



# Higgs couplings @ TLEP

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# Introduction

- Built a model independent combined fit to estimate the uncertainty on the Higgs couplings for different TLEP measurements and scenarios
- The fit is based on what was performed for ILC by M.Peskin[1]
  - Challenged the LEP3 numbers in 3<sup>d</sup> TLEP workshop produced in assumption of no exotic decays
- Those are (technically) very simple fits compared to what is done @ the LHC
  - Where all correlations and contaminations are taken into account
  - To do this @TLEP we need to redo all analyses and give as inputs shapes and yields instead of plain numbers
  - This will be done at some point but:
- We are (and were) always doing apples to apples comparison between TLEP and ILC

# Fit Procedure

- For each coupling  $H \rightarrow XX$  assume a deviation  $d_X$  on the value  $g_X/g_{X(SM)}$  from unity
- Each inclusive cross section measurement  $\sigma(X \rightarrow H)$  has a deviation from unity equal to:  $(1 + d_X)^2$
- Each  $\sigma(X \rightarrow H) \times BR(H \rightarrow YY)$  has a deviation equal to:

$$\frac{(1 + d_X)^2 (1 + d_Y)^2}{D\Gamma}$$

- where  $D\Gamma = \frac{\sum_X BR(H \rightarrow XX)(1 + d_X)^2}{1 - d_{exo}^2}$

- $d_{exo}^2$  is the BR to exotic decays

# Assumptions in the fit

- Treatment of invisible vs exotic decays
  - Invisible decays can be measured very precisely @ TLEP ( $\sim 0.2\%$ ) and constrain the total width
  - We do **not** use the BR  $\rightarrow$  invisible measurements in the fit but assume we do not know the non SM (exotic) decays
    - Essentially measuring total width in the fit
- Assumptions for  $g_W, g_Z < \text{SM values}$ 
  - Coming from the constraints on W,Z masses and assumptions on CP and presence of double charged Higgs
  - We do **not** use this assumptions in the fit

# Constrain terms in the PDF

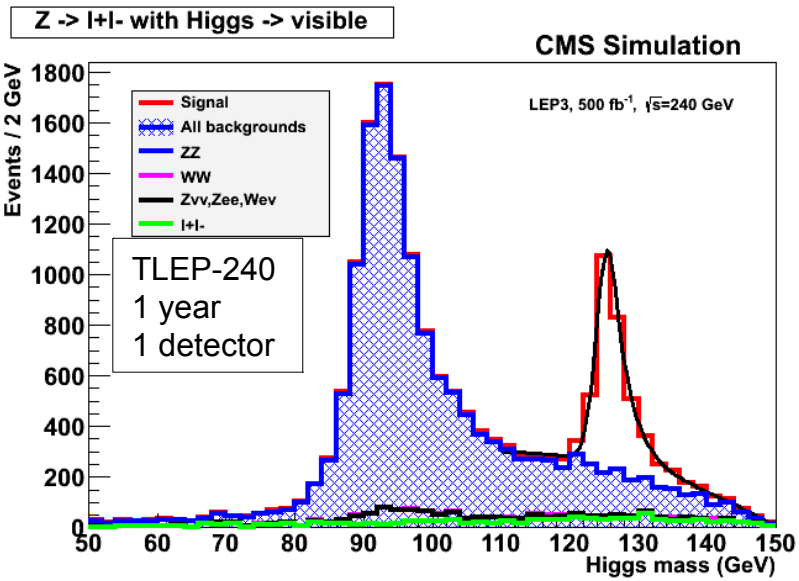
- Each measurement becomes a term in the total pdf product to be maximized
  - Using Gaussians to model the constraints
- For each inclusive cross section measurement  $\sigma(X \rightarrow H)$  with uncertainty  $\sigma$ , a term is added in the product of the form:
- For each  $\sigma(X \rightarrow H) \times \text{BR}(H \rightarrow YY)$  with uncertainty  $\sigma$ , a term is added in the product of the form

$$e^{-\frac{[1 - (1 + d_X)^2]^2}{2\sigma^2}}$$

$$e^{-\frac{[1 - \frac{(1 + d_X)^2(1 + d_Y)^2}{D\Gamma}]^2}{2\sigma^2}}$$

# Higgs measurements at 250 GeV

	ILC-250(TDR)	<b>TLEP 240</b>
$\sigma_{HZ}$	2.5%	<b>0.4%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow b\bar{b})$	1.1%	<b>0.2%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow c\bar{c})$	7.4%	<b>1.2%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow g\bar{g})$	9.1%	<b>1.4%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow W\bar{W})$	6.4%	<b>0.9%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow \tau\bar{\tau})$	4.2%	<b>0.7%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow Z\bar{Z})$	19%	<b>3.1%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow \gamma\gamma)$	35%	<b>3.0%</b>
$\sigma_{HZ} \times \text{BR}(H \rightarrow \mu\bar{\mu})$	100%	<b>13%</b>
$\Gamma_{\text{inv}}/\Gamma_H$	<1%	<b>&lt;0.2%</b>
$m_H$	40 MeV	<b>8 MeV</b>



Inclusive  $\sigma_{ZH}$  measurement  
from missing mass in  $Z \rightarrow \ell\ell$

- Using the most up to date TLEP analyses/numbers
  - CMS full simulation
  - Except  $H \rightarrow g\bar{g}/c\bar{c}$  (extrapolated from ILC)

# Higgs measurements at 350 GeV

- Probing Higgs via WW fusion
  - Separating  $WWH \rightarrow bb\nu\nu$  from  $ZH \rightarrow \nu\nu bb$  by the missing mass
  - Possible at 250 and 350 GeV
- Measurement of the total width constrained in the fit

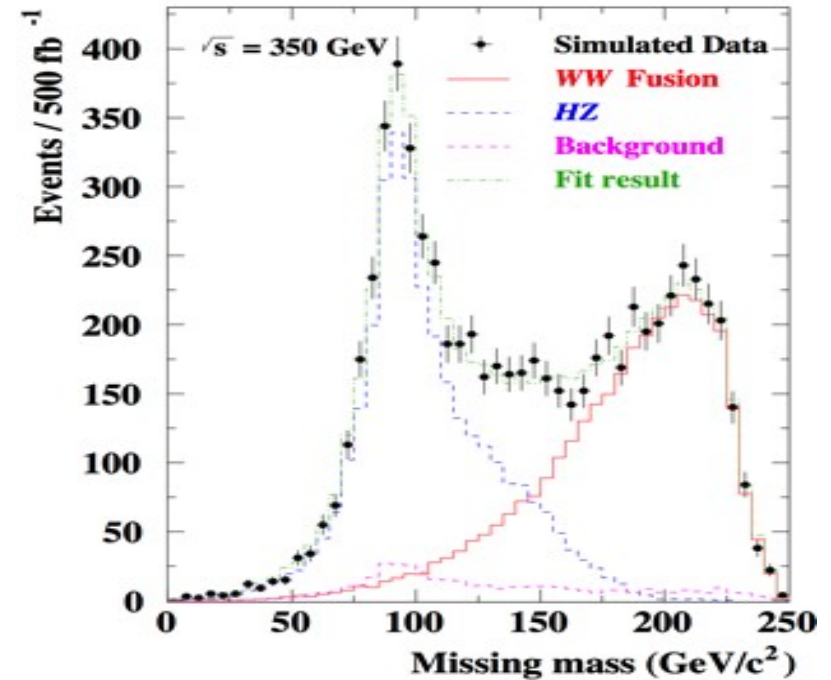
$$\sigma(ZH) \approx g_Z^2$$

$$\sigma(ZH) \cdot BR(H \rightarrow ZZ) \approx \frac{g_Z^2 g_Z^2}{\Gamma_T}$$

$$\sigma(ZH) \cdot BR(H \rightarrow WW) \approx \frac{g_Z^2 g_W^2}{\Gamma_T}$$

$$\sigma(ZH) \cdot BR(H \rightarrow bb) \approx \frac{g_Z^2 g_b^2}{\Gamma_T}$$

$$\sigma(\nu\nu H) \cdot BR(H \rightarrow bb) \approx \frac{g_W^2 g_b^2}{\Gamma_T}$$



@TLEP only WWH is improved at 350 GeV  
 @ILC all measurements improve due to  
 Lumi increasing with energy

	ILC	<b>TLEP</b>
WW $\rightarrow$ H $\rightarrow$ bb@ 240	11%	<b>2%</b>
WW $\rightarrow$ H $\rightarrow$ bb@ 350	1%	<b>0.4%</b>

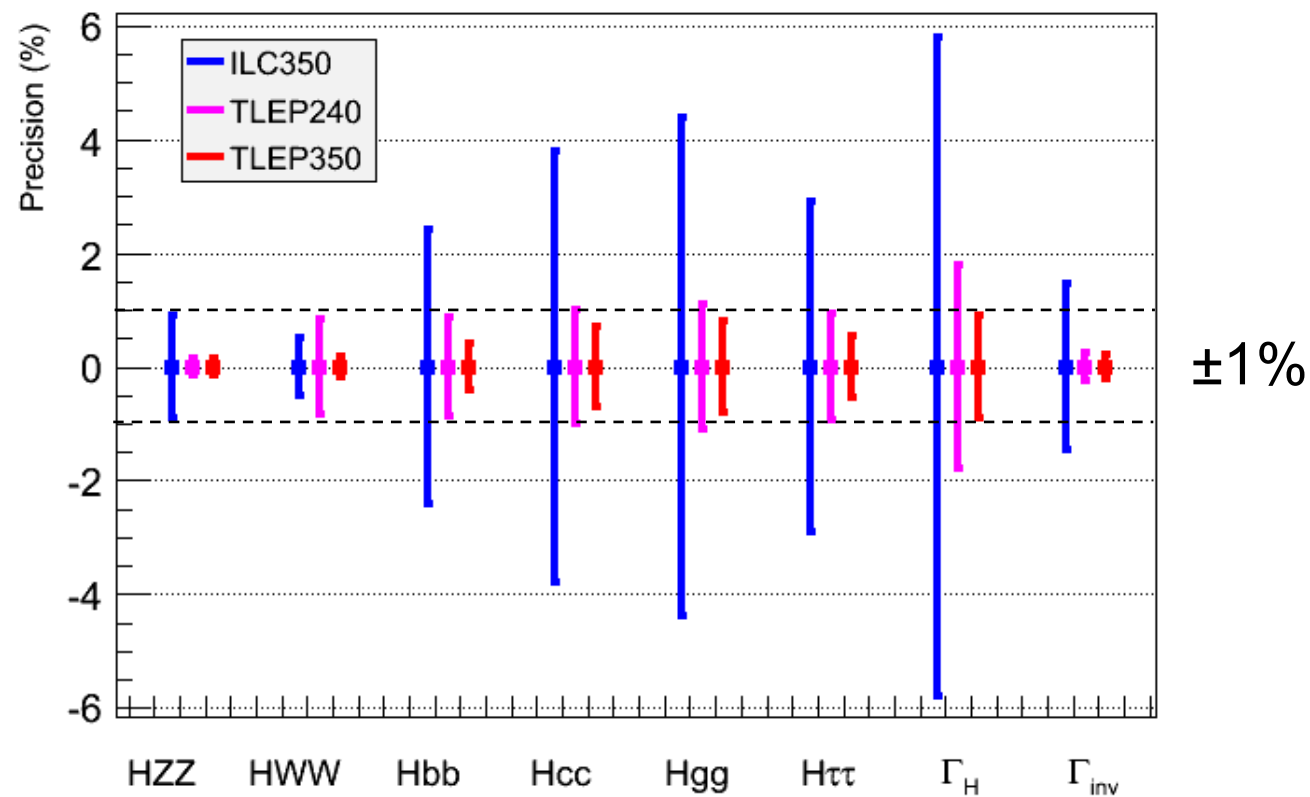
# Validation and results

- Started by reproducing the fit by M.Peskin[1]
  - In the beginning difference due to ILC using HL-LHC inputs
  - After adding HL-LHC inputs got identical results
- Then reproduced all numbers in ILC TDR
- Then run TLEP with latest inputs
- Results:
  - 5-10 times better precision in TLEP wrt ILC up to 350

	$g_z$	$g_w$	$g_b$	$g_c$	$g_g$	$g_\tau$	$g_\mu$	$g_\gamma$	$BR_{\text{exo}}$
TLEP-240	0.16%	0.85%	0.88%	1.0%	1.1%	0.94%	6.4%	1.7%	<0.48%
<b>TLEP-350</b>	<b>0.15%</b>	<b>0.19%</b>	<b>0.42%</b>	<b>0.71%</b>	<b>0.80%</b>	<b>0.54%</b>	<b>6.2%</b>	<b>1.5%</b>	<b>&lt;0.45%</b>
ILC 350	0.9%	0.5%	2.4%	3.8%	4.4%	2.9%	45%	14.5%	<2.9%



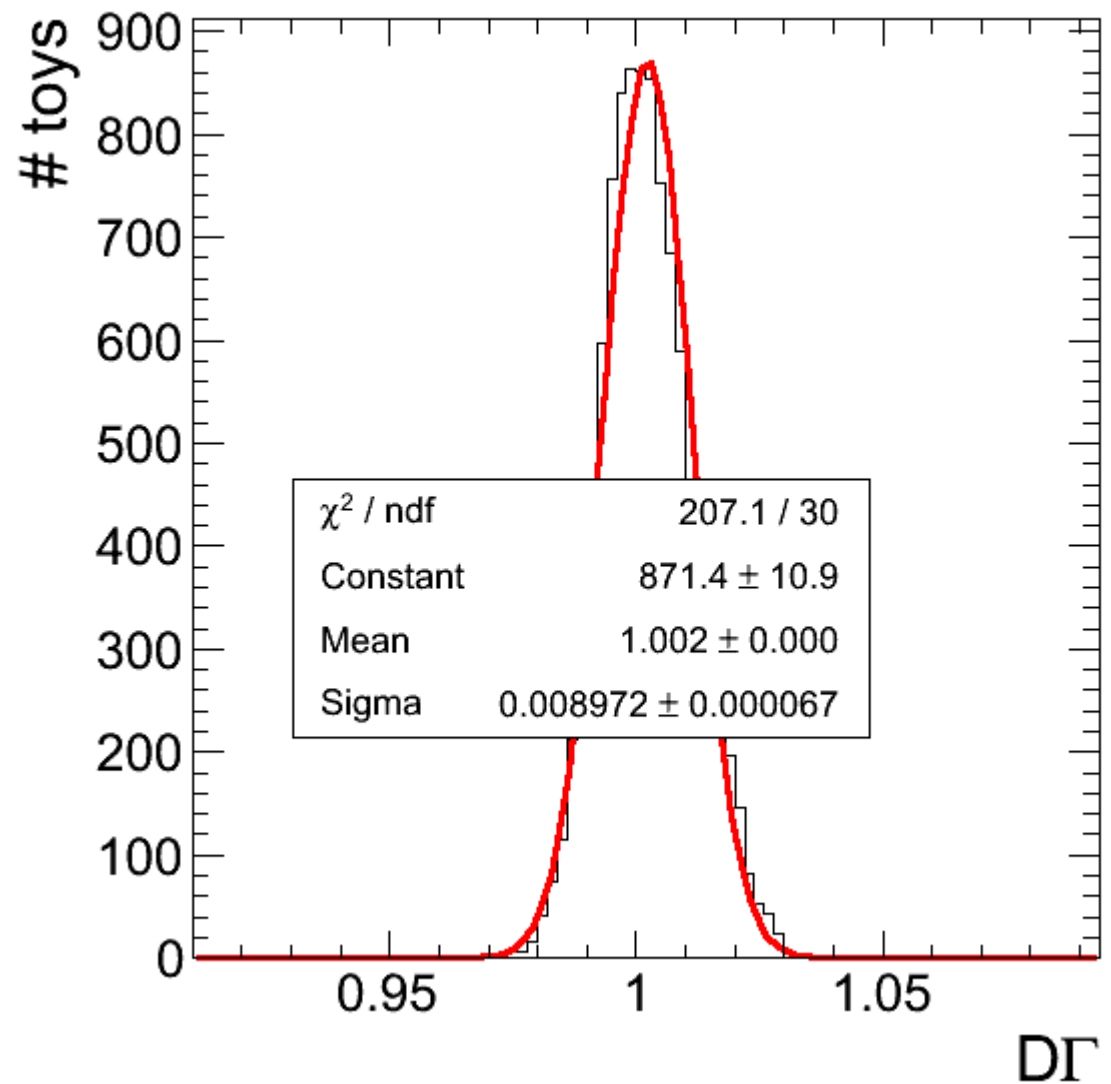
# Results@ 250 + 350 GeV



- Only TLEP achieves sub-percent precision in all couplings
- Theoretical systematics can be trivially introduced to the fit when available

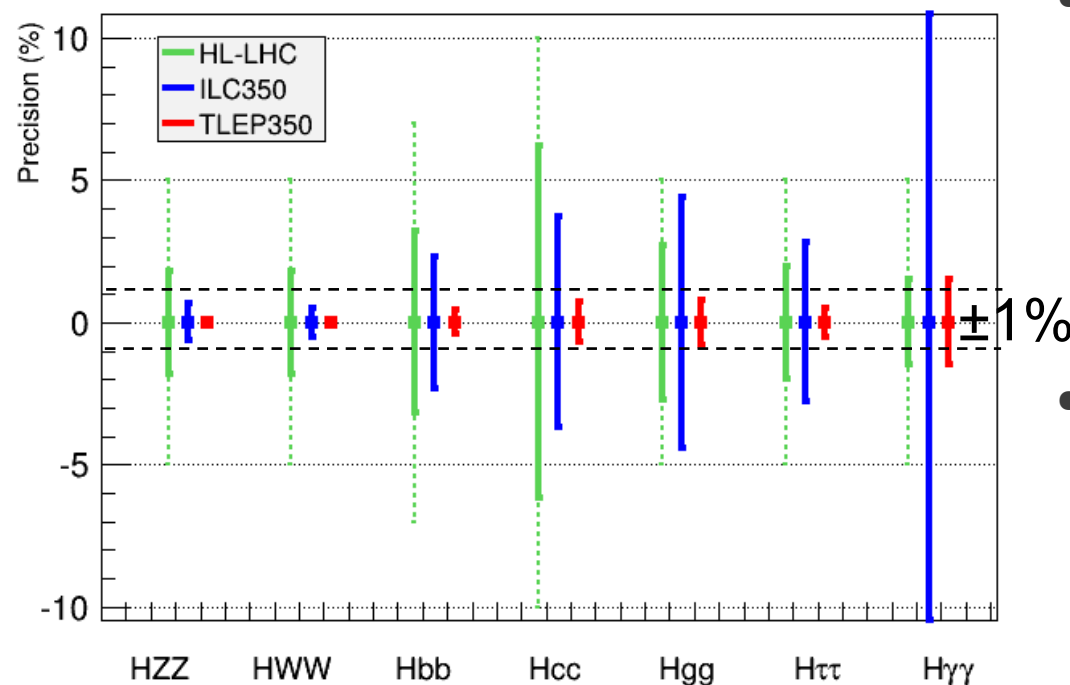
# Probing the total width in the fit

- Currently the width results are produced analytically by comparing WWH vs WW and ZH vs ZZ
  - We can take them directly from the fit
  - By sampling the covariance matrix and throwing toys for  $D\Gamma$
- Result identical to analytical calculation
- @  $\sqrt{s} = 250+350$ :
  - 0.9% for TLEP
  - 5.8% for ILC



Uncertainty on  $\Gamma_T \sim 0.9\%$

# Comparison with HL-LHC



- Fit with LHC like assumptions

- No exotic decays
- $g_W, g_Z \leq \text{SM values}$

- HL-LHC numbers will improve by  $\sqrt{2}$  for ATLAS+CMS and by including new channels (e.g. in ttH)

- LHC results with only CMS

- Scenario I 
- Scenario II 

- HL-LHC Assumptions

- Theory systematics improve by x2
- Experimental systematics scale with statistics
- Identical analysis performance as today

# Conclusions and Plans

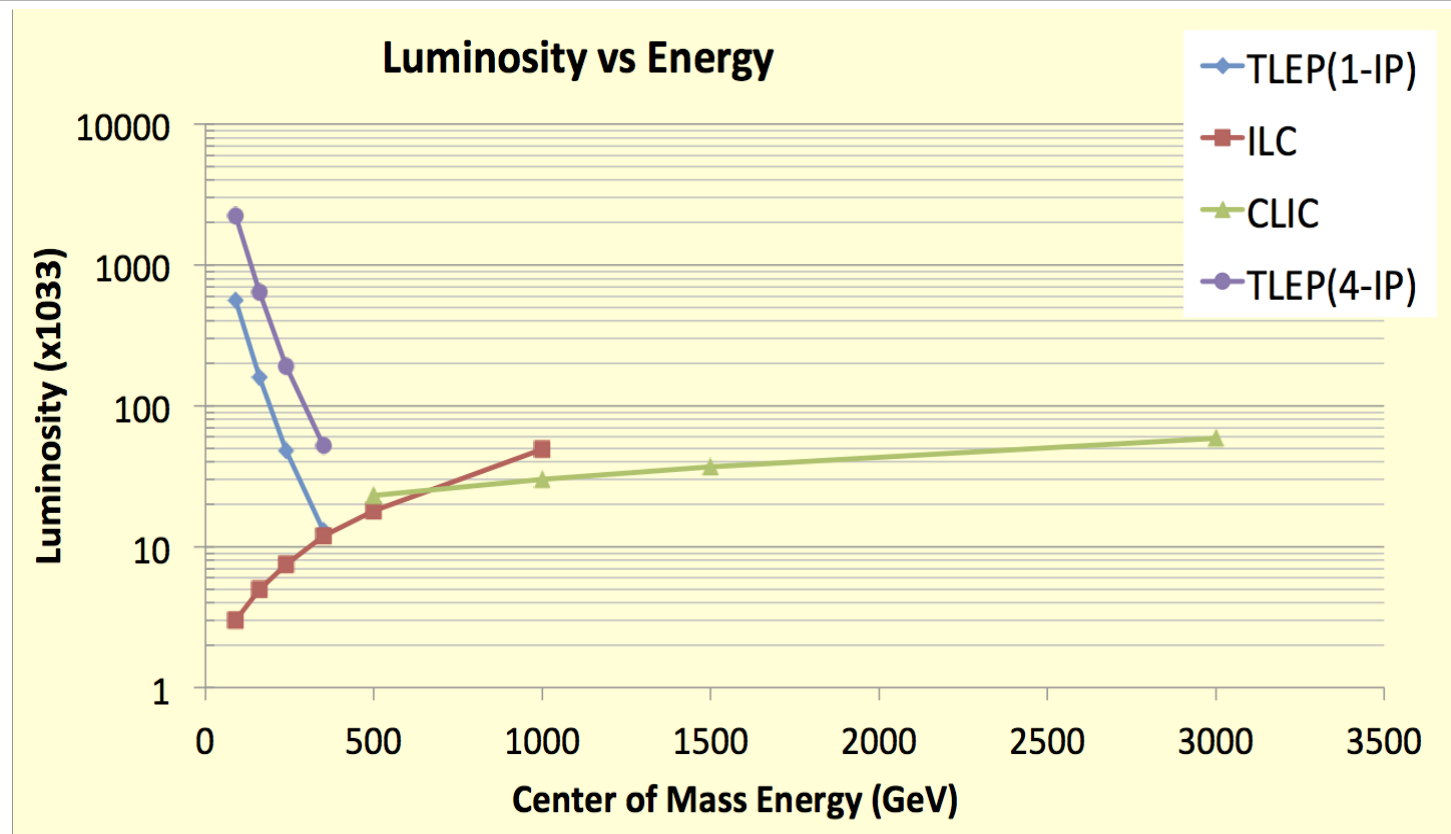
- Implemented a fit to perform estimation of the TLEP couplings based on input measurements
- Fit exhaustively validated in ILC inputs
- TLEP can provide ultimate precision in all fermion and vector boson couplings
- Theoretical systematics can be trivially implemented
- Also some evident correlations can be taken into account
  - I.e  $H \rightarrow bb$  vs  $H \rightarrow cc$  and  $H \rightarrow gg$
- Code to become available

# Backup

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# TLEP luminosity

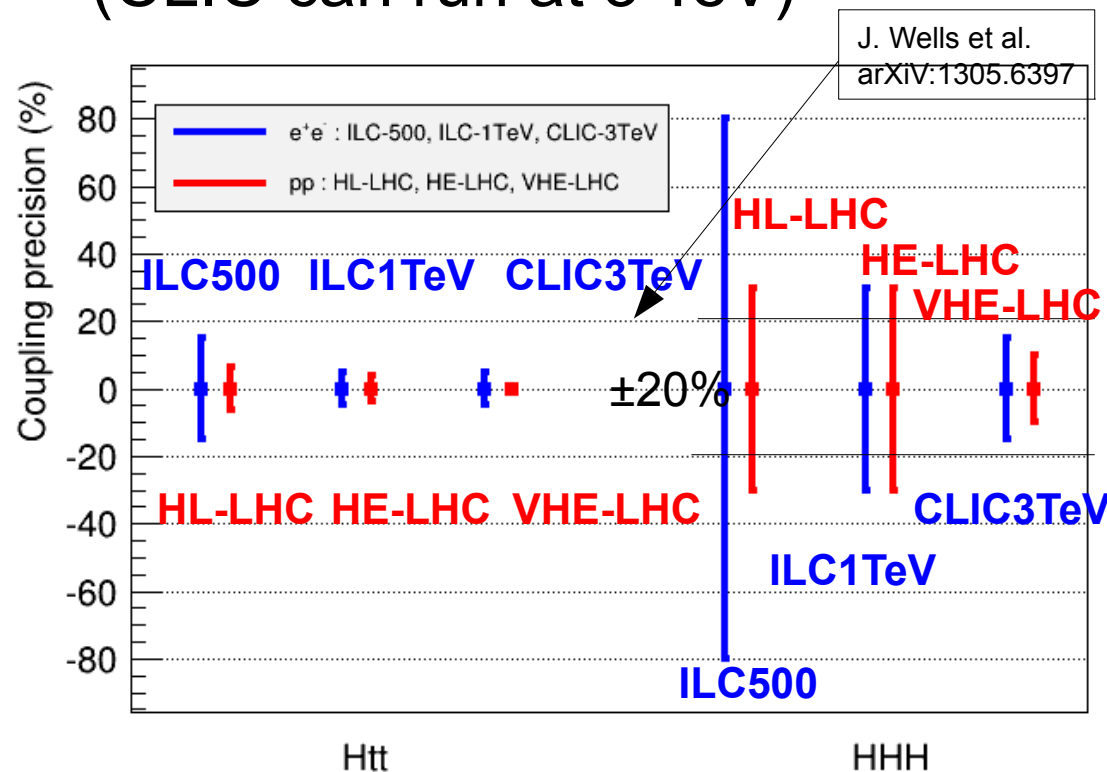


- Much higher repetition rate + multiple interaction points
  - Significantly larger luminosity at  $t\bar{t}$  threshold
- RF power is used at lower  $\sqrt{s}$  to collide more bunches
- Crossing point with LC at  $\sim 400$  GeV

**Note: Luminosity upgrade scenario envisioned @ ILC and TLEP**

# Towards the energy frontier

- Higgs measurements at higher energy can probe
  - The top coupling ( $ttH$  production)
  - The self coupling ( $HHH$ )
- ILC proposes upgrade to 1 TeV (CLIC can run at 3 TeV)



- HL-LHC will measure the top coupling by the time the next  $e^+e^-$  collider is foreseen
- Measurement of  $HHH$  is difficult
  - Neither HL-LHC, nor ILC can reach a meaningful precision
  - TLEP natural upgrade is VHE-LHC
    - Towards a meaningful measurement of the  $HHH$  coupling ( $<10\%$ ) and direct searches for new physics
  - CLIC can also measure  $HHH$  @ 3 TeV