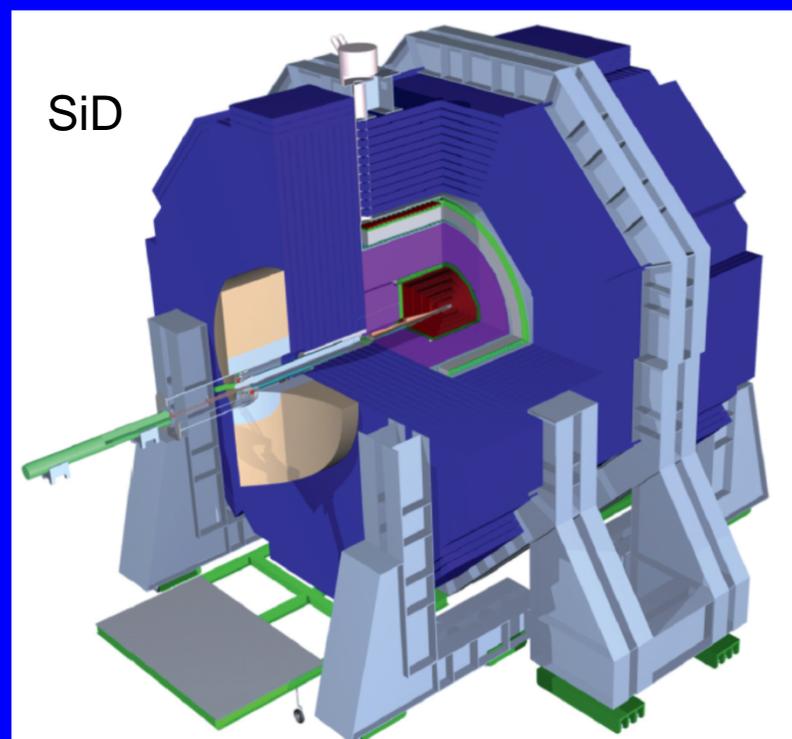
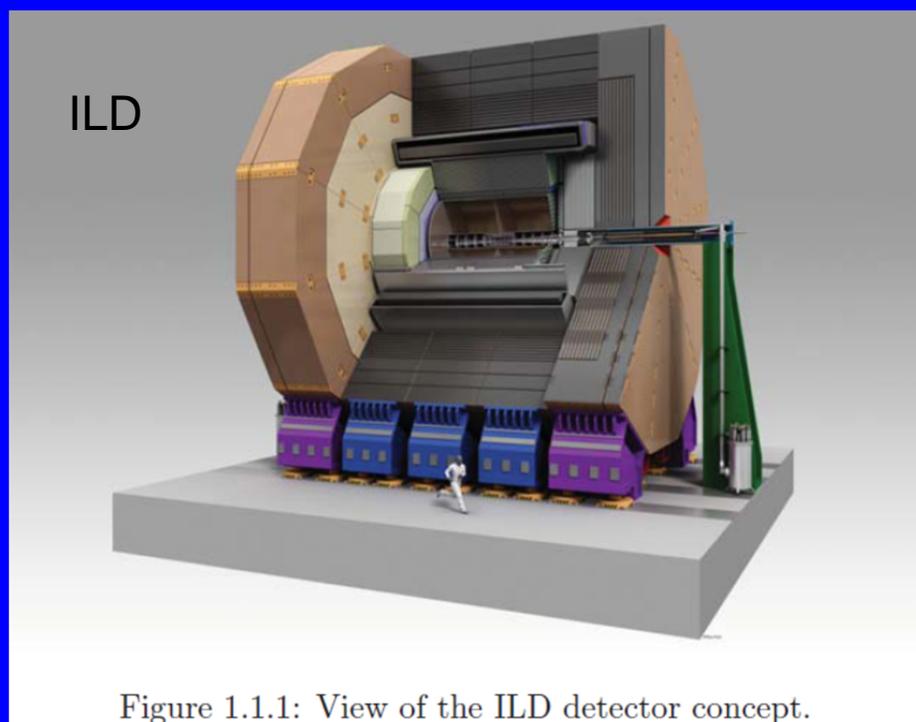


Question: Hadron Colliders have now surpassed LEP in  $m_W$  Precision. Can ILC be competitive in the LHC era?



Graham W. Wilson, University of Kansas,  
Snowmass CSS2013, Minneapolis, August 1st 2013

# Current Status of $m_W$ and $m_Z$

<u>VALUE (GeV)</u>	<u>EVTS</u>	<u>DOCUMENT ID</u>	<u>TECN</u>	<u>COMMENT</u>
<b>80.385 ± 0.015 OUR FIT</b>				
80.387 ± 0.019	1095k	<sup>1</sup> AALTONEN	12E CDF	$E_{cm}^{p\bar{p}} = 1.96$ TeV
80.367 ± 0.026	1677k	<sup>2</sup> ABAZOV	12F D0	$E_{cm}^{p\bar{p}} = 1.96$ TeV
80.401 ± 0.043	500k	<sup>3</sup> ABAZOV	09AB D0	$E_{cm}^{p\bar{p}} = 1.96$ TeV
80.336 ± 0.055 ± 0.039	10.3k	<sup>4</sup> ABDALLAH	08A DLPH	$E_{cm}^{ee} = 161-209$ GeV
80.415 ± 0.042 ± 0.031	11830	<sup>5</sup> ABBIENDI	06 OPAL	$E_{cm}^{ee} = 170-209$ GeV
80.270 ± 0.046 ± 0.031	9909	<sup>6</sup> ACHARD	06 L3	$E_{cm}^{ee} = 161-209$ GeV
80.440 ± 0.043 ± 0.027	8692	<sup>7</sup> SCHAEEL	06 ALEP	$E_{cm}^{ee} = 161-209$ GeV
80.483 ± 0.084	49247	<sup>8</sup> ABAZOV	02D D0	$E_{cm}^{p\bar{p}} = 1.8$ TeV
80.433 ± 0.079	53841	<sup>9</sup> AFFOLDER	01E CDF	$E_{cm}^{p\bar{p}} = 1.8$ TeV

$$\Delta M/M = 1.9 \times 10^{-4}$$

$$3 \text{ fb}^{-1}$$

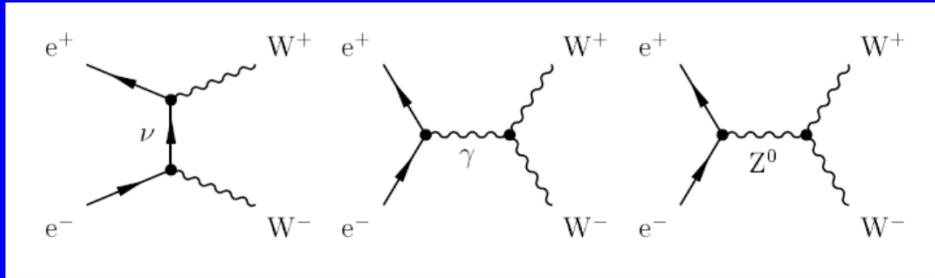
<u>VALUE (GeV)</u>	<u>EVTS</u>	<u>DOCUMENT ID</u>	<u>TECN</u>	<u>COMMENT</u>
<b>91.1876 ± 0.0021 OUR FIT</b>				
91.1852 ± 0.0030	4.57M	<sup>1</sup> ABBIENDI	01A OPAL	$E_{cm}^{ee} = 88-94$ GeV
91.1863 ± 0.0028	4.08M	<sup>2</sup> ABREU	00F DLPH	$E_{cm}^{ee} = 88-94$ GeV
91.1898 ± 0.0031	3.96M	<sup>3</sup> ACCIARRI	00C L3	$E_{cm}^{ee} = 88-94$ GeV
91.1885 ± 0.0031	4.57M	<sup>4</sup> BARATE	00C ALEP	$E_{cm}^{ee} = 88-94$ GeV

$$\Delta M/M = 2.3 \times 10^{-5}$$

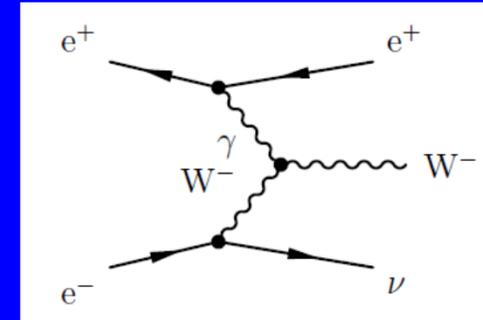
$$0.4 \text{ fb}^{-1}$$

$m_W$  is currently a factor of 8 less precise than  $m_Z$

# W Production in $e^+e^-$

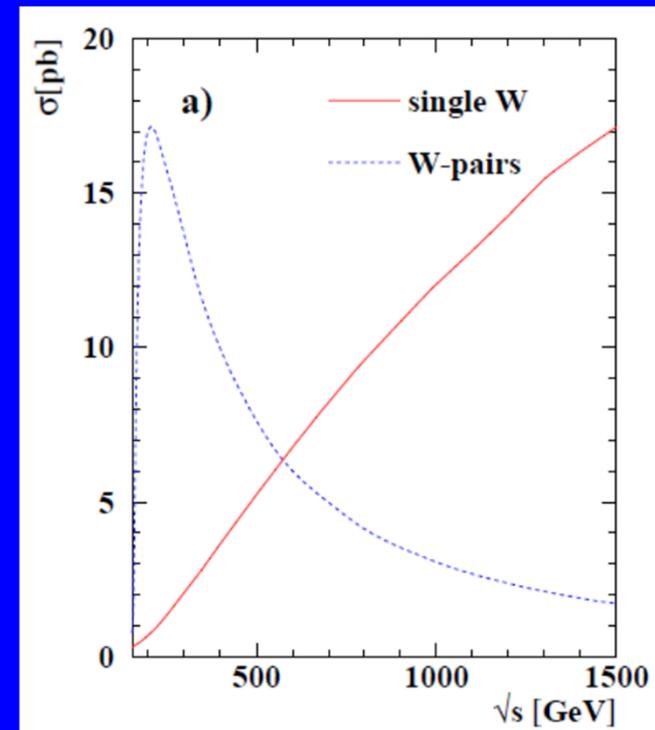
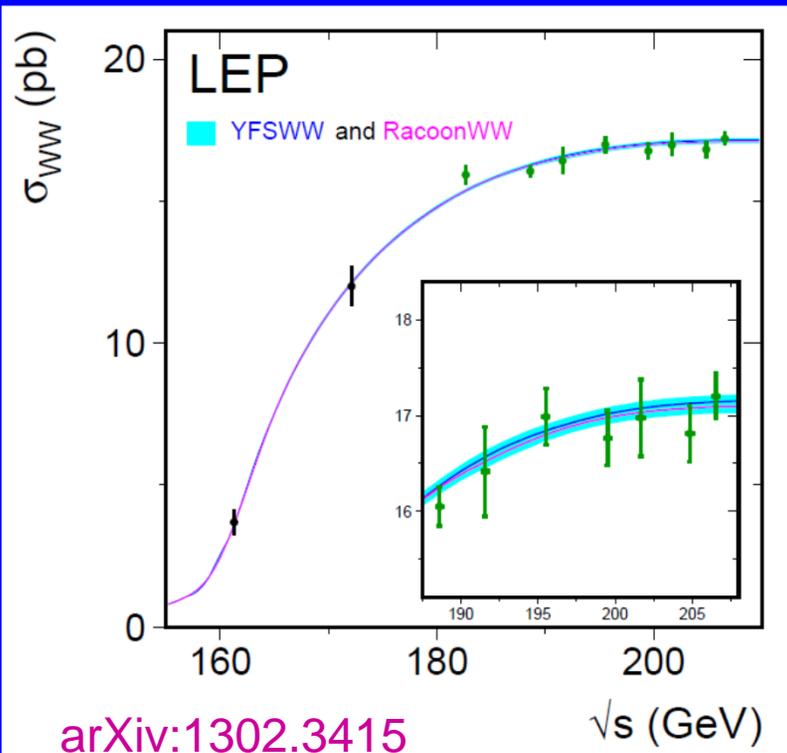


$e^+e^- \rightarrow W^+W^-$

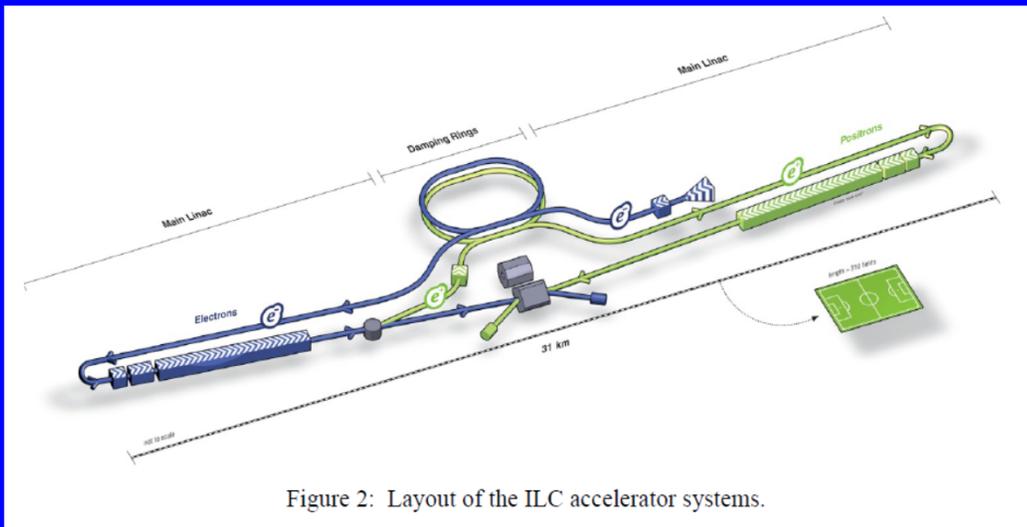


$e^+e^- \rightarrow W e \nu$

etc ..



# ILC



$\sqrt{s}$ (GeV)	L (fb <sup>-1</sup> )	Physics
91	100	Z
161	160	WW
250	250	Zh
350	350	t tbar
500	1000	tth, Zhh
1000	2000	vvh, VBS

Can polarize both the electron and positron beam.  
 Electron: 80% .... 90%? Positron 20, 30 ... 60%.

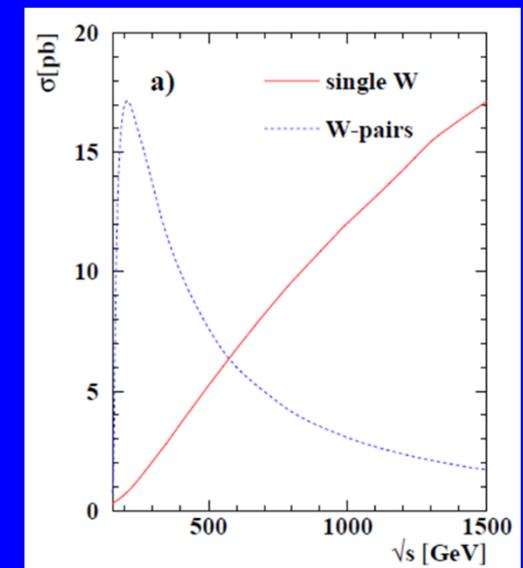
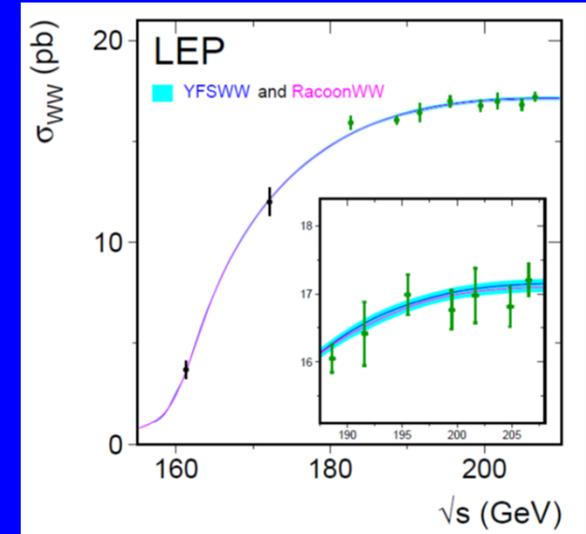
In contrast to circular machines this is not supposed to be in exchange for less luminosity ....

My take on a possible run-plan factoring in L capabilities at each  $\sqrt{s}$ . Can be further upgraded.

See ILC TDR (available in Humphrey) for more details

# W Mass Measurement Strategies

- $W+W-$ 
  - 1. Threshold Scan ( $\sigma \sim \beta/s$ )
    - Can use all WW decay modes
  - 2. Kinematic Reconstruction (qq e nu and qq mu nu)
    - Apply kinematic constraints
- $W e \nu (+ WW)$ 
  - 3. Directly measure the hadronic mass in  $W \rightarrow q q'$  decays.
    - Can use  $WW \rightarrow q q \tau \nu$  too



Methods 1 and 2 were used at LEP2. Both require good knowledge of the absolute beam energy.

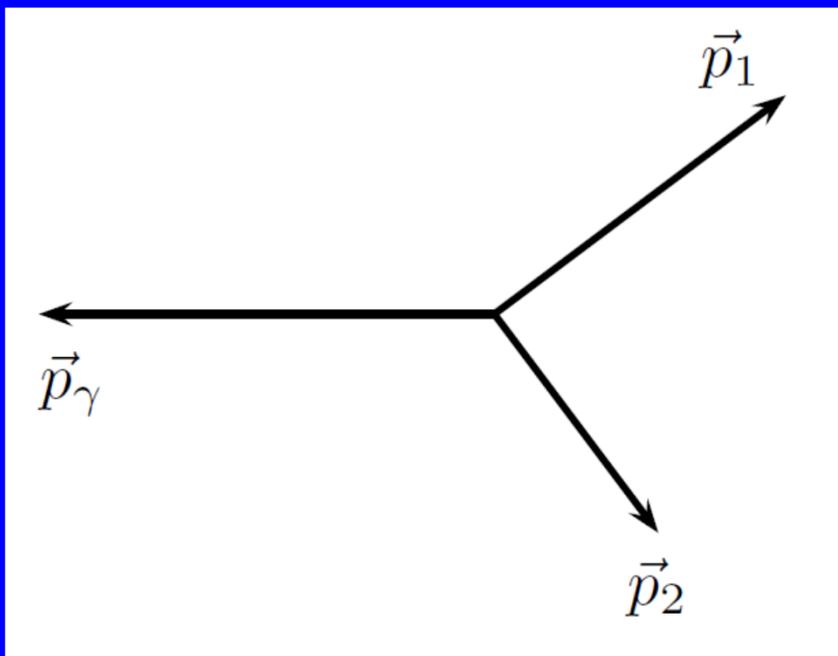
Method 3 is novel (and challenging), very complementary systematics to 1 and 2 if the experimental challenges can be met.

# ILC Experimentation Features

- No trigger necessary.
- Few 100 ns between crossings.
- “Democratic” signal and background.
- Very high efficiency (0.1% errors)
- Absolute luminosity (0.1% errors)
- Initial state beam parameters under good control.
- Initial state radiation – correctable.
- Events reconstructible particle by particle.
- All  $W$ 's potentially useful.
- Essentially no pileup.

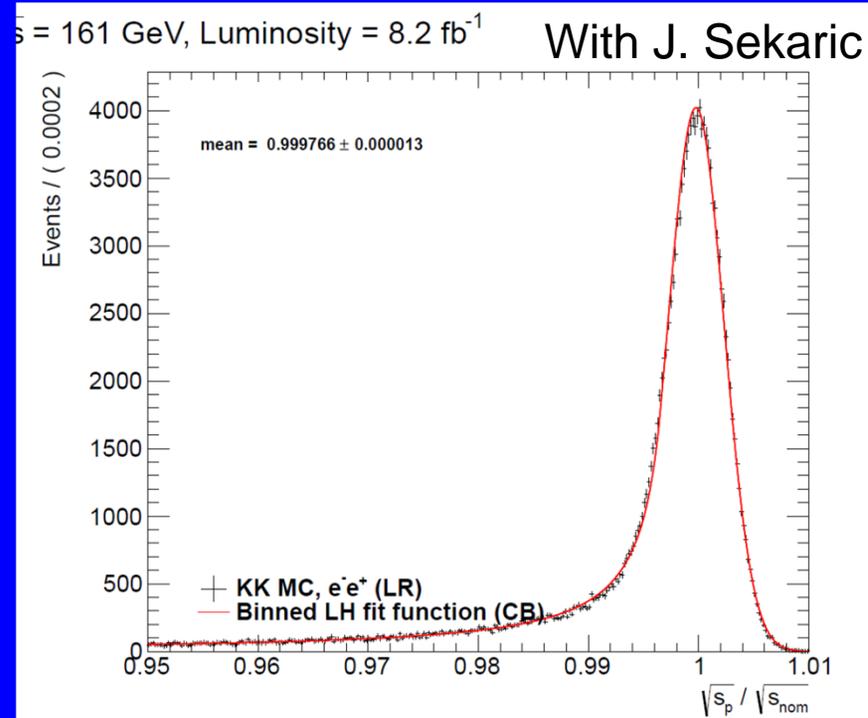
# “New” In-Situ Beam Energy Method

$$e^+e^- \rightarrow \mu\mu(\gamma)$$



Use muon momenta.  
Measure  $E_1 + E_2 + |p_{12}|$  as  
an estimator of  $\sqrt{s}$

Beam Energy Uncertainty should be controlled  
for Methods 1 and 2 for  $\sqrt{s} \leq 500$  GeV



ILC detector momentum resolution  
(0.15%), gives beam energy to better than  
5 ppm statistical. Momentum scale to 10  
ppm  $\Rightarrow$  0.8 MeV beam energy error  
projected on mW. (J/psi)

## Why have longitudinally polarized beams?

### Advantages

- Measure polarized cross-sections and asymmetries to better understand new and old physics
- Improve statistical errors by preferentially selecting preferred beam helicities (best with high  $|P|$ )
- Reduce backgrounds in new physics searches

The expected event number,  $\mu$ , in a particular channel,  $j$ , with a particular configuration of signed beam polarizations,  $(P_{e^-}, P_{e^+})$ , exposed to an integrated luminosity  $\mathcal{L}$  is

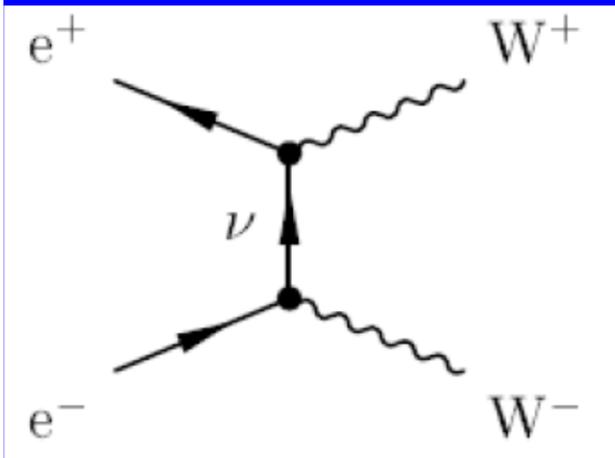
$$\mu = \sigma(P_{e^-}, P_{e^+}) \mathcal{L}$$

where

$$\sigma(P_{e^-}, P_{e^+}) = \frac{1}{4} \{ (1 - P_{e^-})(1 + P_{e^+})\sigma_{LR} + (1 + P_{e^-})(1 - P_{e^+})\sigma_{RL} + (1 - P_{e^-})(1 - P_{e^+})\sigma_{LL} + (1 + P_{e^-})(1 + P_{e^+})\sigma_{RR} \}$$

and  $\sigma_k$  ( $k = LR, RL, LL$  and  $RR$ ) are the fully polarized cross-sections.

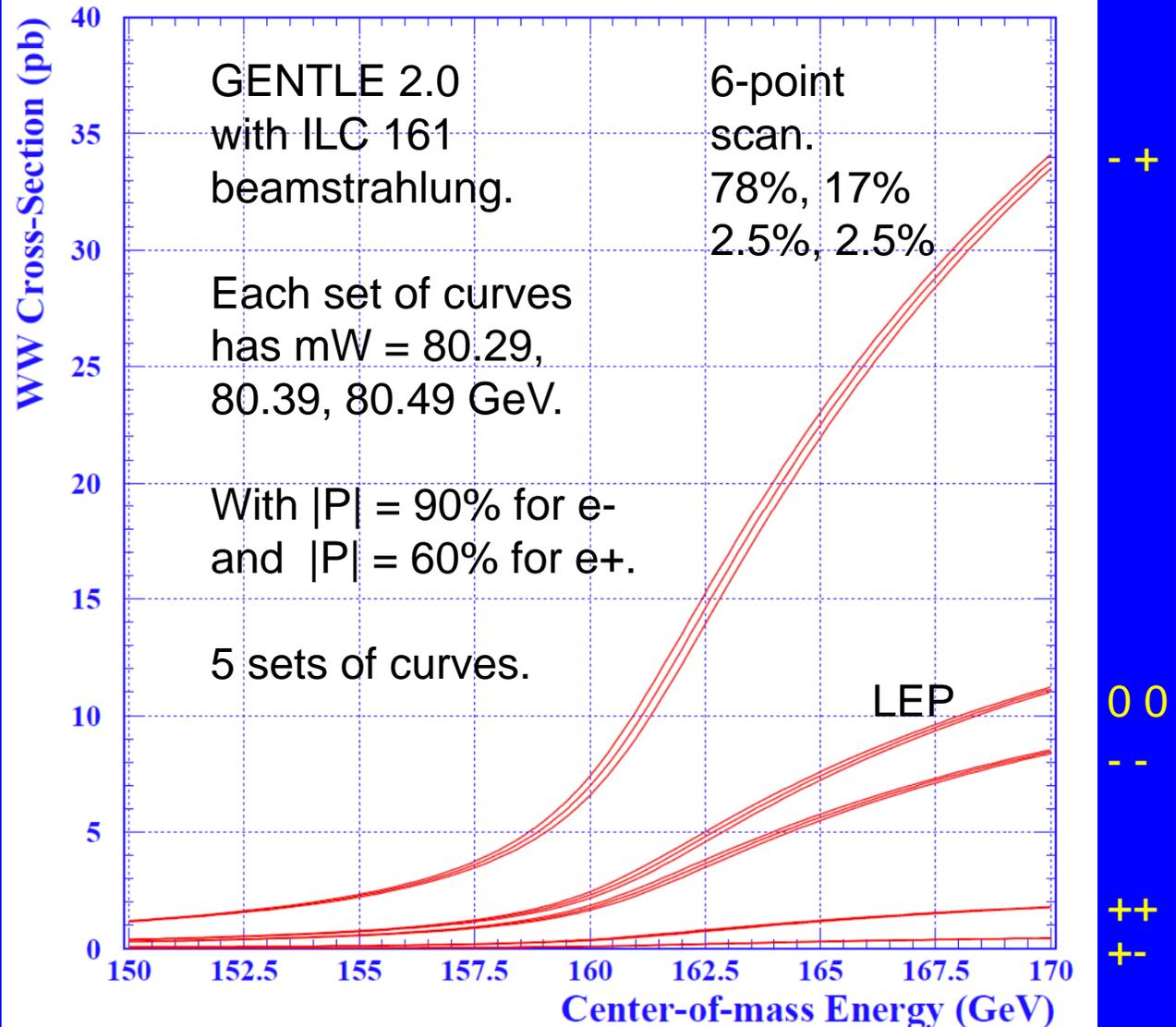
# Polarized Threshold Scan



Use (-+) helicity combination of  $e^-$  and  $e^+$  to enhance  $WW$ .

Use (+-) helicity to suppress  $WW$  and measure background.

Use (--) and (++) to control polarization (also use 150 pb  $qq$  events)



Experimentally very robust. Fit for eff, pol, bkg, lumi

1. Polarized Threshold Scan
2. Kinematic Reconstruction
3. Hadronic Mass

Method 1: Statistics limited.

Method 2: With up to 1000 the LEP statistics and much better detectors. Can target factor of 10 reduction in systematics.

Method 3: Depends on di-jet mass scale. Plenty Z's for 3 MeV.

1	$\Delta M_W$ [MeV]	LEP2	ILC	ILC
	$\sqrt{s}$ [GeV]	161	161	161
	$\mathcal{L}$ [ $\text{fb}^{-1}$ ]	0.040	100	480
	$P(e^-)$ [%]	0	90	90
	$P(e^+)$ [%]	0	60	60
	statistics	200	2.4	1.1
	background		2.0	0.9
	efficiency		1.2	0.9
	luminosity		1.8	1.2
	polarization		0.9	0.4
	systematics	70	3.0	1.6
	experimental total	210	3.9	1.9
	beam energy	13	0.8	0.8
	theory	-	(1.0)	(1.0)
	total	210	4.1	2.3

(2)	$\Delta M_W$ [MeV]	LEP2	ILC	ILC	ILC
	$\sqrt{s}$ [GeV]	172-209	250	350	500
	$\mathcal{L}$ [ $\text{fb}^{-1}$ ]	3.0	500	350	1000
	$P(e^-)$ [%]	0	80	80	80
	$P(e^+)$ [%]	0	30	30	30
	beam energy	9	0.8	1.1	1.6
	luminosity spectrum	N/A	1.0	1.4	2.0
	hadronization	13	1.3	1.3	1.3
	radiative corrections	8	1.2	1.5	1.8
	detector effects	10	1.0	1.0	1.0
	other systematics	3	0.3	0.3	0.3
	total systematics	21	2.4	2.9	3.5
	statistical	30	1.5	2.1	1.8
	total	36	2.8	3.6	3.9

(3)	$\Delta M_W$ [MeV]	ILC	ILC	ILC	ILC
	$\sqrt{s}$ [GeV]	250	350	500	1000
	$\mathcal{L}$ [ $\text{fb}^{-1}$ ]	500	350	1000	2000
	$P(e^-)$ [%]	80	80	80	80
	$P(e^+)$ [%]	30	30	30	30
	jet energy scale	3.0	3.0	3.0	3.0
	hadronization	1.5	1.5	1.5	1.5
	pileup	0.5	0.7	1.0	2.0
	total systematics	3.4	3.4	3.5	3.9
	statistical	1.5	1.5	1.0	0.5
	total	3.7	3.7	3.6	3.9

# Summary

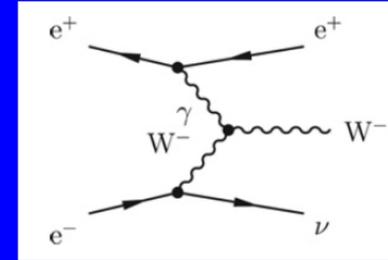
- Current Tevatron combined uncertainty: 16 MeV
- Final Tevatron and first LHC measurements still to come.
- The ILC program (of order  $3000 \text{ fb}^{-1}$ ) can make efficient use of W's.
- Three complementary methods
  - Each currently targets 2-4 MeV
  - Much better precision possible if systematics can be controlled better especially for methods 2 and 3.

# Backup Slides

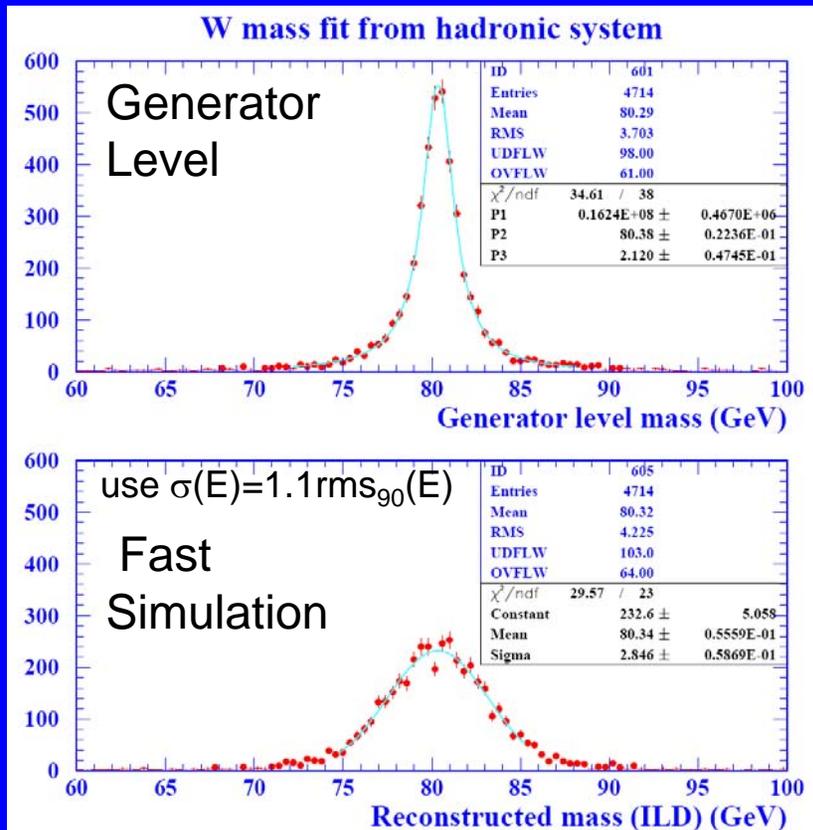
# Can one dream of measuring $m_W$ to 1 MeV ?

(and not get locked up ;-)

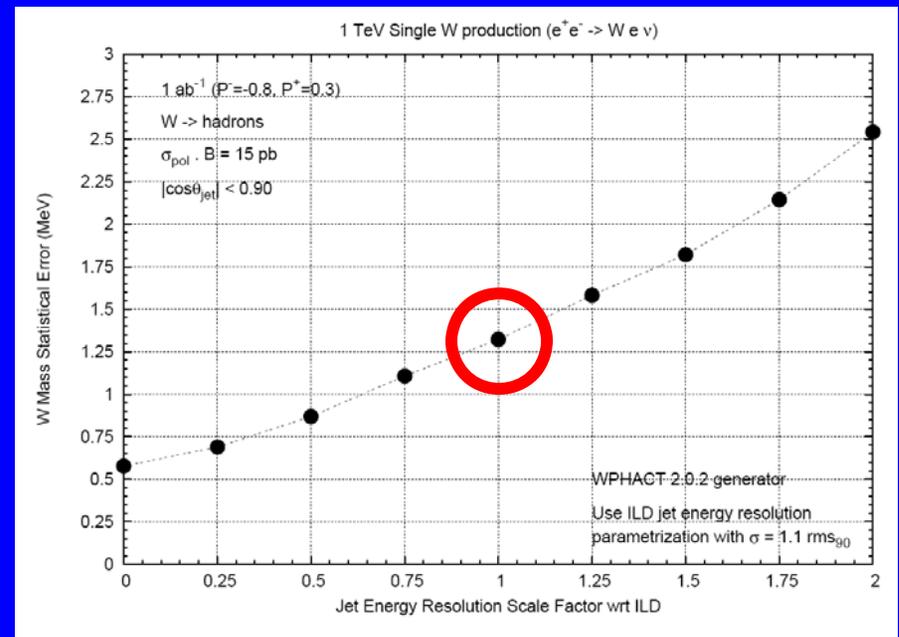
Single W study at  $\sqrt{s} = 1\text{TeV}$  ( $e^+e^-$ )



$W \rightarrow q \bar{q}$   
(jets are not so energetic)



Is this useful for physics? Example  $m_W$ .



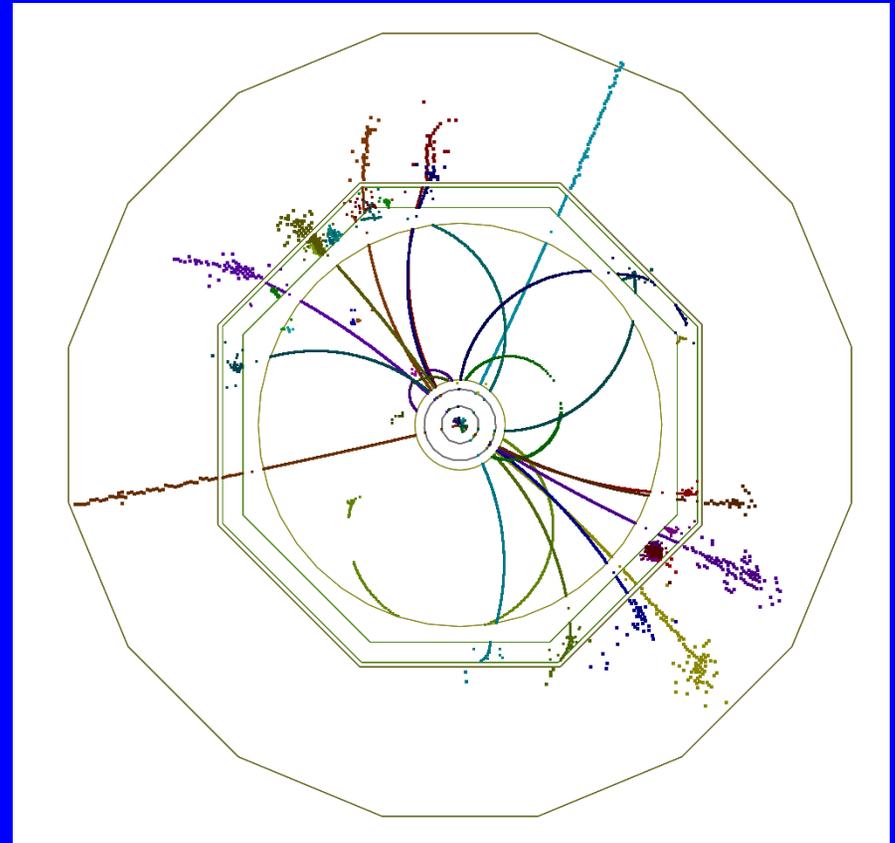
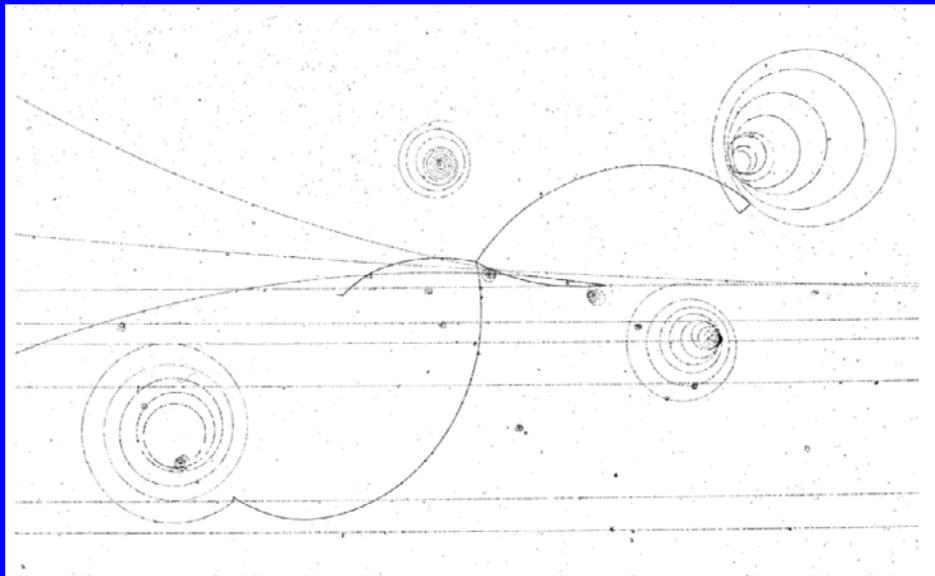
$\Rightarrow$  Further  $E_{\text{jet}}$  resolution improvement very desirable

Potentially very useful! (Especially, if the really challenging requirements on jet energy scale and calibration can be met!)

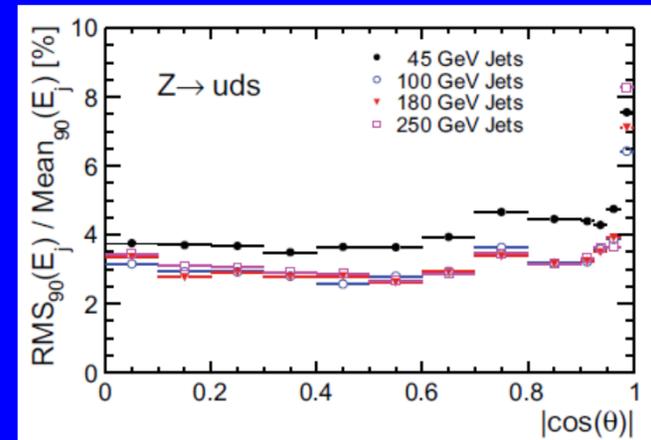
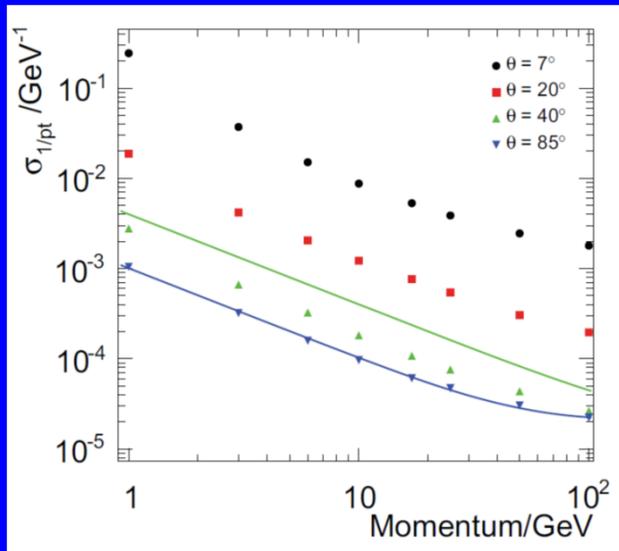
# Bubble Chamber

The vision is to do the best possible physics at the linear collider, by reconstructing as far as possible every single piece of each event.

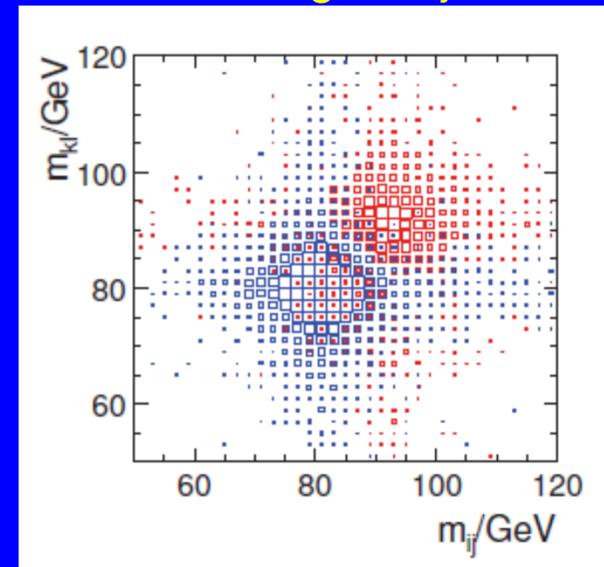
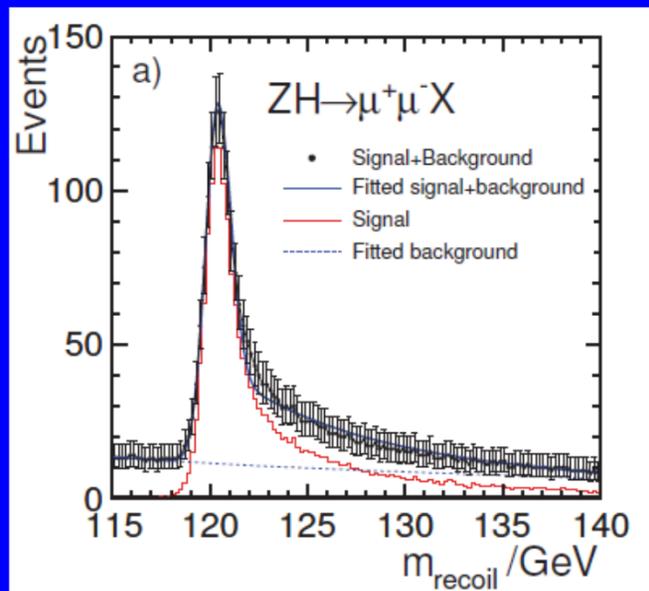
Very much in the spirit of bubble chamber reconstruction – but with full efficiency for photons and neutral hadrons, and in a high multiplicity environment at high luminosity.



# Detector Performance



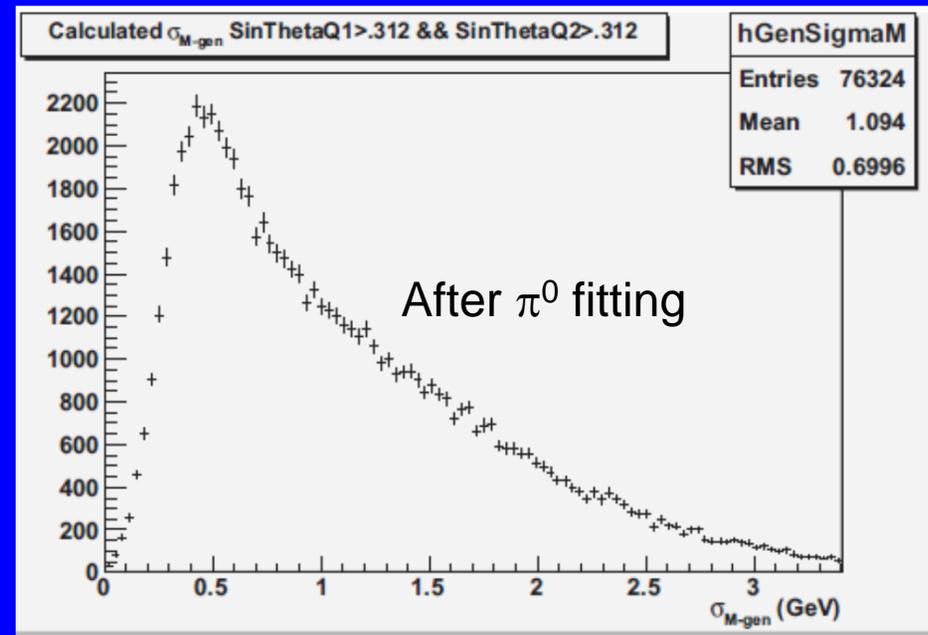
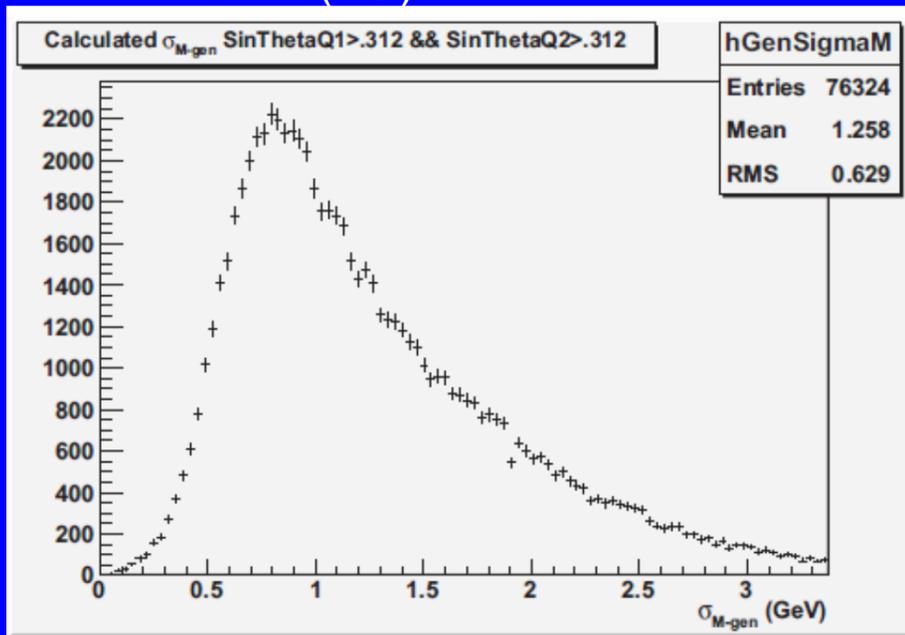
WW scattering to 4 jets



$\nu\nu WW / \nu\nu ZZ$

# Event-Specific Hadronic Mass Resolution

B. van Doren (KU)



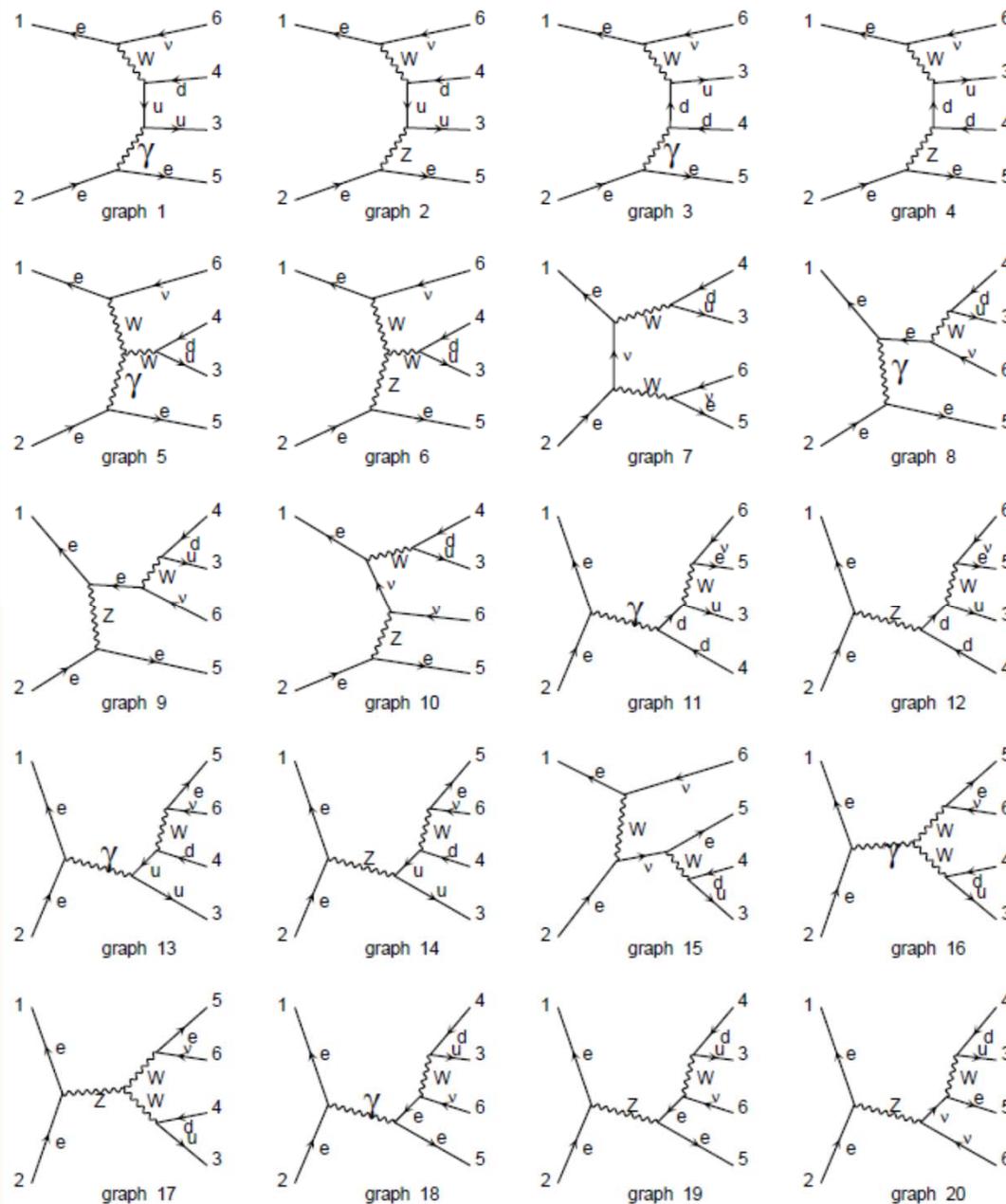
Assumes individual particles are reconstructed, resolved and measured with perfect efficiency, intrinsic detector resolutions and perfect mass assignments.

(Also no confusion: valid for low jet-energy and jet multiplicity environment)

Many experimental systematics need to be included: including effects like multiple interactions ( $\gamma\gamma \rightarrow$  hadrons)

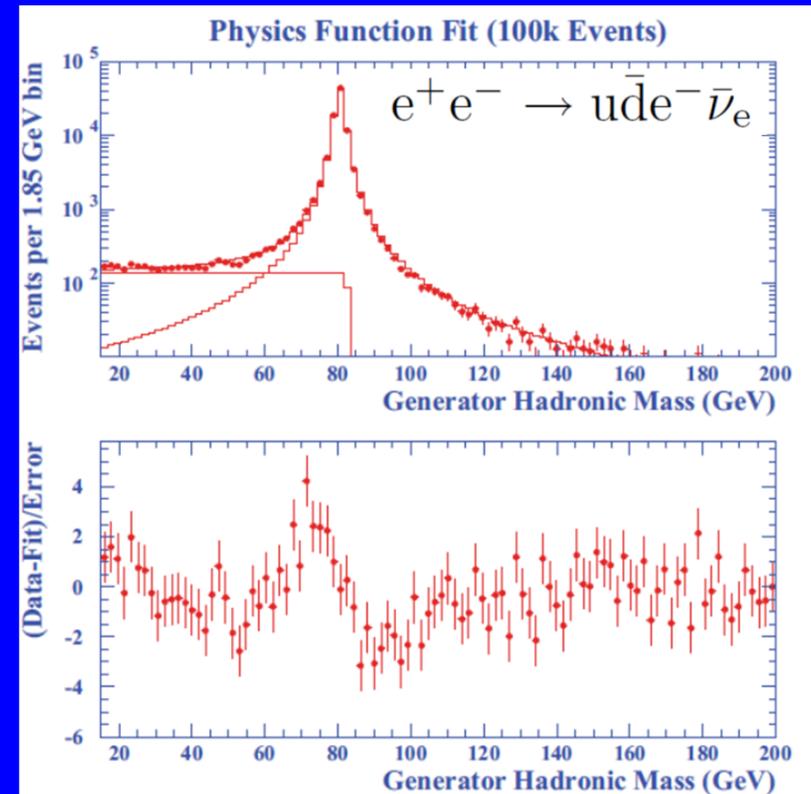
$$e^+e^- \rightarrow u\bar{d}e^-\bar{\nu}_e$$

- CC20
- 4 non-resonant
- 3 are doubly-resonant (WW)
- Graphs 5, 8, 15 particularly important.
- Graphs 11-14 have non-resonant  $u\bar{d}$



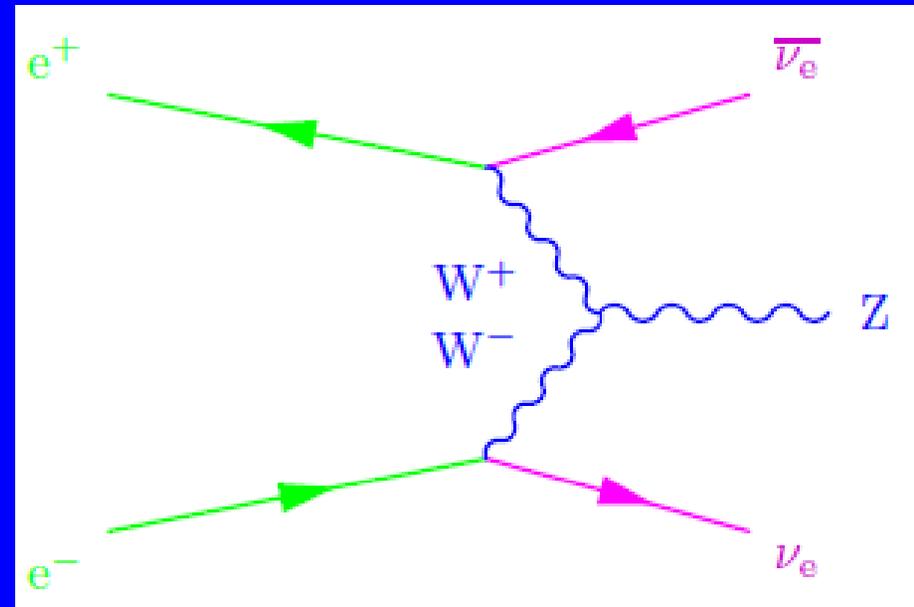
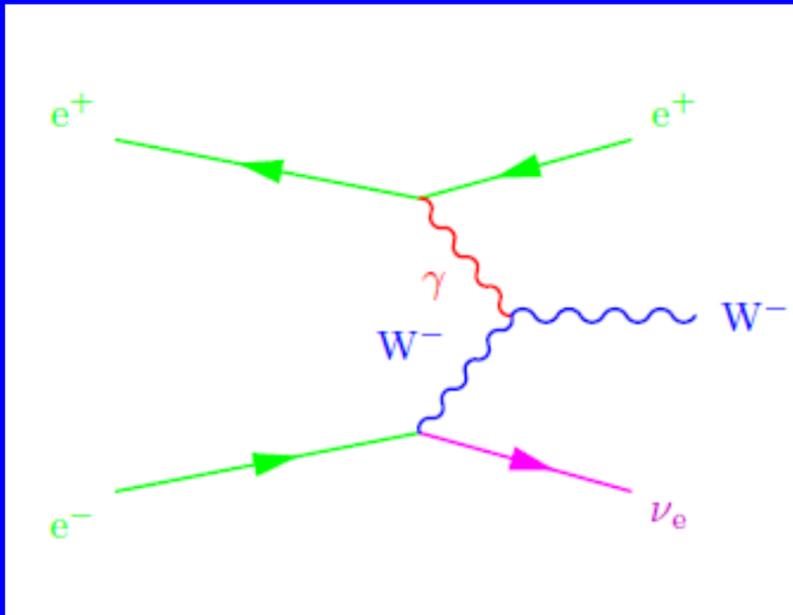
# Physics Function

- Ideally, parametrize the physics function ( $d\sigma/dm_{\text{had}}$ ) analytically ( $M_W, \Gamma_W$  as parameters).
- Example: ECM = 500 GeV
- Plot for non doubly-resonant helicity configuration (LL) for illustration.
- Physics function needs the resonance, phase-space, non-resonant background, interference.
- With this in hand it would be fairly trivial to include detector resolution in a convolution fit.



What  $M_W$ ? What  $\Gamma_W$ ?  
 s-dependent width? Phase-space? Theoretical input welcome!  
 Maybe a problem which naturally needs MC though ...

# Z Calibration Methods



$$(\Delta M/M)_Z = 2.3 \times 10^{-5}$$

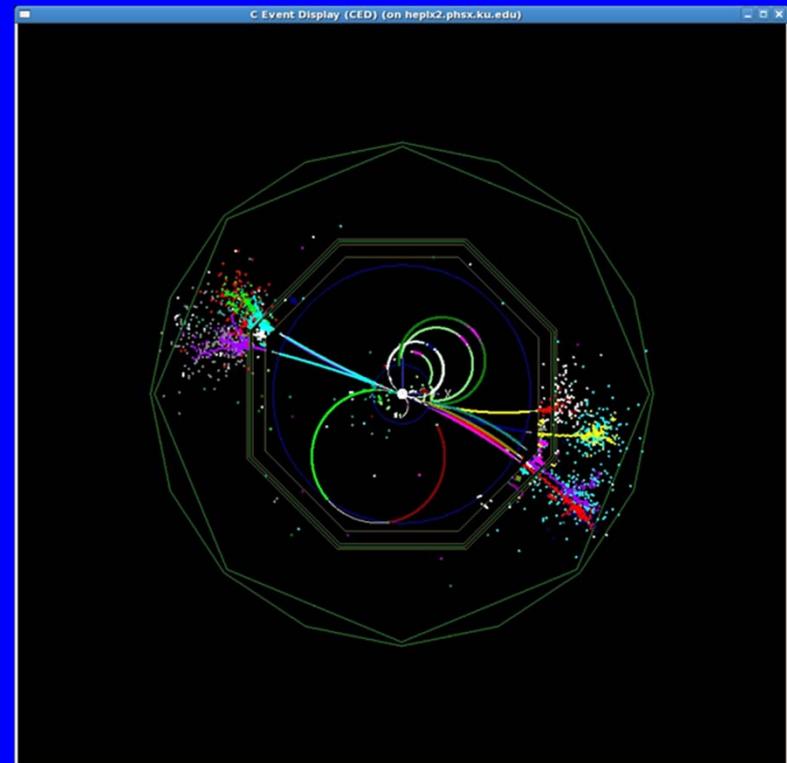
Z<sub>W</sub>.

Effective cross-section for final states with Z  
 $\rightarrow$  hadrons are around 1.3 pb at 1 TeV.

Also Z<sub>ee</sub>. Cross-sections huge (20 pb) when including  $e\gamma \rightarrow eZ$ . Need to check acceptance.

# Jet Energy Scale Particle-by-Particle

- One can also consider calibrating absolutely given the  $m_Z$  uncertainty.
- Need
  - Tracker p-scale
  - EM Cal E-scale
  - Calorimeter neutral-hadron energy scale
- Can use precisely known particle scales:  $\Lambda^0$ ,  $\pi^0$ ,  $\phi$ ,  $\Sigma$ .
- Also fragmentation errors ( $K_L$ , n)



# BeamStrahlung

Average energy loss of beams is not what matters for physics.

Average energy loss of colliding beams is factor of 2 smaller.

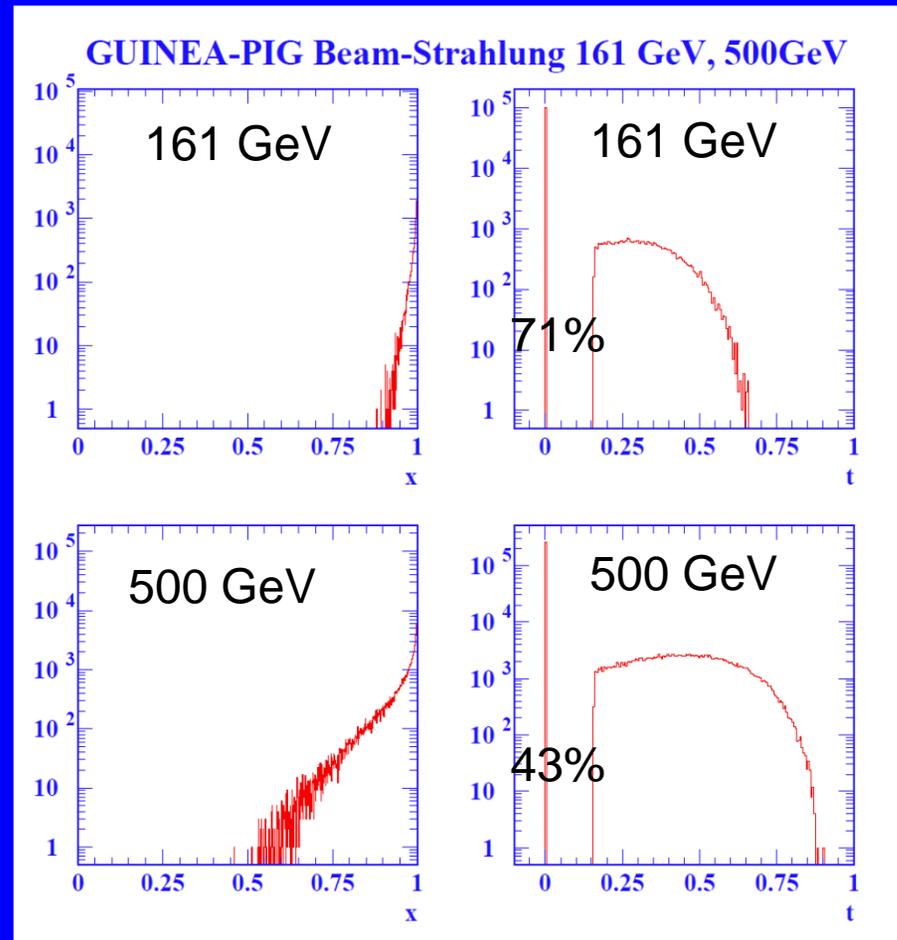
Median energy loss per beam from beamstrahlung typically ZERO.

Parametrized with CIRCE functions.

$f \delta(1-x) + (1-f) \text{Beta}(a2,a3)$

Define  $t = (1 - x)^{1/5}$

In general beamstrahlung is a less important issue than ISR for kinematic fits



$t=0.25 \Rightarrow x = 0.999$