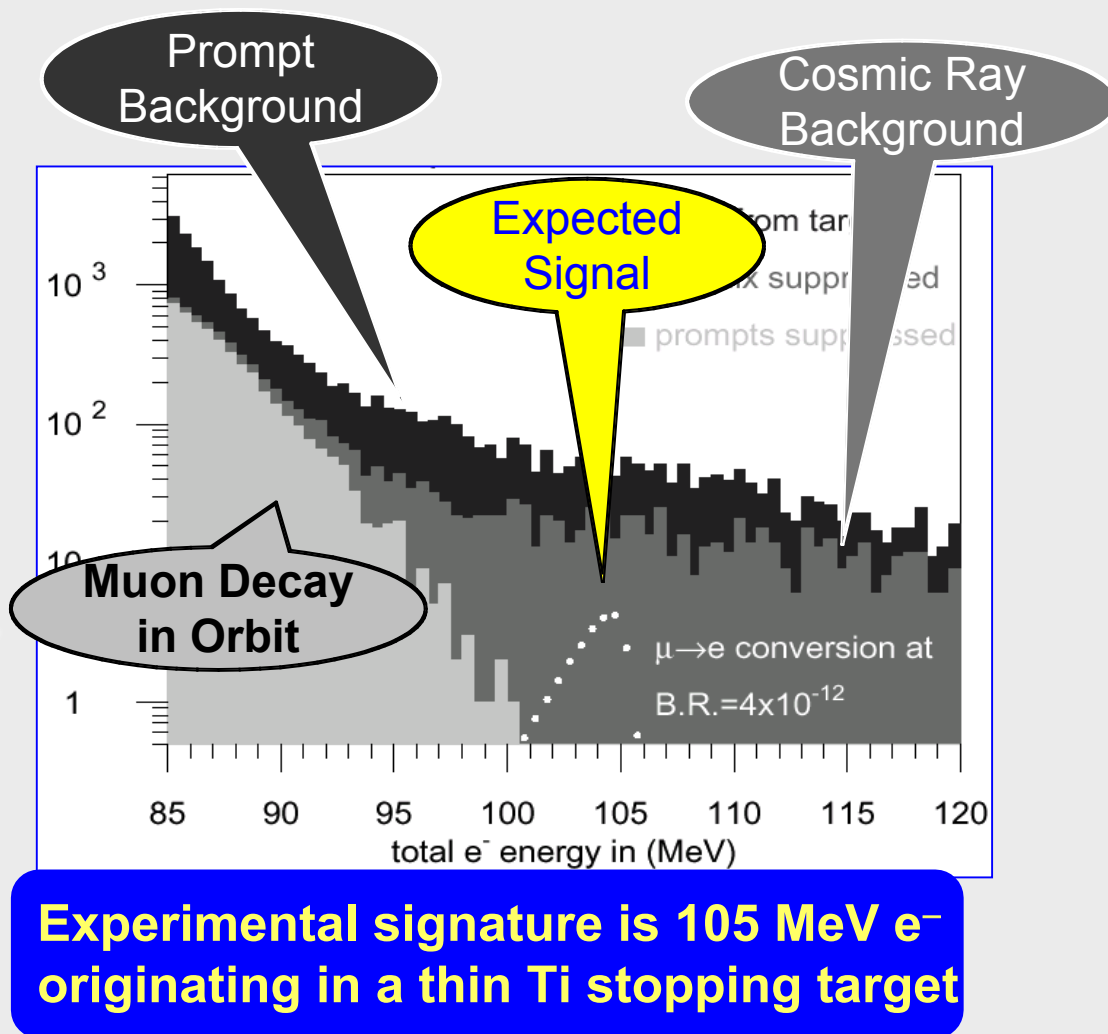




# Previous Best Experiment

## *SINDRUM-II*

- $R_{\mu e} < 6.1 \times 10^{-13}$  in Au
- Want to probe to  $6 \times 10^{-17}$
- $\approx 10^4$  improvement



# SINDRUM-II Results

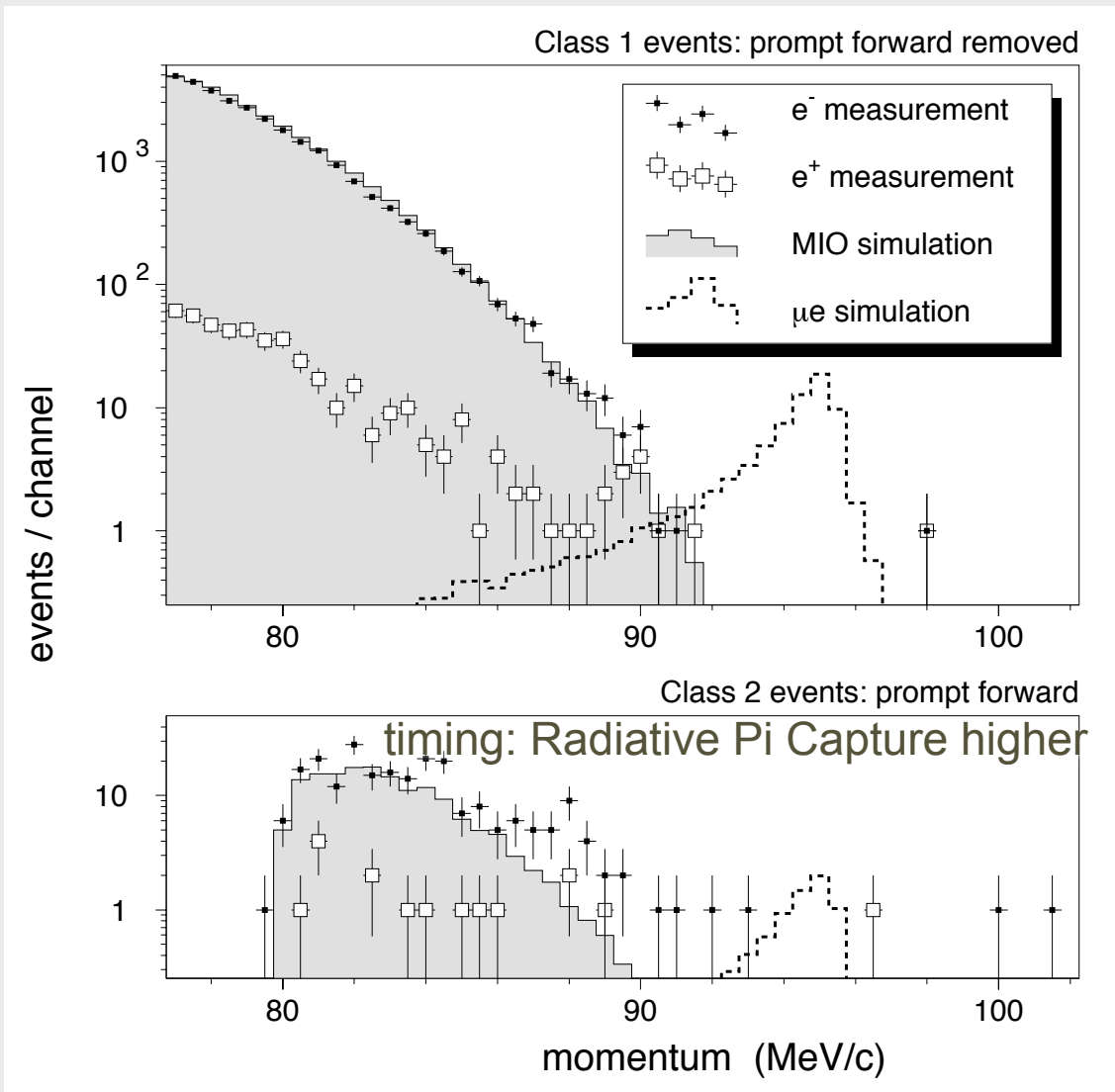
- Final Results on Au:

$$B_{\mu e}^{\text{Au}} < 7 \times 10^{-13} \text{ @ 90\% CL}$$

**51 MHz (20 nsec)  
repetition rate, width  
of pulse ~0.3 nsec**

little time separation  
between  
signal and prompt  
background

W. Bertl et al., Eur. Phys. J. C 47, 337–346 (2006)



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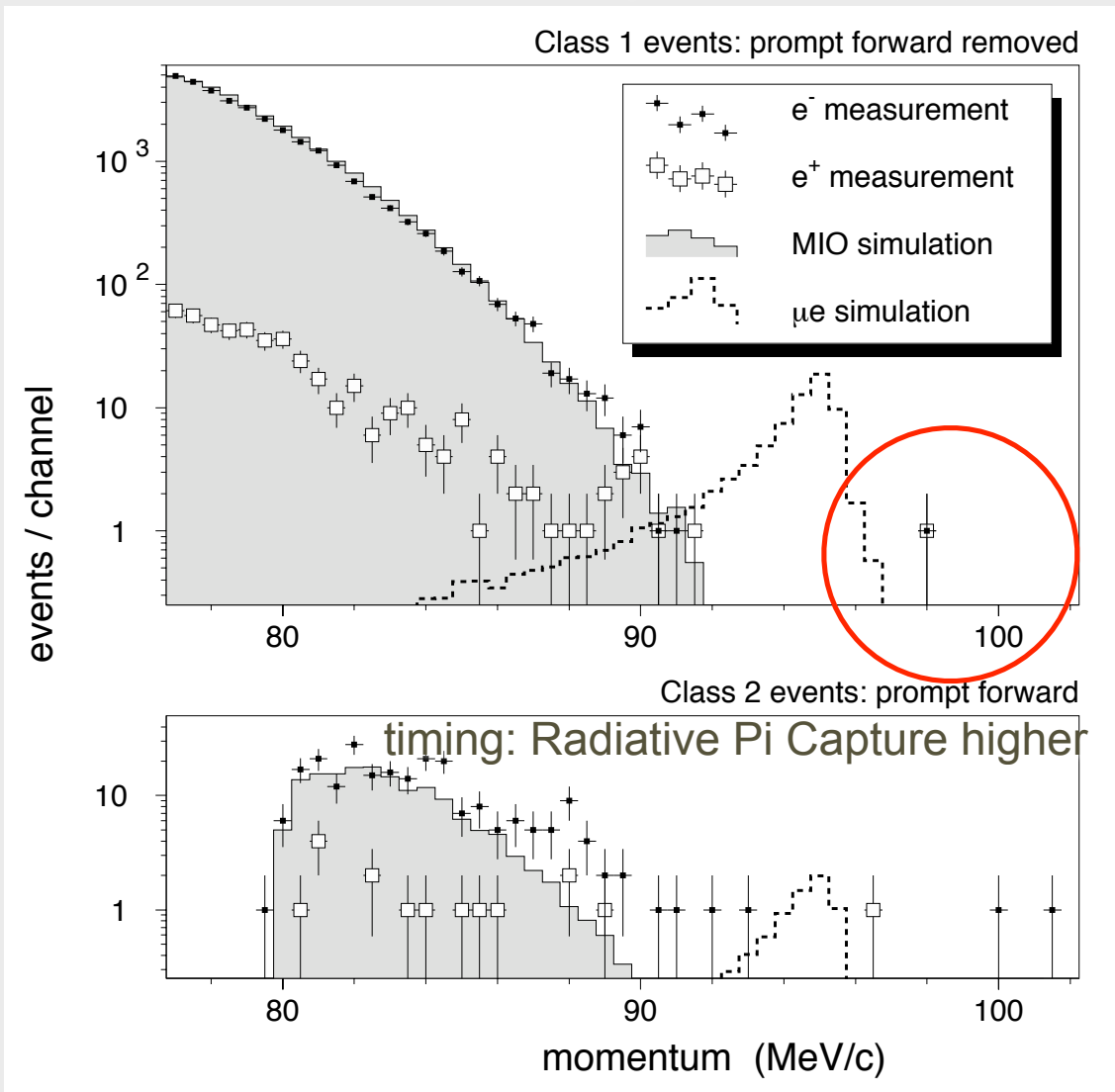
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# How Can We Do Better?

>10<sup>3</sup> increase in muon intensity from SINDRUM

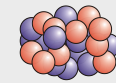
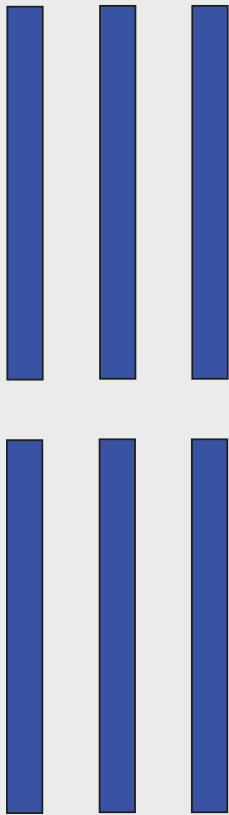
## *Requiring*

Pulsed Beam to Eliminate prompt backgrounds like radiative  $\pi$  capture and CR

protons out of beam pulse/ protons in beam-pulse < 10<sup>-10</sup> *and we must measure it*

# Prompt backgrounds and Pulsed Beam

target foils: muon converts here

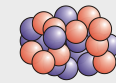
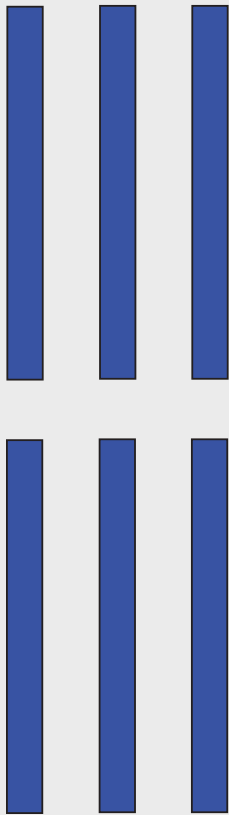


= muons, electrons, pions

pulsed beam lets us wait  
until after prompt  
backgrounds disappear  
and rate lowered

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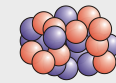


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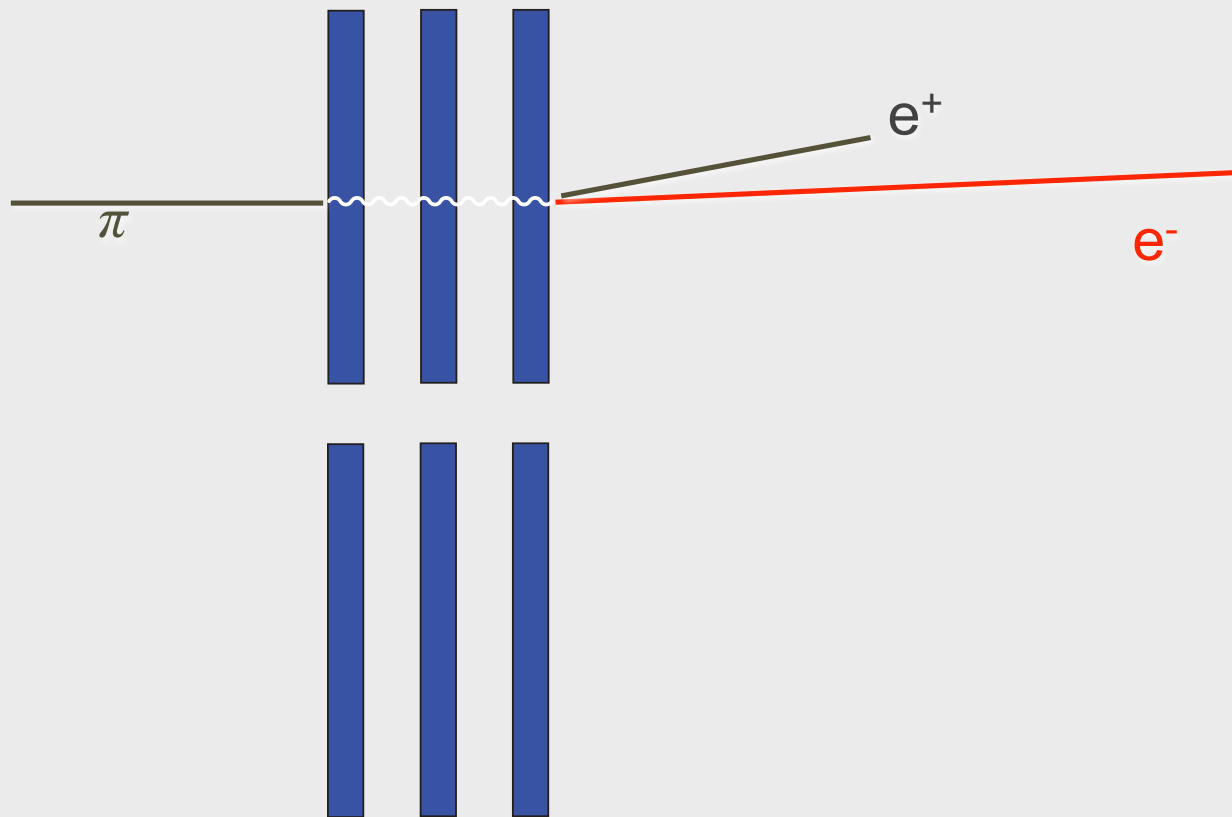
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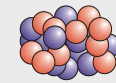
Radiative Pion Capture:

$$\pi N \rightarrow \gamma N$$

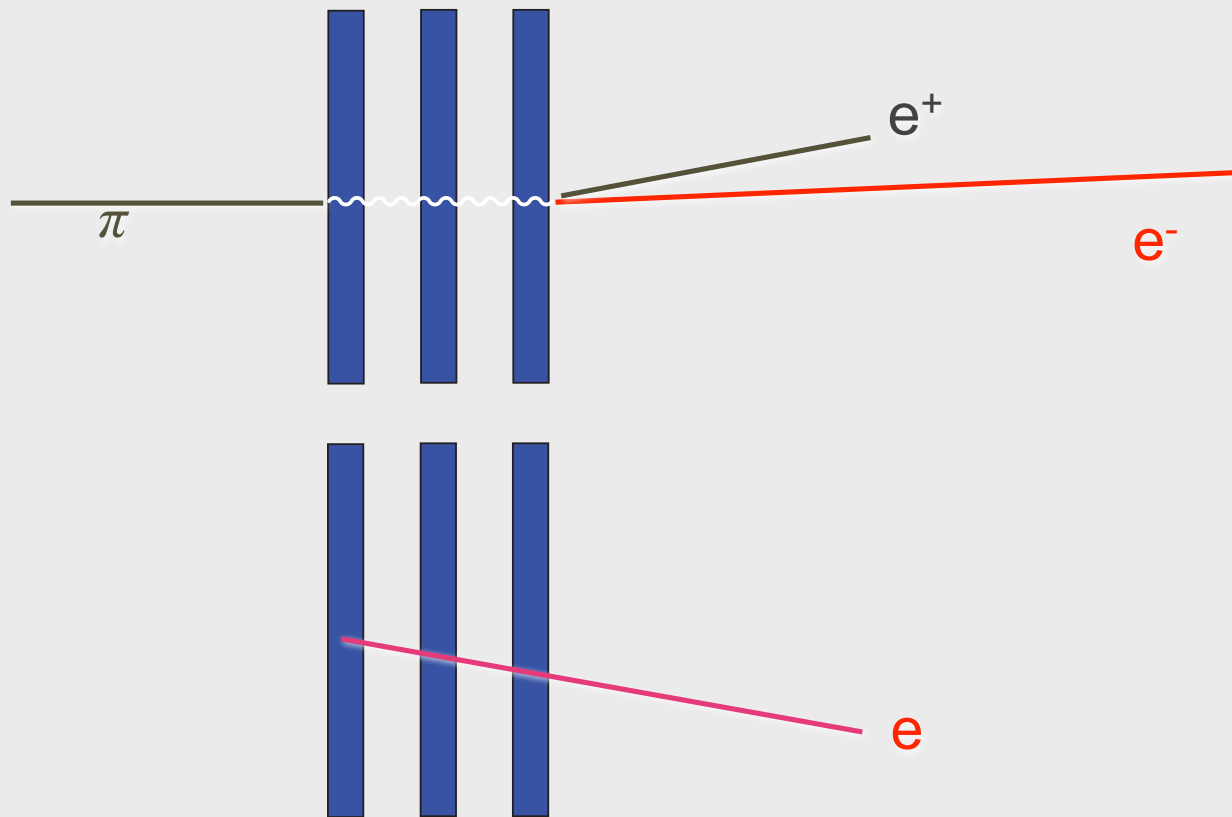
$$\gamma \rightarrow e^+ e^- \text{ in foils}$$

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target foils: muon converts here



= muons, electrons, pions



pulsed beam lets us wait  
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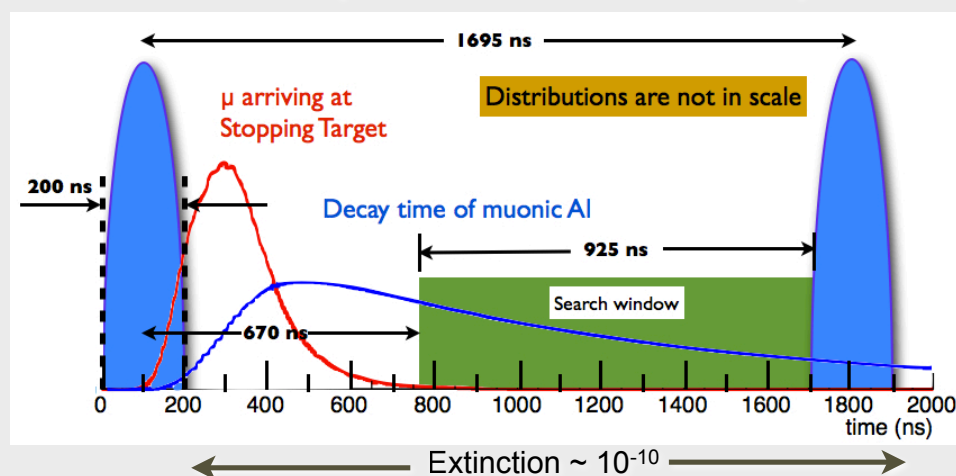
delayed 105 MeV electron



# Pulsed Beam Structure

- Tied to prompt rate and machine: FNAL “perfect”
- Want **pulse duration**  $\ll \tau_{\mu}^{Al}$  , **pulse separation**  $\approx \tau_{\mu}^{Al}$ 
  - FNAL Debuncher has circumference  **$1.7\mu\text{sec}$**  ,  $\sim x2 \tau_{\mu}^{Al}$
- Extinction between pulses  $< 10^{-10}$  needed

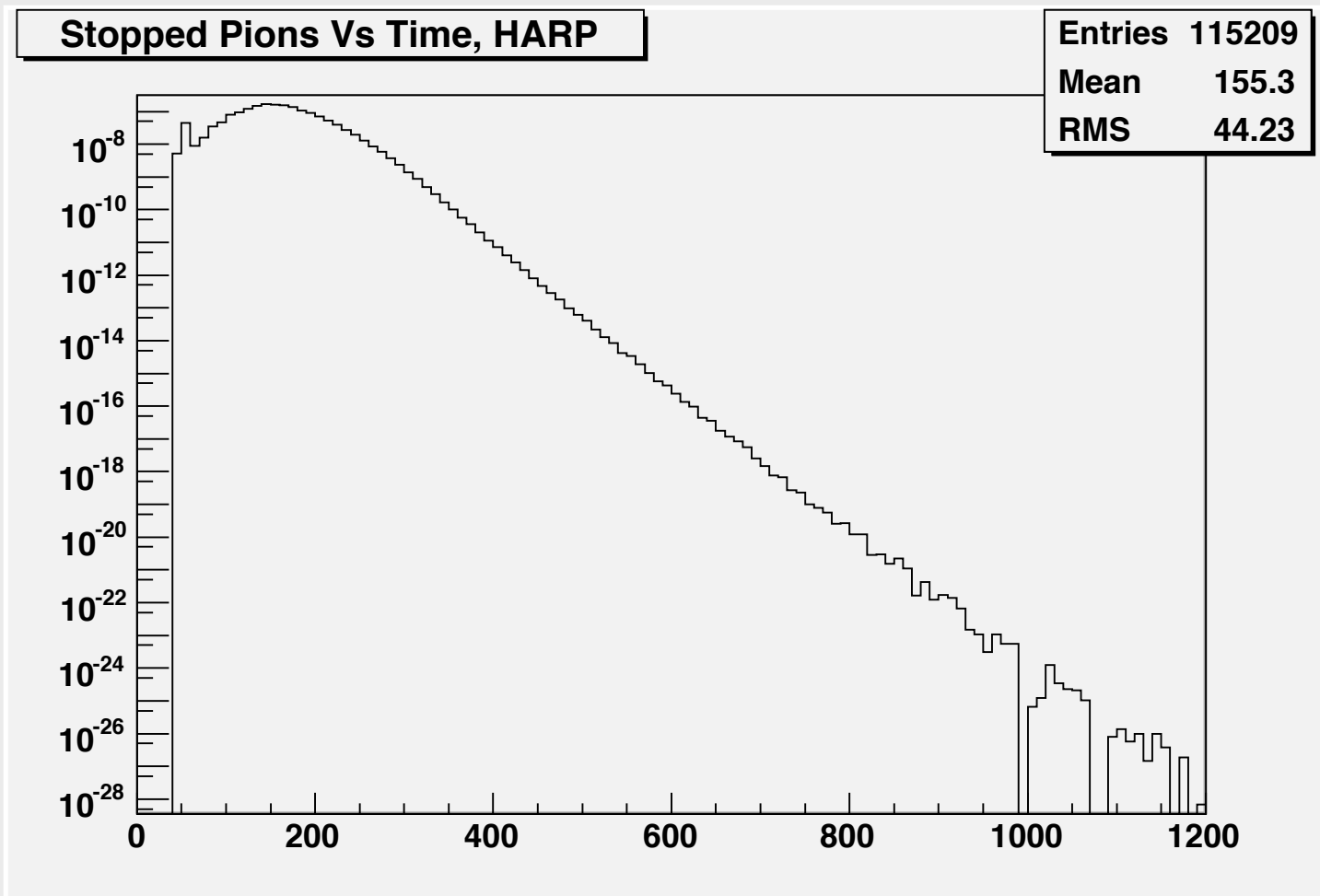
= # protons out of pulse/# protons in pulse



- $10^{-10}$  based on simulation of prompt backgrounds and beamline

# Pulsed Beam Structure and Radiative $\pi$ Capture

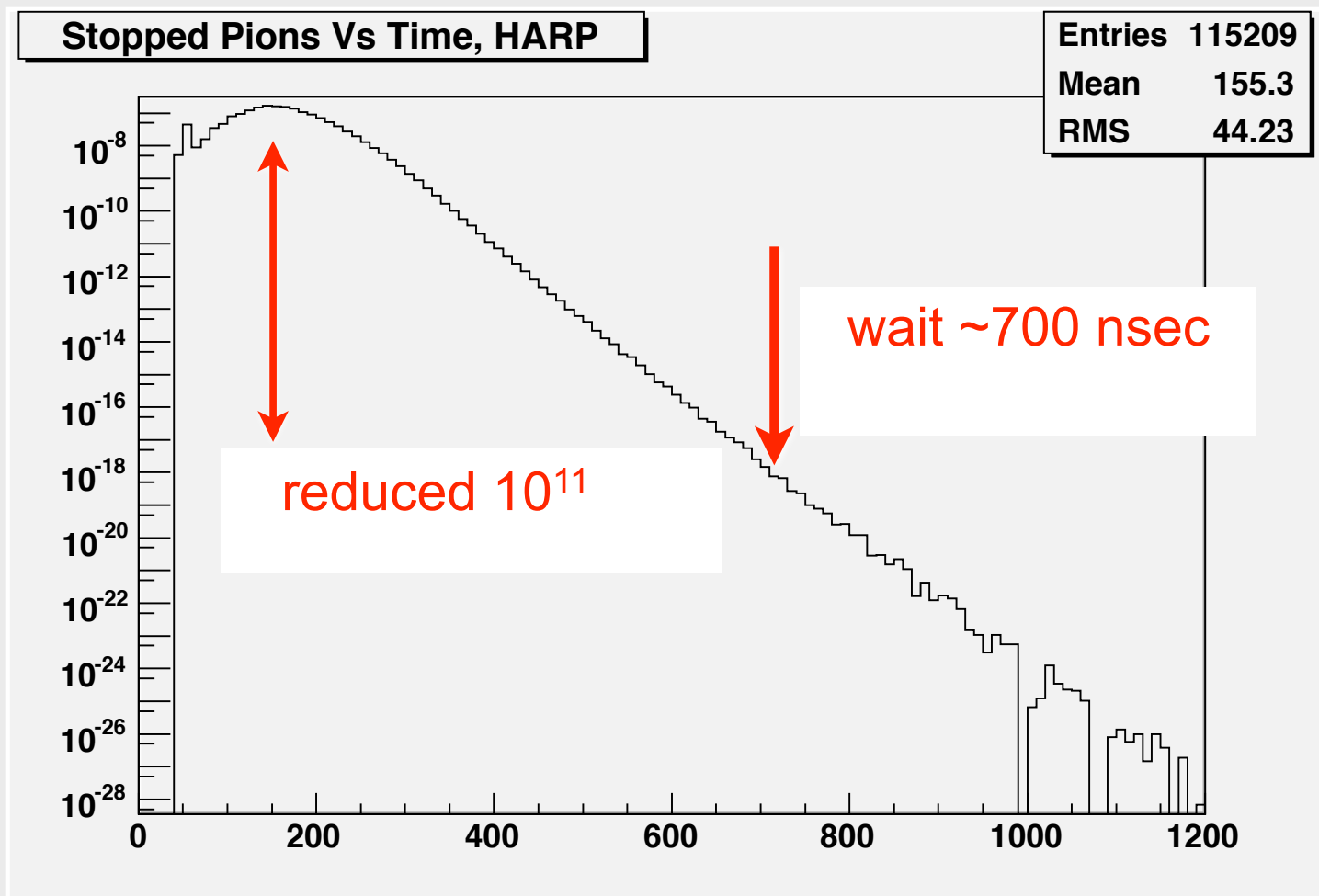
$$\pi N \rightarrow \gamma N, \gamma \rightarrow e^+ e^-$$



*need a beam that lets us wait this long: pulsed with long spacing*

# Pulsed Beam Structure and Radiative $\pi$ Capture

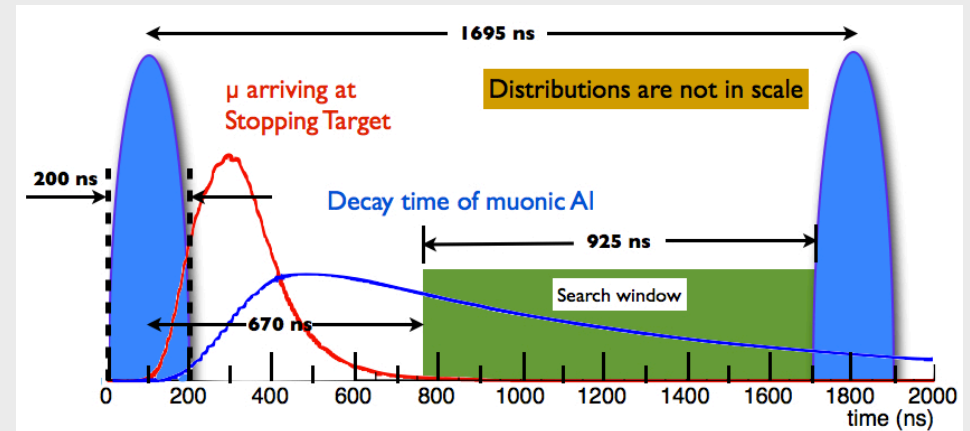
$$\pi N \rightarrow \gamma N, \gamma \rightarrow e^+ e^-$$



*need a beam that lets us wait this long: pulsed with long spacing*

# Prompt Background and Choice of Z

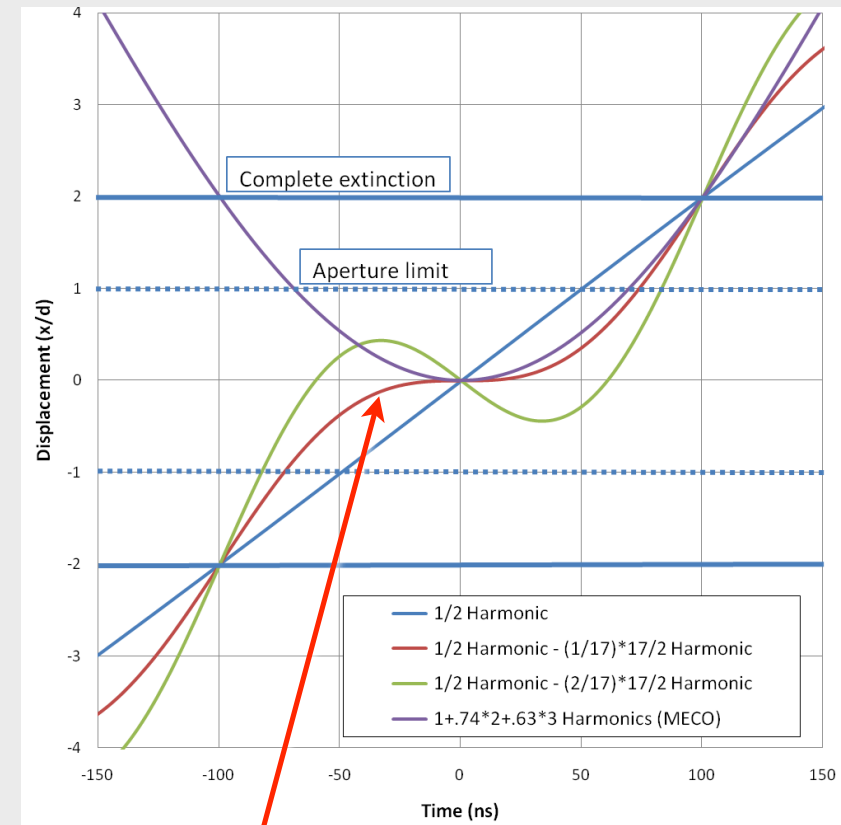
choose Z based on tradeoff  
between rate and lifetime:  
longer lived reduces prompt  
backgrounds



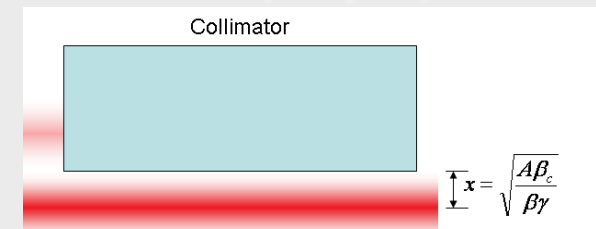
Nucleus	$R_{\mu e}(Z) / R_{\mu e}(\text{Al})$	Bound Lifetime	Conversion Energy
Al(13,27)	1.0	864 nsec	104.96 MeV
Ti(22,~48)	1.7	328 nsec	104.18 MeV
Au(79,~197)	~0.8-1.5	72.6 nsec	95.56 MeV

# Extinction Scheme

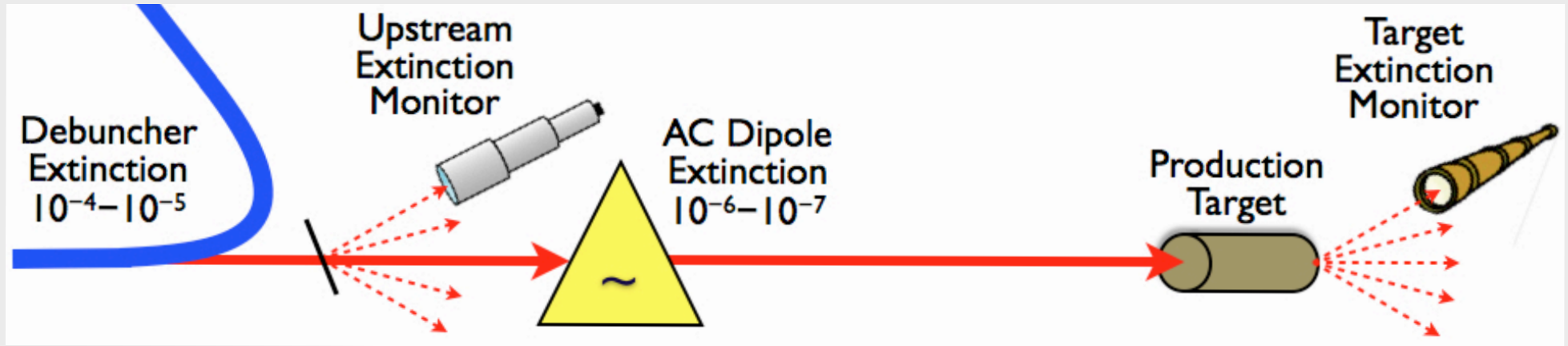
- External: oscillating (AC) dipole
- high frequency (300 KHz) dipole with smaller admixture of 17th harmonic (5.1 MHz)
- Sweep Unwanted Beam into collimators
- Calculations (MARS) show this combination gets  $\sim 10^{-12}$



choose a field as flat as possible during the pulse that kicks beam out as quickly as possible



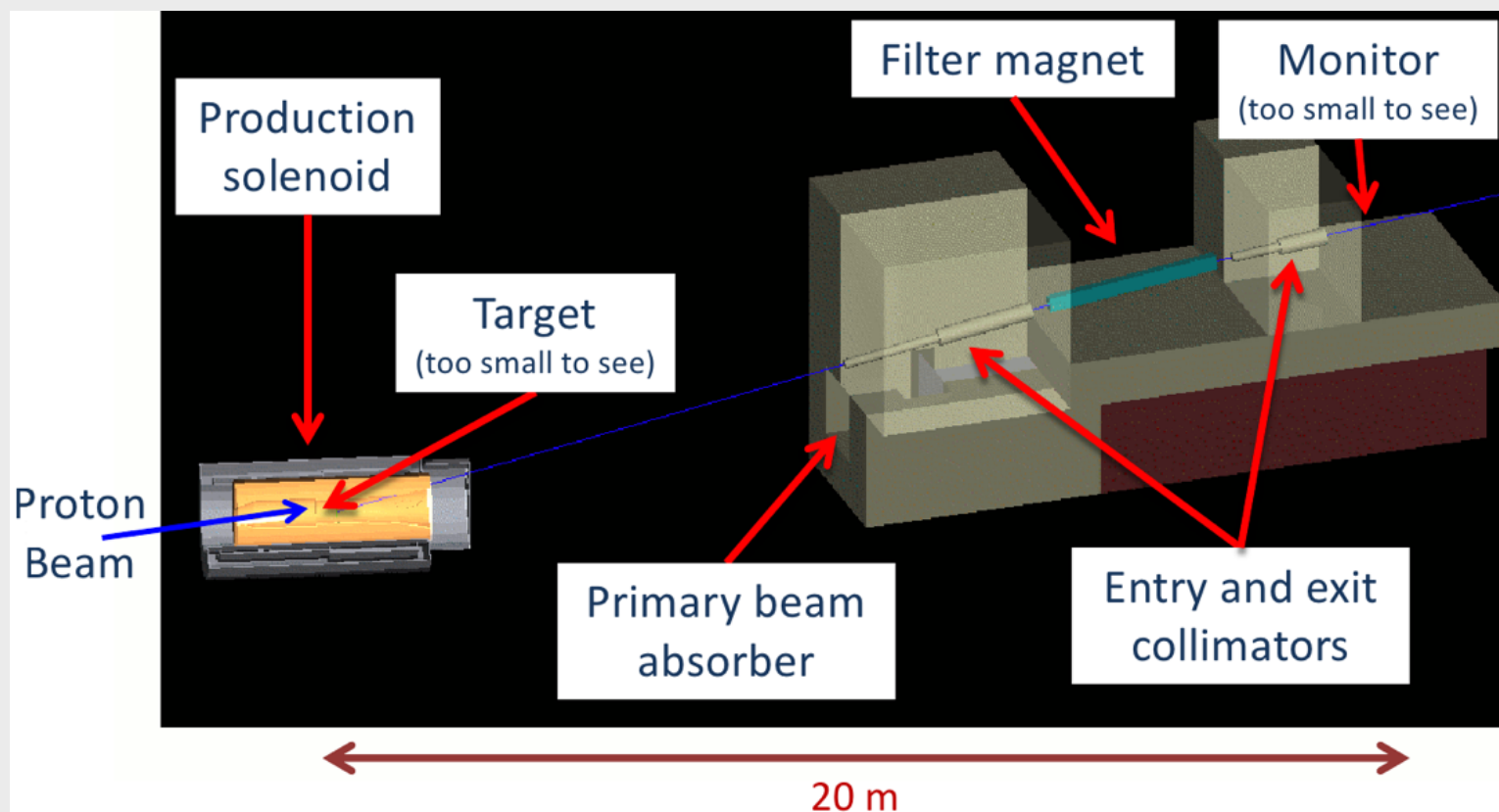
# Extinction Measurement



- Beam Formation and AC-Dipole provide extinction
- Measure with:
  - Thin foils in 8 GeV transport line (fast feedback on machine performance)
  - Off-axis telescope looking at production target (time scale of hour)
    - pixel-based telescope looking at few GeV protons

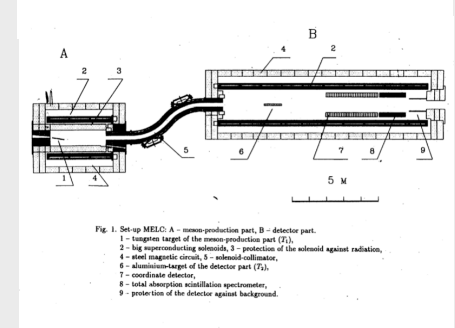
# Extinction Detector

- Si pixel telescope spectrometer with narrow view of target
- Measure extinction to  $10^{-10}$  in  $\sim 1$  hour

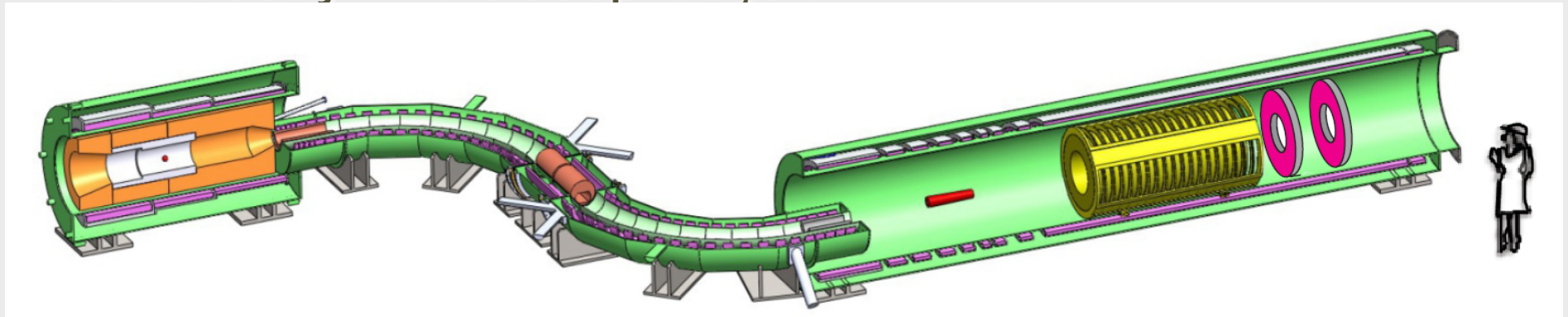


# Mu2e Overview

V. Lobashev, MELC 1992:



- *Production*: Magnetic mirror traps  $\pi$ 's, which decay into accepted  $\mu$ 's



- *Transport*: S-curve eliminates backgrounds and sign-selects

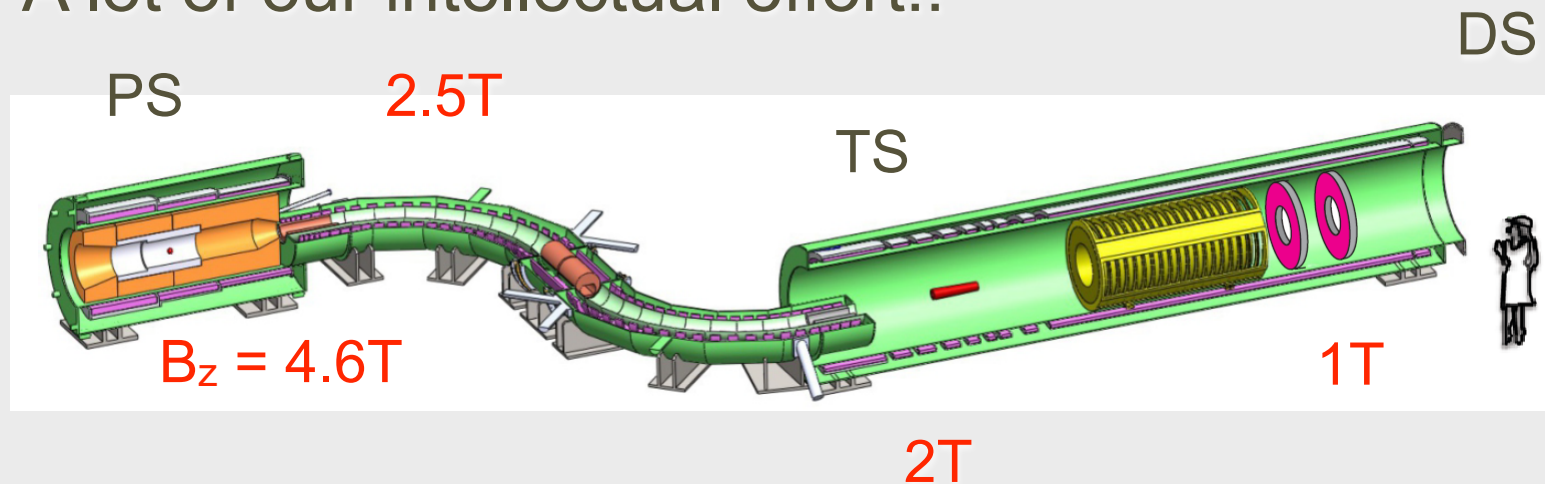
- *Detector*: Stopping Target, Tracking and Calorimeter

entire system in vacuum  $< 10^{-4}$  torr



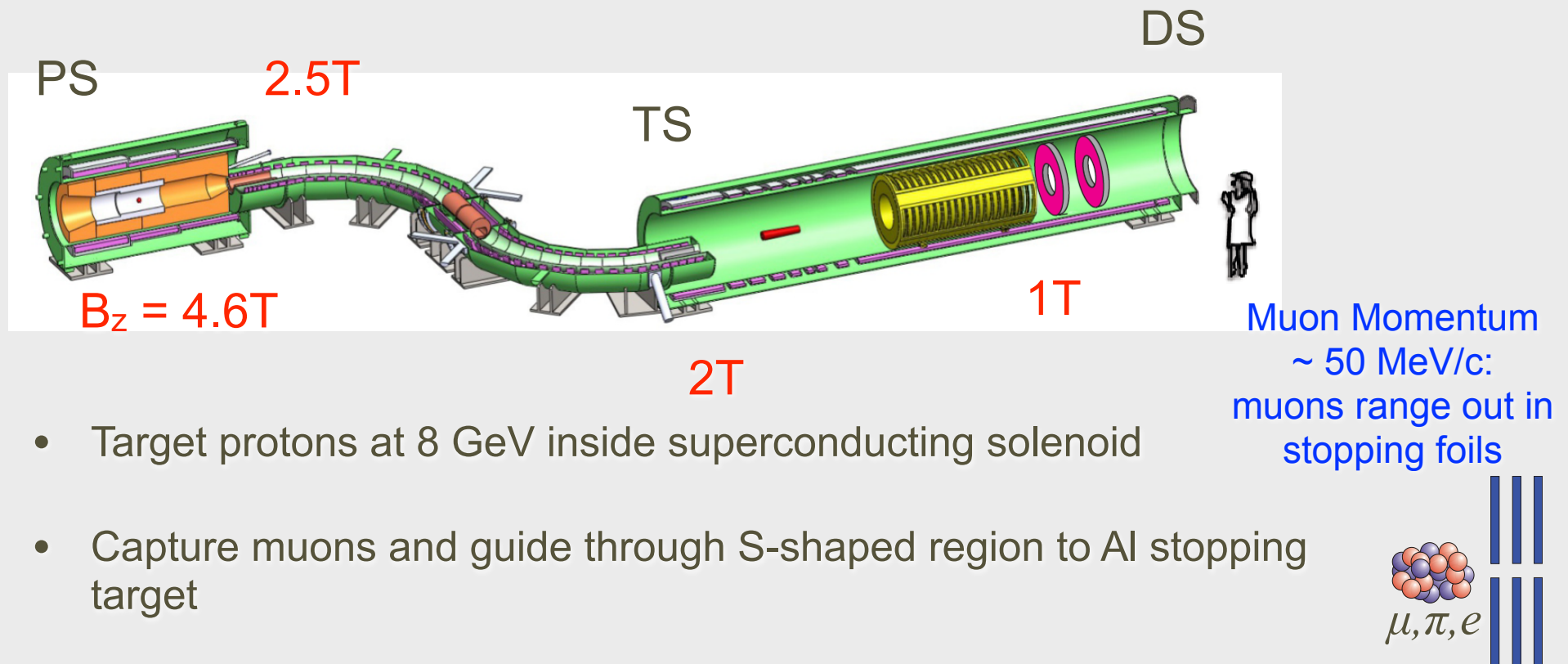
# Gradient Fields in Mu2e

- Play a vital role throughout the design
- A lot of our intellectual effort!!



- “push” muons out of PS into TS and into DS so we can study them
- keep particles from spiraling around, arriving late
- conversions are isotropic in stopping target; the gradient over stopping target “reflects” backward going muons and nearly doubles the acceptance

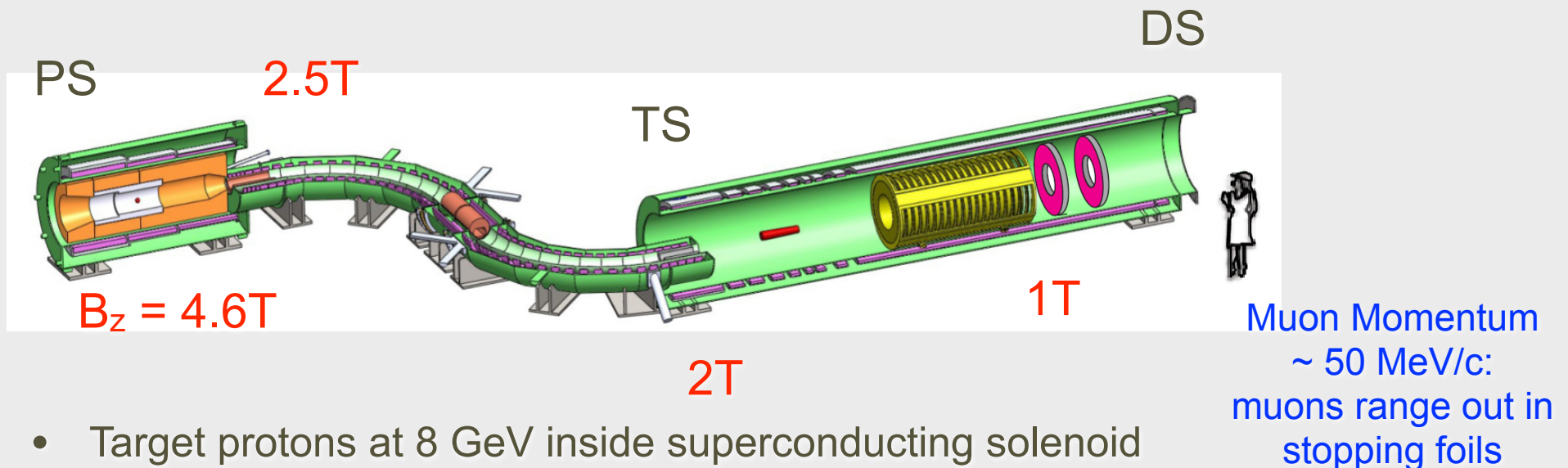
# Mu2e Muon Beam: Three Solenoids and Gradient



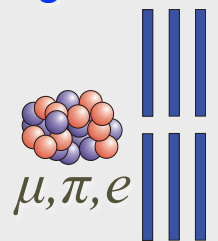
- Target protons at 8 GeV inside superconducting solenoid
- Capture muons and guide through S-shaped region to Al stopping target
- Gradient fields used to collect and transport muons

# Mu2e Muon Beam: Three Solenoids and Gradient

4.6T  $\longrightarrow$  B-field gradient  $\longrightarrow$  1T

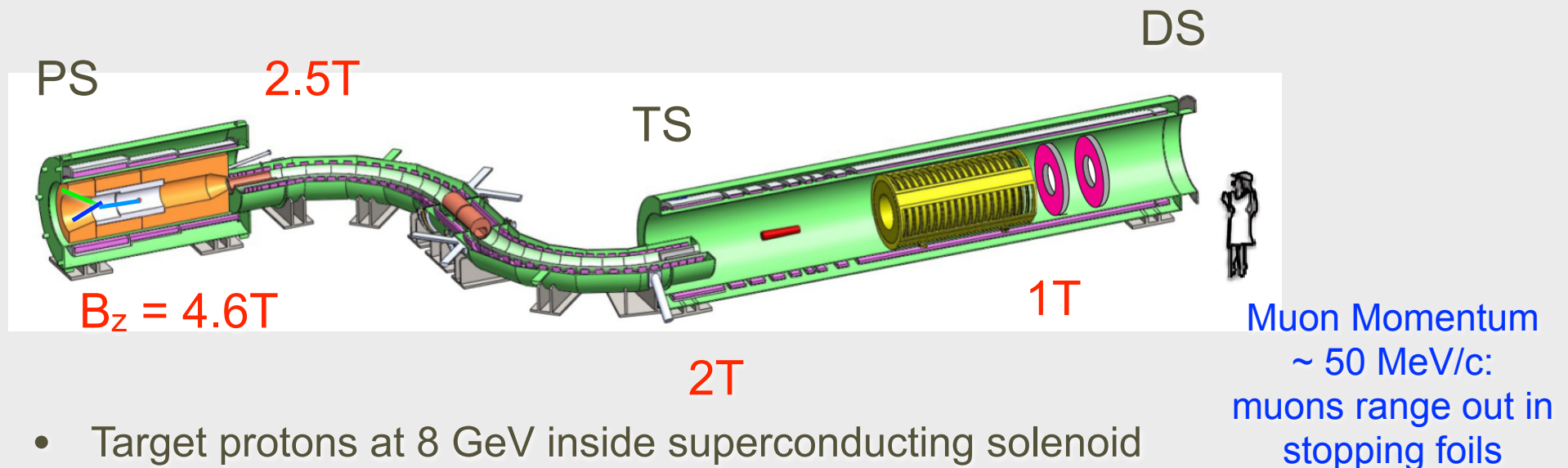


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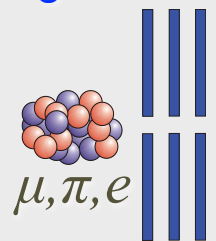


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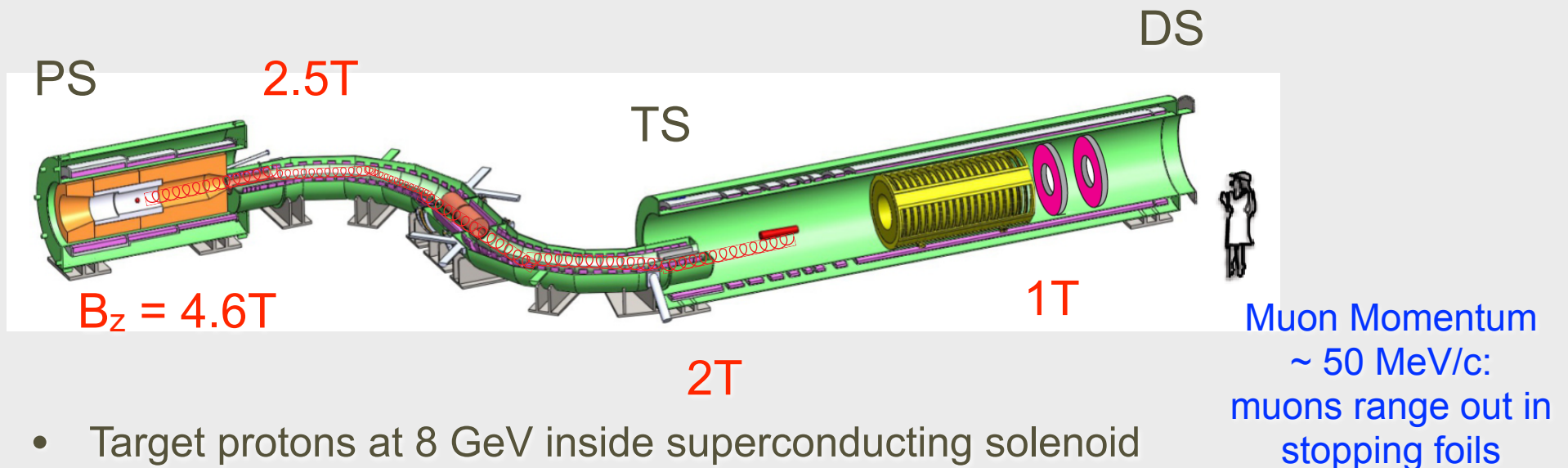


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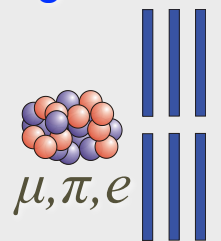


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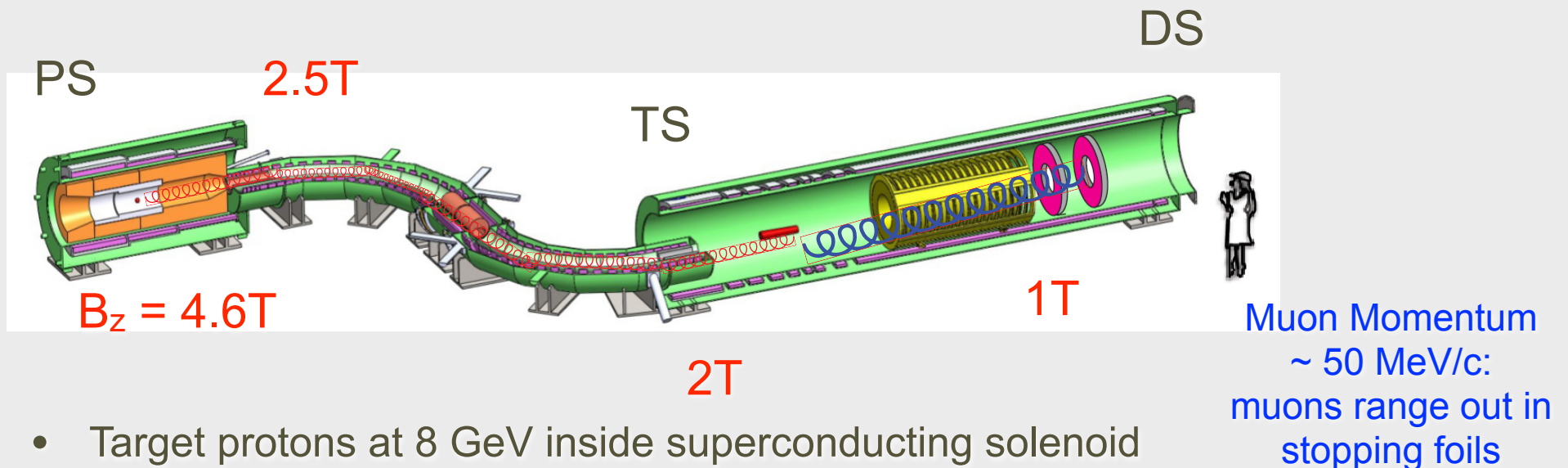
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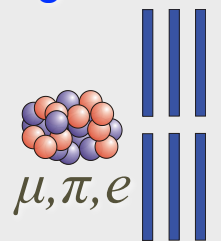


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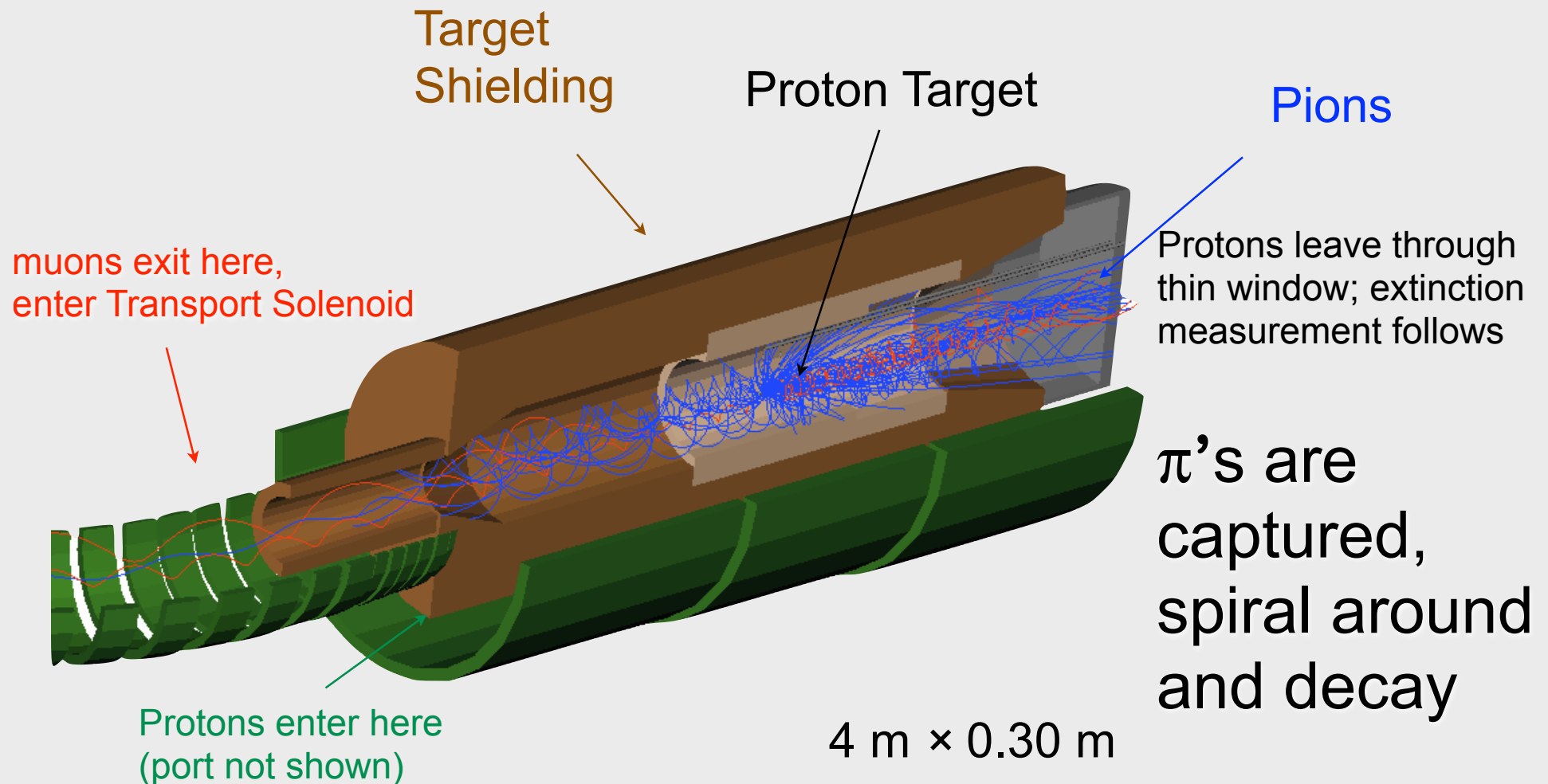
- Target protons at 8 GeV inside superconducting solenoid
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# Production Solenoid:

old picture, design has changed a little

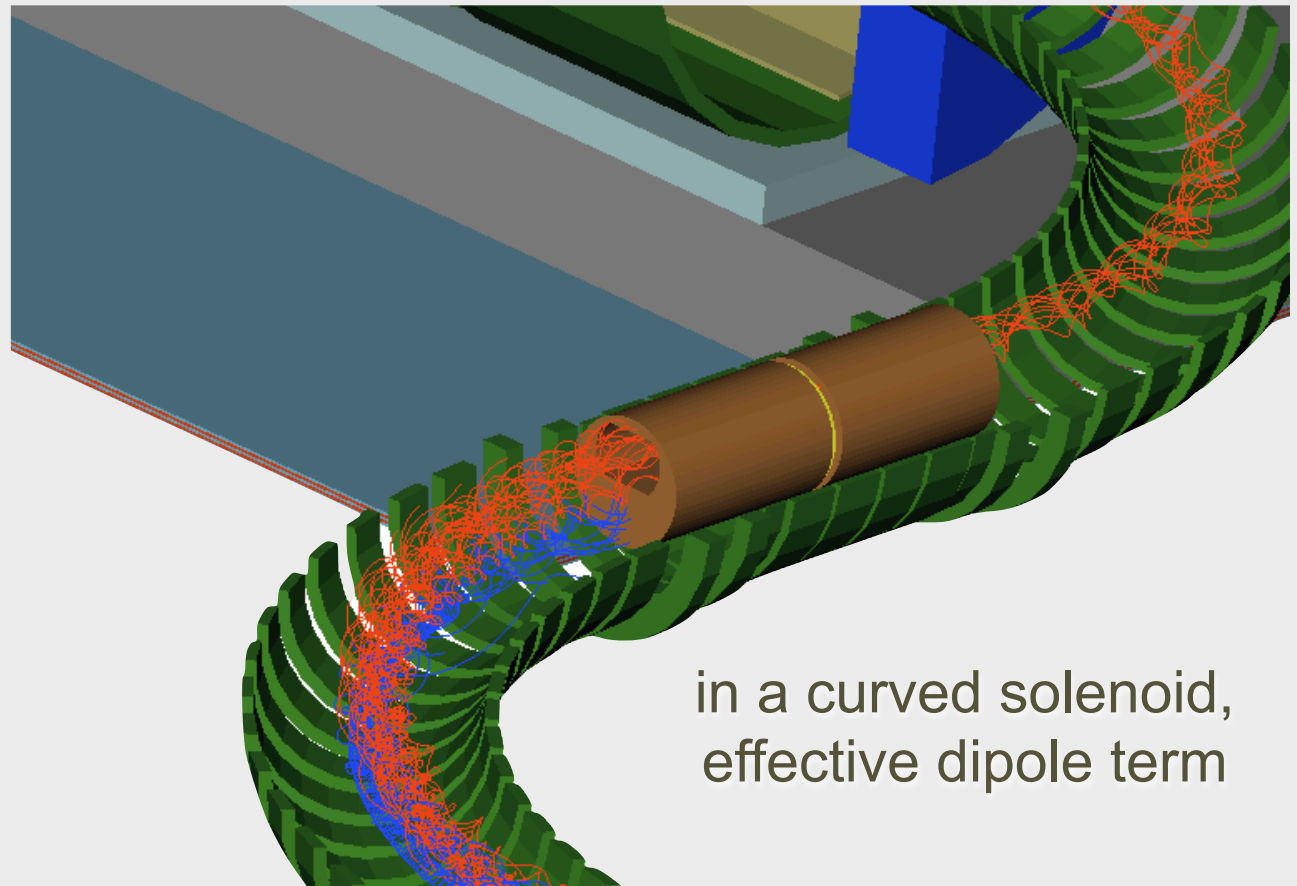
Protons enter opposite to outgoing muons



# Transport Solenoid

old picture, design has  
changed a little

- Curved solenoid eliminates line-of-sight transport of photons and neutrons
- Curvature drift and collimators sign and momentum select beam



in a curved solenoid,  
effective dipole term

13.1 m along axis  $\times$   $\sim 0.25$  m



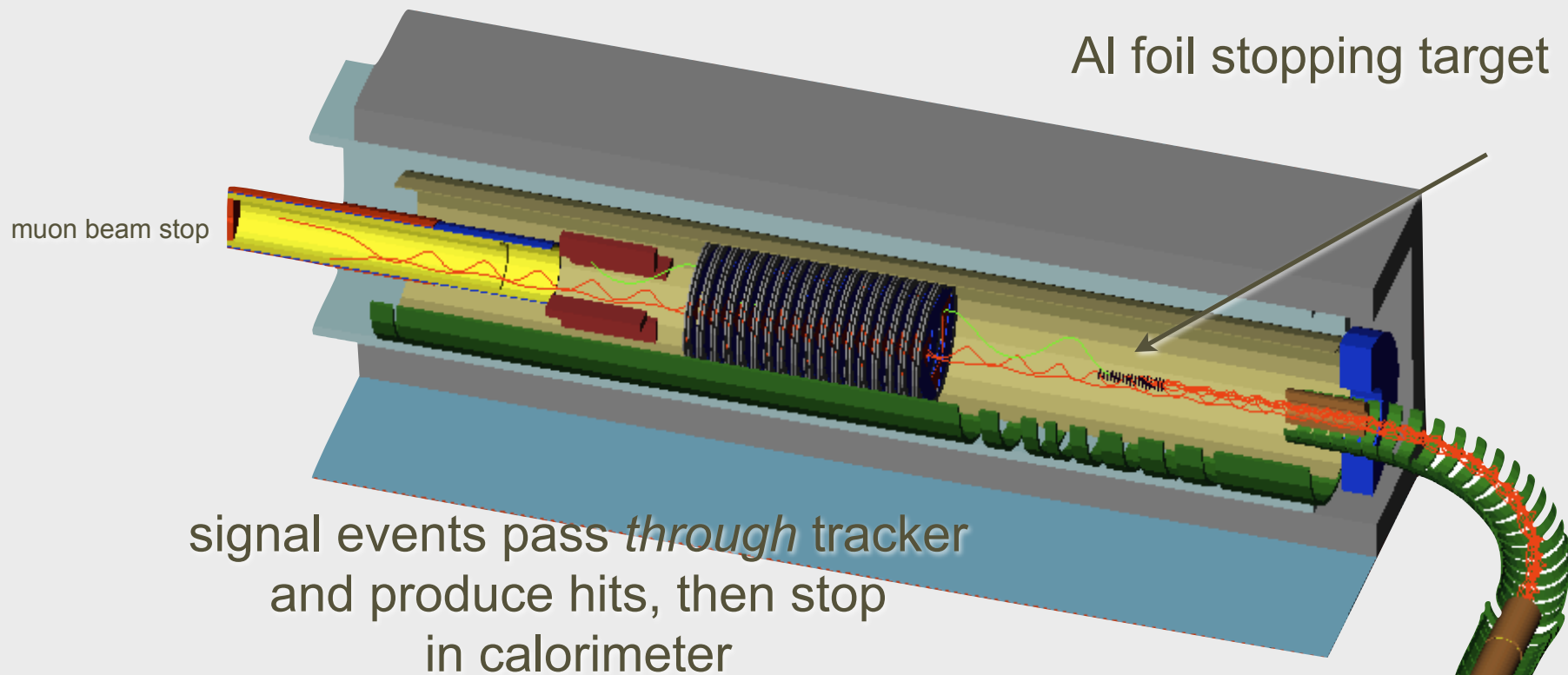
# Detector Solenoid

*octagonal tracker surrounding central region:  
radius of helix proportional to momentum,  
 $p=qBR$*

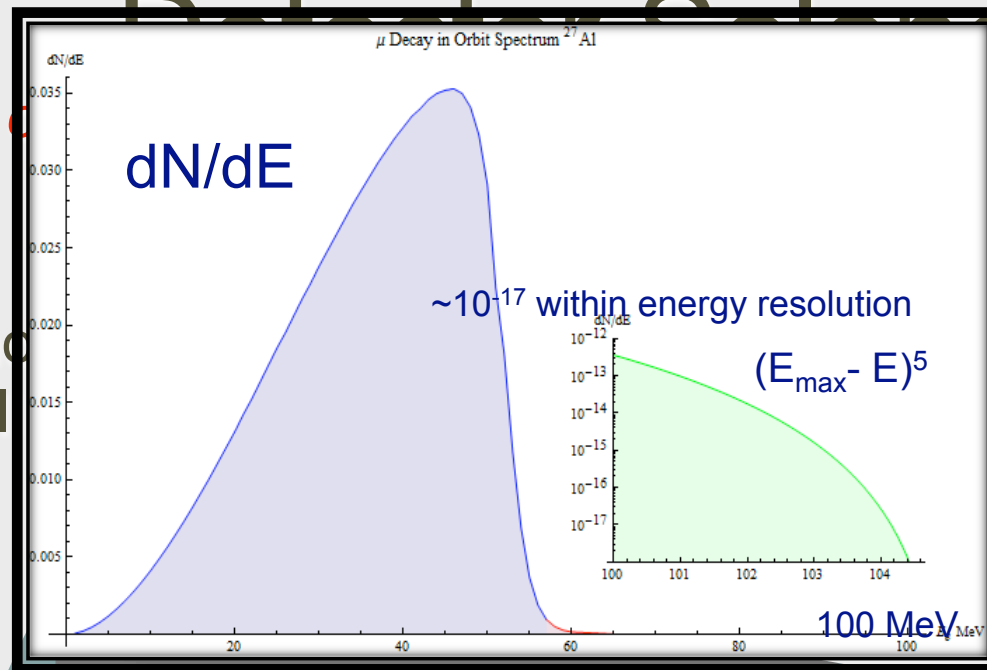
low momentum particles and  
almost all DIO background passes  
down center

old picture,  
calorimeter  
design has  
changed

10 m × 0.95 m



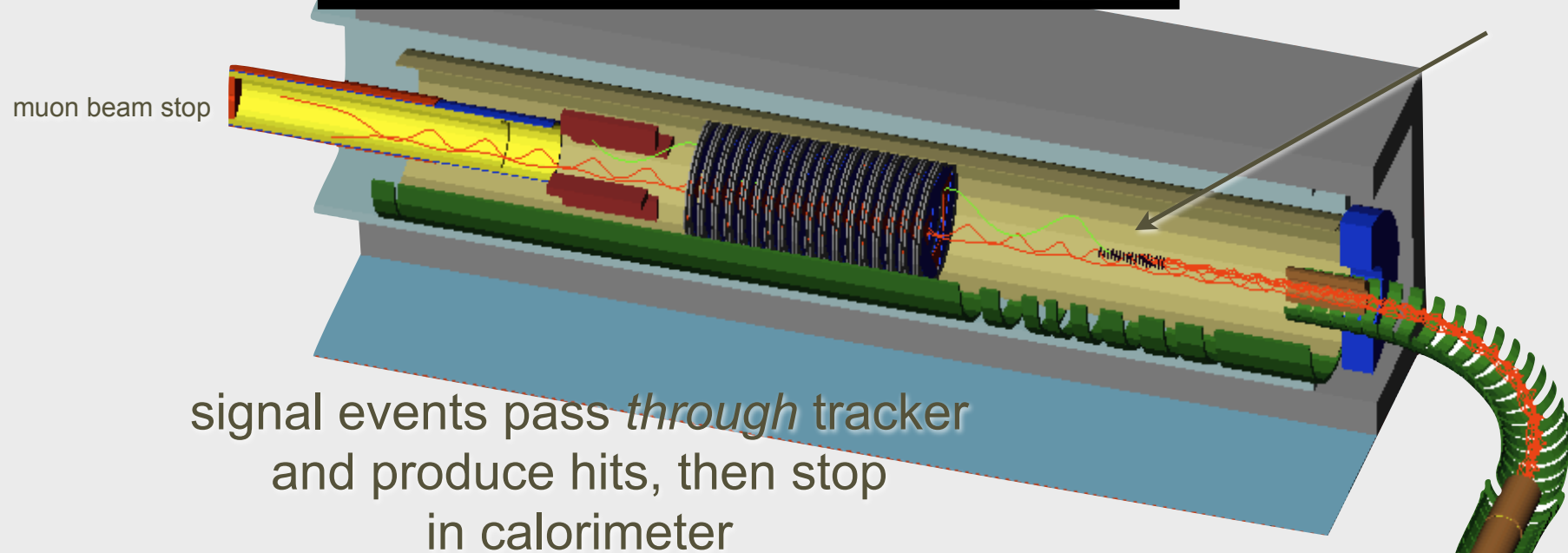
signal events pass *through* tracker  
and produce hits, then stop  
in calorimeter



old picture,  
calorimeter  
design has  
changed

10 m  $\times$  0.95 m

stopping target



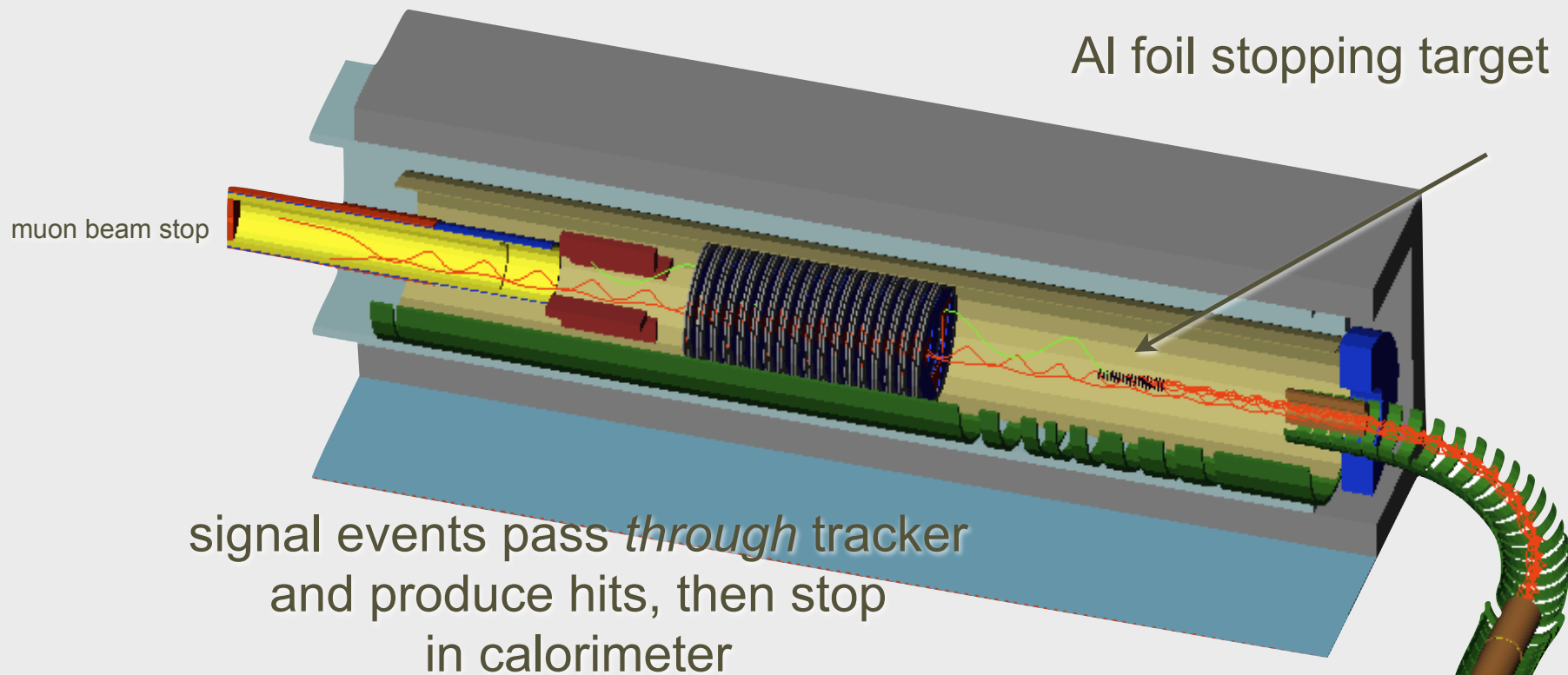
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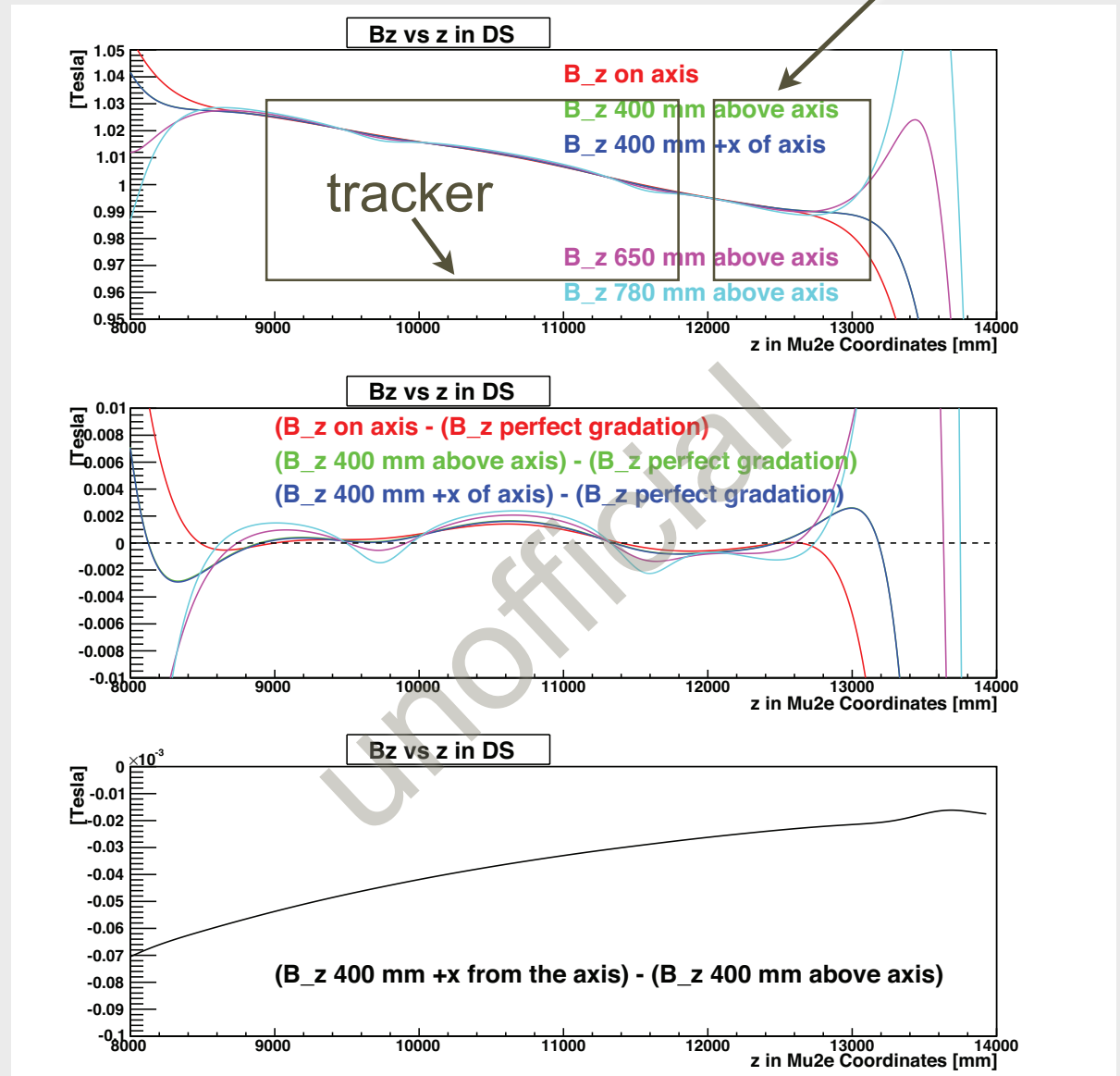
# Sculpting Magnetic Fields

- Overall, the field is solenoidal steadily decreasing until we get to the tracker and then keep it as constant as possible
- This also “pushes” particles along the system
  - avoids trapped particles looping around and ending up getting to the detector late
- After that, tons of details

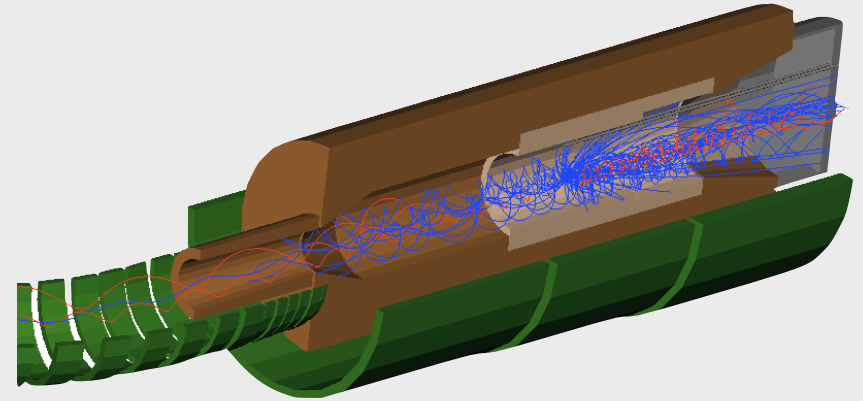
# Tracker, Calorimeter and Field

- Actually put slight gradient over tracker region to minimize small negative gradients and trapped particles
- Can see coil structure
- >100 Person-years

calorimeter



# Sculpting Magnetic Fields



- In PS:
  - proton beam enters *in opposite direction* from solenoid system
  - extinction measurement out the back
  - solenoidal field increases along proton direction, creating a magnetic mirror, but ~80-85% of flux from backwards going pions
    - cross-sections are poorly known (+- 20%)

# Magnetic Mirror

- Magnetic Fields do no work! (ever hear that?)
- See Jackson, 2nd Ed. Sec. 12.4. If the field changes sufficiently slowly,

$$Ba^2$$

$$p_{\perp}^2 / B$$

$$\gamma\mu \text{ (the magnetic moment of the current loop)}$$

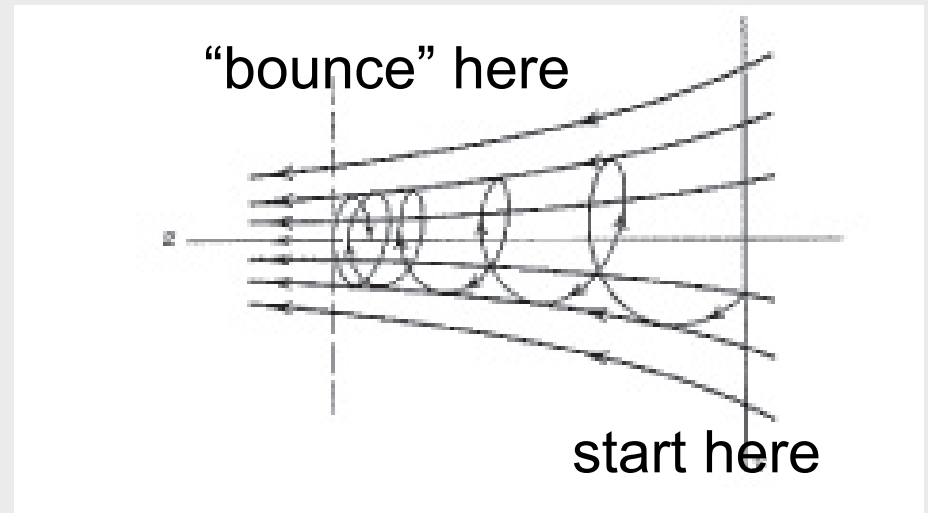
are adiabatic invariants

# Therefore for Our Solenoids

$$v_{\parallel}^2 + v_{\perp o}^2 = v_o^2$$

$$\frac{v_{\perp o}^2}{B(z)} = \frac{v_o^2}{B_o}$$

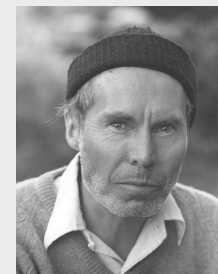
$$v_{\parallel}^2 = v_o^2 - v_{\perp o}^2 \frac{B(z)}{B_o}$$



as  $B$  grows,  $v_{\parallel}$  goes to zero  
and the particle turns around with constant  $|\vec{p}|$  – a magnetic mirror



# Selecting Negative Muons



- E&M to the rescue:
  - Jackson, 2nd Ed., Sec 12.5: particle drifts in Nonuniform, Static Magnetic Fields
  - Curve of Solenoid gives “centrifugal acceleration” from an effective electric field

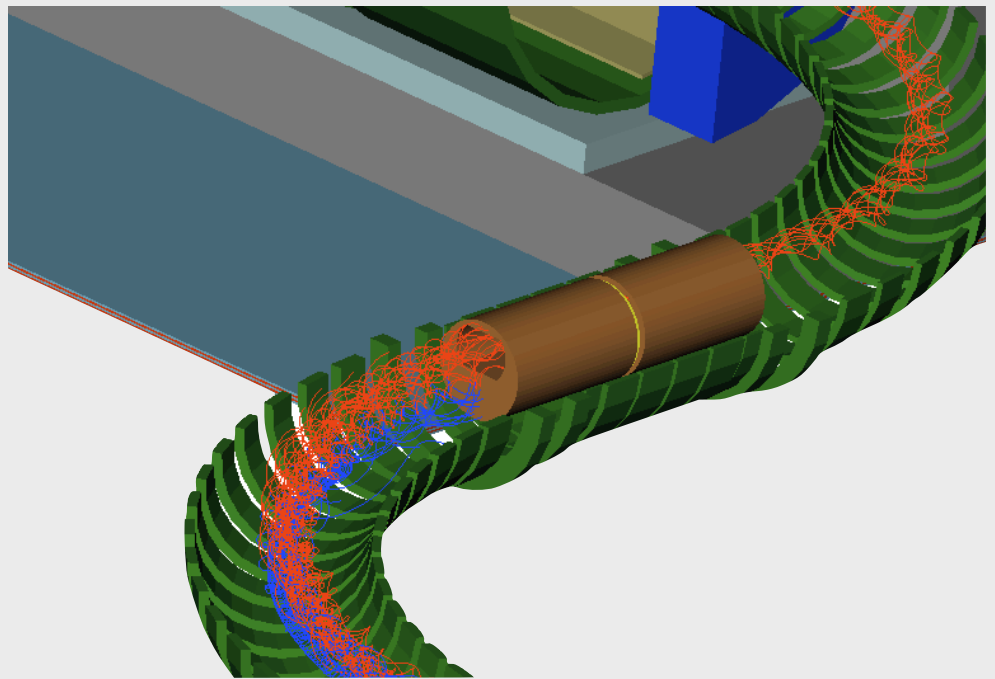
$$\vec{E}_{\text{effective}} = \frac{\gamma m}{e} \frac{\vec{R}}{R^2} v_{\parallel}^2$$

note the sign  
of the field flips with the  
sign of the charge

# So This is What Happens:

- Negative muons go one way, positive muons the other
- A rotatable collimator lets us pick one charge or the other: see calibration discussion later
- And the 2nd half of the “S” brings the beam back on axis

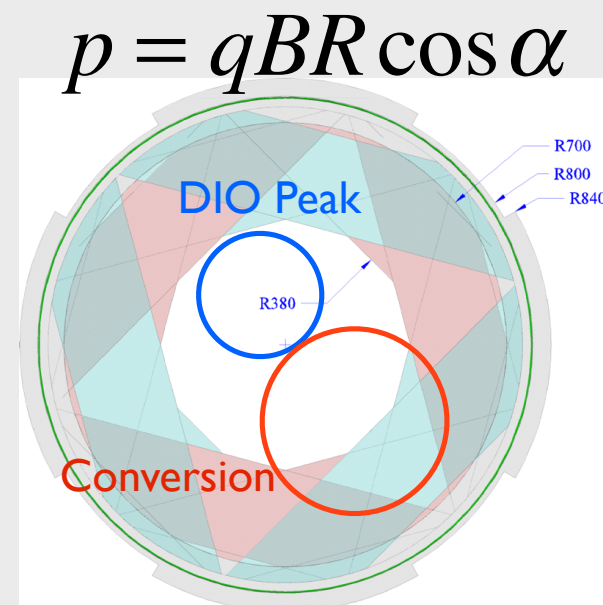
13 m along the axis, 25 cm across



green represents the coils  
of superconducting cable

# Design and Getting to $10^{-17}$

- The trick, of course, is not to have to reject  $10^{17}$  events
- There are multiple ways to solve this problem.
- Mu2e:
  - use a central hole
  - only see  $\sim \text{few} \times 10^5$  events
  - $10^5 \ll 10^{17}$

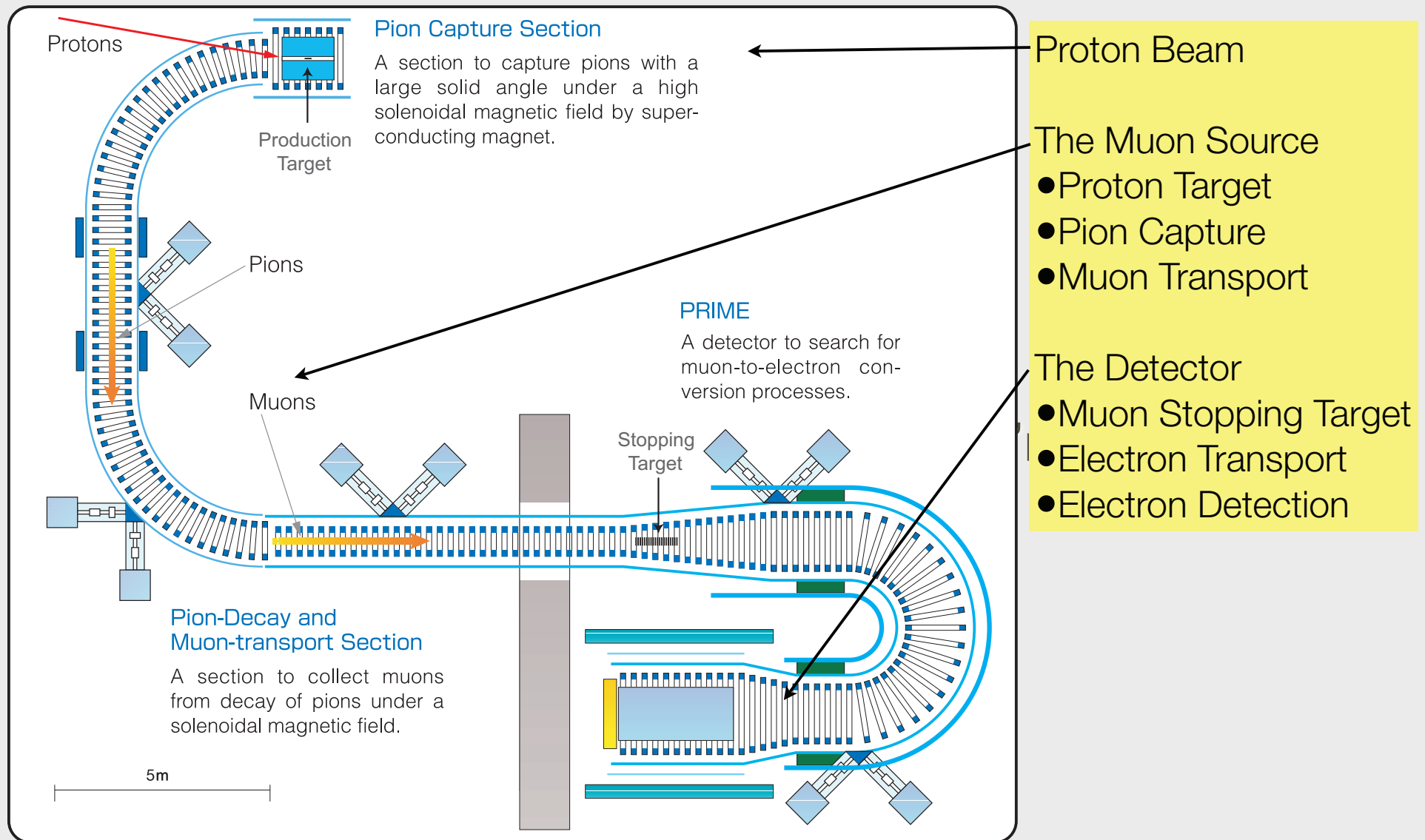


DIO's up to  $\sim 80$  MeV/c stay in central hole;  
conversions seen by tracker

# Theme and Variations: COMET

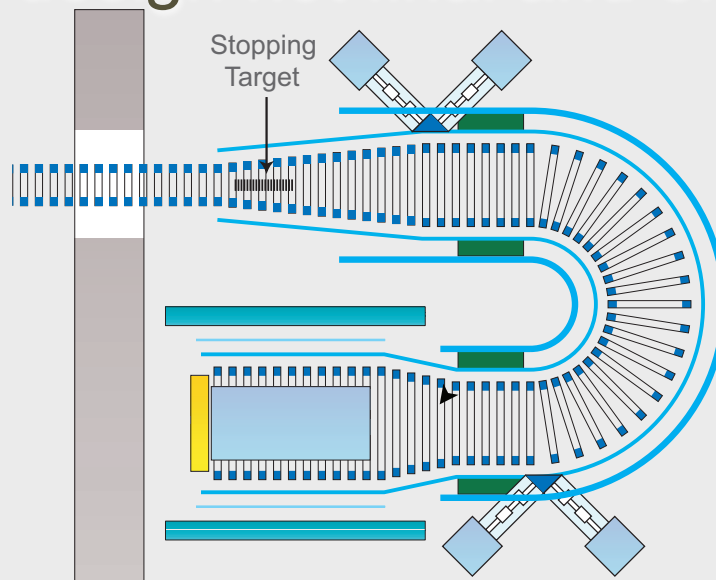
- Here's another way: (not as good but I'm biased)

# Theme and Variations: COMET



# 2nd Bend

- DIO's below some momentum hit walls of solenoid and never make it to the tracker
- Tracker has no hole
- But a “DIO-blocker” is needed inside bend, creating accidental activity and reducing acceptance; design not final and effect not included



# For the Astute

- You'll notice I said the second part of the Mu2e "S" brought the muons back on axis
- COMET has a C: are the muons drifting off somewhere?
- No, they have (IM-HO) a complicated dipole correction system

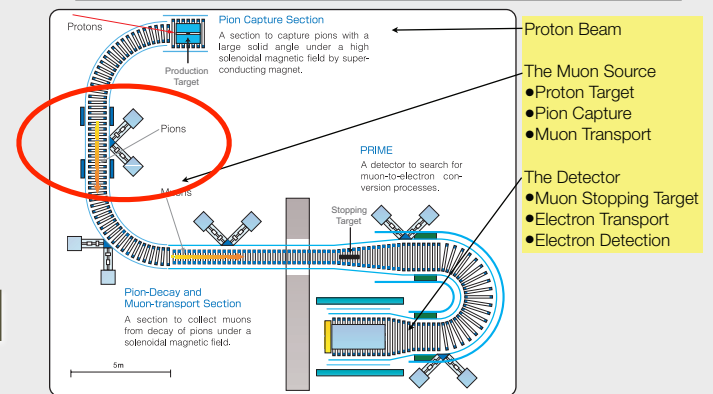
$$D(s) = \frac{1}{qB} \left( \frac{s}{R} \right) \frac{p}{2} \left( \cos \theta + \frac{1}{\cos \theta} \right)$$

apply compensating dipole field

$$B = \frac{1}{qR} \frac{p_0}{2} \left( \cos \theta_0 + \frac{1}{\cos \theta_0} \right)$$

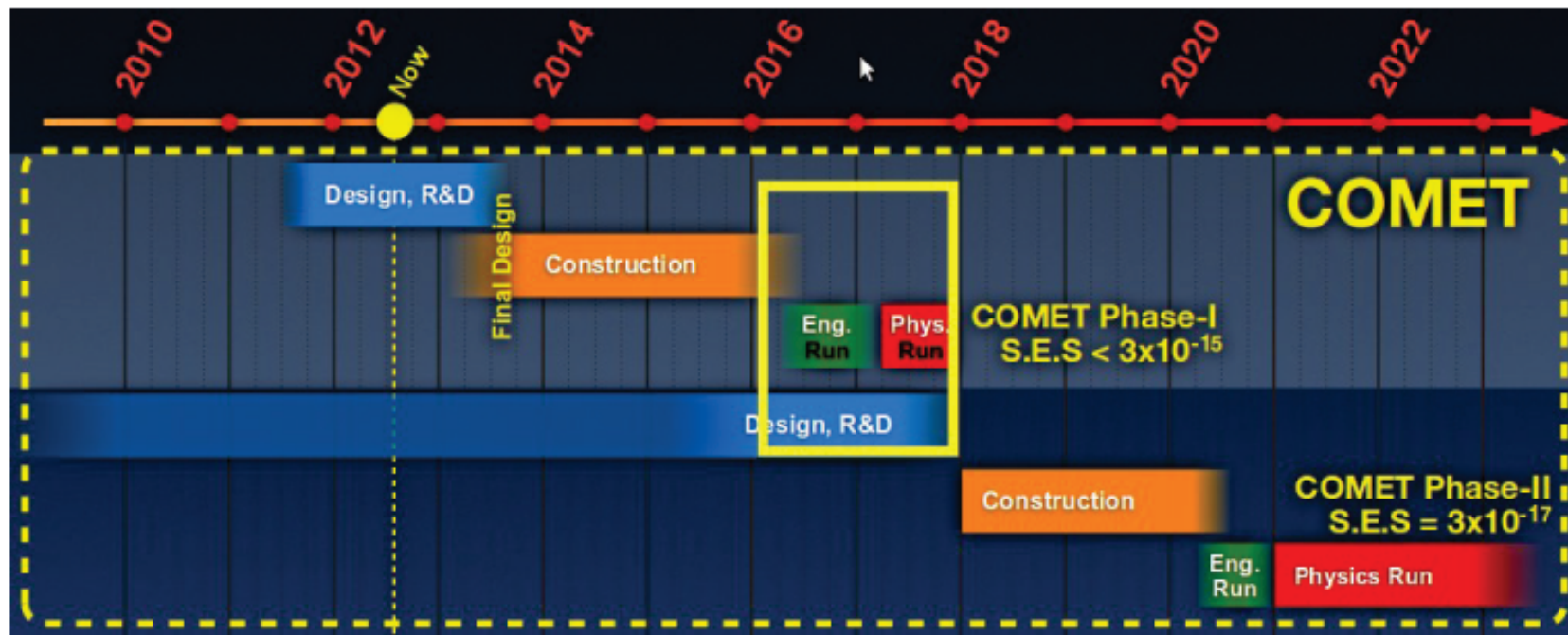
# COMET Status

- Broken into two phases:
  - Phase I: up through central bend
    - Want to do measurements of flux with one detector and a second detector to do ~x100 better than SINDRUM, same style of cylindrical detector as SINDRUM >= 2017
  - Phase II: full detector as shown >=2021
- Design of Phase I in progress
  - a test coil is in the purchase process

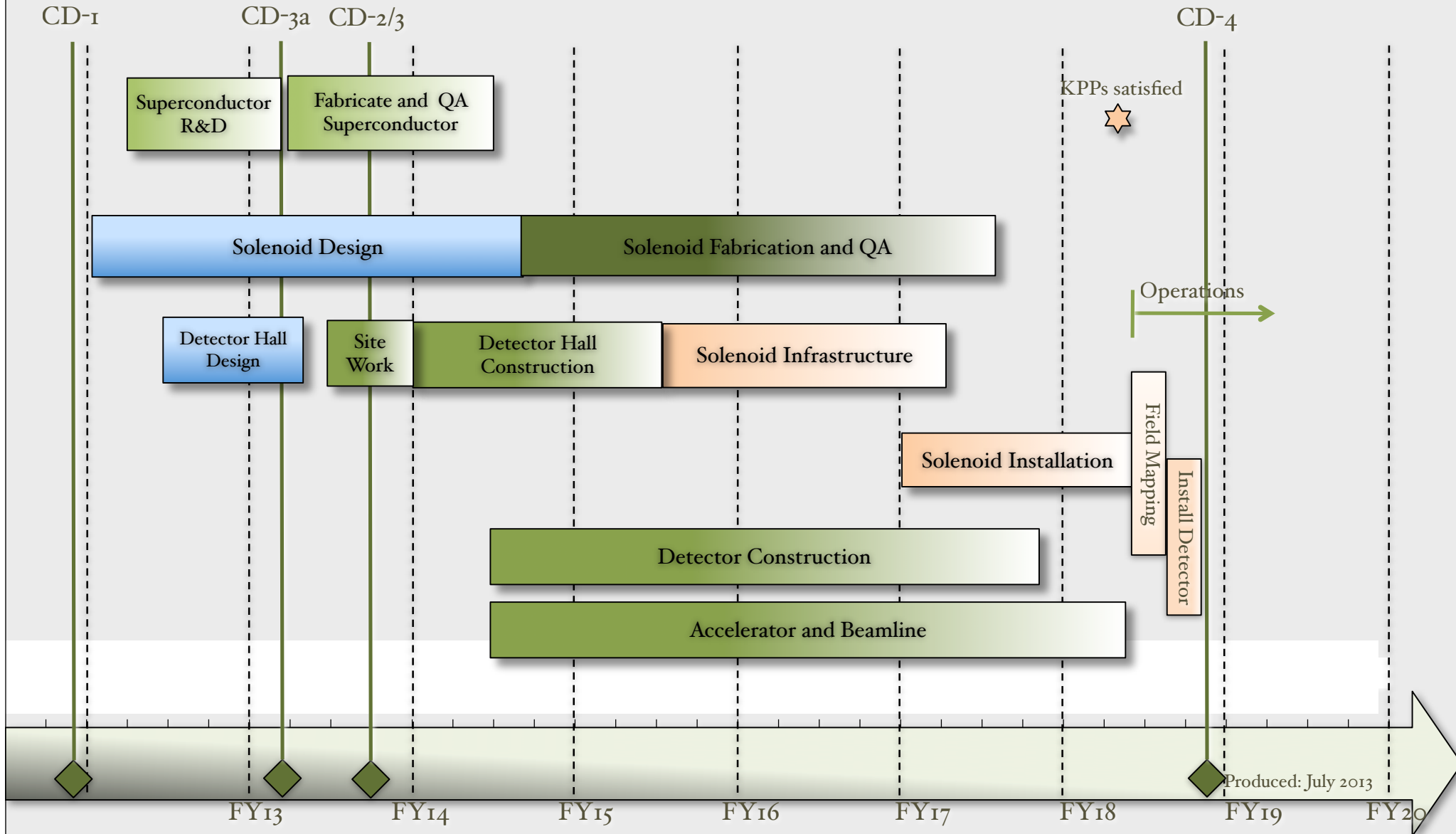




# COMET Schedule



# Mu2e Schedule



# COMET Phase I

Starting in 2020  
Measurement in 2022  
 $S.E.S = 3 \times 10^{-17}$

## COMET (Phase-II)

